

Cepheids as a DM detector

meV dark photon dark matter



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Preliminary

- Cepheids 101 : **instability strip** and **blue loop**
- HR diagram and physics of stellar pulsations
- PLC relation to PLZ relation : metallicity dependence
- Cosmic distance ladder
- One specific example : dark photon as a dark matter
- Resonance conversion at the Cepheids
- Summary

The Discovery of Mira

1596 David Fabricius

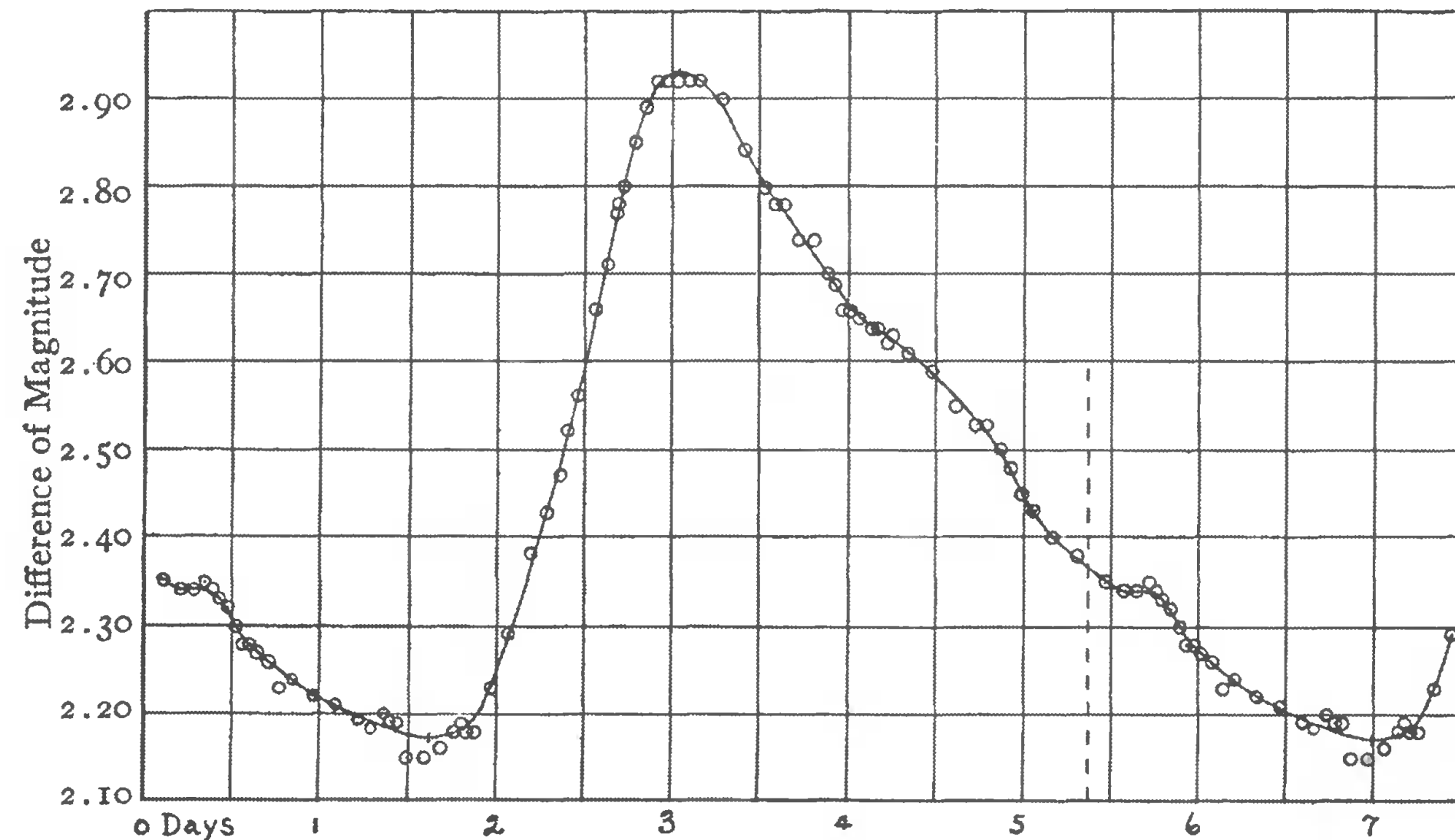
Over a period of 11 months, the bright second magnitude star faded, disappeared, and then finally returned to its former brightness.

o Ceti was later called '**Mira**' (meaning '**wonderful**') to describe its unusual behavior.

δ Cephei

1784

A pulsation period of 5 days, 8 hours and 37 minutes and exhibits magnitude variations of $\sim \pm 1$ mag. It is the prototype of a classical Cepheid, a pulsating variable.

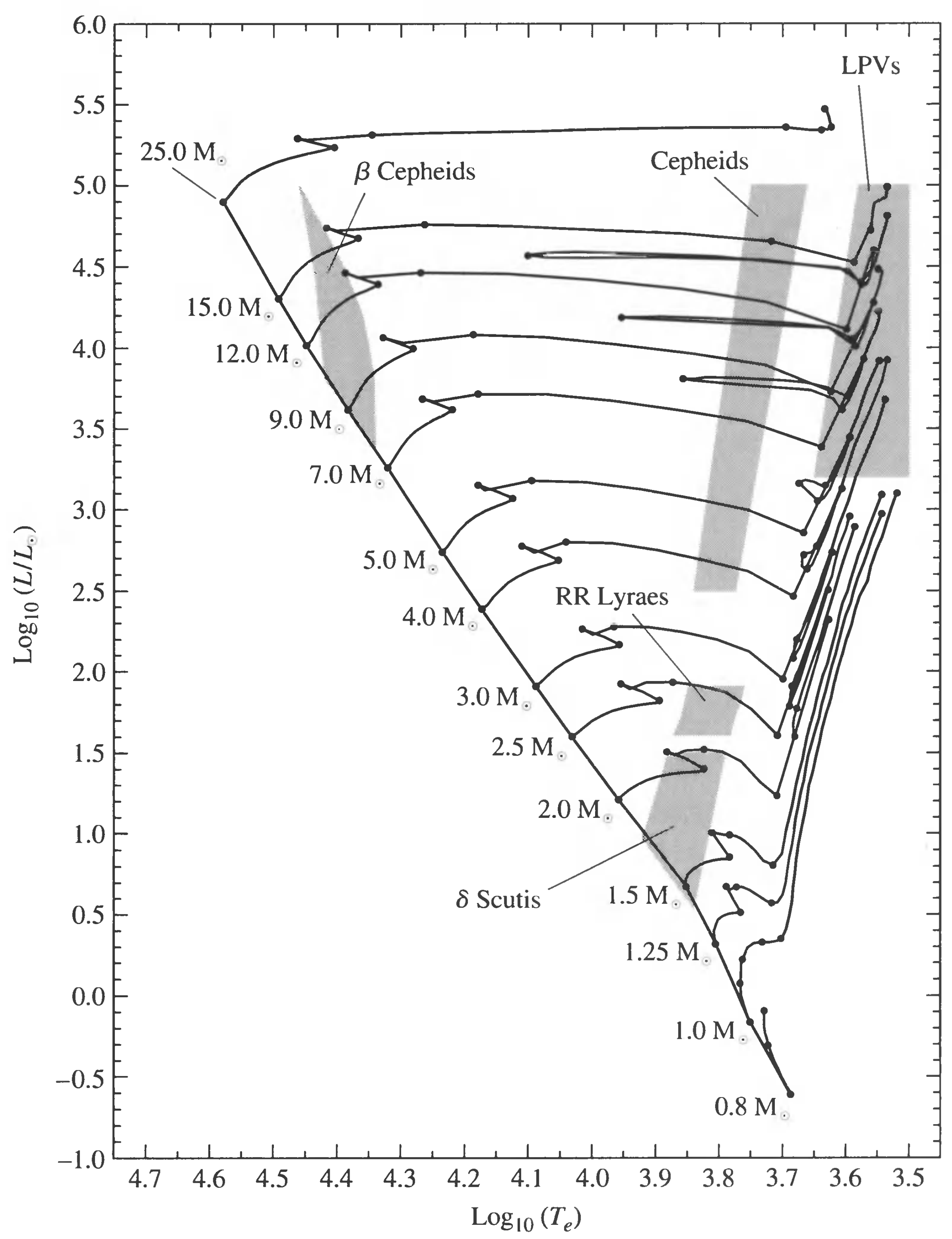
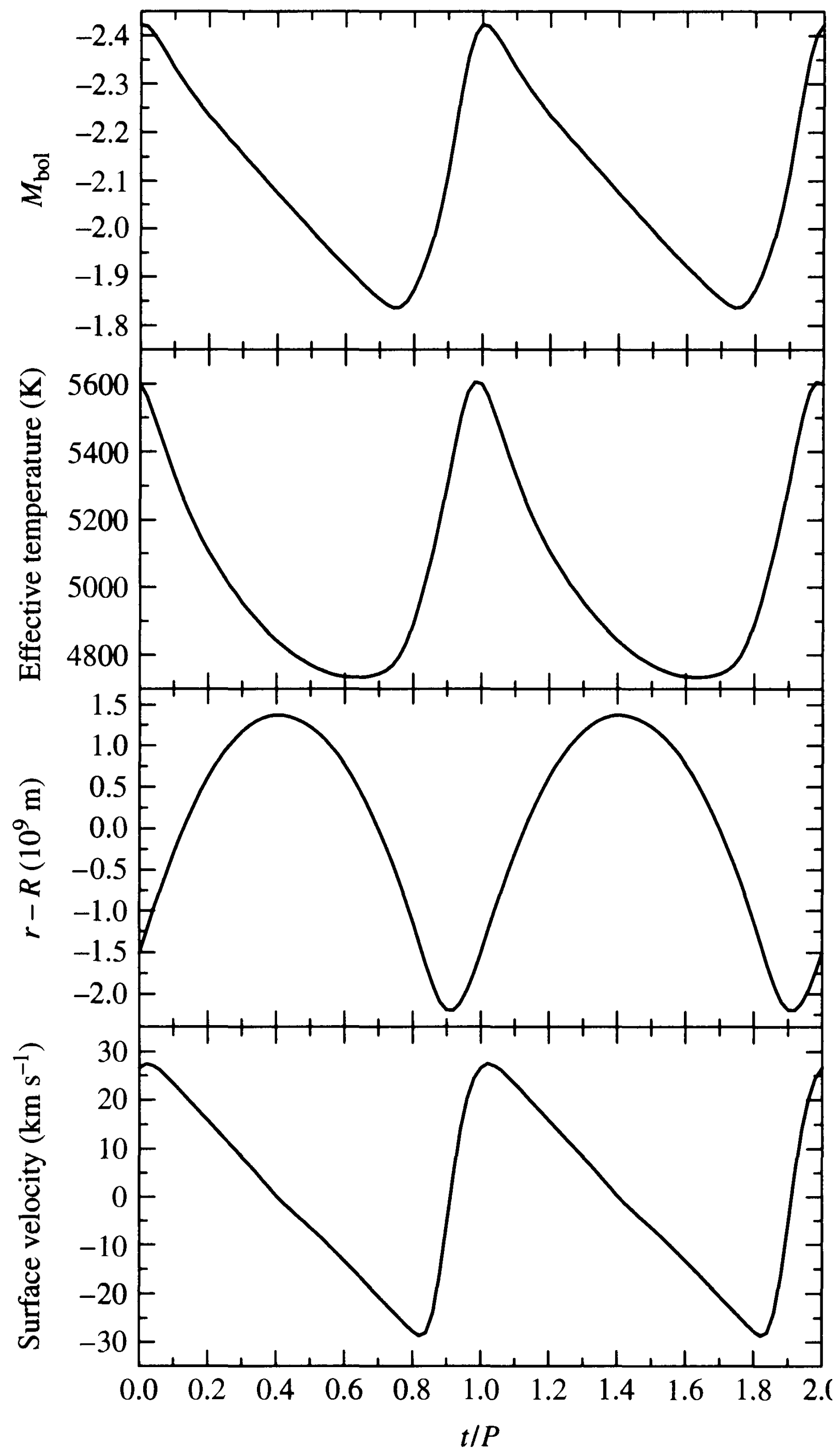


Henrietta
Swan
Leavitt
(1868-1921)

2400 variable stars are identified
from the photographic plates

Period Luminosity relation
has been found





Explanation of Stellar Pulsation

binary or radial pulsation?

Arthur Ritter (1879)

Harlow Shapley (1914)

Arthur Eddington (1918)

- sound waves in stellar medium might provide radial pulsations

Kelvin-Helmholtz to Francis William Aston (1920(?))

Thermodynamic Heat Engine

A Eddington

- Period $\Pi = \frac{2R}{v_s}$ in terms of the radius and the sound speed

- $v_s = \sqrt{\frac{\gamma P}{\rho}}$ for the pressure P and the density ρ & ($\gamma = \frac{5}{3}$)

- $\frac{dP}{dr} = -\frac{4\pi G\rho^2}{3}r \rightarrow P = \frac{2\pi G\rho^2}{3}(R^2 - r^2) \rightarrow \Pi = \sqrt{\frac{3\pi}{2\gamma G\rho}}$
Harmonic oscillator
freefall time
(in the absence of radiation pressure)

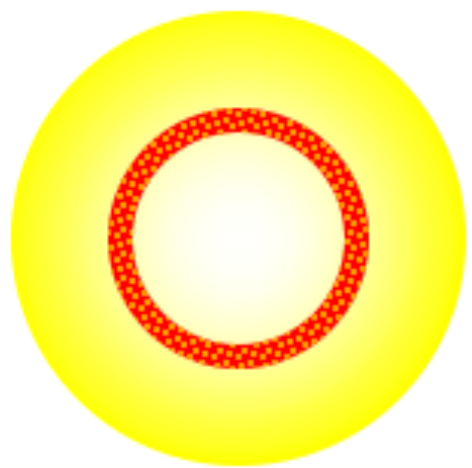
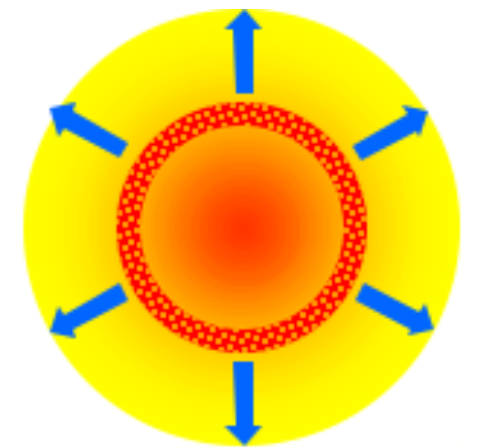
Cepheid as a Heat Engine

Pulsation cycle : opacity as a valve, layer as a piston



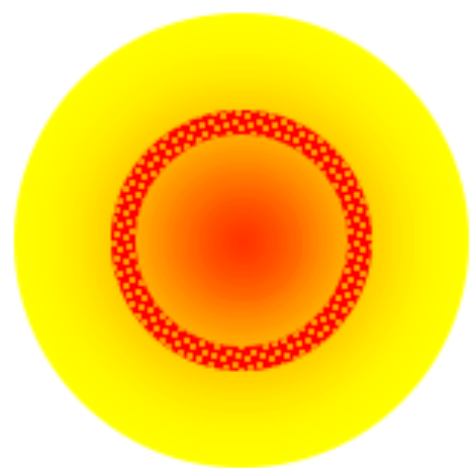
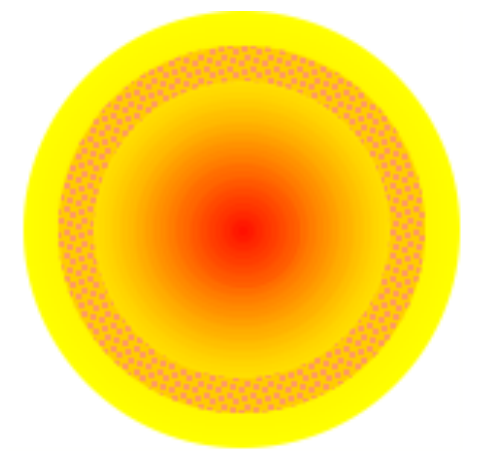
- 1. Valve open : radiation goes out and shrinks due to gravity

