

KimFest, Seoul National Univ., 30 July 2026

Axions & SUSY: **the (long) journey to** **naturalness with Jihn E. Kim**

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Meeting John E at the **right place** (CERN) at the **right moment** (early '80s)

'70s GUTs → gauge hierarchy →
early '80s low-energy SUSY in the particle physics arena

Late 70's Strong CP → PQ symmetry → Weinberg-Wilczek (too visible) axion
→ **Kim (invisible) axion**

Early '80's → SUSY B violation → R parity → byproduct of low-energy
SUSY: **LSP WIMP DM candidate**

Late '70s – early 80's GUTs B violation → **Baryogenesis**

Early-mid 80's: **CERN** = (one of) the place with the highest
density of experts working on the above research issues

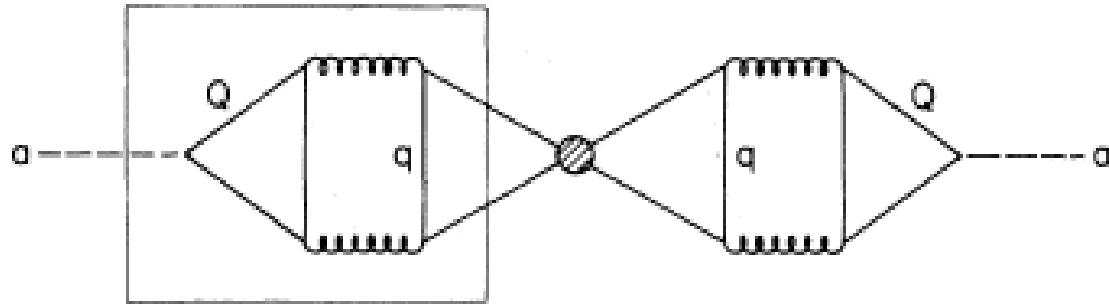
Weak-Interaction Singlet and Strong CP Invariance

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(Received 16 February 1979)

Strong CP invariance is *automatically* preserved by a spontaneously broken chiral $U(1)_4$ symmetry. A weak-interaction singlet heavy quark Q , a new scalar meson σ^0 , and a *very light axion* are predicted. Phenomenological implications are also included.



Invisible axion couples directly to the **new heavy quarks Q carrying the PQ charge**

very low mass axion $m < 1$ eV, PQ symmetry broken at a very high energy scale PQ

“Stellar evolution may be affected by the existence of a light axion by the Primakoff process”

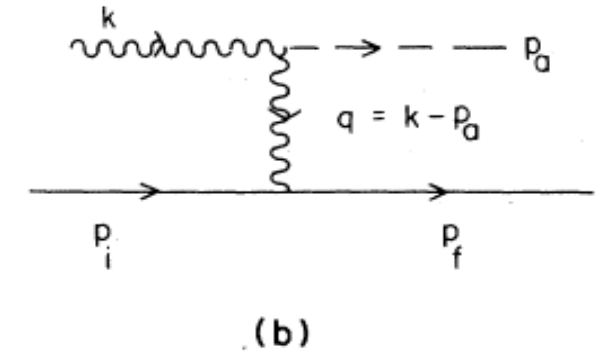
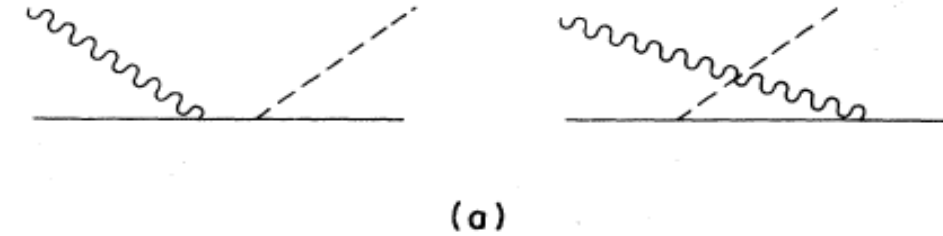
Astrophysical bounds on axion mass (hence on V_{PQ})

1978 Implications of the **Weinberg– Wilczek axion**

for stellar evolution → such axion removes energy from the stellar thermal bath by the direct processes a) and Primakoff process b). The direct process a) gives the most important contribution. From the existence of the helium-burning red giants the **LOWER bound**

$m_{\text{axion}} < 0.3 \text{ MeV}$ for the Weinberg – Wiczek axion

Dicus, Kolb, Teplitz, Wagoner PRD 1978 ; Vsyotskii, JETP Lett. 1978



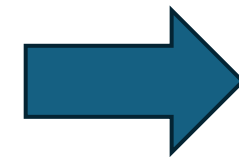
1979 Implications of the **Kim axion for stellar evolution:** stellar energy loss ONLY through the Primakoff process in b).

UPPER bound on m_{axion}

$$m_a \leq 6.3 \times 10^{-3} \text{ eV} \quad (e_Q = -\frac{1}{3}e),$$

$$m_a \leq 9.0 \times 10^{-2} \text{ eV} \quad (e_Q = 0).$$

Dicus, Kolb, Teplitz, Wagoner,
PRD 1979



$V_{PQ} > 10^8 \text{ GeV}$

For the KSVZ axion $10^8 \text{ GeV} < V_{\text{PQ}} < 10^{12} \text{ GeV}$

Kim --> axion couplings decrease with decreasing axion mass so that stellar evolution is not to be affected by an axion of sufficiently small mass

→ **upper bound on axion mass** → **lower bound on V_{PQ}**

$$V_{\text{PQ}} > 10^8 \text{ GeV}$$

Dicus, Kolb, Teplitz, Wagoner, PRD 1979

Presently such lower bound on V_{PQ} has moved to **10^{12} GeV**
for a review Kim, Carosi Rev. Mod. Phys. 2010

From the computation of **temperature dependent axion mass** of

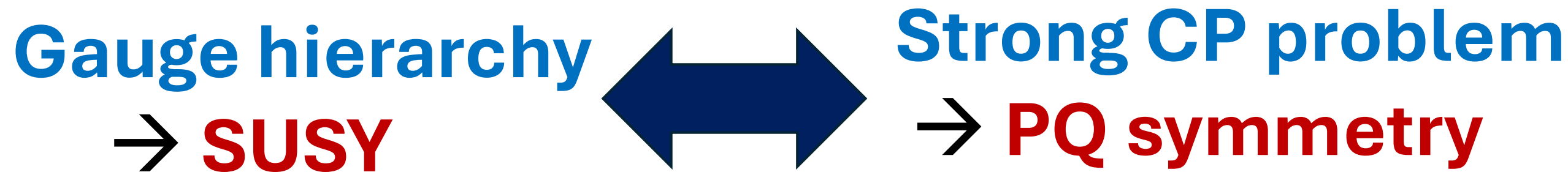
$$\text{Upper bound on } V_{\text{PQ}} \rightarrow V_{\text{PQ}} < 10^{12} \text{ GeV}$$

Gross, Pisarski, Yaffe Rev. Mod. Phys. 1981

Preskill, Wise, Wilczek, PLB 1983;
Abbott, Sikivie PLB 1983; Dine, Fischler PLB 1983

How to kill two birds with one stone

**tackling 2 naturalness issues
at the same time**



Nilles, Raby NPB 1982
Tamvakis, Wyler PLB 1982;
Frère, Gérard, Lett. Nuovo Cim. 1983

