

# Decaying ALPino dark matter as a solution to small scale issues

ALP: Axion-like particle, ALPino: fermionic partner of ALP  
sALP: bosonic partner of ALP

Ayuki Kamada (IBS-CTPU)



Based on

Kyu Jung Bae, AK, Hee Jung Kim, [arXiv:1806.08569](https://arxiv.org/abs/1806.08569)

Aug. 28, 2018 @ COSMO-18

# Small-scale issues

Kentaro Nagamine's talk

Galactic matter distribution is difficult to explain in the cold dark matter (CDM) model [Bullock \*et al.\*, Annu. Rev. Astron. Astrophys., 2018](#)

- **missing satellite problem** [Moore \*et al.\*, ApJ, 1999](#)
  - observed number of dwarf spheroidal galaxies is  $\mathcal{O}(10)$  times smaller than the prediction
- **cusp vs core problem** [Moore \*et al.\*, MNRAS, 1999](#)
  - low-surface brightness galaxies show  $\sim 2$  times smaller inner rotation velocities than the prediction

Complex astrophysical processes may explain them

- **gas heating from ionizing photons** [APSOTLE \(Sawala \*et al.\*\), MNRAS, 2016](#)
  - **mass loss by supernova explosions** [NIHAO \(Dutton \*et al.\*\), MNRAS, 2016](#)
- while subgrid physics is unconstrained... [FIRE \(Wetzel \*et al.\*\), ApJ, 2016](#)

# Small-scale issues - alternatives to CDM

Galactic matter distribution is difficult to explain in the cold dark matter (CDM) model [Bullock \*et al.\*, Annu. Rev. Astron. Astrophys., 2018](#)

- **missing satellite problem** [Moore \*et al.\*, ApJ, 1999](#)
  - observed number of dwarf spheroidal galaxies is  $\mathcal{O}(10)$  times smaller than the prediction
- **cusp vs core problem** [Moore \*et al.\*, MNRAS, 1999](#)
  - low-surface brightness galaxies show  $\sim 2$  times smaller inner rotation velocities than the prediction

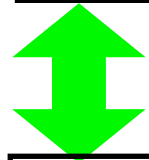
Alternatives to CDM are intriguing

- **warm dark matter (WDM)**
  - $m_{\text{wdm}} = \mathcal{O}(1) \text{ keV}$  [Bode \*et al.\*, ApJ, 2001](#) [Lovell \*et al.\*, MNRAS, 2012](#)
- **self-interacting dark matter (SIDM)**
  - $\sigma_{\text{sidm}}/m = \mathcal{O}(1) \text{ cm}^2/\text{g}$  [Spergel \*et al.\*, PRL, 2000](#) [Tulin \*et al.\*, Phys. Rept., 2018](#)

# Late decaying dark matter I

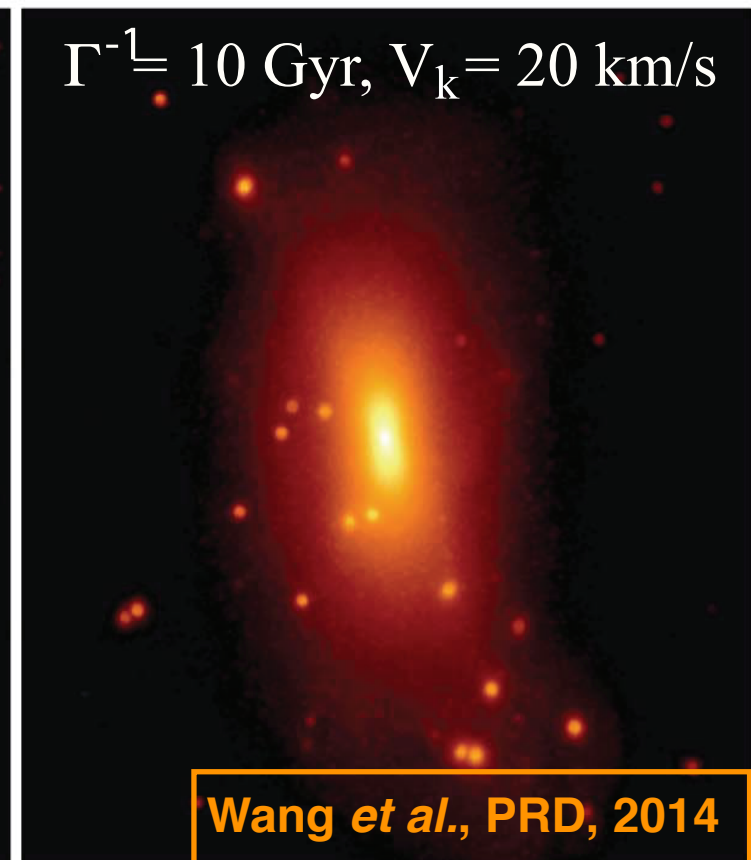
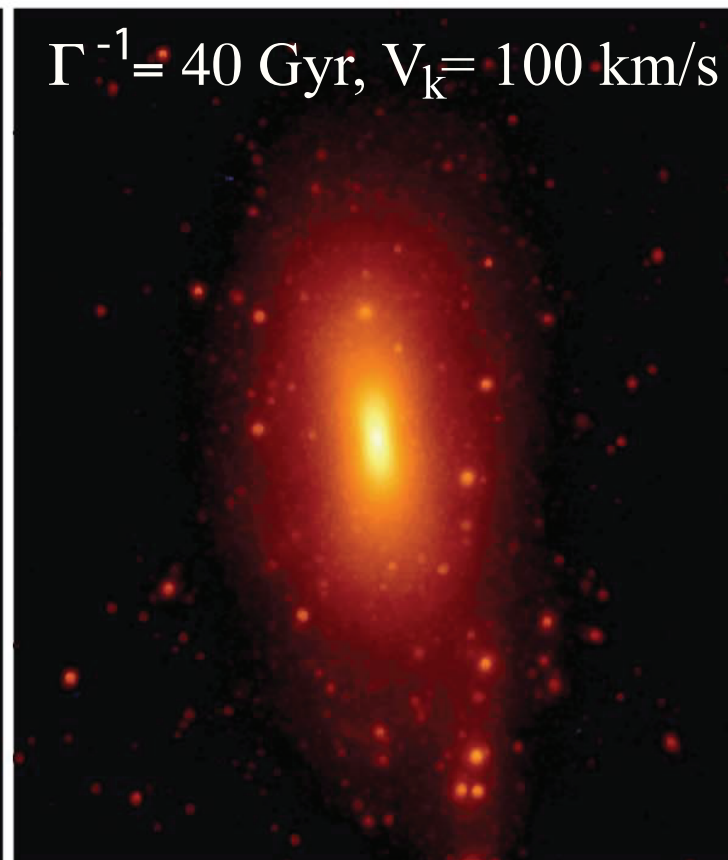
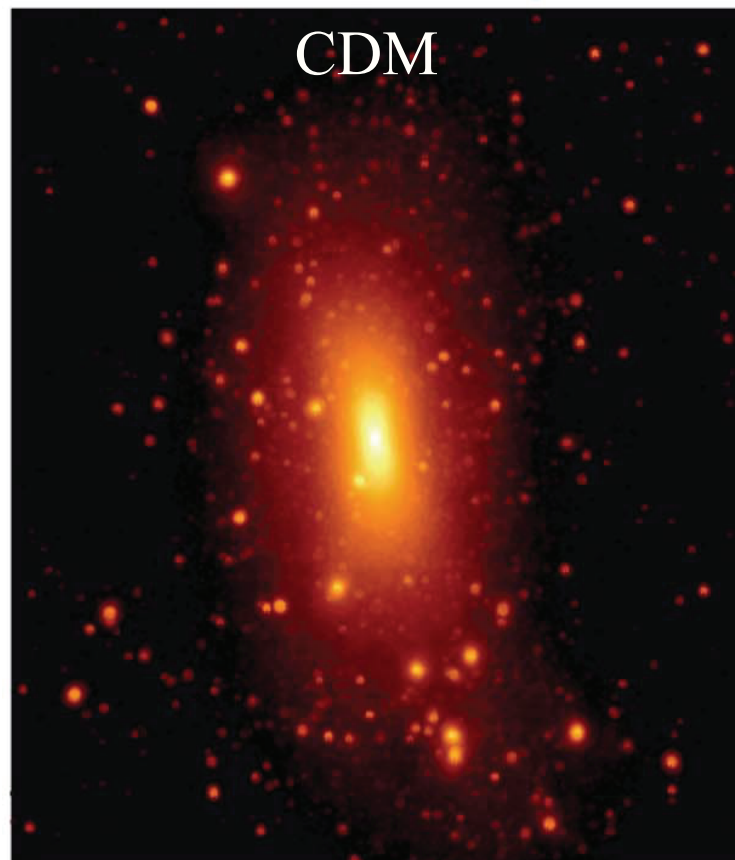
heavy DM  $\rightarrow$  light DM + light particle Peter et al., PRD, 2010  
 w/ lifetime  $\Gamma^{-1} \sim 10 \text{ Gyr}$  and kick velocity  $V_k = (m_h - m_l)/m_l \sim 20 \text{ km/s}$