- 4. Pressure pushes it outward



- 2. Compressed layer heats up and becomes opaque

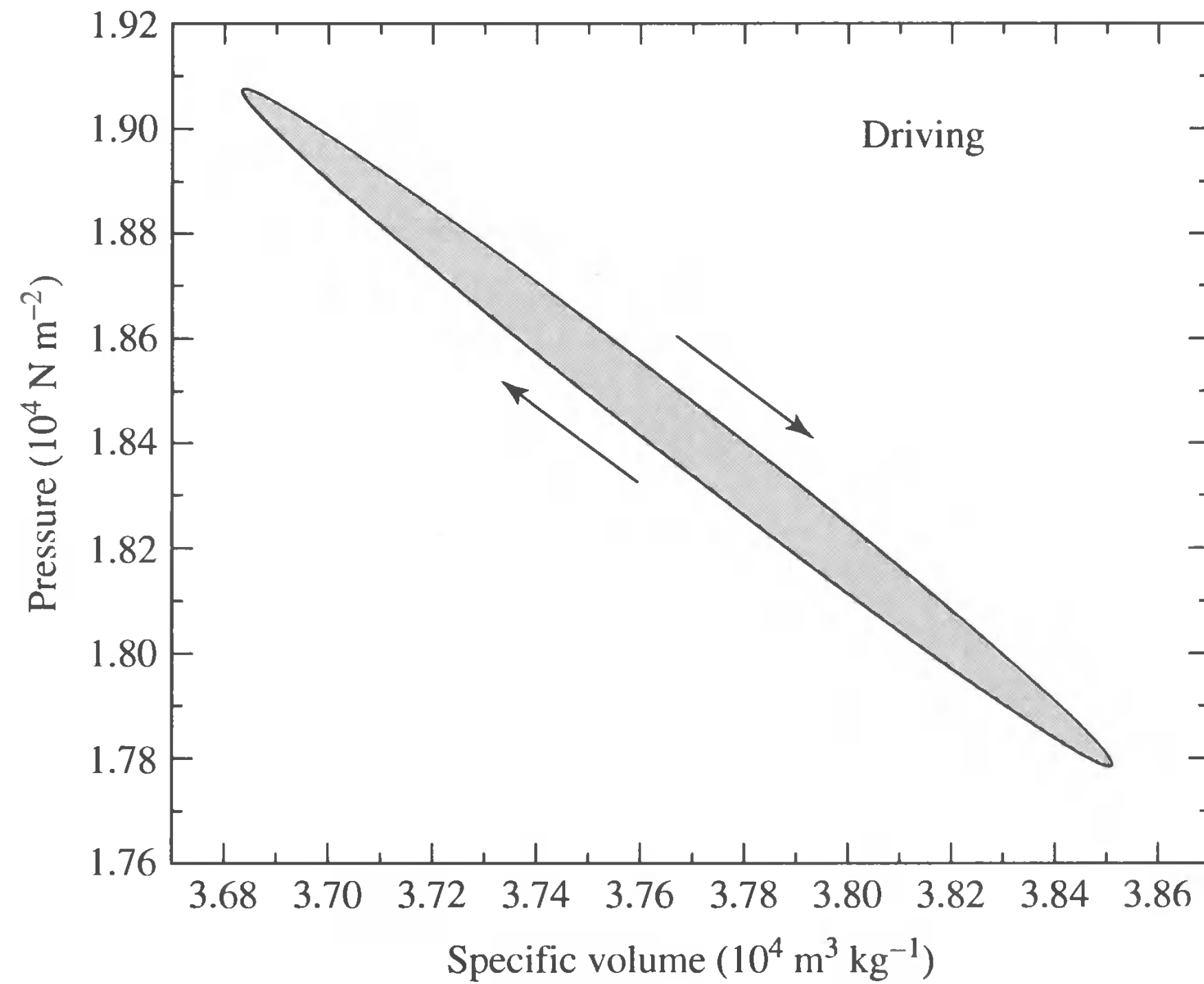
- 5. Valve starts to be open : layer expands and cools and opacity decreases



- 3. Valve closed : opacity keeps radiation more and raises temperature

- 6. Valve open : back to 1

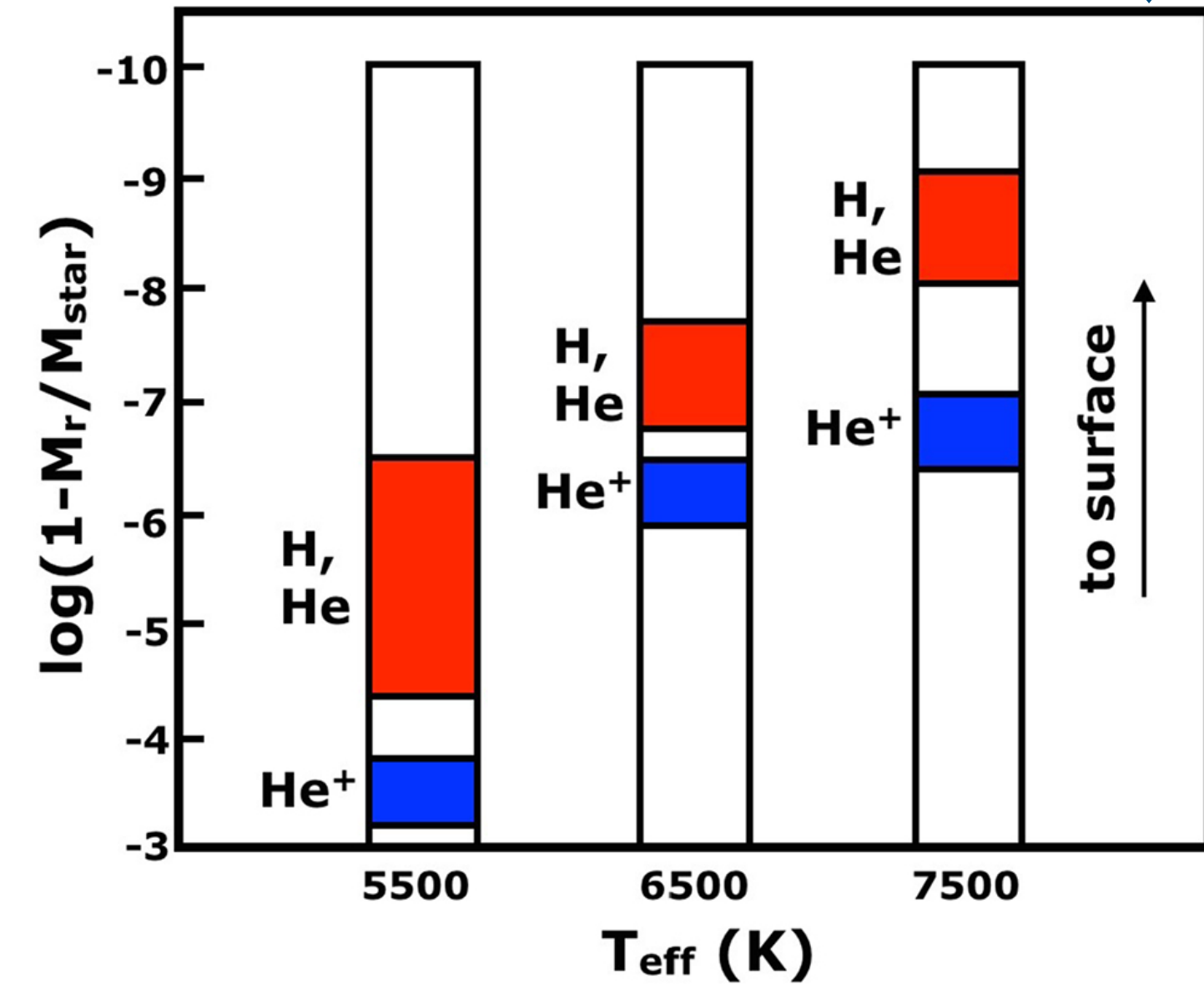




Instability strip
 $5500 \text{ K} < T < 7500 \text{ K}$

Not much left
 between the layer
 and the surface

T is too low and
 convection is efficient



$$\kappa \propto \frac{\rho}{T^{3.5}}$$

$$\oint P dV = 0$$

The opacity increases
 with compression

Equilibrium is reached.

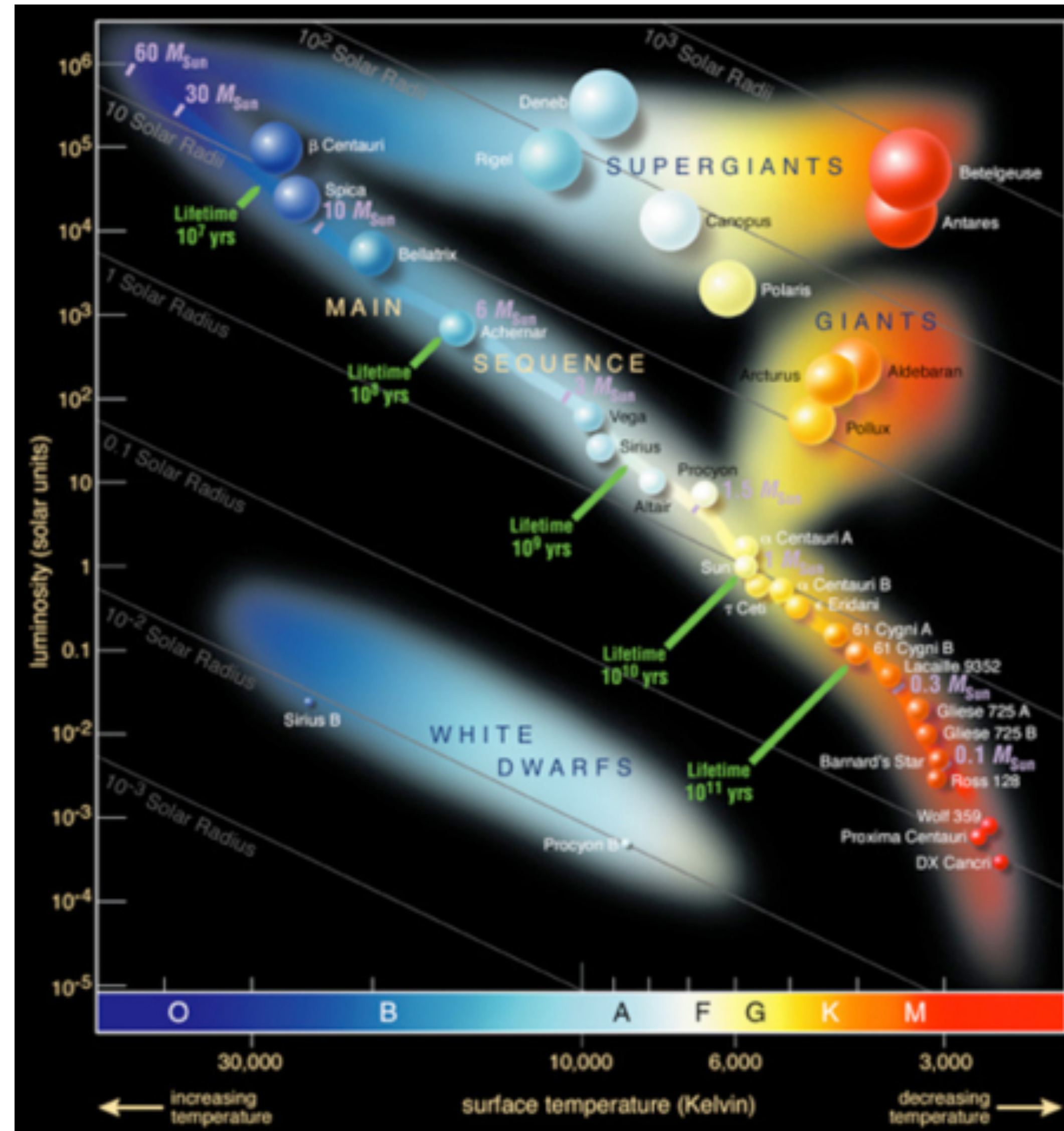
He II partial ionization zone : $4 \times 10^4 \text{ K}$