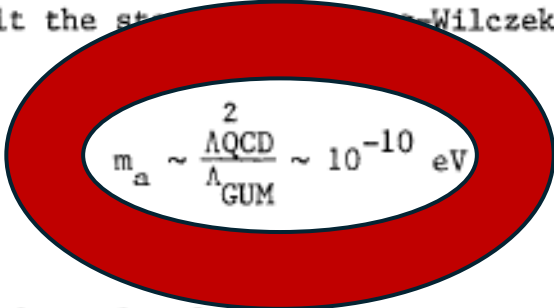
SUPERSYMMETRY AND THE STRONG CP PROBLEM*

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Stanford University, Stanford, California 94305

ABSTRACT



We show how supersymmetric grand unified theories (SSGUT) provide a natural solution to the strong CP problem. Such theories contain an additional global $U(1)_{PQ}$ chiral (Peccei-Quinn) symmetry which is conserved up to color anomalies. Hence the QCD θ angle is irrelevant. Moreover the PQ symmetry is spontaneously broken at the grand unified scale. As a result the strong Wilczek axion has a mass


$$m_a \sim \frac{\Lambda_{QCD}^2}{\Lambda_{GUT}} \sim 10^{-10} \text{ eV}$$

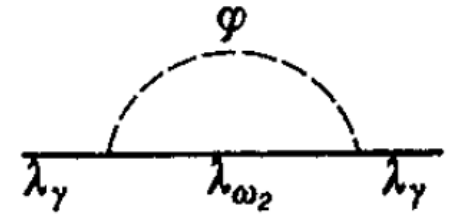
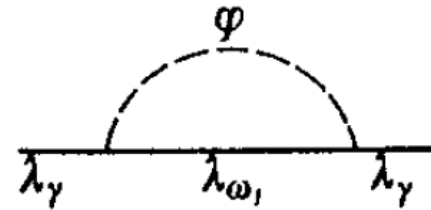
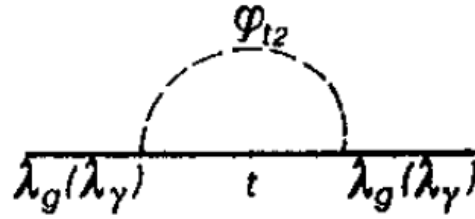
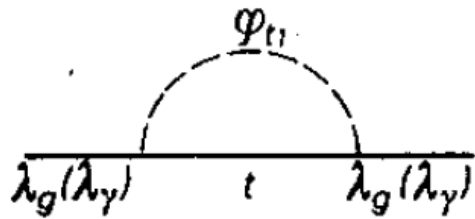
which effectively decouples from ordinary matter.

Radiative gluino and photino masses in Spontaneously Broken SUGRA

$$L = L(\text{supersymmetric}; f) + m_{3/2}^2 \Sigma_a |y_a|^2 +$$

$$+ m_{3/2} \left(\Sigma_a \frac{\partial f}{\partial y_a} y_a + \text{h.c.} \right)$$

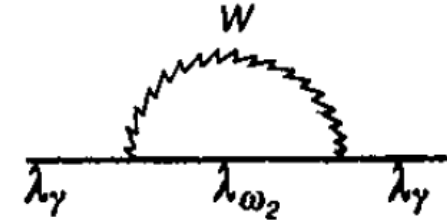
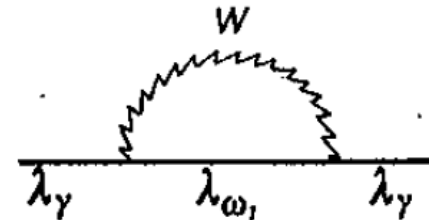
Barbieri, Girardello, AM PLB 1983



$$M_{\text{gluino}} \sim O(1\text{Gev}), M_{\text{photino}} \sim O(1-100\text{MeV}) \lesssim 1\text{ GeV}$$

If a stable photino is the LSP → to have the photino pair annihilation fast enough →

$$M_{\text{photino}} > 0.5\text{ GeV}$$



Goldberg PRL 1983; Ellis, Hagelin,
Nanopoulos, Olive, Srednicki NPB 1984



UNSTABLE PHOTINO MASS BOUND FROM COSMOLOGY

Jihn E. Kim*, A. Masiero and D.V. Nanopoulos
CERN, Geneva

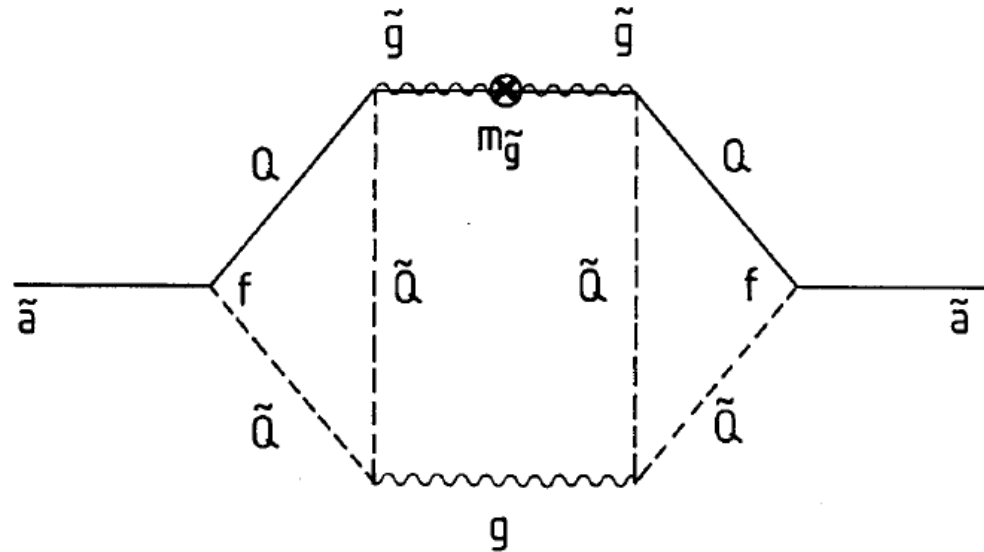
$$\tilde{\gamma} + \tilde{a} \rightarrow \gamma$$

ABSTRACT

If there exists a massive axion, it is likely that its superpartner, the axino, is lighter than the photino, and consequently, photinos can decay into axinos and photons. We derive the mass bounds for this case of unstable photinos in terms of the Peccei-Quinn symmetry breaking scale.

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AXINO possible LSP (lightest susy particle)



$$(f^2 \alpha_c^3 / 32 \pi^4) m_{3/2} \approx (3 \text{ eV}, 300 \text{ eV})$$

$$f = (10^{-2}, 10^{-1}) \text{ and } m_{3/2} = 100 \text{ GeV}$$

Generically the axino mass ~ 0 ($m_{3/2}$), but the theoretically allowed mass range encompasses the entire range relevant for **hot, warm** (keV mass range Rajagopal, Turner, Wilczek NPB 1991) and **cold DM** Choi, Kim, Roszkowski J. of the Korean Phys. Soc. 2013

Chun, Kim, Nilles PLB 1992
Chun, Lukas PLB 1995;
Kim, Seo NPB 2012

AXION SUPERMULTIPLSET

$$A = \frac{1}{\sqrt{2}}(s + ia) + \sqrt{2}\tilde{a}\vartheta + F_A\vartheta\vartheta$$