$\Omega_h h^2 \simeq \Omega_l h^2 \rightarrow$  CDM in large scale structure formation

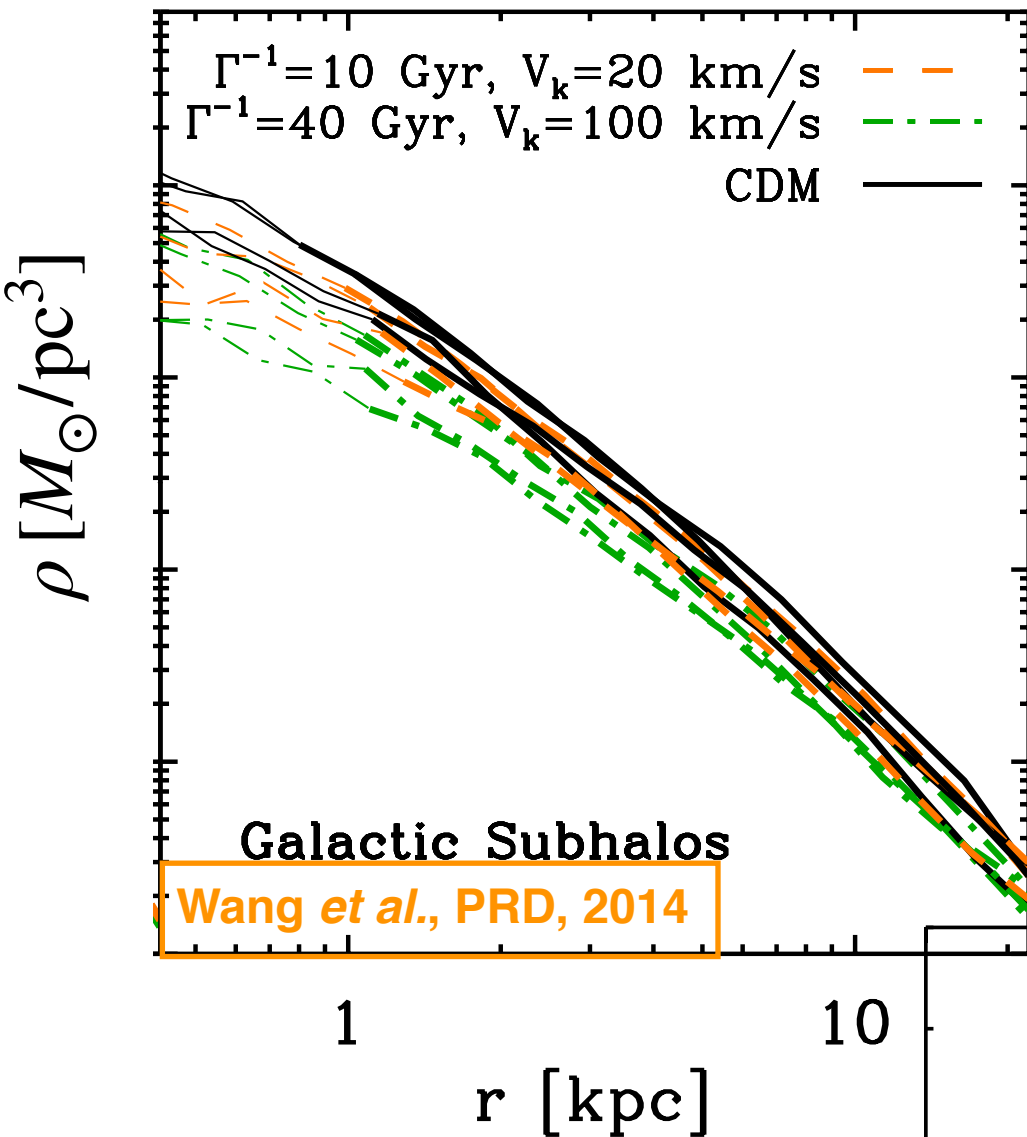


**missing satellite problem**

$V_k \sim 20 \text{ km/s} \rightarrow$  evaporate dark matter from small-size halos