Pulsation is observed only one in 10^5 stars

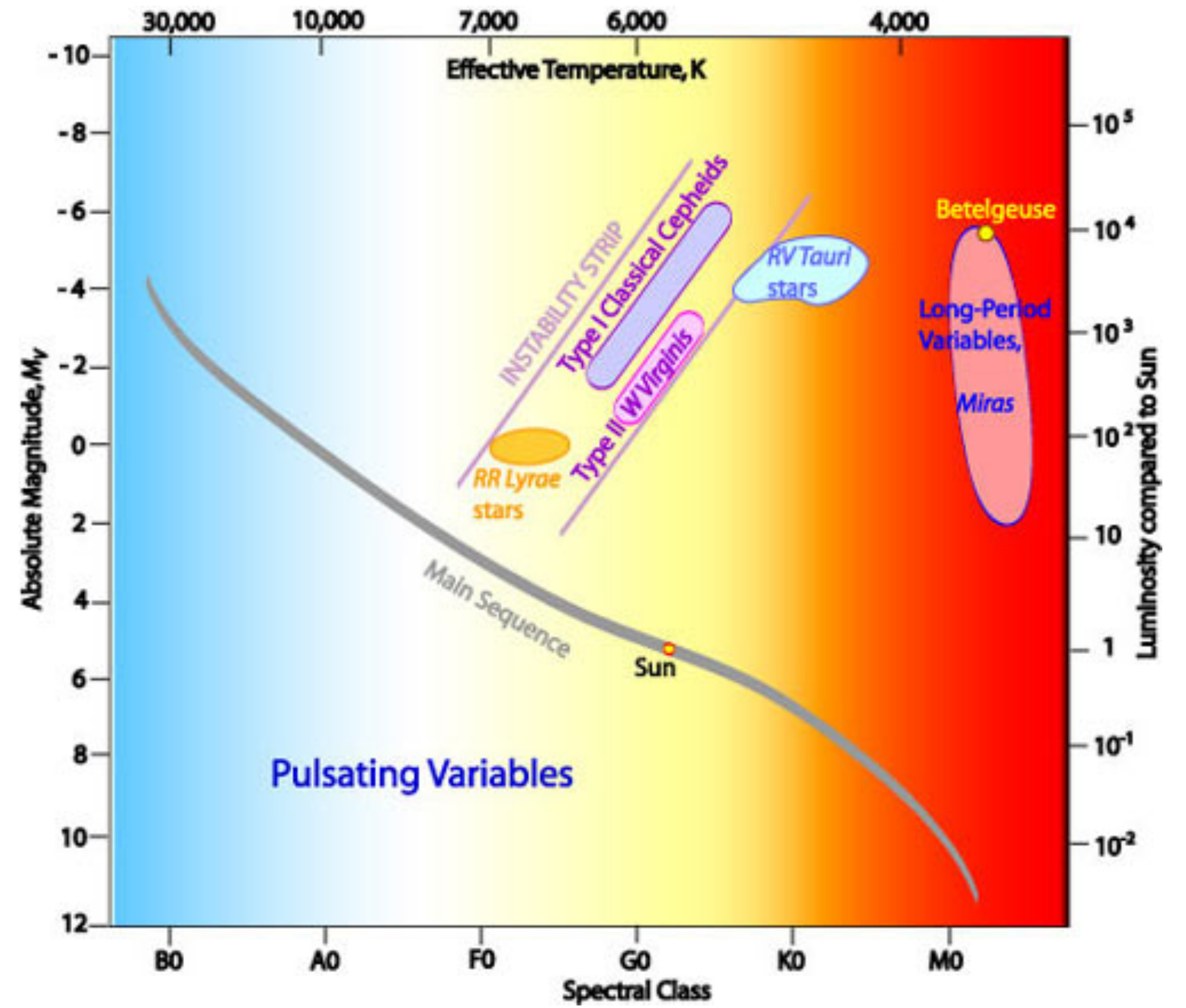
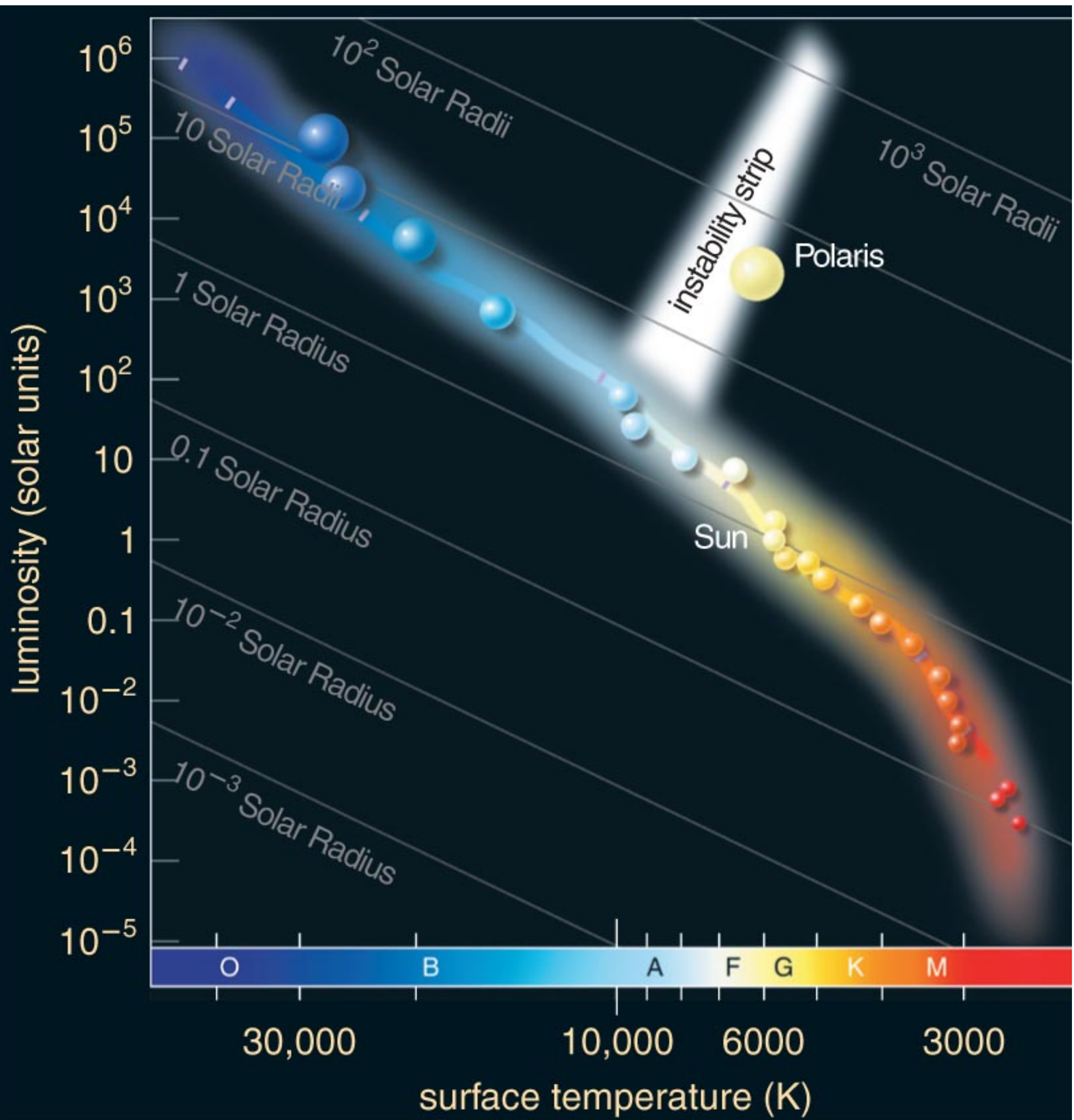
Herzsprung-Russell Diagram

Luminosity

Mass



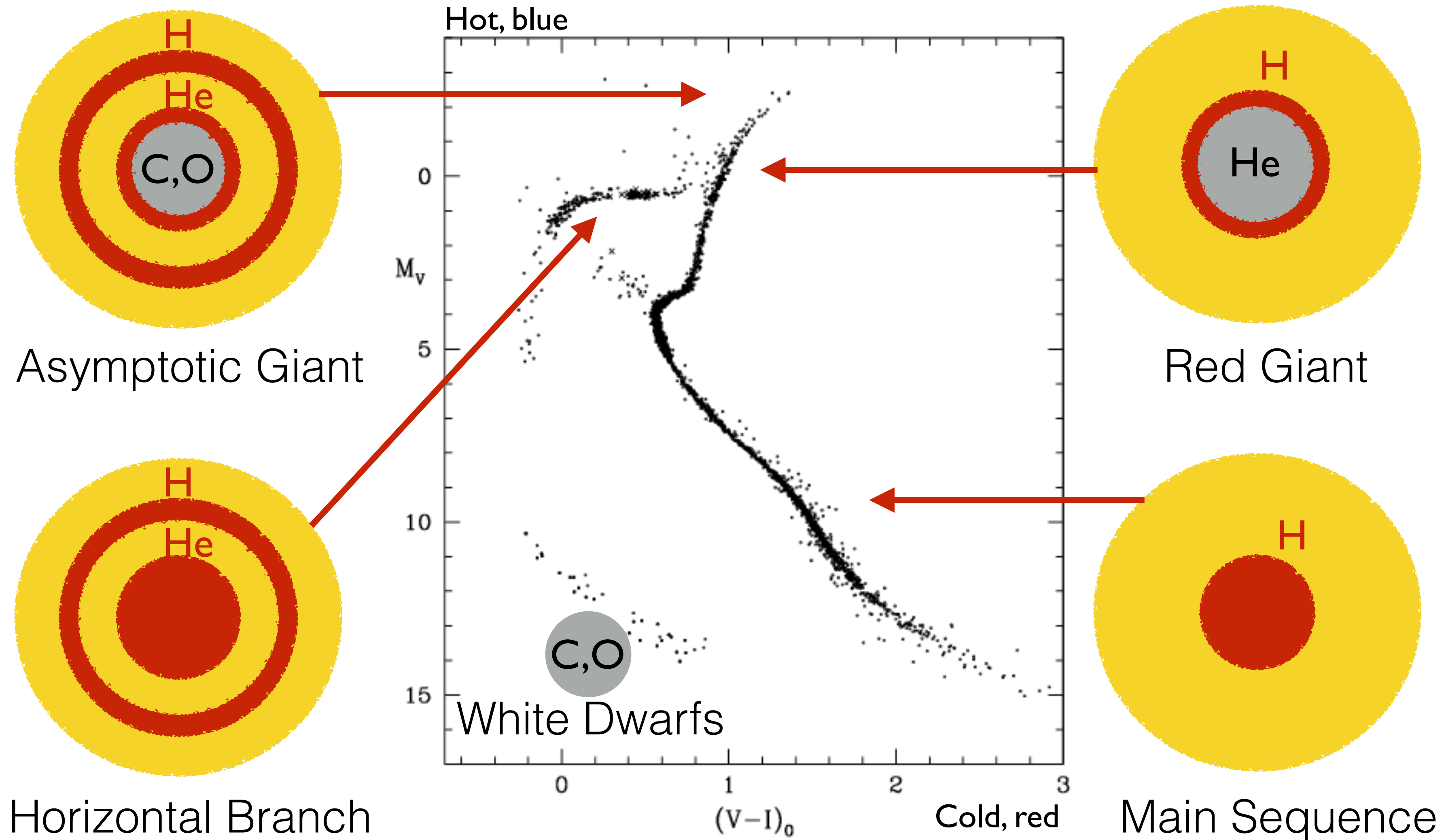
Color
(Temperature)



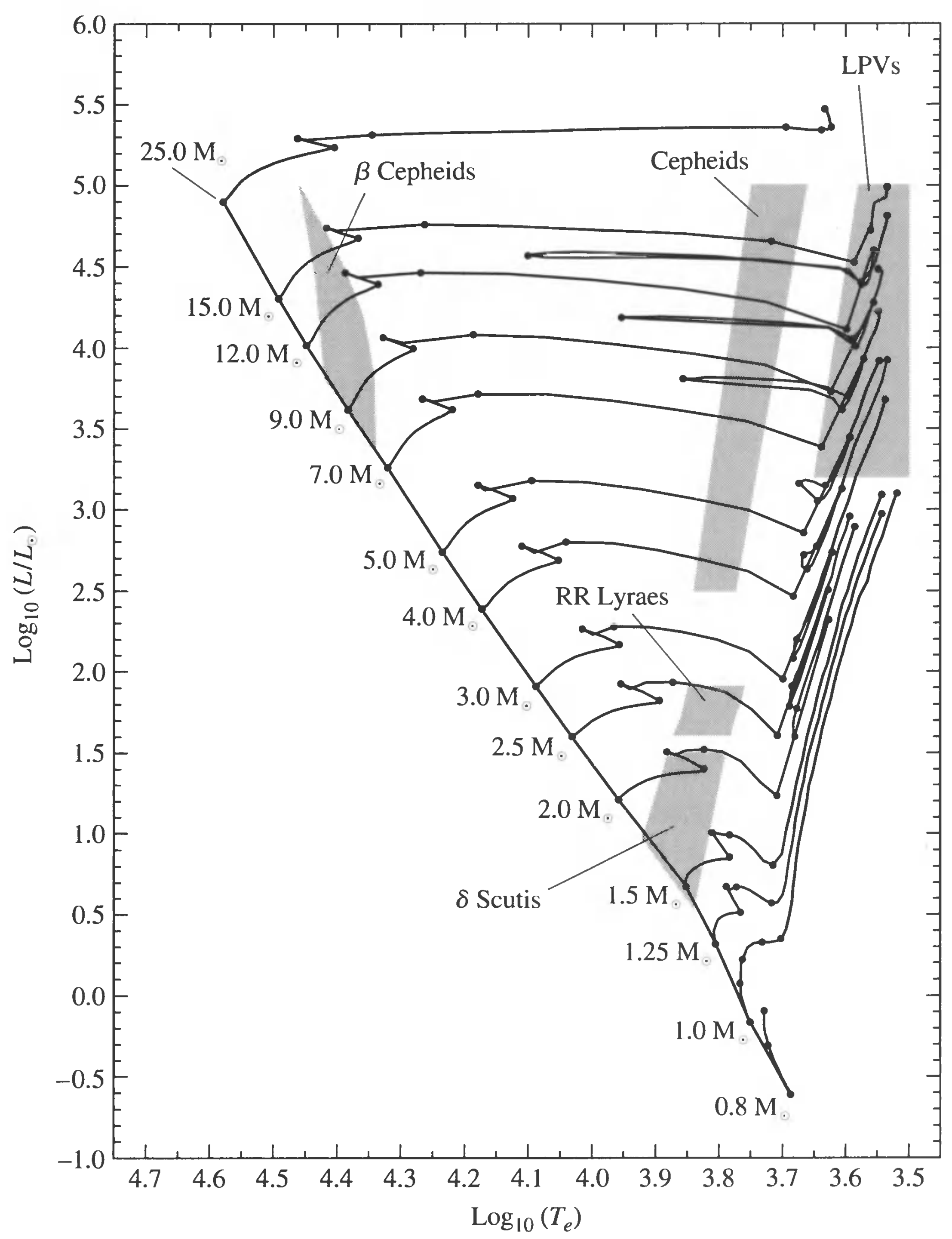
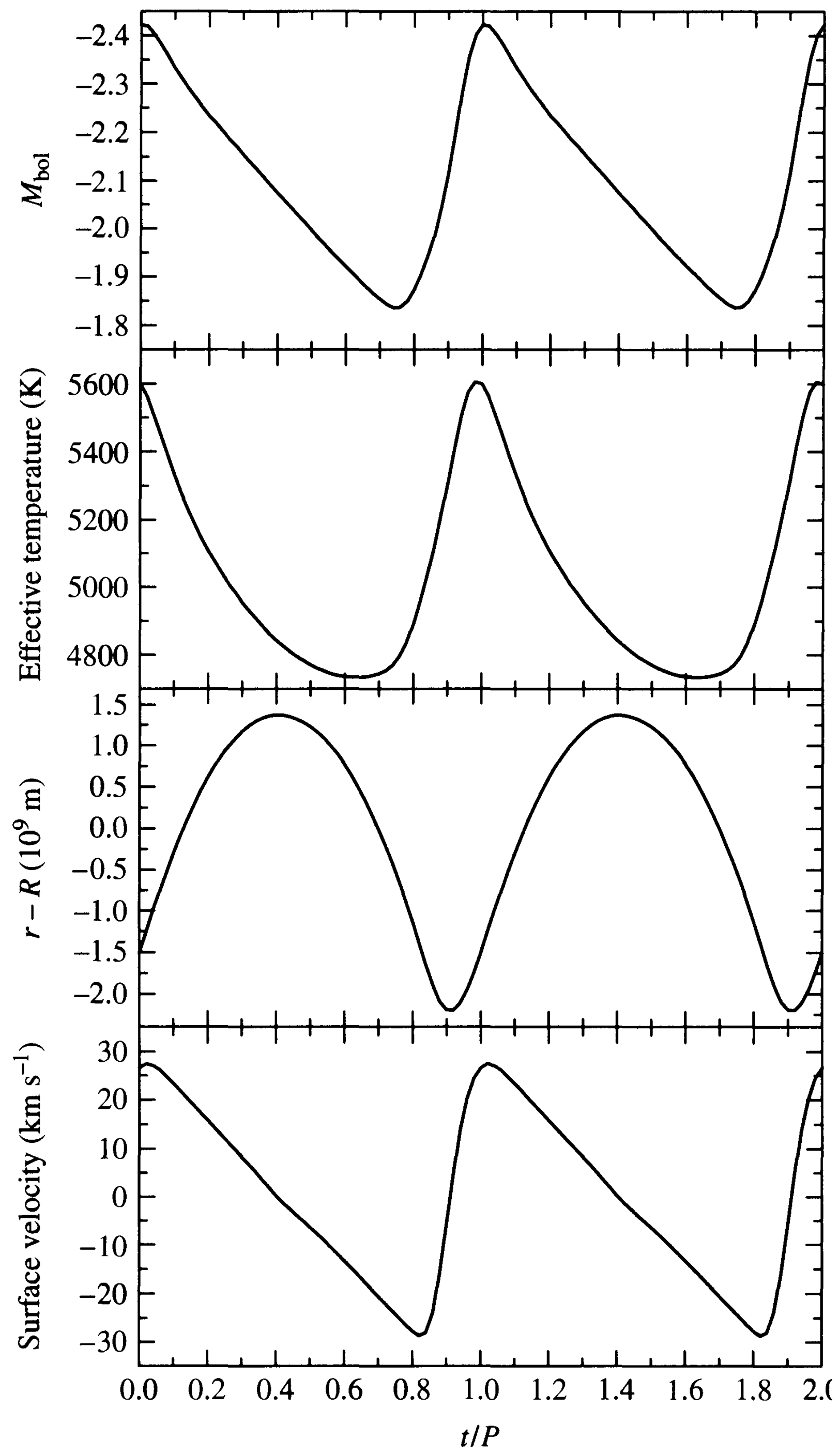
Stars as laboratories