SAXION **AXION** **AXINO** **AUXILIARY
FIELD**

PQMSSM

$$\mathcal{L}_a^{\text{eff}} = \frac{\alpha_s}{8\pi f_a} a G_{\mu\nu} \tilde{G}^{\mu\nu} \quad \xrightarrow{\text{SUSY}} \quad \mathcal{L}^{\text{eff}} = -\frac{\alpha_s}{2\sqrt{2}\pi f_a} \int A \text{Tr} [W_\alpha W^\alpha]$$

SUSY

**Vector supermultiplet
with the gluon field**

$$\mathcal{L}_{\text{int}}^{\text{eff}} = c_1 \frac{(\partial_\mu a)}{f_a} \sum_q \bar{q} \gamma^\mu \gamma_5 q - \sum_q (\bar{q}_L m q_R e^{i c_2 a / f_a} + \text{h.c.}) + \frac{c_3}{32\pi^2 f_a} a G \tilde{G} + \frac{C_{aWW}}{32\pi^2 f_a} a W \tilde{W} + \frac{C_{aYY}}{32\pi^2 f_a} a Y \tilde{Y} + \mathcal{L}_{\text{leptons}},$$

In the Kim-Shifman-Vainstein – Zakharov (KSVZ) model $c_1 = c_2 = 0$ and $c_3 = 1$

$$\begin{aligned} \mathcal{L}_{\tilde{a}}^{\text{eff}} = & i \frac{\alpha_s}{16\pi f_a} \bar{\tilde{a}} \gamma_5 [\gamma^\mu, \gamma^\nu] \tilde{G}^b G_{\mu\nu}^b + \frac{\alpha_s}{4\pi f_a} \bar{\tilde{a}} \tilde{g}^a \sum_{\tilde{q}} g_s \tilde{q}^* T^a \tilde{q} \\ & + i \frac{\alpha_2 C_{aWW}}{16\pi f_a} \bar{\tilde{a}} \gamma_5 [\gamma^\mu, \gamma^\nu] \tilde{W}^b W_{\mu\nu}^b \\ & + \frac{\alpha_2}{4\pi f_a} \bar{\tilde{a}} \tilde{W}^a \sum_{\tilde{f}_D} g_2 \tilde{f}_D^* T^a \tilde{f}_D \\ & + i \frac{\alpha_Y C_{aYY}}{16\pi f_a} \bar{\tilde{a}} \gamma_5 [\gamma^\mu, \gamma^\nu] \tilde{Y} Y_{\mu\nu} \\ & + \frac{\alpha_Y}{4\pi f_a} \bar{\tilde{a}} \tilde{Y} \sum_{\tilde{f}} g_Y \tilde{f}^* Q_Y \tilde{f}, \end{aligned}$$

K.-Y. Choi, L. Covi, J. E. Kim, L. Roszkowski, JHEP 2012

Photino (NLSP) decays into the axino + photon

$$\tilde{\gamma} \rightarrow \tilde{a} + \gamma$$

Kim, Nanopoulos, AM
Phys. Lett. 139B (1984) 346-350

New bounds on the photino mass in presence of the photino radiative decay

3 fundamental ingredients for the analysis:

- i) The **photino decoupling temperature** T_D ;
- ii) The **temperature at which the universe gets photino dominated** T^*
- iii) The **photino decay temperature** T_{decay}

$$\tilde{\gamma} = \sin\theta_w \tilde{W}^3 + \cos\theta_w \tilde{B}^0$$

$$\mathcal{L}_{\tilde{\gamma}\tilde{\gamma} \rightarrow f\bar{f}} = \sum_f \bar{\tilde{\gamma}} \gamma^\mu \gamma_5 \tilde{\gamma} \bar{f} \gamma_\mu \left[A_f \left(\frac{1-\gamma_5}{2} \right) + B_f \left(\frac{1+\gamma_5}{2} \right) \right] f$$

A_f and B_f refer only to the s-fermion exchange since the Z^0 mediated photino annihilation amplitude is proportional to the Higgsino contribution to photino. For photino masses, 100MeV only electrons can be produced in the photino-photino annihilation into fermions.

$$T^* = \frac{m_{\tilde{\gamma}}}{(1.68)(2.75)} \exp(-m_{\tilde{\gamma}}/T_D)$$

Photino $T_{\text{decoupling}} > 1\text{MeV} \rightarrow$

photino decouples before nucleosynthesis starts

$T^* < T_{\text{BBN}} \rightarrow$ universe dominated by radiation during BBN $\rightarrow$ only requirement on photino decay time is that photinos decay sufficiently fast to get a thermalization of the photons in the decay products (Dicus, Kolb, Teplitz Astrophys. J. 1978)

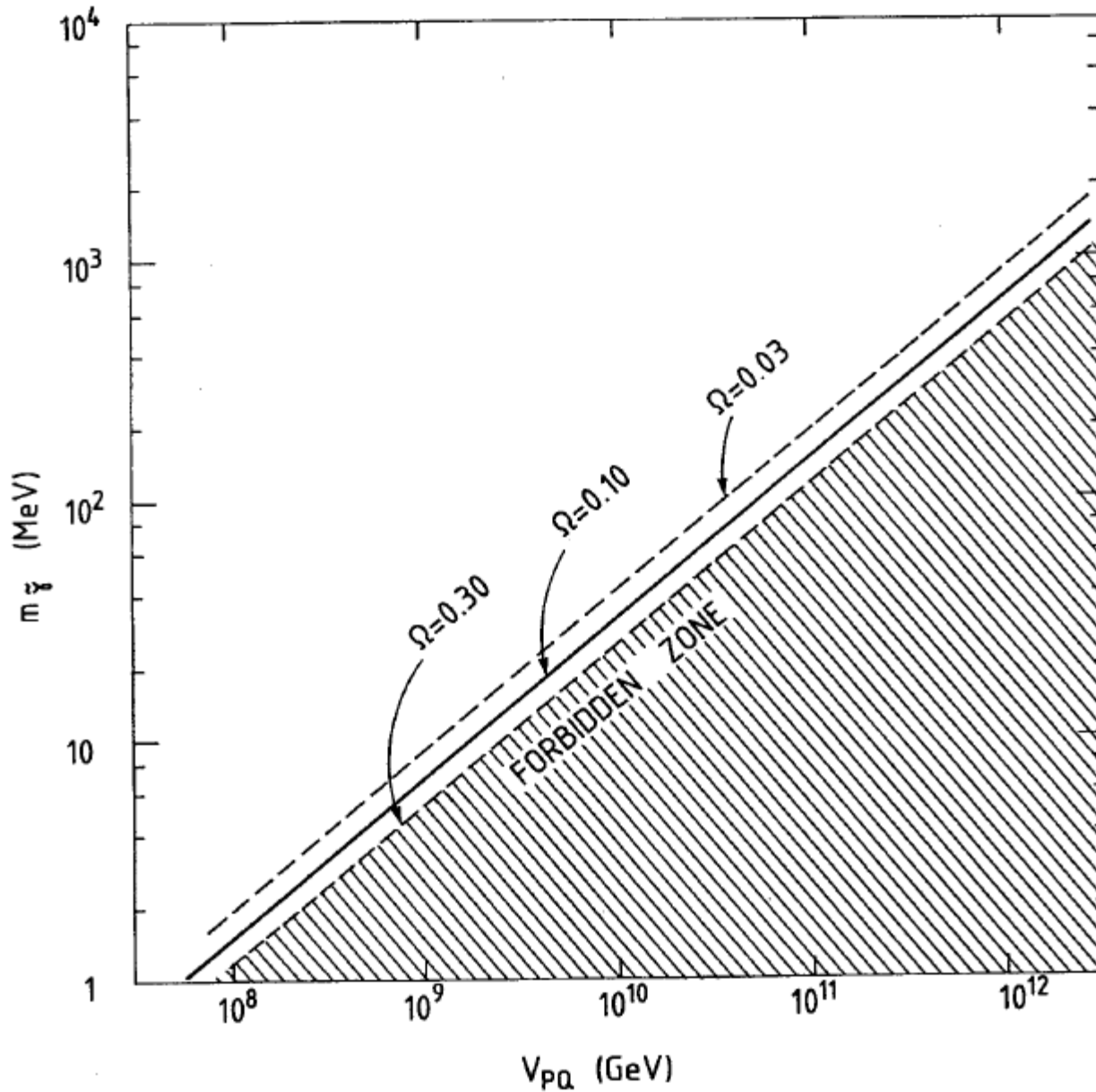
		$\tilde{\nu}$	$\tilde{\nu}_{PQ}$	10^8 GeV	10^9 GeV	10^{10} GeV	10^{11} GeV	10^{12} GeV	Photino lifetimes (sec.)
Photino mass (MeV)		$m_{\tilde{\gamma}}$	$m_{\tilde{\nu}}$						
1000		1000	1000	9.59×10^{-4}	9.59×10^{-2}	9.59	9.59×10^2	9.59×10^4	
800		800	800	1.87×10^{-3}	1.87×10^{-1}	1.87×10	1.87×10^3	1.87×10^5	
500		500	500	7.67×10^{-3}	7.67×10^{-1}	7.67×10	7.67×10^3	7.67×10^5	
100		100	100	0.959	9.59×10	9.59×10^3	9.59×10^5	9.59×10^7	
80		80	80	1.87	1.87×10^2	1.87×10^4	1.87×10^6	1.87×10^8	
60		60	60	4.44	4.44×10^2	4.44×10^4	4.44×10^6	4.44×10^8	
50		50	50	7.67	7.67×10^2	7.67×10^4	7.67×10^6	7.67×10^8	
40		40	40	15.0	1.50×10^3	1.50×10^5	1.50×10^7	1.50×10^9	
30		30	30	35.52	3.55×10^3	3.55×10^5	3.55×10^7	3.55×10^9	
20		20	20	1.20×10^2	1.20×10^4	1.20×10^6	1.20×10^8	1.20×10^{10}	
10		10	10	9.59×10^2	9.59×10^4	9.59×10^6	9.59×10^8	9.59×10^{10}	