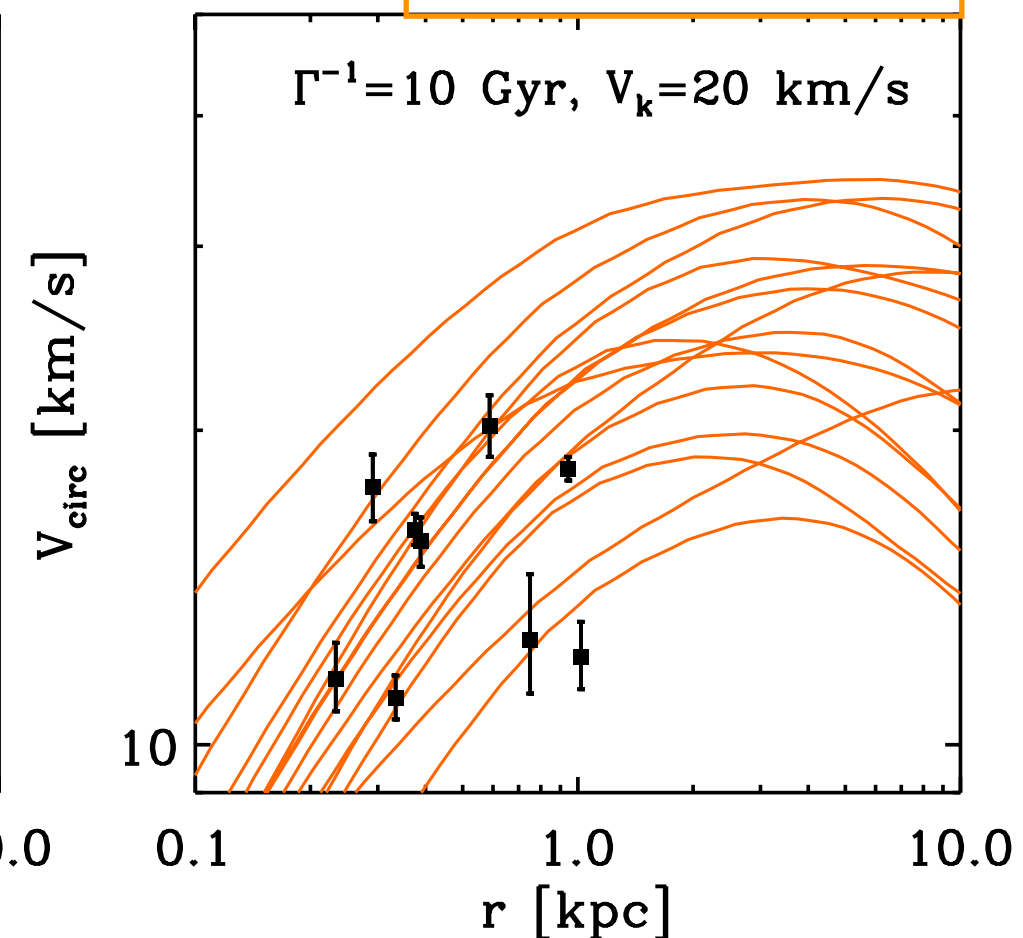
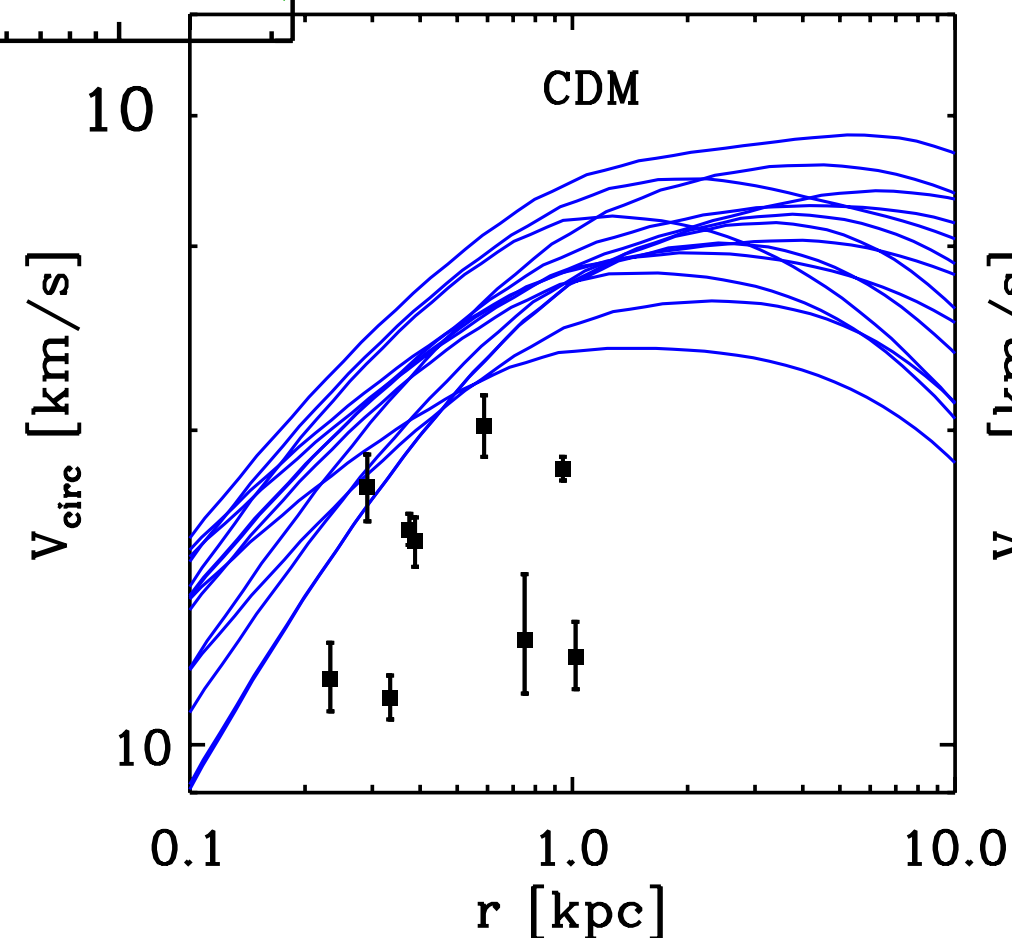
# Late decaying dark matter II