see e.g. Raffelt's excellent book

Pradler's talk 2015

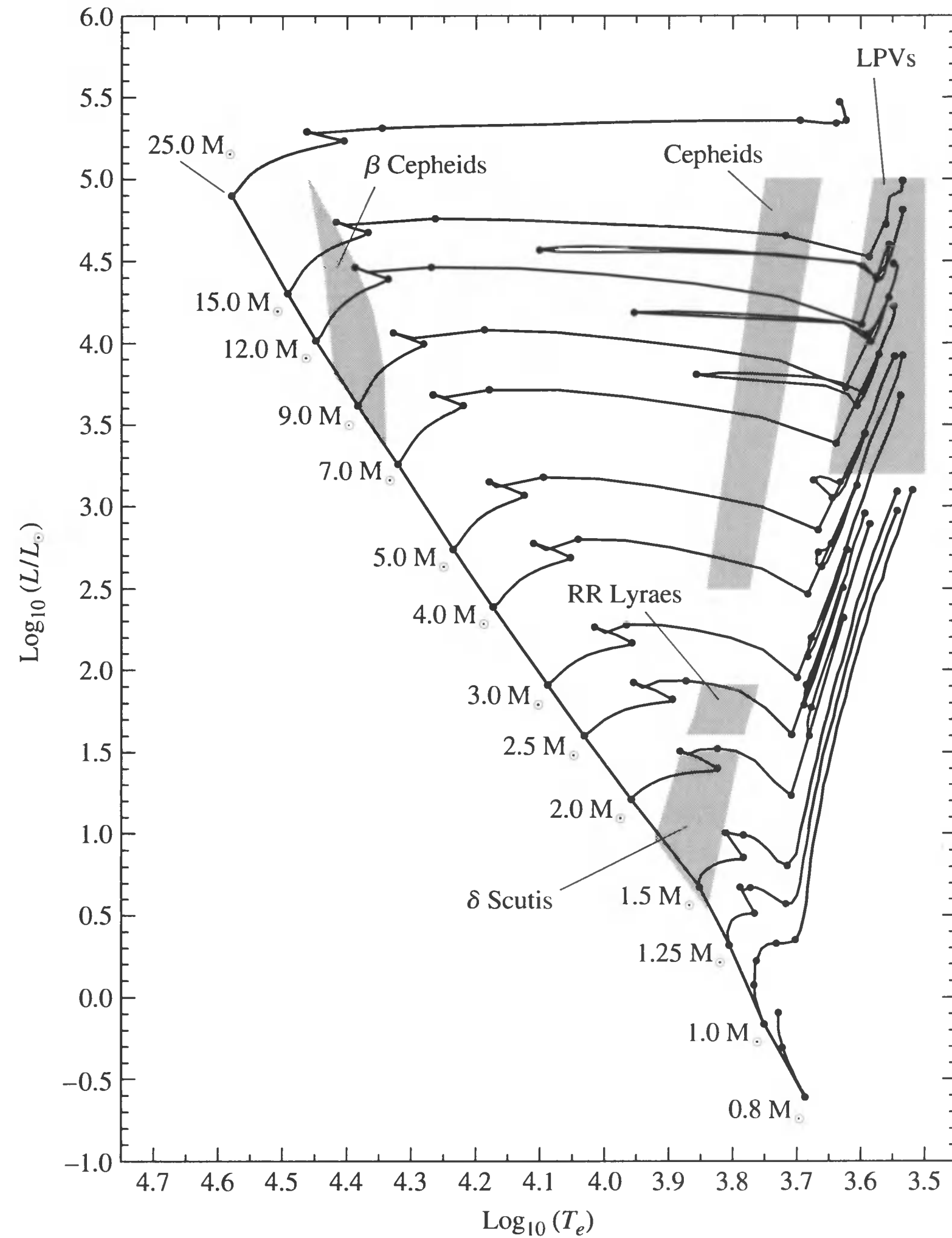


Globular Cluster color-magnitude diagram

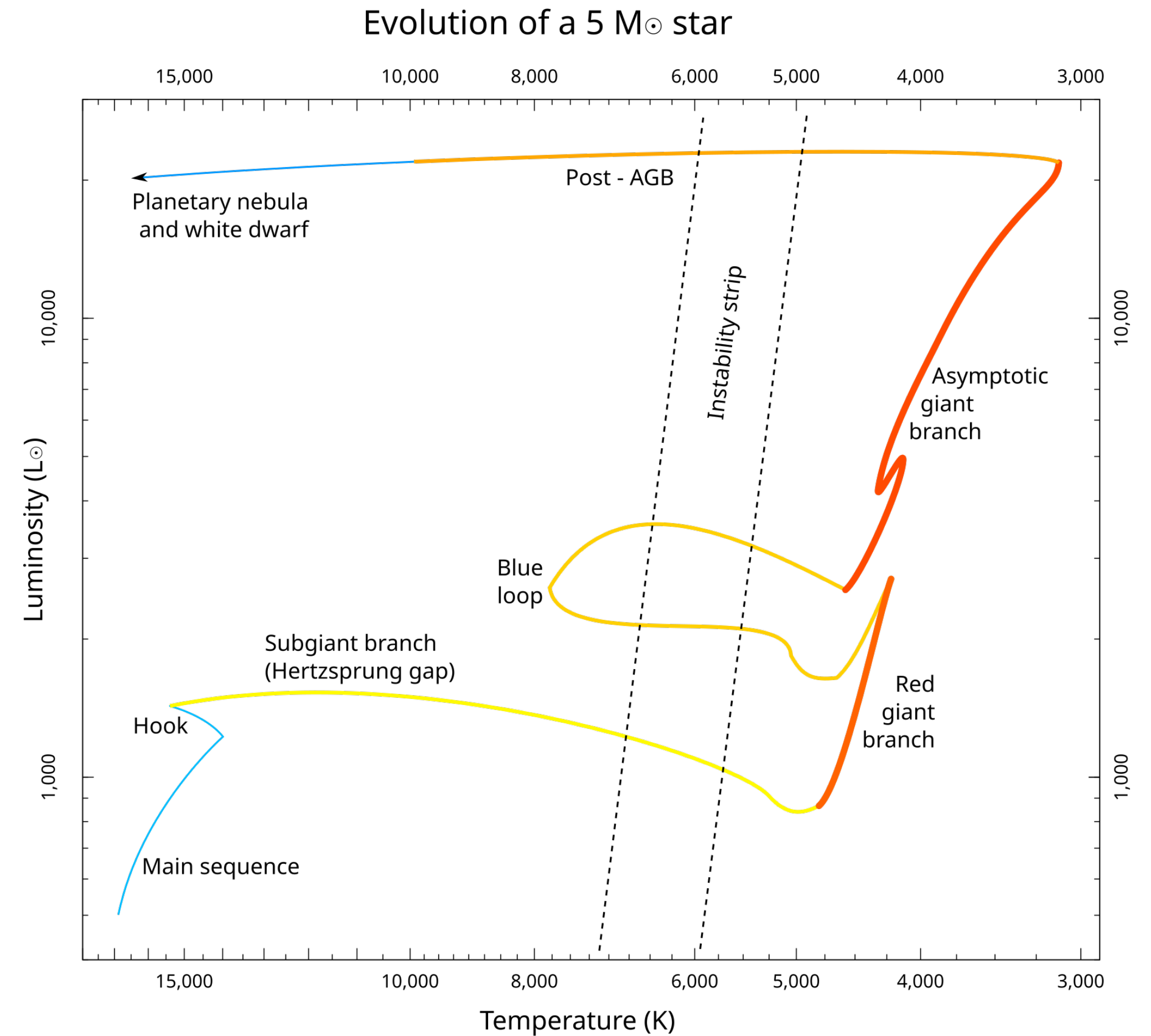


Blue loop

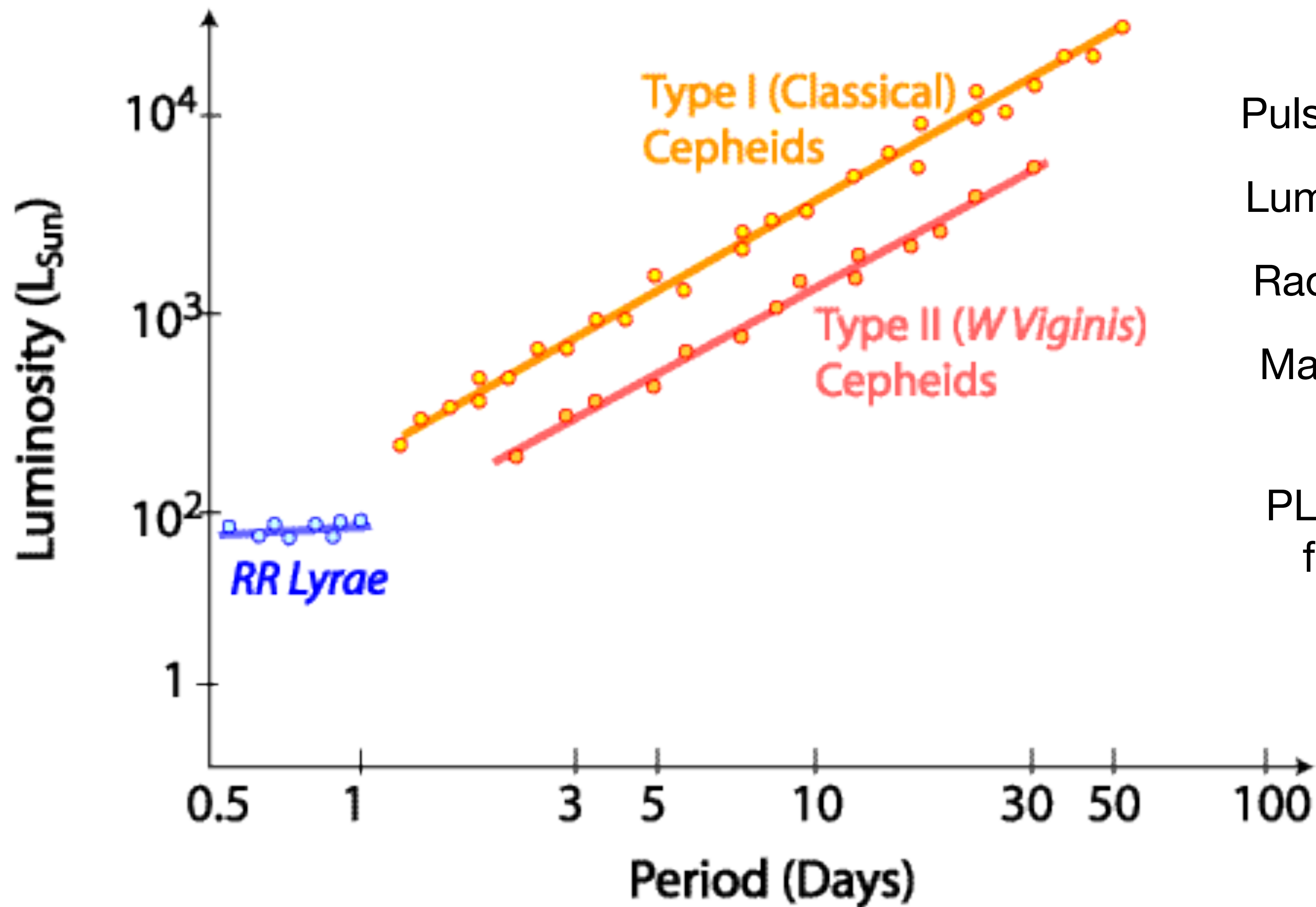
from red(or yellow) giant branch



Smooth He burning for $M > 2.3 M_{\odot}$ triggers the blue loop



PERIOD - LUMINOSITY RELATIONSHIP



Pulsation Period : 1 - 50 days

Luminosity (L) : 300 - 26,000 L_{sun}

Radius (R) : 14 - 200 R_{sun}

Mass (M) : 3.7 - 14 M_{sol}

PL relation of Cepheids is used
for measuring the distance.

Standard candle

Magnitude and Distance Modulus

$$\frac{F_{10}}{F} = 100^{\frac{m-M}{5}} = \left(\frac{d}{10\text{pc}}\right)^2$$

(PL relation) absolute
magnitude (observation)
apparent
magnitude

$$M = m - 5 \log_{10} \left(\frac{d}{10\text{pc}} \right)$$

distance modulus

$$\mu = m - M$$

PL(C) relation of Cepheids

$$L \propto R^2 T^4 \quad \text{Stefan-Boltzmann}$$

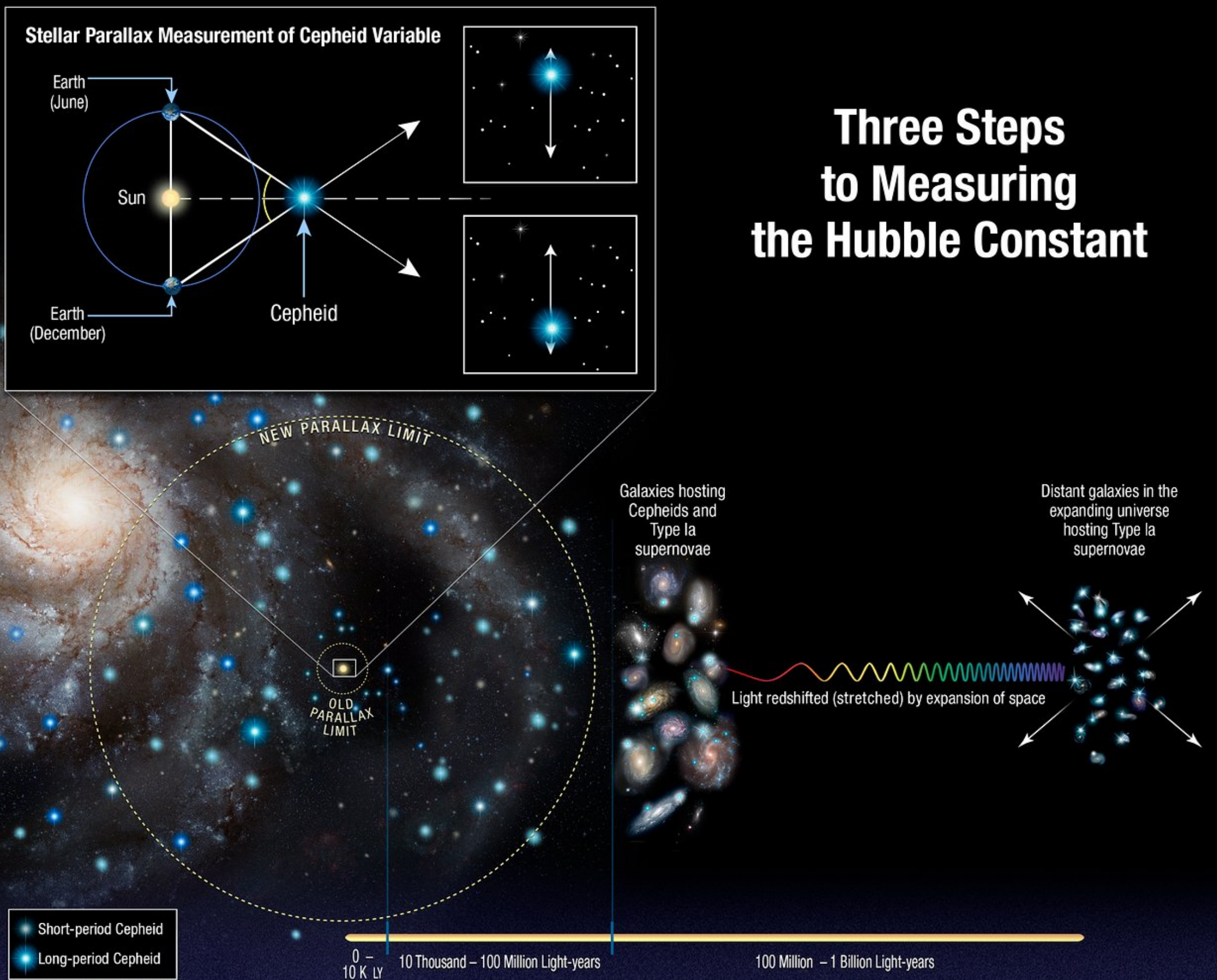
$$\begin{aligned} \log L &\propto 2 \log R + 4 \log T \\ &\propto \frac{4}{3} \log P + 4 \log T \end{aligned}$$

$$P = \Pi \propto \sqrt{\frac{1}{G\rho}} \propto R^{\frac{3}{2}}$$

$$M = \alpha \log P + \beta$$

Leavitt Law (1908)