Efficient thermalization

of photons from $\tilde{\gamma} + \tilde{a} + \gamma$



$\tau_{\tilde{\gamma}} < 3 \times 10^5$ secs.

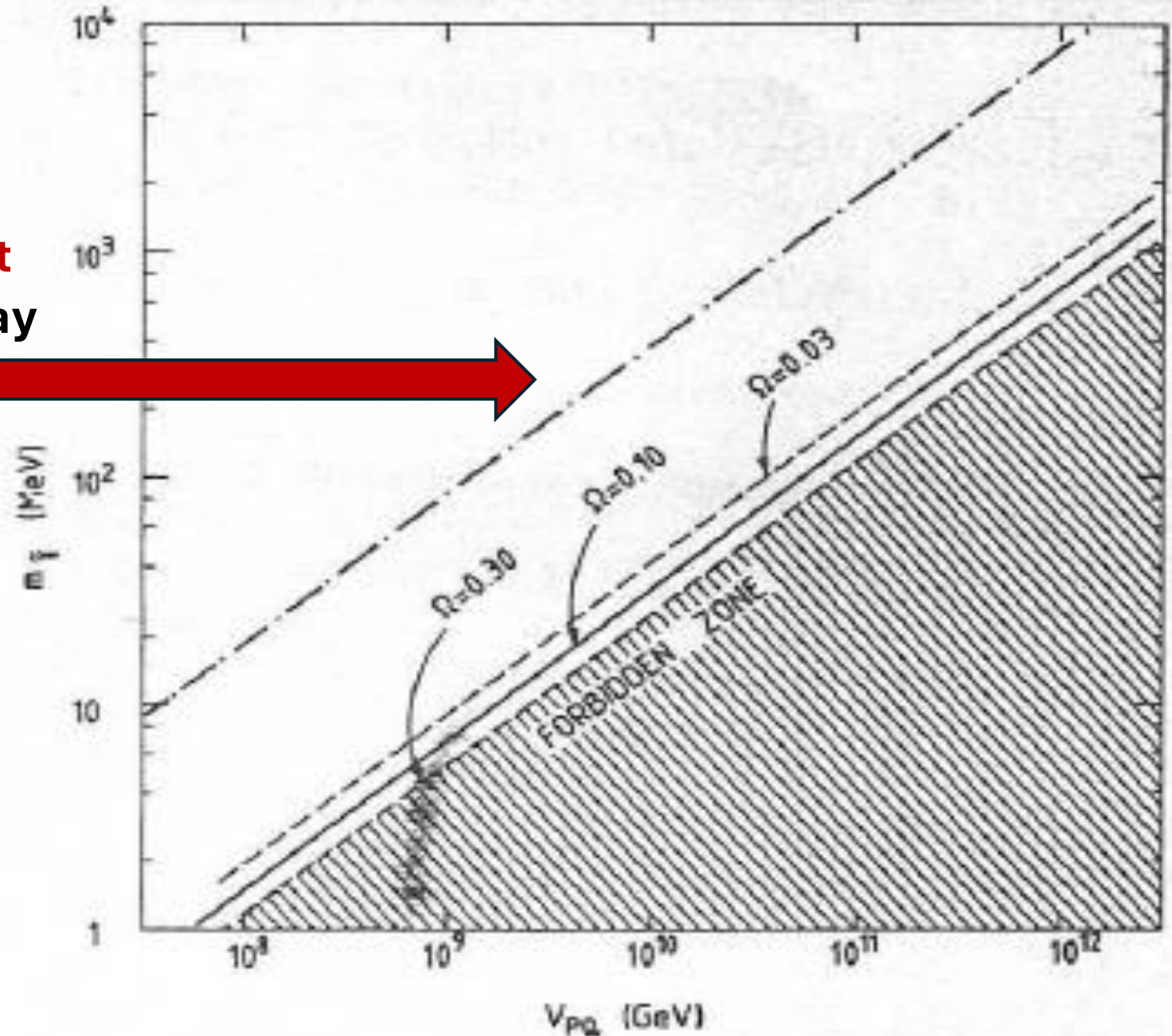


Lower bound on
the **photino mass** $> 1.5 \text{ MeV}$ for any
allowed value of V_{PQ}
for $V_{PQ} = 10^{10} \text{ GeV}$ $m_{\text{photino}} > 40 \text{ MeV}$

For the maximal value of $V_{PQ} = 10^{12} \text{ GeV}$
 $m_{\text{photino}} > 700 \text{ MeV}$, hence with a
decaying photino and $V_{PQ} = 10^{12} \text{ GeV}$,
even the region $500 \text{ MeV} < m_{\text{photino}} < 700 \text{ MeV}$ – allowed in the case of a
stable photino – **becomes now forbidden**

More stringent bound on the photino lifetime provided by the constraints due to the possible **photofission of light elements** (D, ^4He) by the decay photons

Lindley, Mon. Not. R.Astr.
Soc. 1979;
Sarkar, Cooper Proc.
ESO/CERN Symposium 1983



Post-1984 Photino, Axino and DM (continuous) update

Axino THERMAL production (TP): axino production through scatterings and decays of particles in thermal equilibrium → dependence on the REHEATING temperature after inflation (T_R)

TP Axinos from neutralino NLSP decays: **CDM** candidates ; for axino masses between O(MeV) to several GeV $T_R < 10^5$ GeV (Covi, Kim, Roszkowski PRL 1999; Covi, H.B. Kim, J.E.Kim, Roszkowski JHEP 2001; Covi, Kim New J. Physics 2009)

TP axinos → with masses $\sim$ O(keV) **WDM** (Rajagopal, Turner, Wilczek NPB 1991); with masses $\ll$ O(keV) **HDM** (Kim, AM, Nanopoulos PLB 1984)

Axino **NON-THERMAL production (NTP):** independent of T_R ,
axinos produced from the decay of the NLSP after its freeze-out.