**cusps vs core problem**

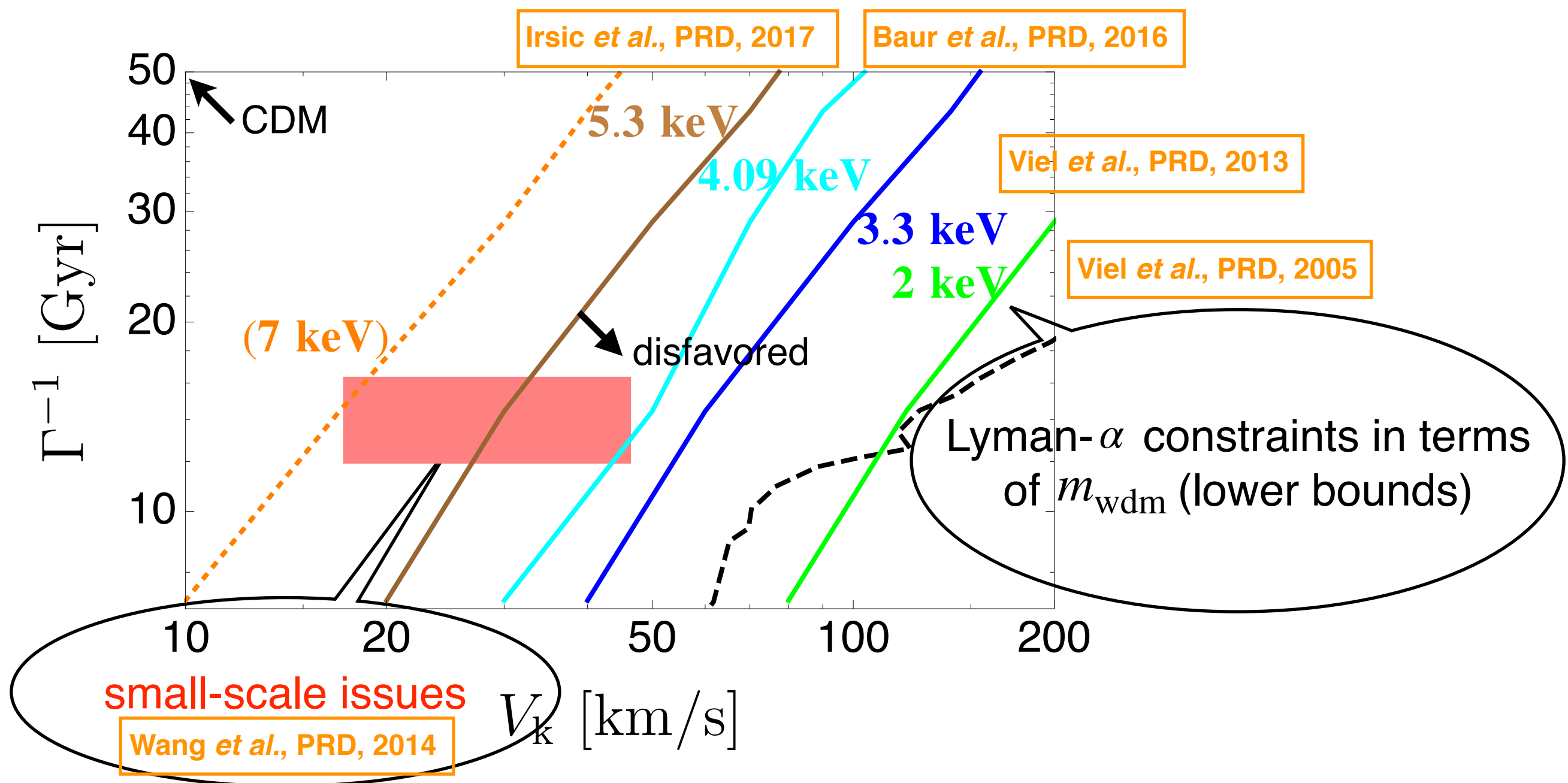
**too big to fail problem**

Wang *et al.*, PRD, 2014



# Lyman- $\alpha$ forest test

Lyman- $\alpha$  forests probe Mpc-scale matter distribution at  $z \gtrsim 3$   
 decay fraction - 14 % at  $z = 3$ , 62 % at  $z = 0$  for  $\Gamma^{-1} \sim 10$  Gyr



Late decaying dark matter simultaneously explains the  
 small-scale issues and Lyman- $\alpha$  forests data

# Supersymmetric ALP model

ALP: (almost) massless and harmless  
 → good candidate of the light decay product

minimal Kähler potential (✗  $|X|^2 |S|^2 / M_{\text{pl}}^2$ )  
 + sequestered super potential  $W \supset \lambda Z(XY - f^2) + W(S)$   
 →  $m_{\tilde{a}} = m_{3/2} \left[ 1 + \mathcal{O}(m_{3/2}^2 / f^2) \right]$

Goto *et al.*, PLB, 1992

Chun *et al.*, PLB, 1992

Chun *et al.*, PLB, 1995

$W \supset kXQ\bar{Q}$   
 1-loop contribution →  $\Delta m_{\tilde{a}} = \frac{k^2}{(4\pi)^2} m_{3/2}$   
 $k \sim 0.1 \rightarrow V_k \sim 20 \text{ km/s}$

ALPino mass is  
degenerate with  
gravitino mass

integrating out  $Q \rightarrow W_{\text{eff}} \supset -\sqrt{2}g_{aB} A W_B W_B - \sqrt{2}g_{ag_h} A W_h^a W_h^a$

hypercharge superfield  
 → ALPino production  
 → ALP-photon conversion

hidden confinement  
 gauge field  
 → ALP mass



# ALPino decay into gravitino + ALP

Decay operator:

$$\mathcal{L}_{3/2} = -\frac{1}{2M_{\text{pl}}} \partial_\nu a \bar{\psi}_\mu \gamma^\nu \gamma^\mu i\gamma_5 \tilde{a}$$

Cremmer *et al.*, Nucl. Phys. B, 1983

$$\begin{aligned} \rightarrow \Gamma_{\tilde{a}}^{-1} &= \frac{96\pi m_{3/2}^2 M_{\text{pl}}^2}{m_{\tilde{a}}^5} \left(1 - \frac{m_{3/2}}{m_{\tilde{a}}}\right)^{-2} \left(1 - \frac{m_{3/2}^2}{m_{\tilde{a}}^2}\right)^{-3} \\ &\simeq 10 \text{ Gyr} \left(\frac{700 \text{ TeV}}{m_{\tilde{a}}}\right)^3 \left(\frac{20 \text{ km/s}}{V_k}\right)^5 \end{aligned}$$

Hamaguchi *et al.*, PLB, 2017

ALPino/gravitino mass  
determined to be sub-PeV!

PeV-scale MSSM particles  $\rightarrow m_h \simeq 125 \text{ GeV}$

Giudice *et al.*, Nucl. Phys. B, 2012



# ALP production from LOSP decay

PeV-scale lightest ordinary supersymmetric particle (LOSP) decays into ALPino  $W_{\text{eff}} \supset -\sqrt{2}g_{aB} A W_B W_B$

→ too large relic density

$$Y_{\text{losp}}^{\text{fo}} \simeq 4 \times 10^{-13} \left( \frac{m_{\text{losp}}}{1 \text{ TeV}} \right) \quad \text{for} \quad \sigma v \simeq \frac{\pi \alpha^2}{m_{\text{losp}}^2} \quad \text{like wino}$$

$$\leftrightarrow Y_{\tilde{a}}^{\text{obs}} \simeq 6 \times 10^{-16} \left( \frac{700 \text{ TeV}}{m_{\tilde{a}}} \right)$$

Freeze-out before reheating → dilution

$$Y_{\tilde{a}} \sim Y_{\text{losp}}^{\text{fo}} \left( \frac{T_{\text{R}}}{T_{\text{fo}}} \right)^3 \rightarrow T_{\text{R}} \sim 570 \text{ GeV} \left( \frac{m_{\text{losp}}}{1 \text{ PeV}} \right)^{2/3} \left( \frac{700 \text{ TeV}}{m_{\tilde{a}}} \right)^{1/3}$$

# Monochromatic ALP flux

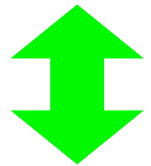
ALPino decay into gravitino + ALP

→ **monochromatic** ALP flux with

$$E_a = m_{\tilde{a}} V_k \simeq 47 \text{ GeV} \left( \frac{m_{\tilde{a}}}{700 \text{ TeV}} \right) \left( \frac{V_k}{20 \text{ km/s}} \right)$$

$$E_a^2 \frac{d^2 \Phi_a}{dE_a d\Omega} \simeq 2 \times 10^2 \text{ MeV/cm}^2/\text{s/sr} \left( \frac{E_a}{47 \text{ GeV}} \right)^2 \left( \frac{700 \text{ TeV}}{m_{\tilde{a}}} \right)$$

for  $\Gamma_{\tilde{a}}^{-1} \sim 10 \text{ Gyr}$



$l = 0-360^\circ, |b| = 8-90^\circ, \Delta E = 20 \text{ GeV}$

**$10^6$  times larger**

Fermi-LAT gamma-ray flux  $E_\gamma^2 \frac{d^2 \Phi_\gamma^{\text{obs}}}{dE_\gamma d\Omega} \simeq 6 \times 10^{-4} \text{ MeV/cm}^2/\text{s/sr}$