Cosmic Distance Ladder



CLARIFYING THE H_0 TENSION

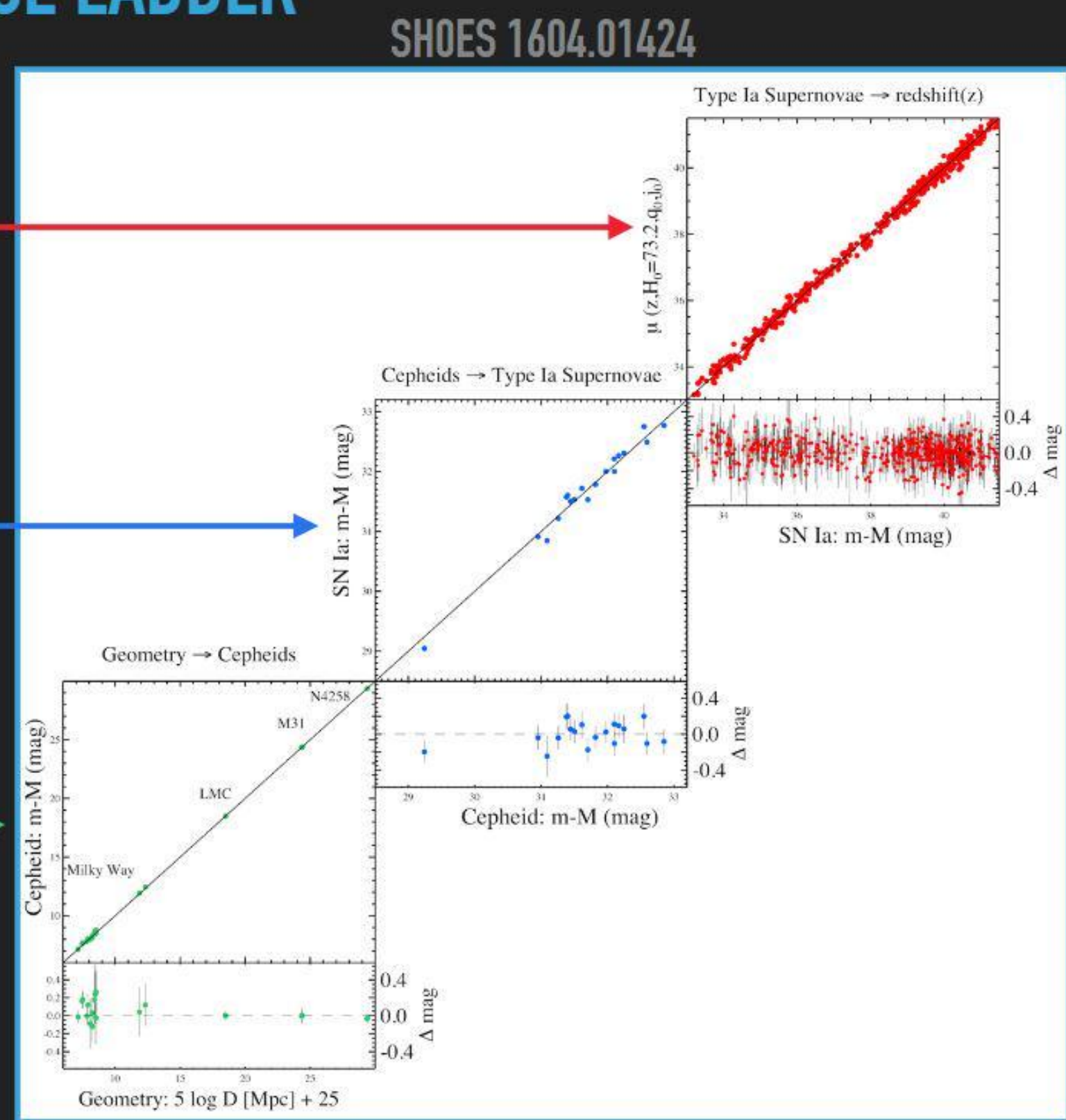
VIA A THREE-RUNG DISTANCE LADDER

DISTANT SUPERNOVAE
SN REDSHIFT + OBSERVED AND
INTRINSIC BRIGHTNESS $\Rightarrow H_0$

GALAXIES WITH CEPHEIDS & SN
CEPHEIDS CALIBRATE SUPERNOVA
INTRINSIC BRIGHTNESS

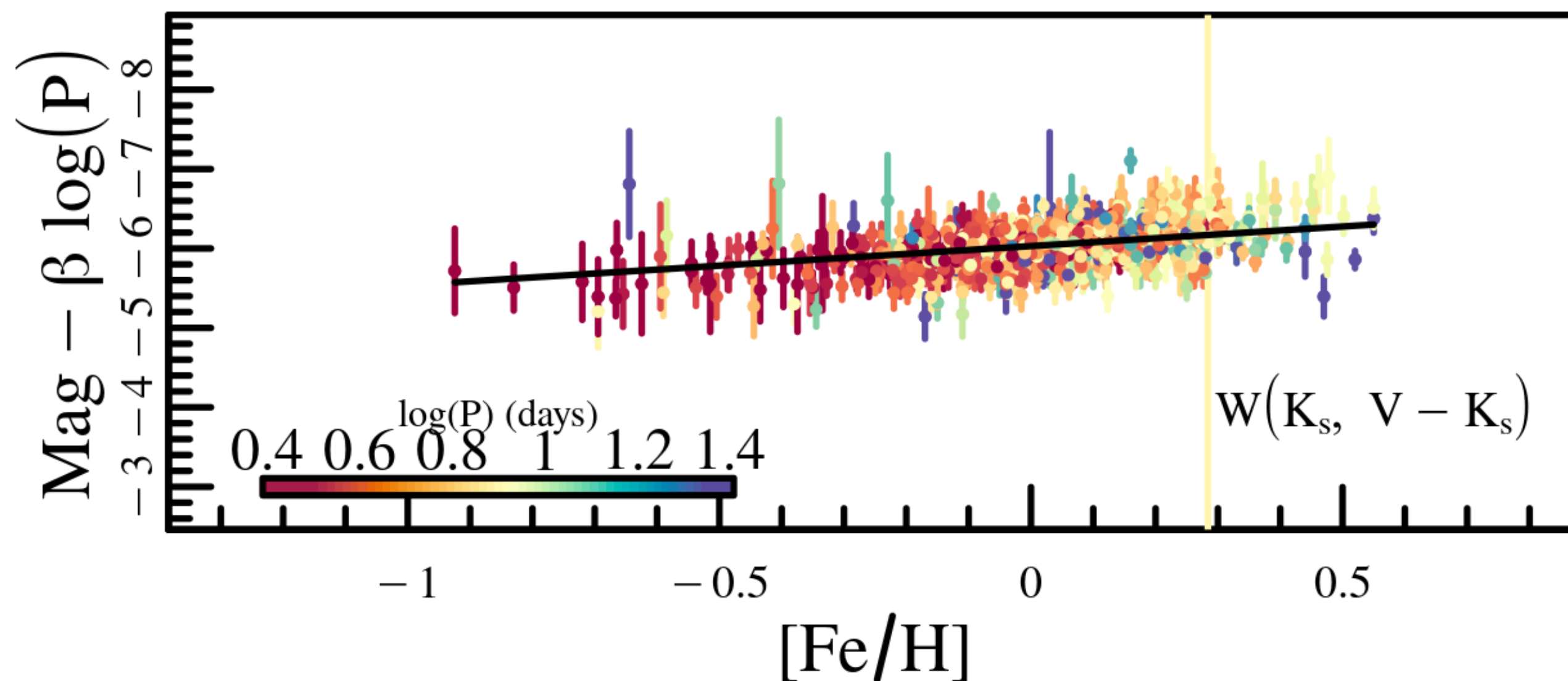
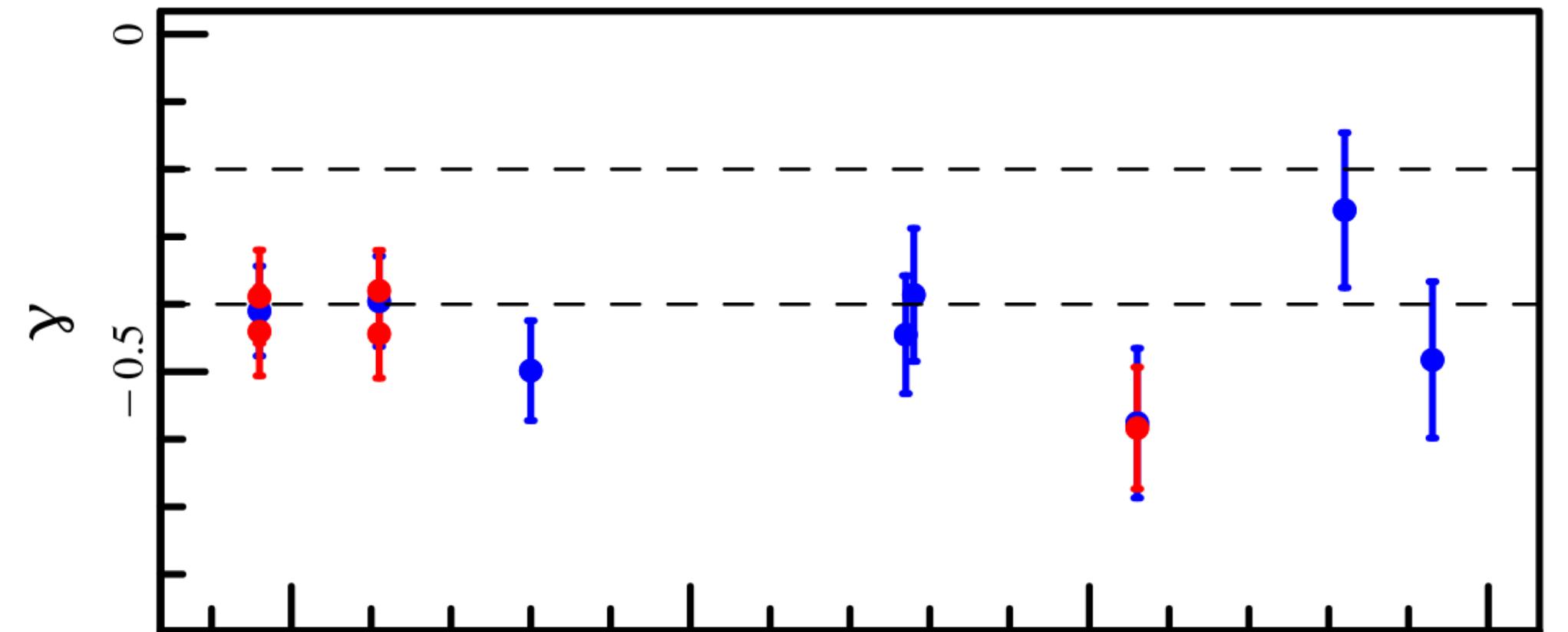
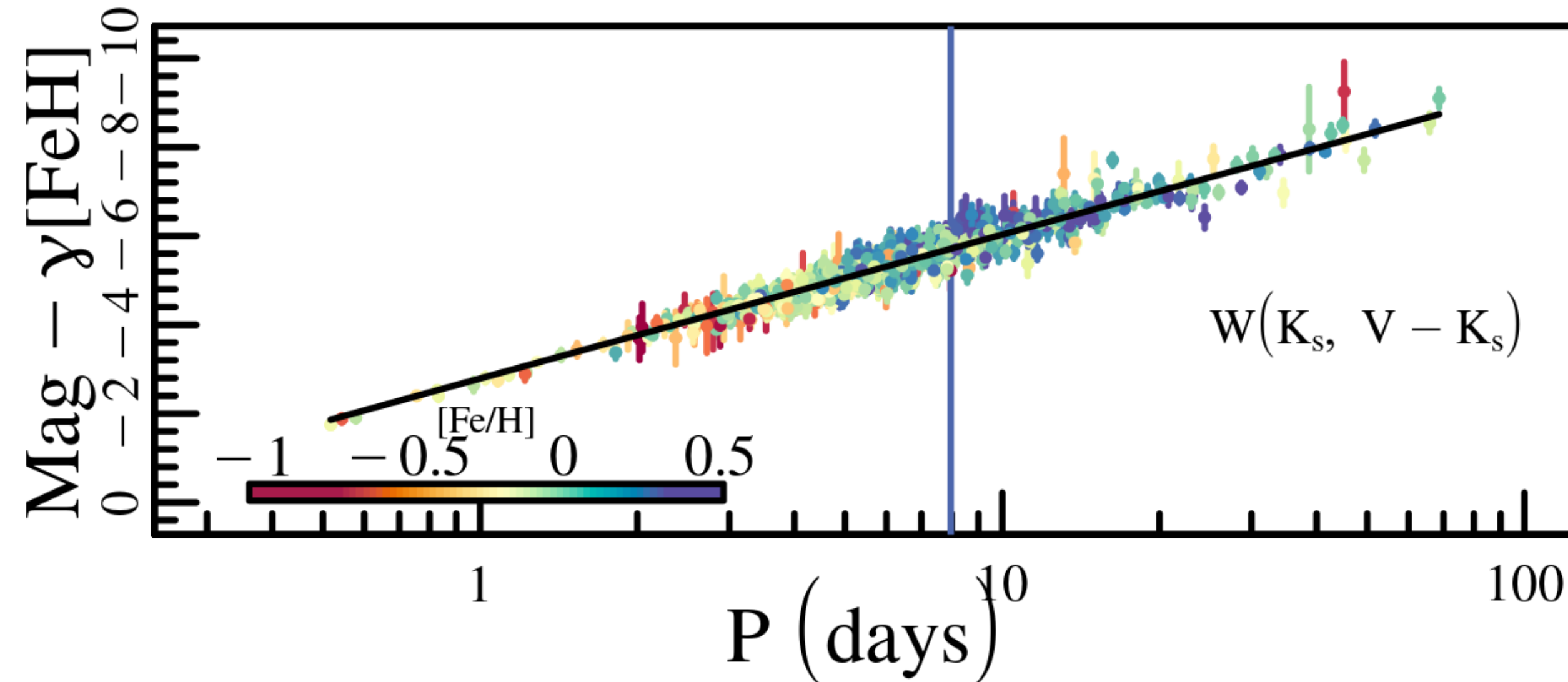
ANCHORS
GEOMETRIC DISTANCE CALIBRATES
CEPHEIDS' INTRINSIC BRIGHTNESS