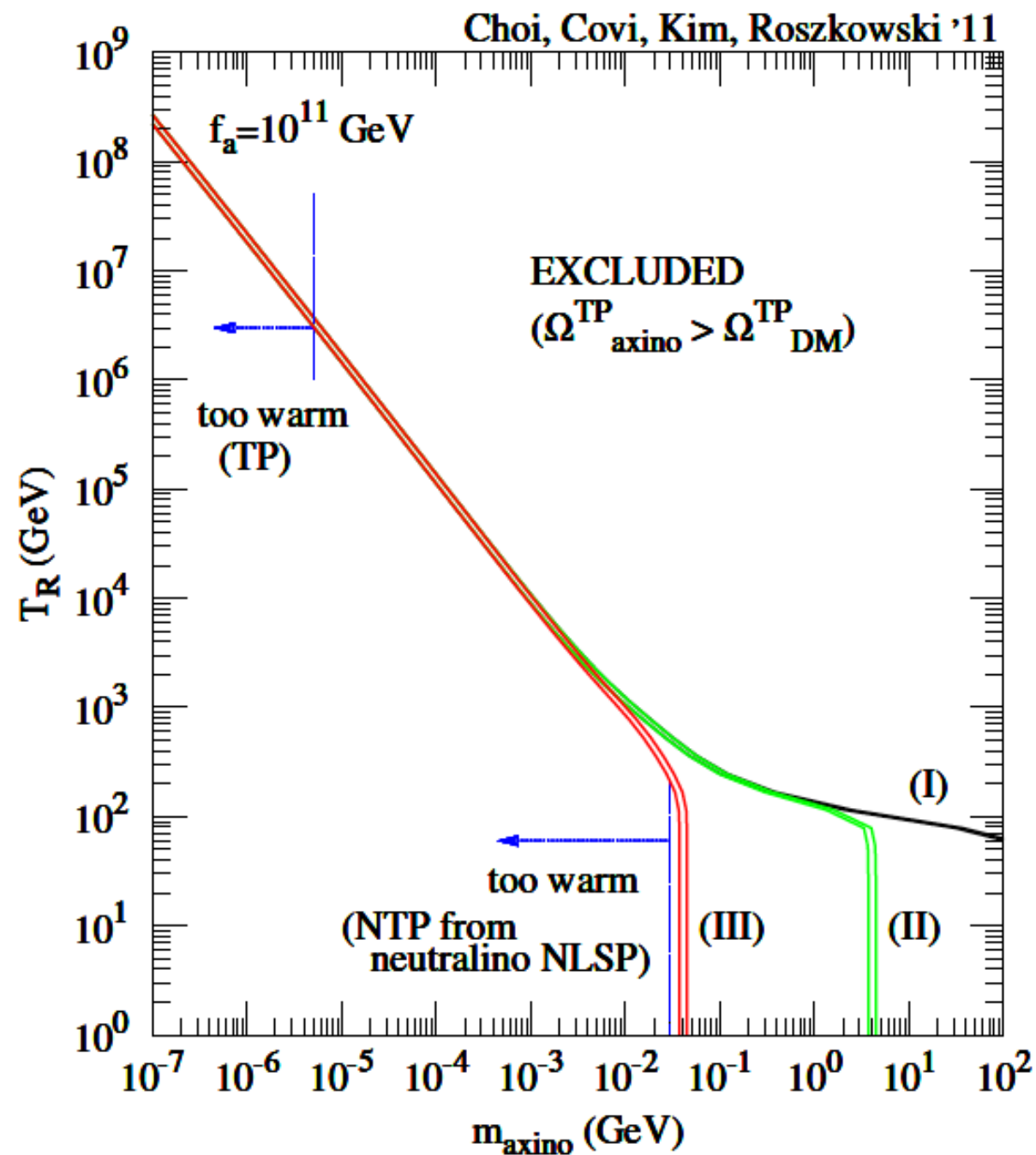
For a bino-dominated lightest neutralino $\rightarrow$ For neutralino NLSP
decays into axino+photon, the NTP production is usually more efficient

$$\Omega_{\tilde{a}}^{\text{NTP}} = \frac{m_{\tilde{a}}}{m_{\text{NLSP}}} \Omega_{\text{NLSP}} \simeq 2.7 \times 10^{10} \left(\frac{m_{\tilde{a}}}{100 \text{ GeV}} \right) Y_{\text{NLSP}}$$

$$Y_{\chi} \simeq (1 \sim 10) \times 10^{-12} \left(\frac{m_{\chi}}{100 \text{ GeV}} \right)$$

Choi, Covi, Kim, Roszkowski JHEP 2012

Baer, Choi, Kim, Roszkowski
 Phys. Rept. 2015 DM
 beyond the thermal WIMP
 paradigm



Kim, Nanopoulos, AM
PLB 145 (1984) 187-191

Ref.TH.3866-CERN

CONFLICTS BETWEEN B VIOLATING PHENOMENA IN
SUPERGRAVITY MODELS

Jihn E. Kim^{*)}, A. Masiero and D. V. Nanopoulos

CERN - Geneva

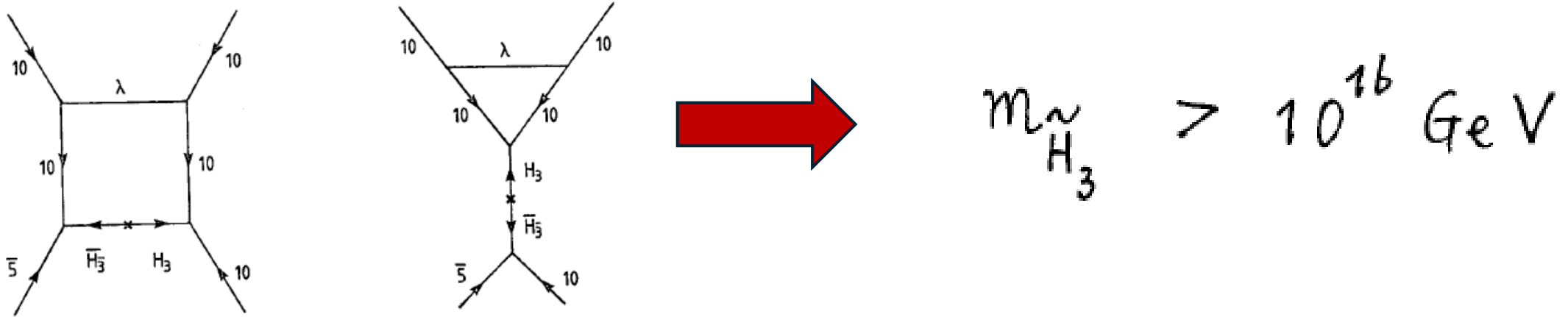
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Baryon-number violation in SUGRA

on the difficulty to create matter (baryogenesis) and then keep it stable (no p-decay)