# ALP-photon conversion

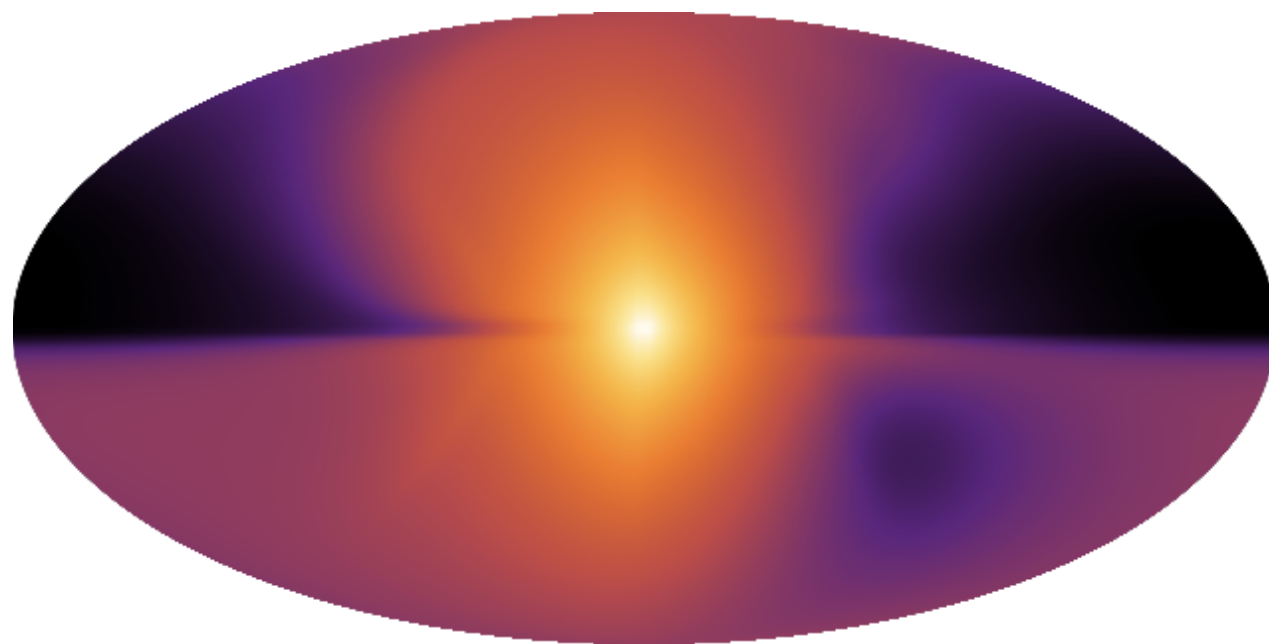
ALP-photon conversion in Galactic magnetic field

$$W_{\text{eff}} \supset -\sqrt{2} g_{aB} A W_B W_B$$

→ (adiabatic) conversion rate Raffelt *et al.*, PRD, 1988

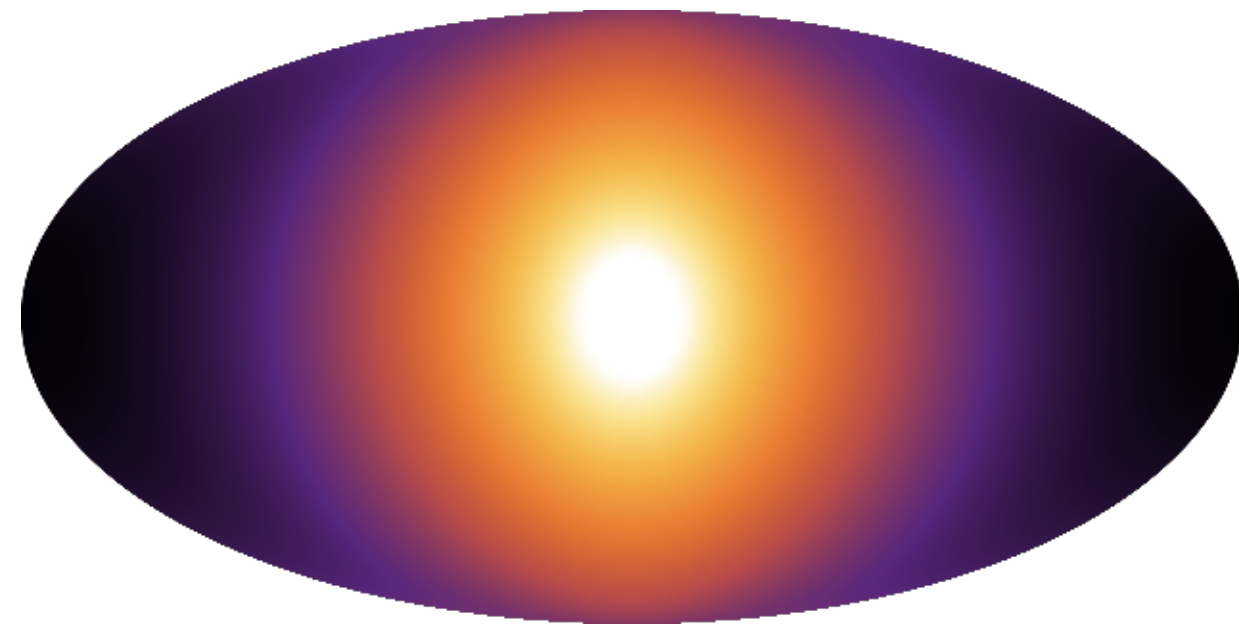
$$P_{a\gamma}(s, \Omega) \simeq 2 \times 10^{-7} \left| \frac{B_T(s, \Omega)}{\mu\text{G}} \right|^2 \left( \frac{10^{-8} \text{ eV}}{m_a} \right)^4 \left( \frac{g_{a\gamma}}{10^{-13} \text{ GeV}^{-1}} \right)^2 \left( \frac{E_\gamma}{47 \text{ GeV}} \right)^2$$

Distinctive **morphology** - convolution of magnetic field distribution and dark matter distribution Janson *et al.*, ApJ, 2012



decay + conversion

$$E_\gamma^2 \frac{d^2 \Phi_\gamma}{dE_\gamma d\Omega} [\text{MeV}/\text{cm}^2/\text{s}/\text{sr}]$$



direct decay

# Summary and future works

Late decaying dark matter w/  $\Gamma^{-1} \sim 10 \text{ Gyr}$  and  $V_k \sim 20 \text{ km/s}$

- unchange the CDM success in large-scale structure formation
- alleviating small-scale issues while **evading Lyman- $\alpha$  forest test**

→ more dedicated study and further tests are needed

ALPino → gravitino + ALP

- ALPino/gravitino mass  $m \simeq 700 \text{ GeV}$
- ALPino produced by the decay of the frozen-out LOSP
- **monochromatic  $E = mV_k \simeq 47 \text{ GeV}$  gamma-ray flux** through ALP-photon conversion
- **unique morphology** essential to **differentiate this scenario from the baryon feedback** as a solution to small scale issues