CEPHEIDS: VARIABLE STARS
SUPERNOVAE: STELLAR EXPLOSIONS



Cepheid Metallicity in the Leavitt Law (C-MetaLL) survey

V. New multiband (*grizJHK_s*) Cepheid light curves and period–luminosity relations

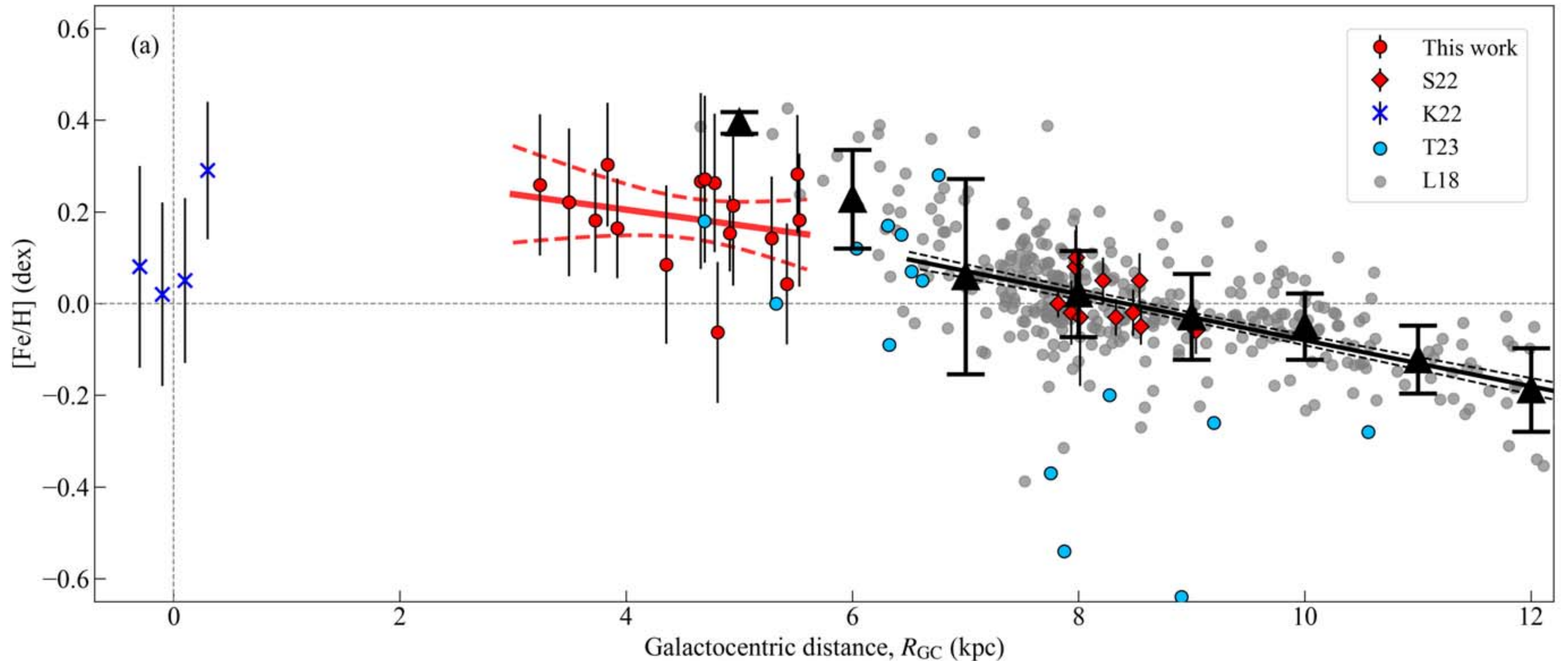


Cepheids and SN Ia
:Standizable candle

Metallicity vs Galactocentric distance

THE ASTROPHYSICAL JOURNAL, 954:198 (8pp), 2023 September 10

Matsunaga et al.



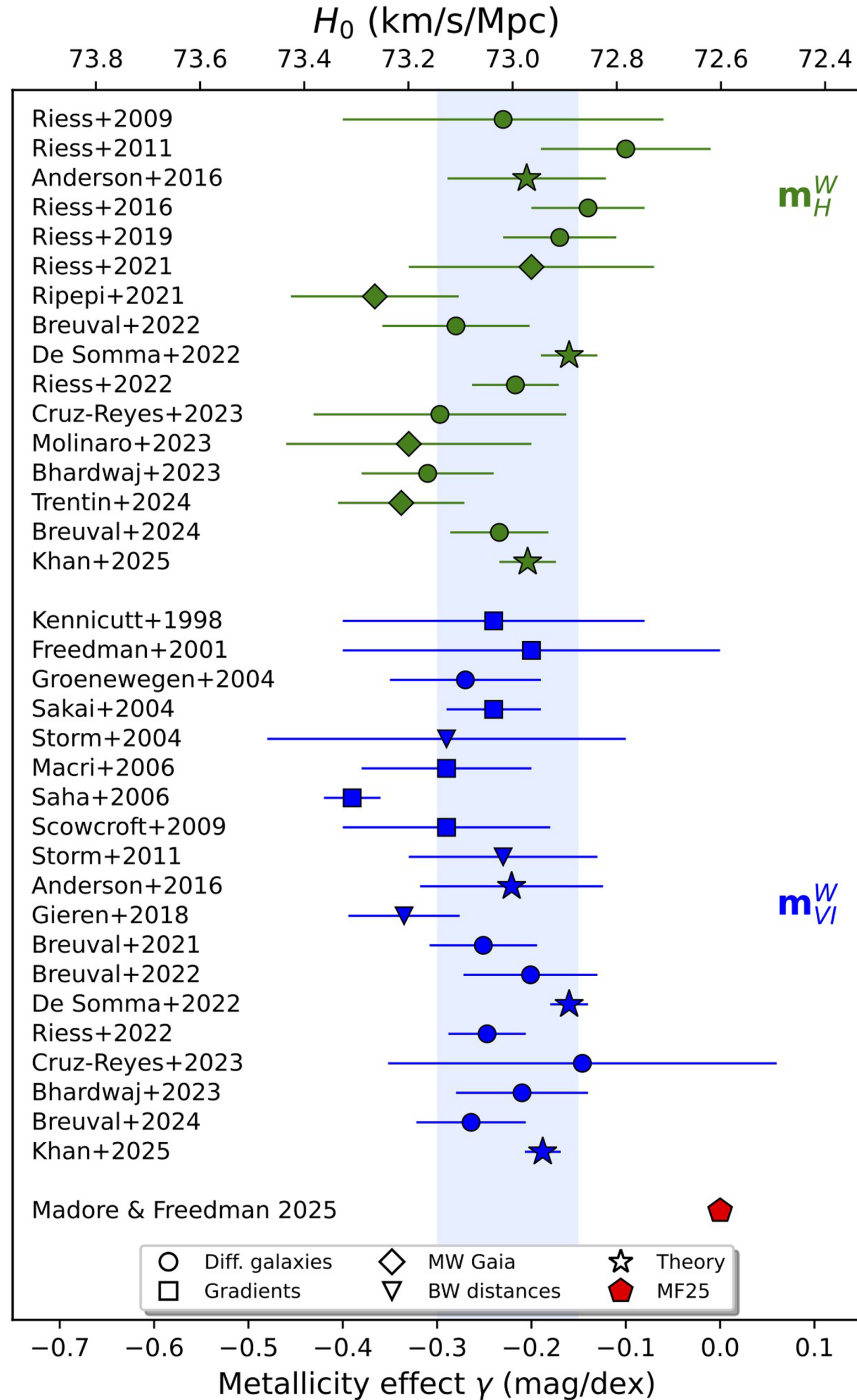
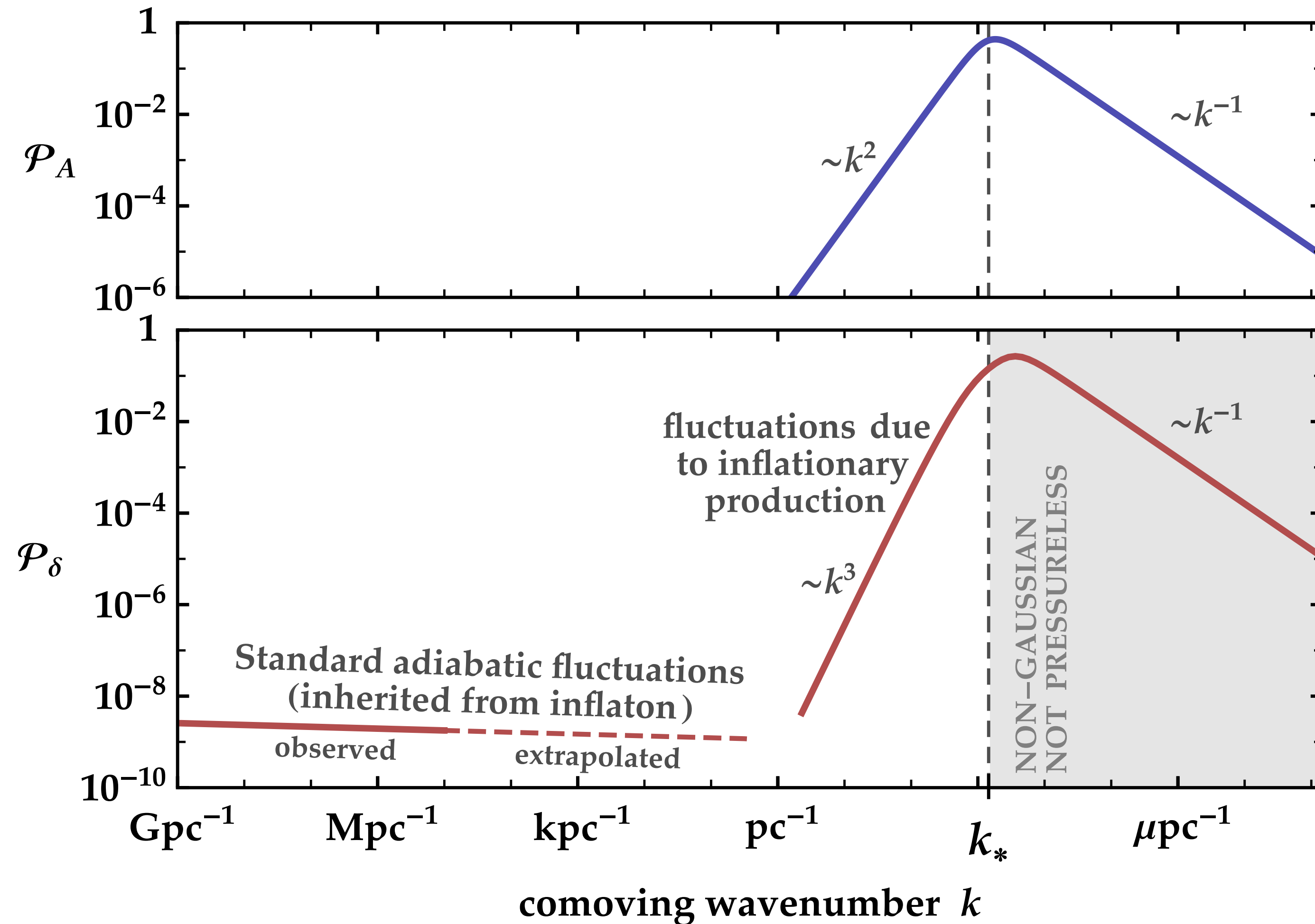


Figure 1. Recent empirical and theoretical estimates of the Cepheid metallicity dependence γ from the literature in the m_H^W and m_{VI}^W Wesenheit indices. A few analyses were excluded from this plot (e.g., W. L. Freedman & B. F. Madore 2011; P. Wielgórski et al. 2017; K. A. Owens et al. 2022) due to issues that were identified and discussed in L. Breuval et al. (2022). The blue band shows broad agreement between $\gamma \sim -0.15$ and -0.30 mag dex $^{-1}$. The methods labeled with different shapes include comparison between P–L relations in different galaxies, metallicity gradients, Milky Way Cepheids with Gaia EDR3 parallaxes, Baade–Wesselink distances, and theoretical predictions. The red point indicates the $\gamma \sim 0$ multiwavelength result by MF25, based on a variety of methods. The metallicity dependence γ in the m_H^W Wesenheit magnitude and the Hubble constant H_0 are related as follows: γ shifts the luminosity of Cepheids which show the largest metallicity difference with respect to Cepheids in SNIa hosts (i.e., in the SH0ES distance ladder, the metal-poor LMC, and SMC). This luminosity difference directly translates into a shift in H_0 . We note that the H_0 values represented on the top x-axis are not actually measured in the quoted references but are derived from H0DN Collaboration et al. (2025).

Vector dark matter from inflation (longitudinal)

arXiv:1504.02102



$$\frac{1}{k_*} \sim 10^{-10} \text{ Mpc} \times \sqrt{\frac{10^{-3} \text{ eV}}{m}}$$