Threat of too fast p-decay in SUSYGUT from dim.5 operators:



$m_{3/2} \sim 10^2 - 10^3 \text{ GeV}$ cosmologically forbidden (Pagel, Primack PRL 1982; Weinberg PRL 1982) $\rightarrow$ need inflationary epoch to inflate away the gravitinos (Ellis, Linde, Nanopoulos PLB 1982; Nanopoulos, Olive, Srednicki PLB 1983)

But if $T_{\text{reheating}}$ is too big, gravitinos are produced by 2-body reactions $a+b \rightarrow c + \text{gravitino}$ (Ellis, Kim,

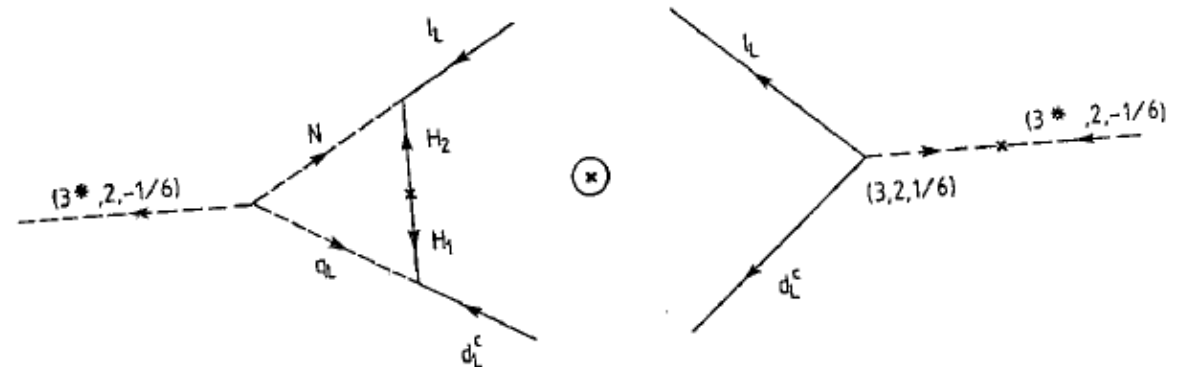
Nanopoulos PLB 1982) $\rightarrow$ from BBN and CMB constraints need $T_{\text{reheating}} < 10^9 - 10^{10} \text{ GeV}$

Need baryon production AFTER inflation $\rightarrow$ the coloured Higgs triplet H_3 cannot be used to produce the cosmic baryon asymmetry

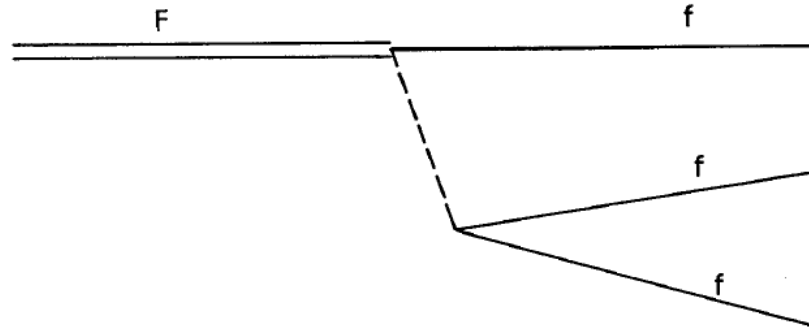
The **same difficulty** as for the Higgs triplets ($3^*, 1, 1/3$) is encountered when considering **other scalars responsible for 4-fermion $\Delta B = 1$ processes** (i.e., $(3, 1, -4/3)$, $(3, 3, -1/3)$ in MSSM

in $N = 1$ SUGRA $SU(5)$ and in the MSSM with the introduction of $\Delta B \neq 0$ Yukawa couplings with coloured Higgs fields $(3, 1, -1/3)$, $(3, 1, -4/3)$, etc. with $m_{3/2} \sim O(100 - 1000 \text{ GeV})$ it is NOT possible to obtain a sufficient cosmological baryon asymmetry (unless there is large mixing of the 5-plets $H_1 - H_2$ at high T , while such mixing becomes $\sim m_{3/2}$ at zero temperature.

Efficient baryogenesis is NOT achieved even using scalars, such as $(3^*, 2, -1/6)$ whose decay can lead to baryon production, while they **cannot mediate p-decay** (Kim PLB 1983)



Introduction of **superheavy FERMIONS** which can produce baryons through their decays into 3 ordinary fermions



Barbieri, AM, Nanopoulos PLB 1981; Yanagida, Yoshimura PRL 1980;
AM, Mohapatra PLB 1981

Heavy fermion F with $m < 10^{10}$ GeV decaying via the exchange of superheavy scalars with mass $> 10^{15}$ GeV

It does **NOT work since the net baryon asymmetry is diluted too much in decay of such heavy fermions F** (AM, Nanopoulos Tamvakis, Yanagida Z. Phys. C 1983)

Major conclusion of our paper Kim, AM, Nanopoulos PLB 1984

INCOMPATIBILITY between matter stability and cosmological baryon production in N=1 SUGRA →

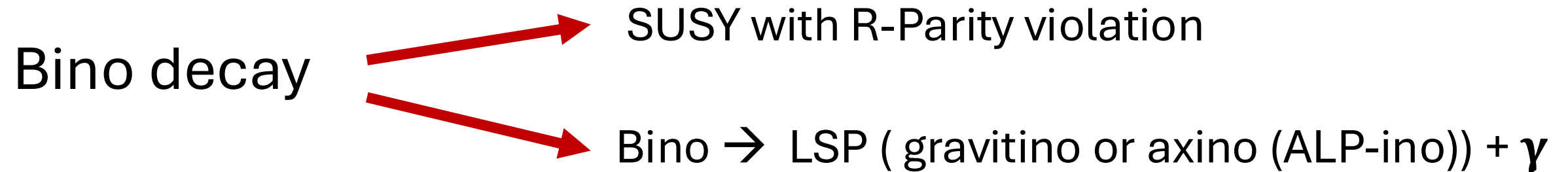
possible (weird) ways-out: introduction of new heavy scalars (not mediating p-decay) **with μ mixing proportional to T^2** or **superheavy (or superlight) gravitinos** (Ellis, Enqvist, Gelmini, Kounnas, AM, Nanopoulos, Smirnov NPB 1982)

Other way-out: **$m_{3/2} \sim 100 - 1000 \text{ GeV}$ and high $T_{\text{reheating}} \sim 10^{12} - 10^{14} \text{ GeV}$ are compatible with cosmology if the gravitino decays predominantly into neutrino-sneutrino pairs (the sneutrino could be the LSP)**