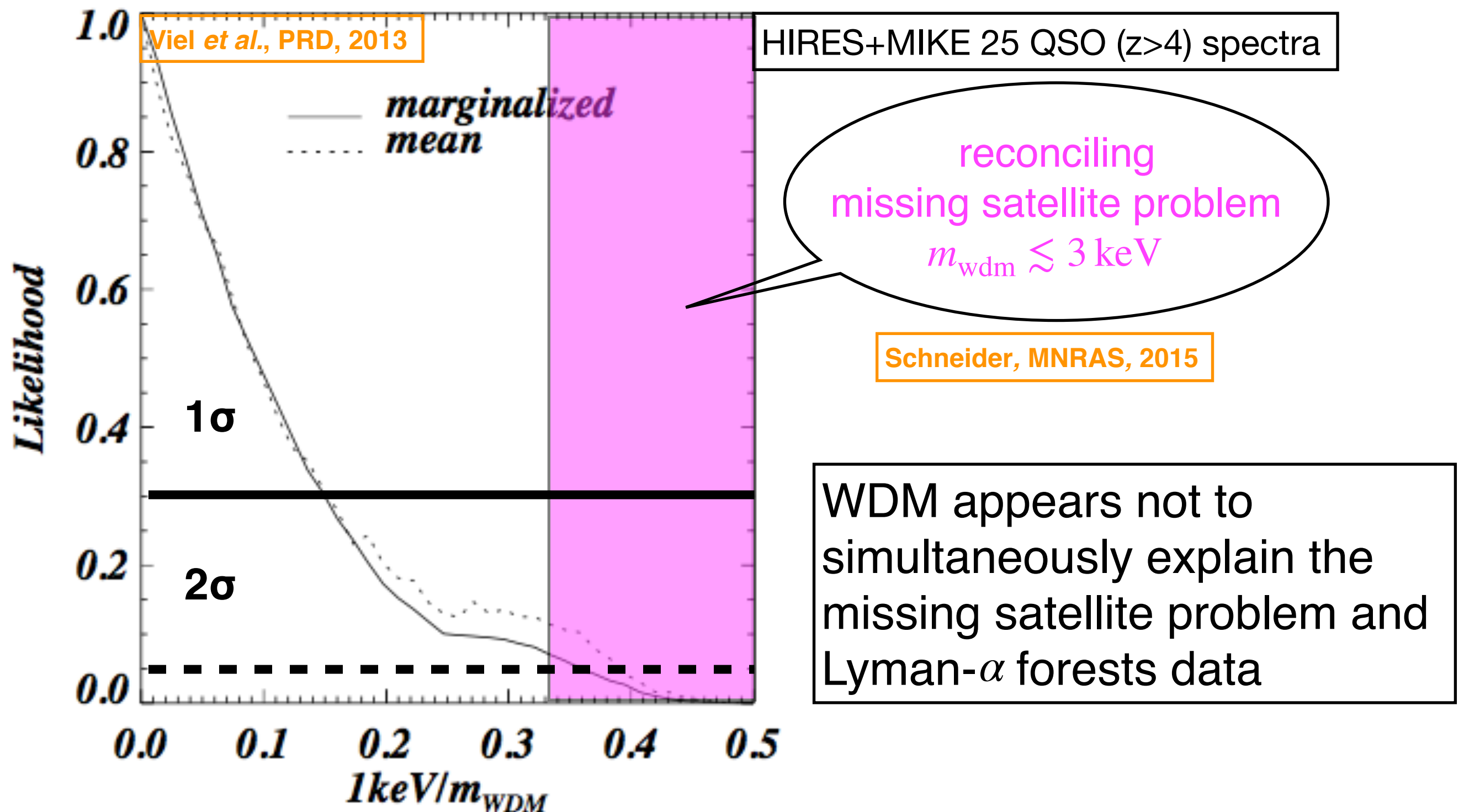
→ non-adiabatic photon-ALP conversion and more optimized analysis of Fermi-LAT data are worth investigating

**Thank you for your attention**

Backup slides

# Lyman- $\alpha$ forest test for WDM

Lyman- $\alpha$  forests probe Mpc-scale matter distribution at  $z \sim 4$





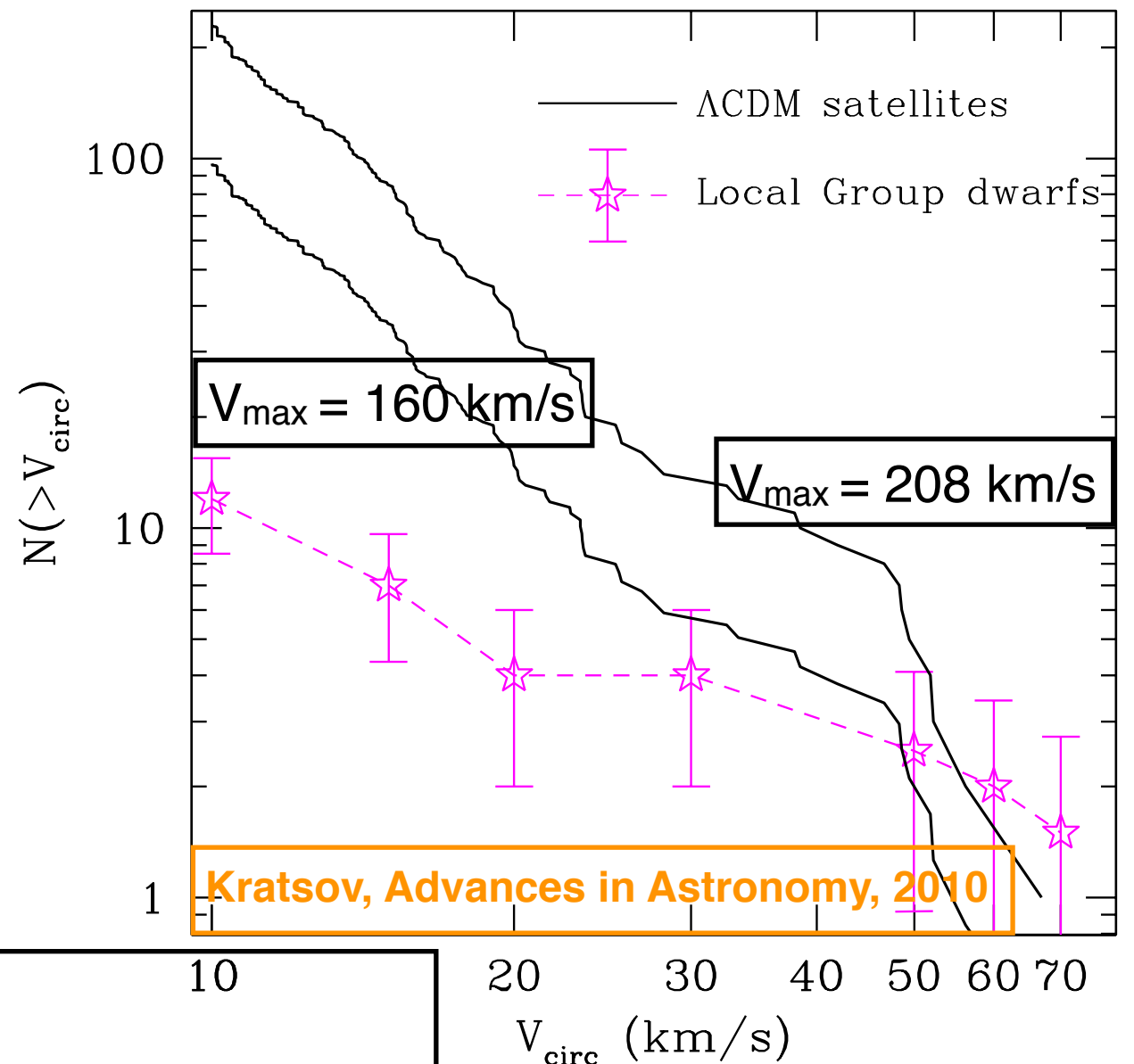
# Small scale crisis I

When  $N$ -body simulations in the  $\Lambda$ CDM model and observations are compared, problems appear at (sub-)galactic scales: **small scale crisis**