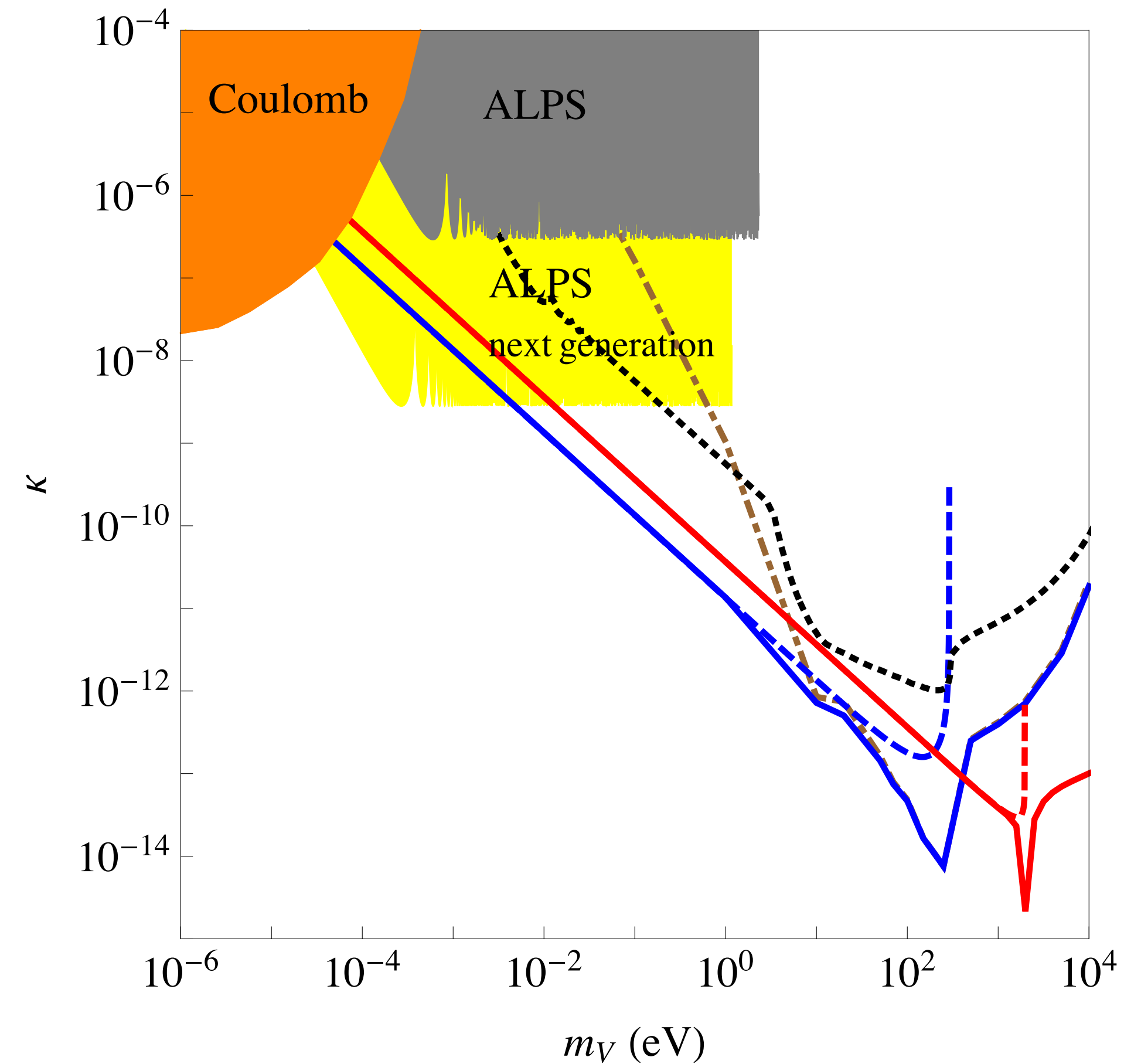
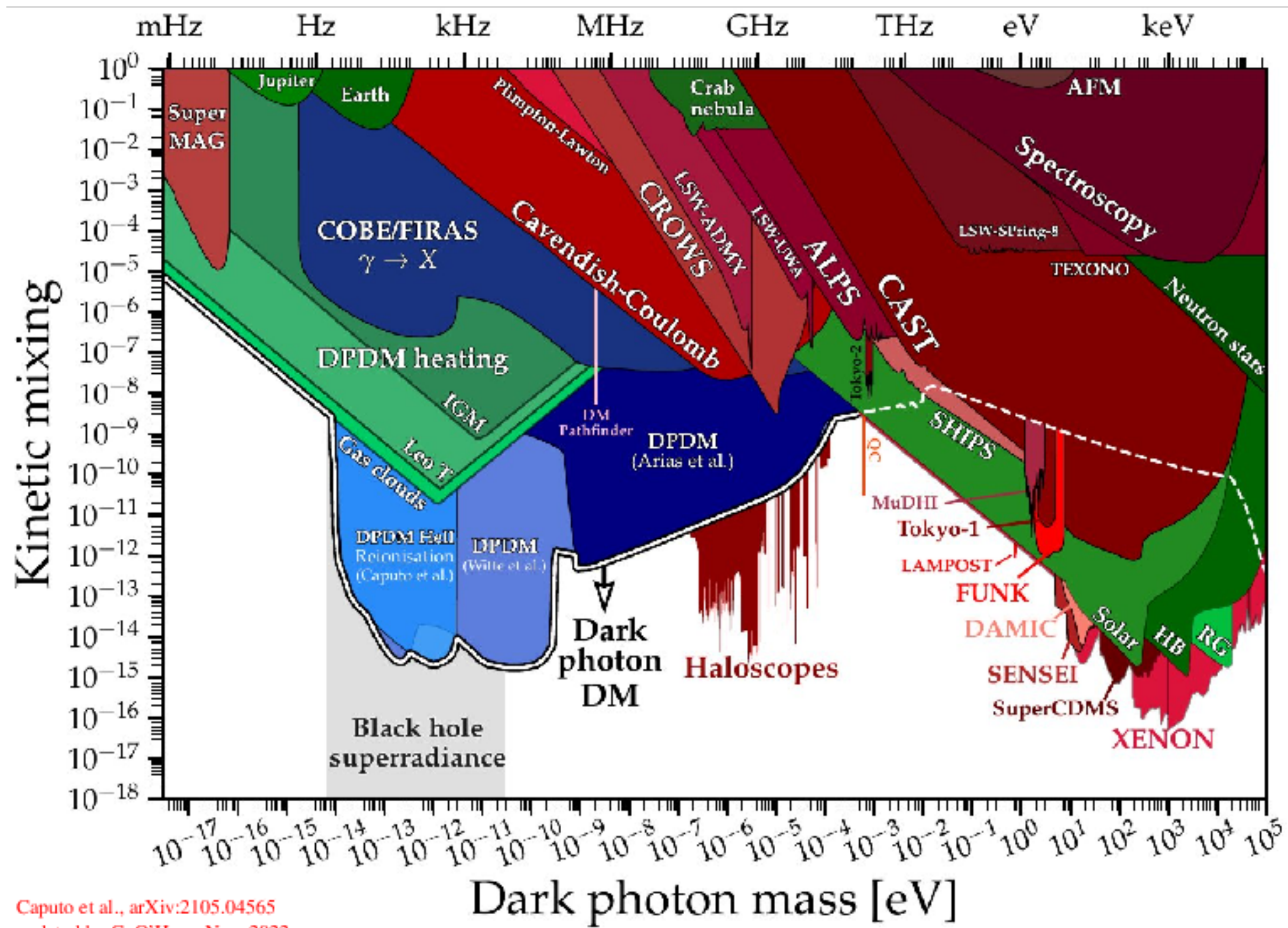
$$\frac{\Omega_{\text{vector}}}{\Omega_{\text{cdm}}} = \sqrt{\frac{m}{10^{-3} \text{ eV}}} \left(\frac{H_I}{3 \times 10^{13} \text{ GeV}} \right)^2$$

$$\mathcal{P}_\phi = \left(\frac{H_I}{2\pi} \right)^2 \longrightarrow \mathcal{P}_{A_0} = \left(\frac{kH_I}{2\pi m} \right)^2$$

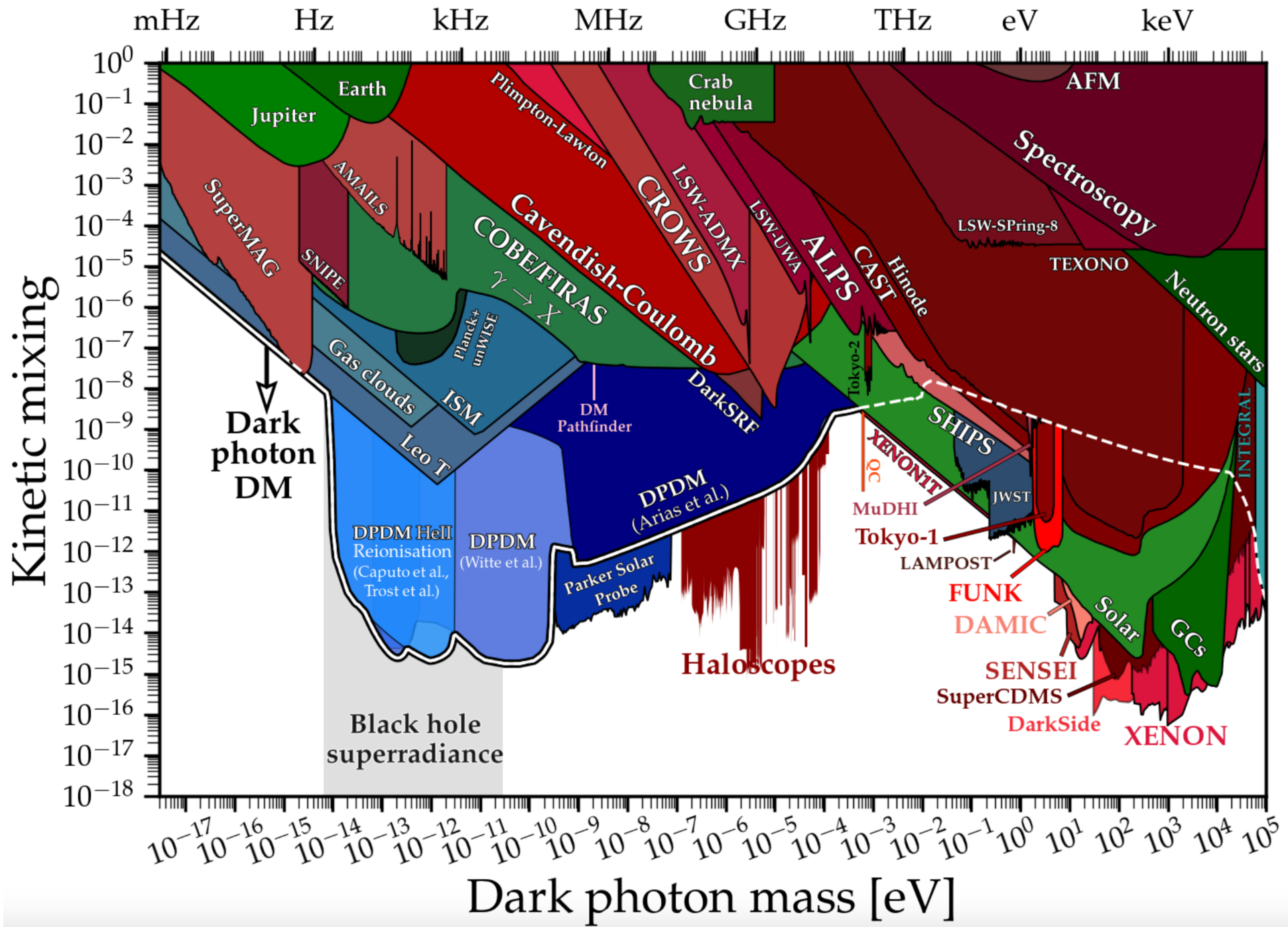
$$\phi \simeq \frac{m}{k} A_L$$

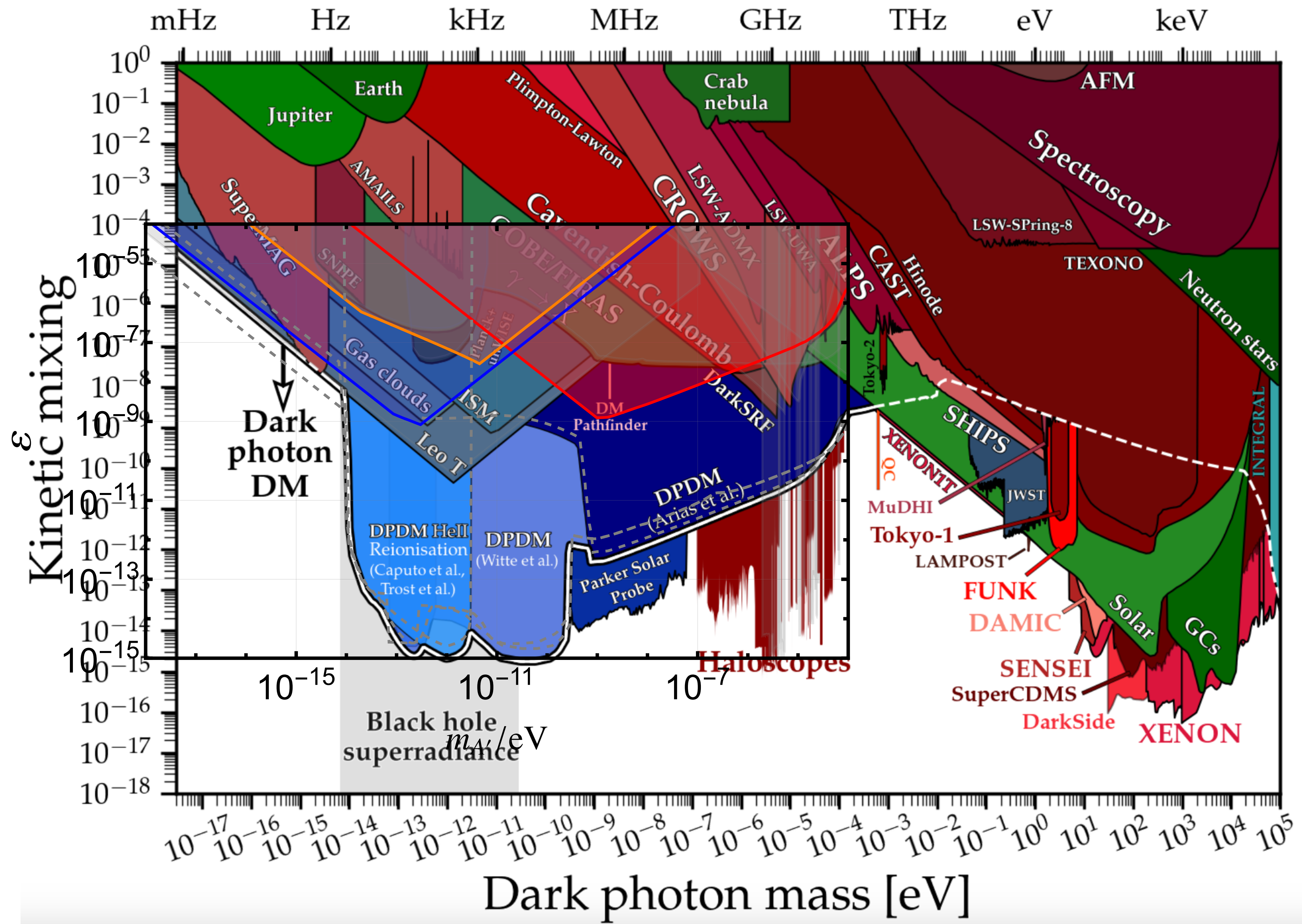
Kinetic mixing of DPDM with photon

$$\mathcal{L} \supset \frac{\epsilon}{2} F_{EM}^{\mu\nu} F'_{\mu\nu}$$



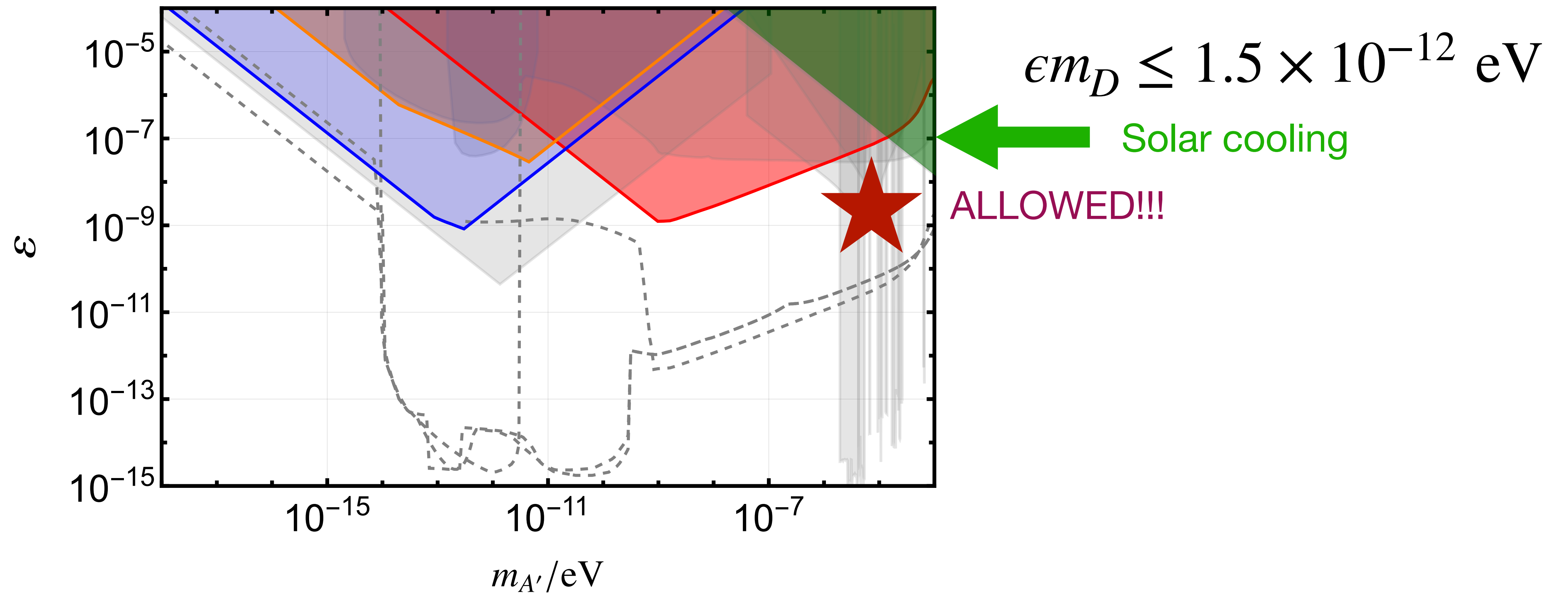
Caputo et al., arXiv:2105.04565
 -updated by C. O'Hare, Nov. 2022



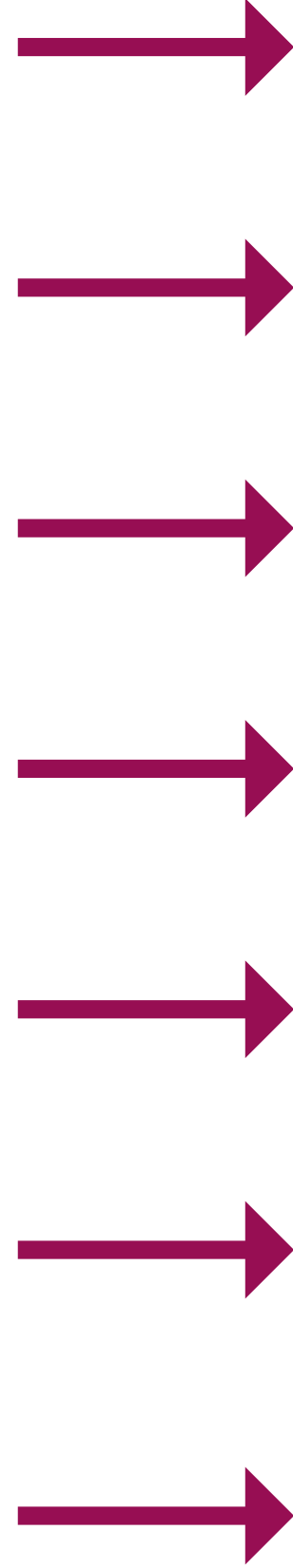


The previous invalidated constraints are shown as gray dashed lines.