Frieman, Giudice PLB 1989

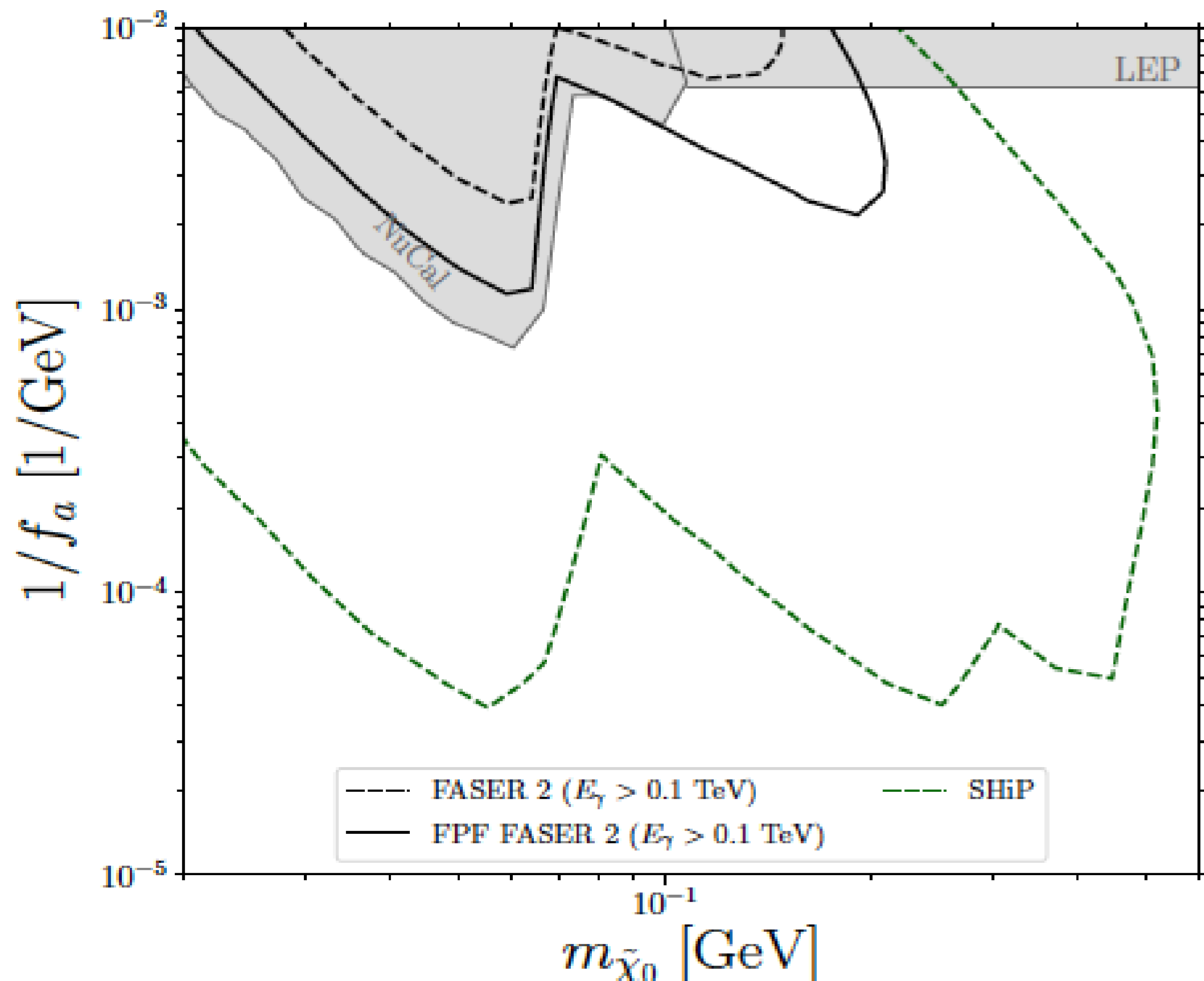
The evergreen **photino** (today **bin**) $\rightarrow$ **axino** (today **ALPino**) + **photon** decay process

Bino $\rightarrow$ very poor constraints from collider physics $\rightarrow$ **sub-GeV Bino** still allowed by HE physics, but possible problems if it is the (predominant) source of DM



Search for single-photon LLP (Long-Lived Particle)

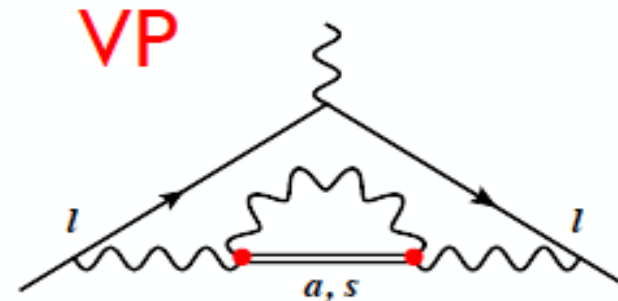
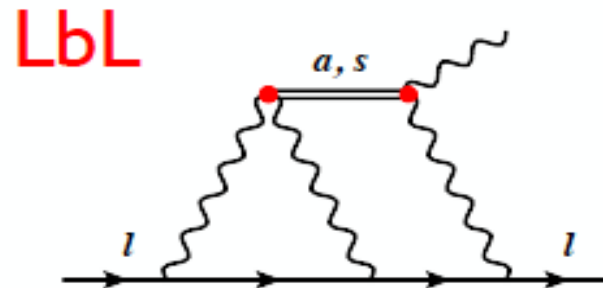
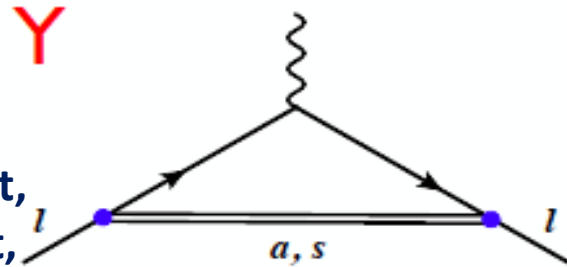
decays: i) at LHC, in addition to the already existing detectors like FASER, a new dedicated facility to the search of LLP, the Forward Physics Facility (FPF) has been proposed; ii) beam dump experiments CHARM, NuCal, SHiP



ALPs contributions to the muon g-2?

μ

Marciano, AM, Paradisi,
Passera '16; Bauer, Neubert,
Thamm '17; Bauer, Neubert,
Renner, Schnubel, Thamm '19;
Cornella, Paradisi, Sumensari '19



- Both scalar and pseudoscalar ALPs can solve Δa_μ for masses $\sim [100\text{MeV}-1\text{GeV}]$ and couplings allowed by current experimental constraints.
- They can be tested at present low-energy e^+e^- experiments, via dedicated $e^+e^- \rightarrow e^+e^- + \text{ALP}$ & $e^+e^- \rightarrow \gamma + \text{ALP}$ searches.

$$\mathcal{L} = e^2 C_{\gamma\gamma} \frac{a}{\Lambda} F_{\mu\nu} \tilde{F}^{\mu\nu} + \frac{c_{\mu\mu}}{2} \frac{\partial^\nu a}{\Lambda} \bar{\mu} \gamma_\nu \gamma_5 \mu$$

$$\mathcal{L} = \frac{1}{4} g_{a\gamma\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu} + i y_{a\psi} a \bar{\psi} \gamma_5 \psi$$