## missing satellite problem

$N$ -body (DM-only) simulations in the  $\Lambda$ CDM model  $\rightarrow$  Milky Way-size halos host  $\mathcal{O}(10)$  times larger number of subhalos than that of observed dwarf spheroidal galaxies

cumulative number of subhalos



(maximum) circular velocity

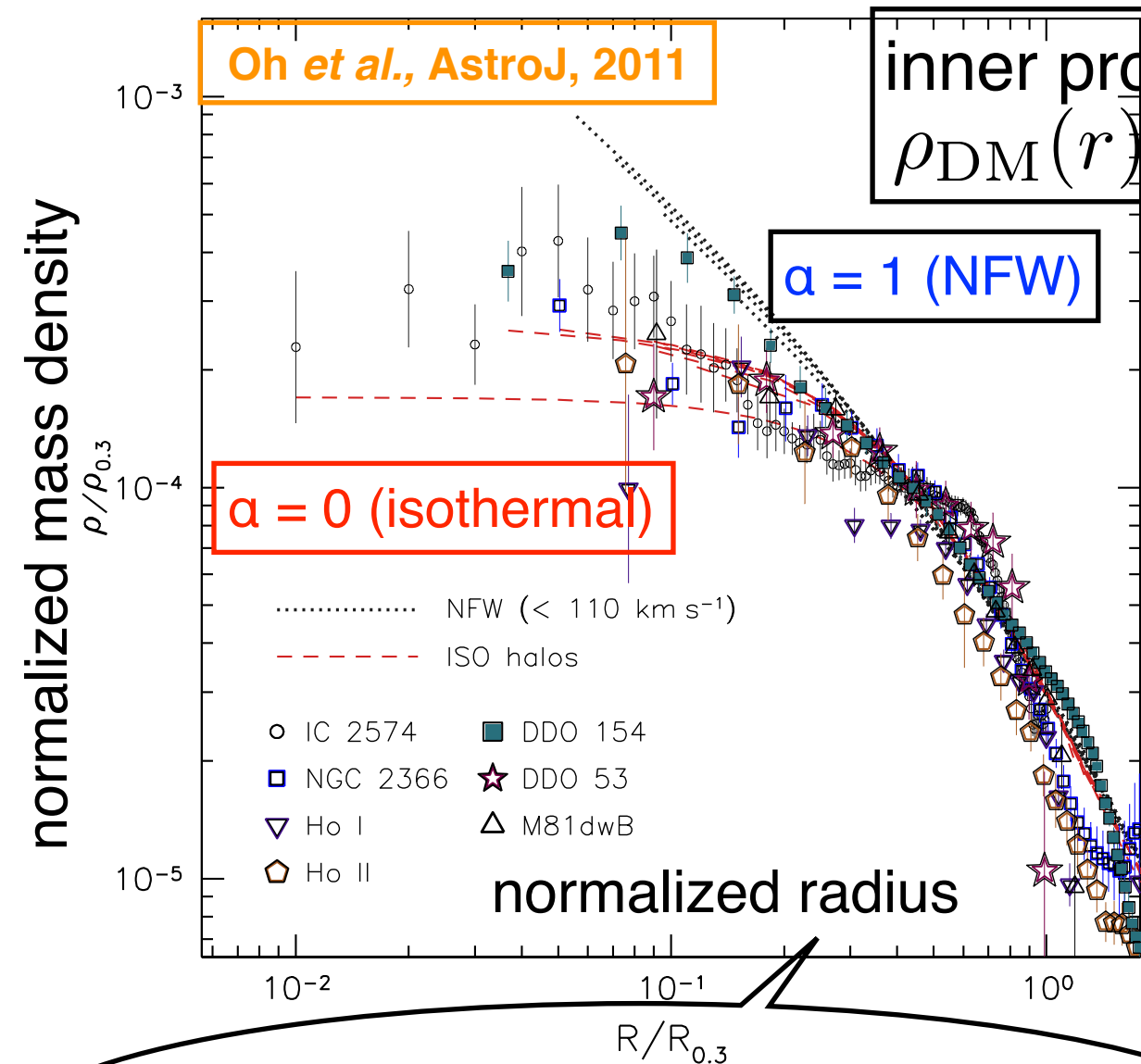
$$V_{\text{circ}}^2(r) = \frac{GM(<r)}{r} \quad V_{\max} = \max_r \{V_{\text{circ}}(r)\}$$

maximal circular velocity of subhalo

# Small scale crisis II

## cusp vs core problem

$N$ -body (DM-only) simulations in the  $\Lambda$ CDM model  $\rightarrow$   
common DM profile independent of halo size: **NFW profile**



Observations infer **cored** profile  
in the inner region rather than  
**cuspy** NFW profile

NFW profile:

$$\rho_{\text{DM}}(r) = \frac{\rho_s}{r/r_s (1 + r/r_s)^2}$$

isothermal profile:

$$\rho_{\text{DM}}(r) = \rho_{\text{DM}}^0 \begin{cases} 1 & (r \ll r_0) \\ (r_0/r)^2 & (r \gg r_0) \end{cases}$$