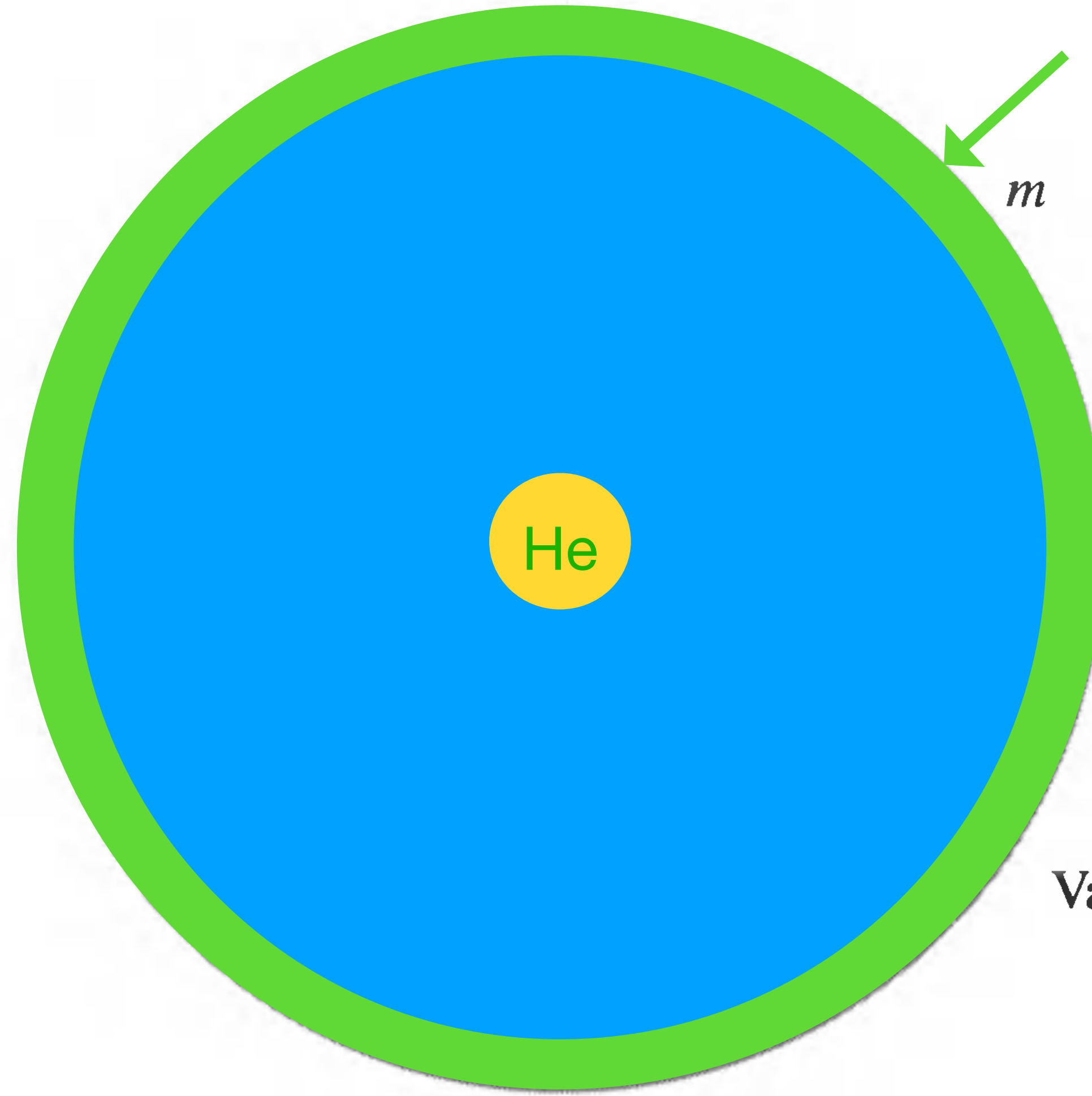
2510.13956 Anson Hook, Junwu Huang, Mohamad Shalaby



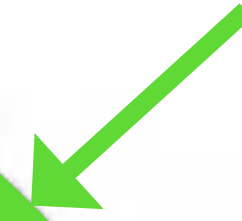
Dark Photon
Dark Matter



Cepheid



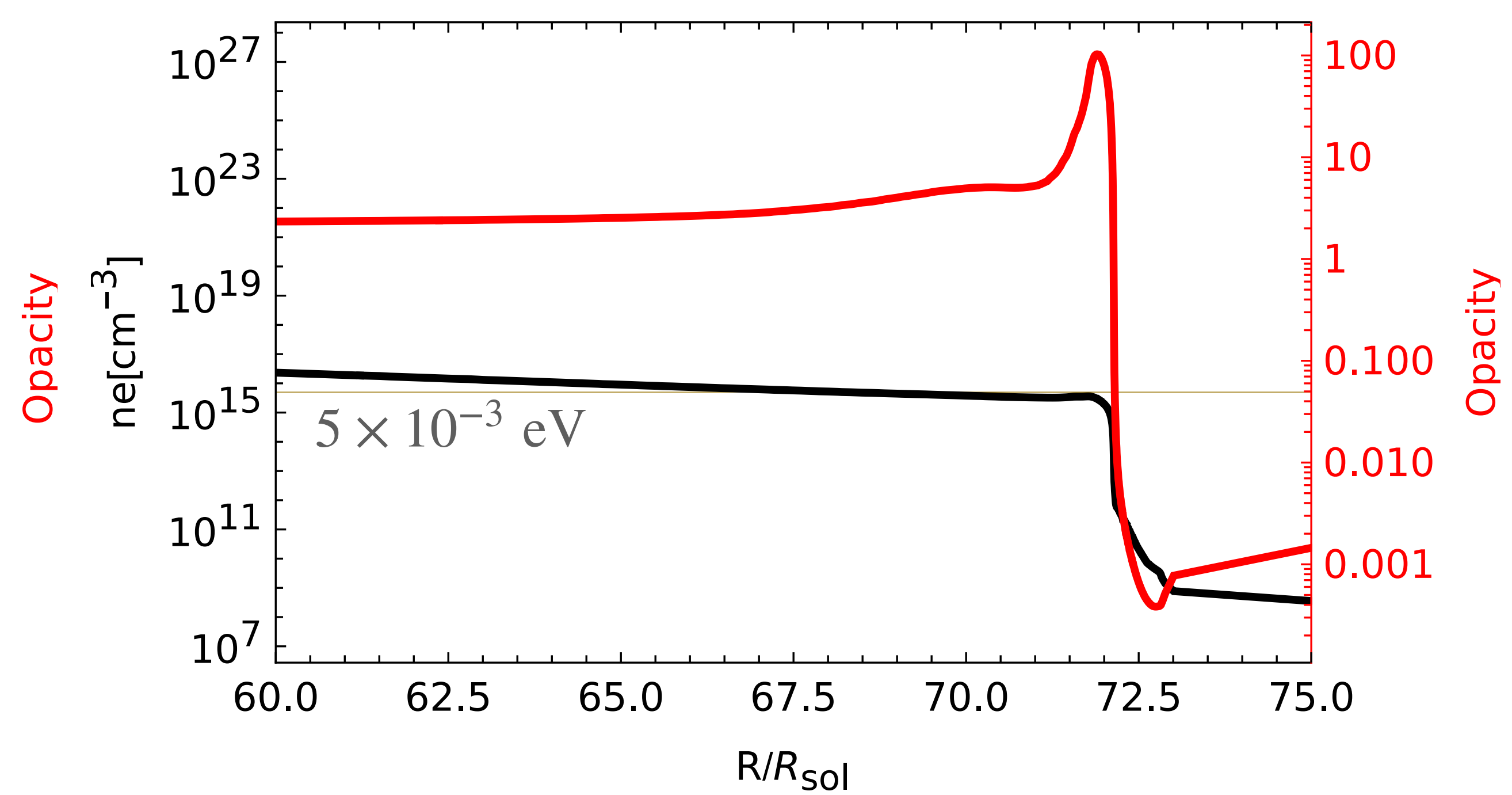
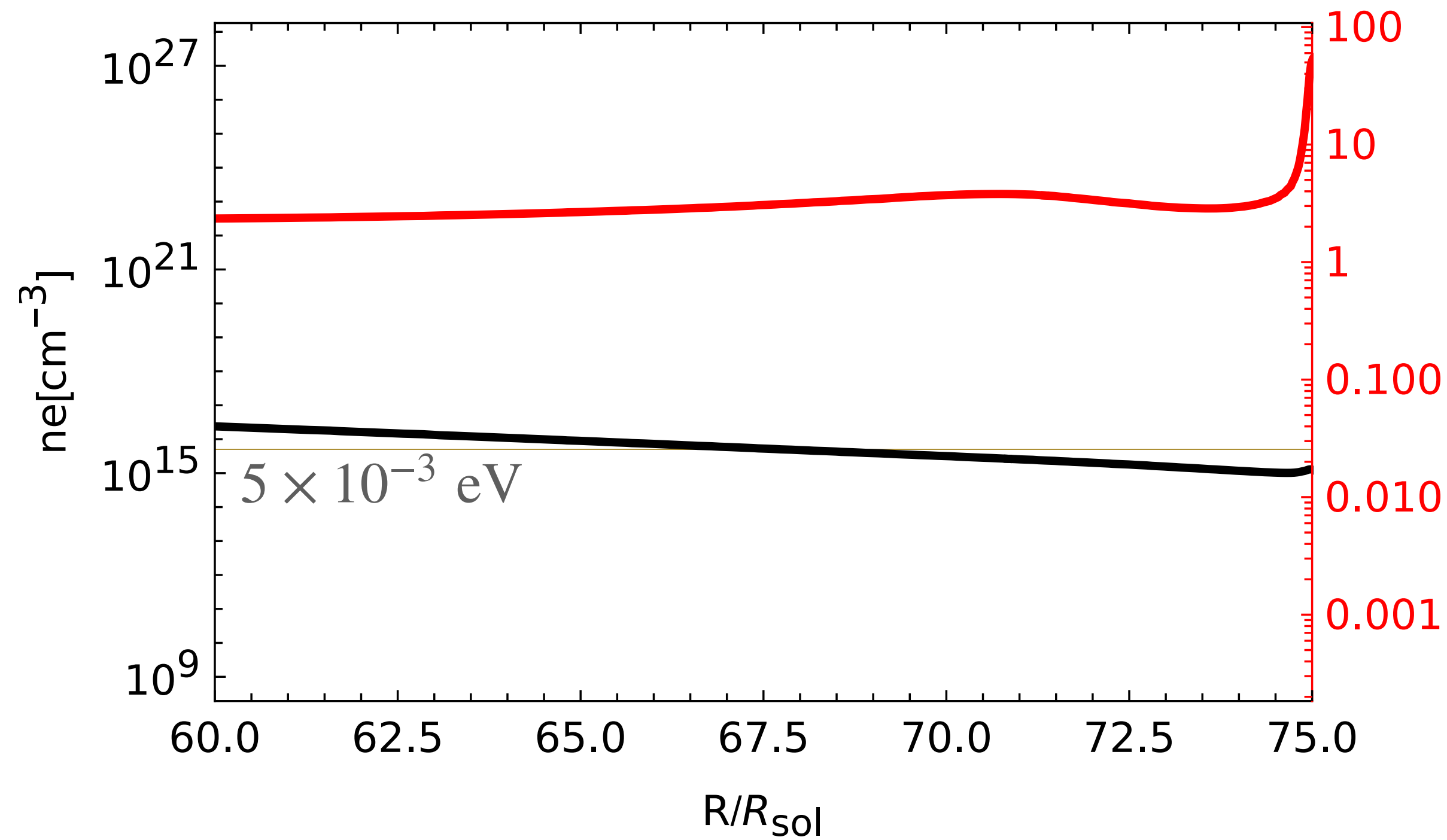
Resonance Conversion



m

Vacuum

$$M = 6M_{\odot}, Y = 0.267, Z = 0.003$$



The result depends on whether the resonance occurs **inside** or **outside** of the valve (opacity peak)

Back of envelope calculation

$$\Gamma(\gamma' \rightarrow \gamma) = \frac{\pi \epsilon^2 m_{\gamma'}}{v \left| \frac{\partial \log \omega_p^2}{\partial \log r} \right|} \quad \frac{\omega_p^{-1}}{L_{\text{shell}}} \sim \frac{\text{mm}}{10^8 \text{km}} \sim 10^{-14}$$

Cepheid data

$$L = 10^3 L_{\odot} \sim 4 \times 10^{36} \text{ erg/s}$$

$$R = 40 R_{\odot} \sim 2 \times 10^7 \text{ km}$$

He II shell

$$n_e \sim 10^{16} \text{ cm}^{-3}$$

$$T \sim 10^4 \text{ K}$$

$$\omega_p = \frac{4\pi\alpha n_e}{m_e} \sim \text{meV}$$

$$\Phi_{\text{DM}} \Gamma_{\gamma'} A = \frac{\rho_{\text{DM}}}{m_{\gamma'}} v \Gamma_{\gamma'} \pi (40 R_{\odot})^2$$

$$\sim \epsilon^2 \times 10^5 \text{ GeV/cm}^3 \times 10^{15} \times 10^{25} \text{ cm}^2 \times 10^{10} \text{ cm/s}$$

$$\sim \left(\frac{\epsilon}{10^{-9}} \right)^2 \left(\frac{\rho_{\text{DM}}}{10^5 \text{ GeV}} \right) 10^{34} \text{ erg/s}$$

Summary

Preliminary

- New era of dark matter astrophysics
- Dark matter beyond the gravitational source
- Many things to be understood in the stand(izable) candle stellar objects