$$g_{a\gamma\gamma} \equiv \frac{2\sqrt{2}\alpha}{\Lambda} c_{a\gamma\gamma}$$

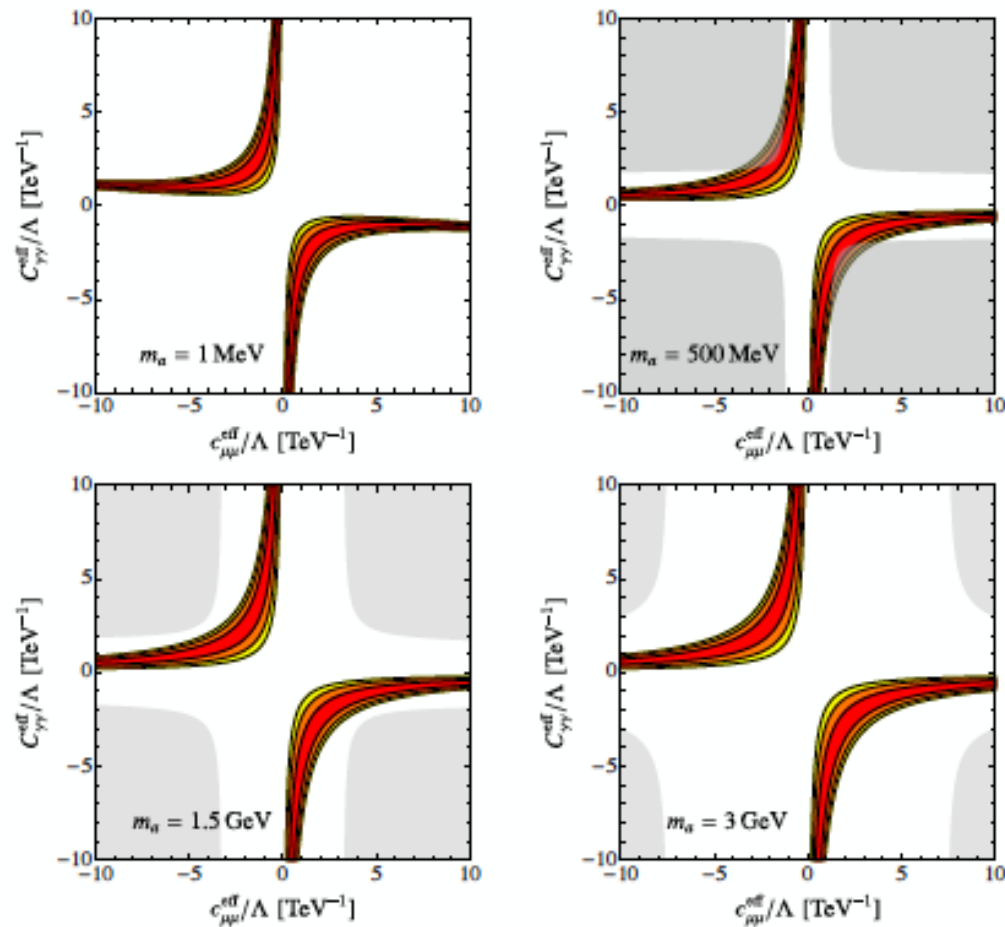
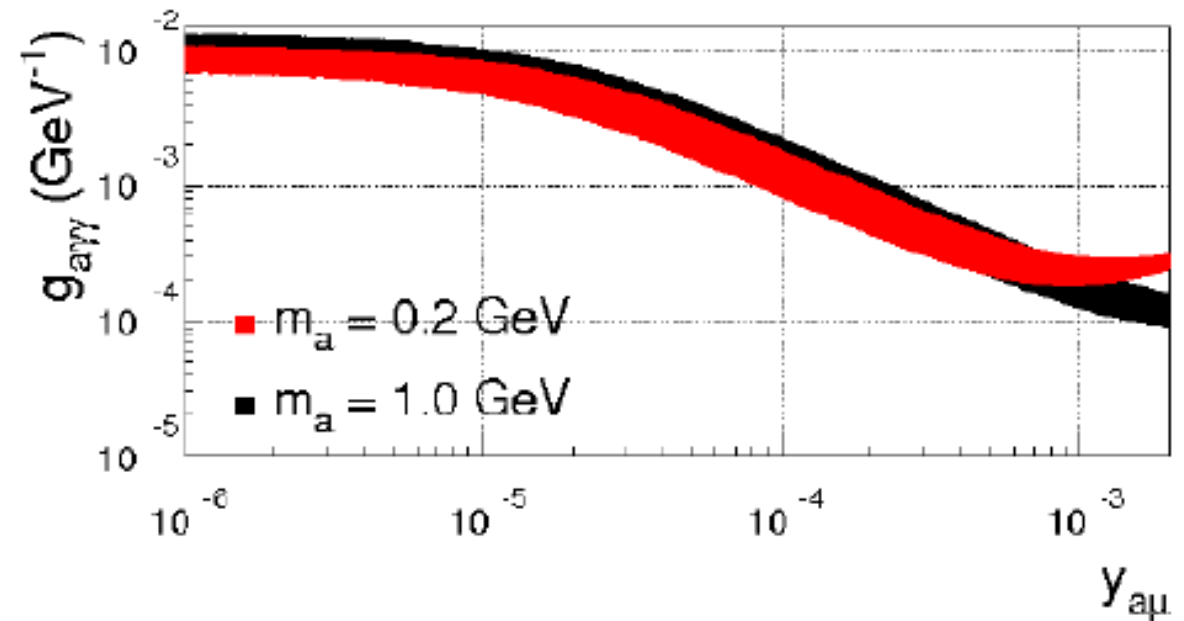
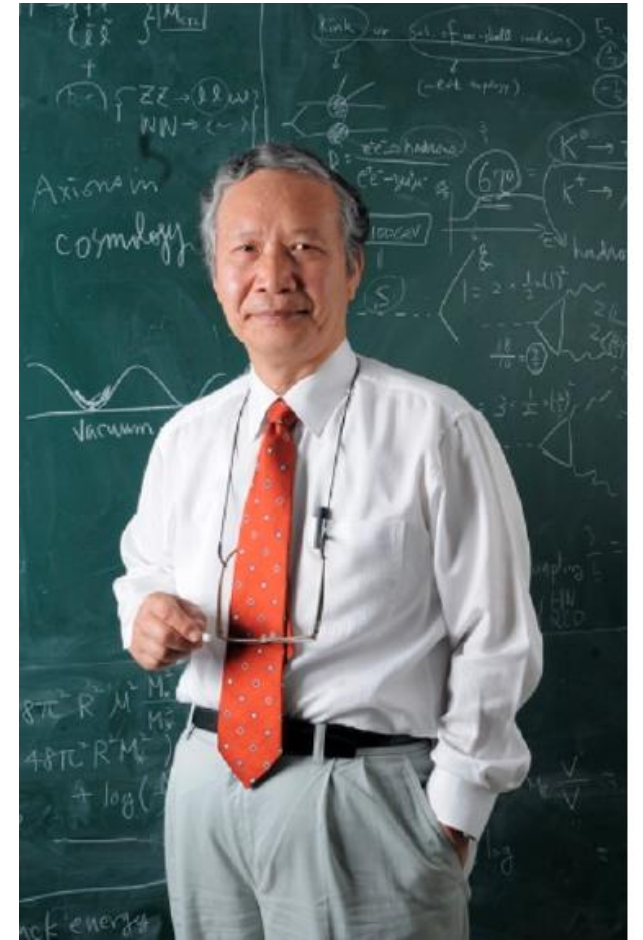


Figure: Δa_μ regions favoured at 68% (red), 95% (orange) and 99% (yellow) CL. Gray regions are excluded by the BaBar search $e^+e^- \rightarrow \mu^+\mu^- + \mu^+\mu^-$ [Bauer, Neubert, Thamm, '17]



Pseudoscalar 1 σ solution bands
to the g-2 muon anomaly taking
 $\Lambda = 1$ TeV

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감사합니다

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and...

감사합니다

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who so efficiently contributed to realize
such a **successful workshop** and this
wonderful occasion to be **close**
to Jihn E in this special moment