field dwarf spheroidal galaxies  
 $\sim 10^9 \text{ Msun}$

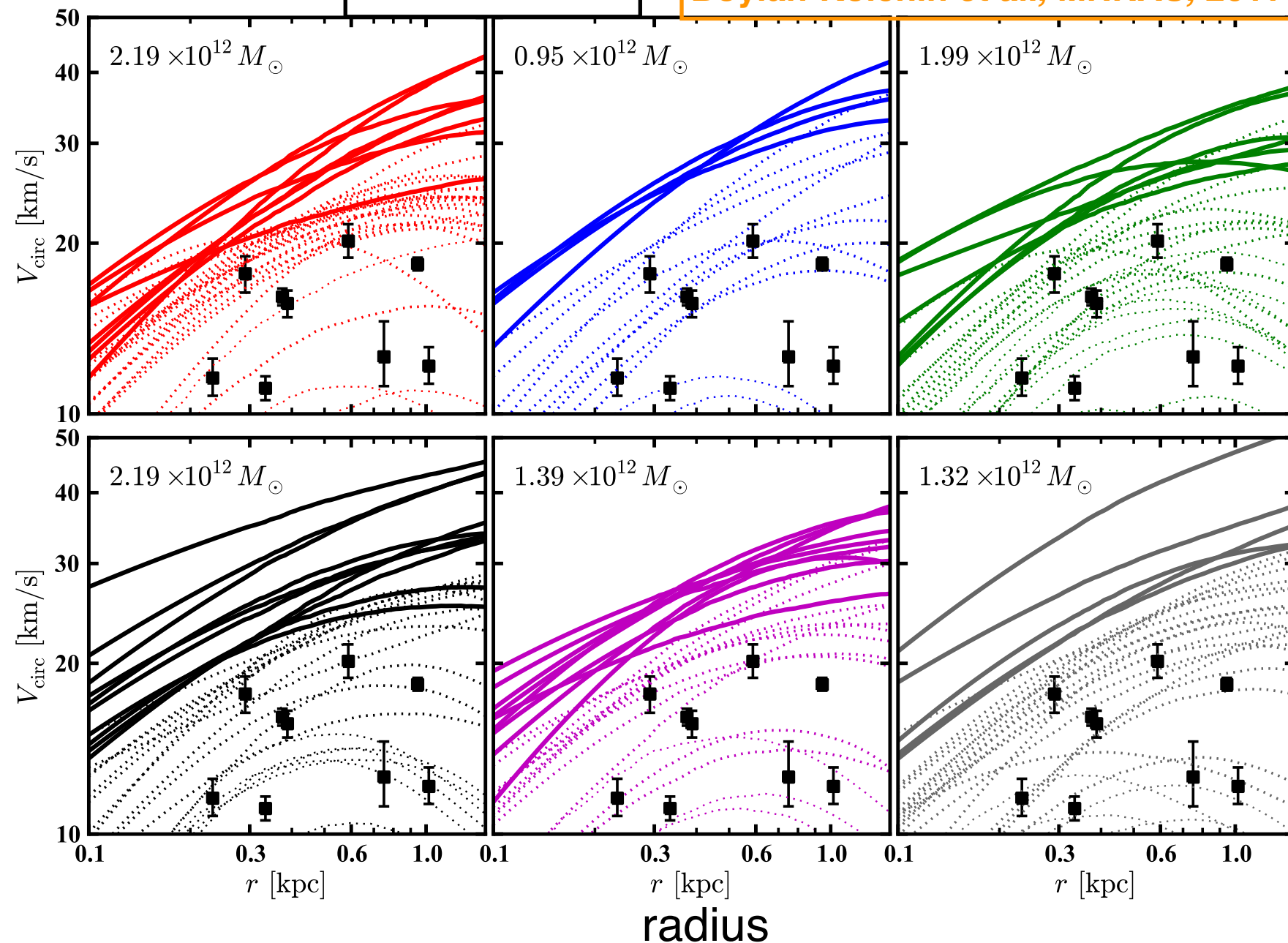
# Small scale crisis III

too big to fail problem

MW-like halos

Boylan-Kolchin *et al.*, MNRAS, 2011

circular velocity of subhalos



$N$ -body (DM-only) simulations in the  $\Lambda$ CDM model  $\rightarrow$   
 $\sim 10$  subhalos with deepest potential wells in Milky Way-size halos  
 do not host observed counterparts (dwarf spheroidal galaxies)

# Caveat on WDM

**BE CAREFUL OF** what is called the *thermal warm dark matter* conventionally!

The WDM particles follow the Fermi-Dirac distribution  $f_{\text{WDM}} = \frac{1}{e^{p/T_{\text{WDM}}} + 1}$  and have two spin degrees of freedom.

The temperature is determined to reproduce a given (observed) DM mass density for a given WDM mass:

$$\rho_{\text{WDM}} = m_{\text{WDM}} \times 2 \int \frac{d^3p}{(2\pi)^3} f_{\text{WDM}}$$

$$\Omega_{\text{warm}} h^2 = \left( \frac{m_{\text{WDM}}}{94 \text{ eV}} \right) \left( \frac{T_{\text{WDM}}}{T_\nu} \right)^3$$

The constraint is often reported in terms of an lower bound on the WDM mass like  $m_{\text{WDM}} > 3.3 \text{ keV}$  [M. Viel \*et al.\*, PRD, 2013](#)

but **it is NOT DIRECTLY APPLICABLE to your model!**

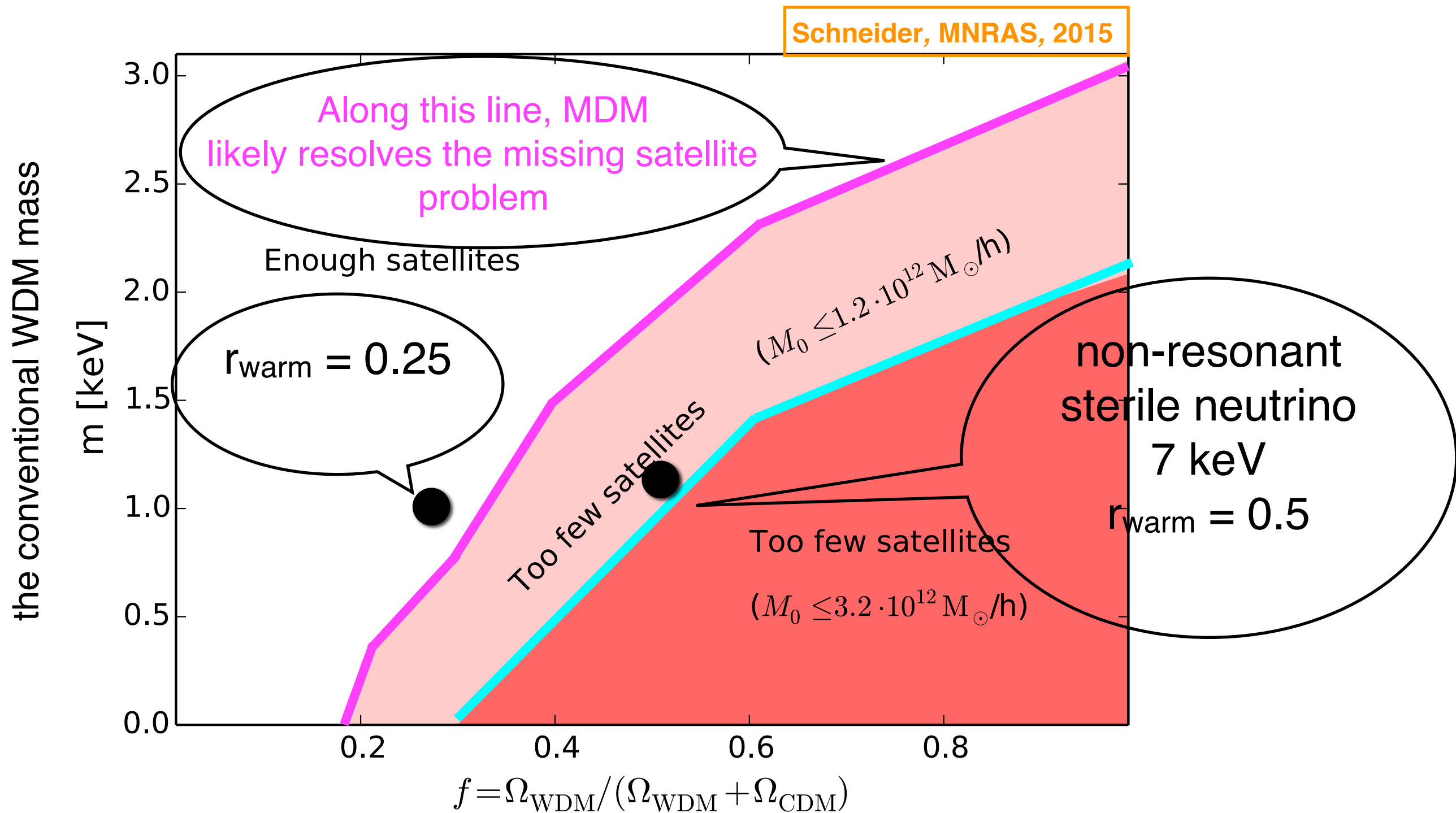
The implicitly assumed temperature:  $\left( \frac{T_{\text{WDM}}}{T_\nu} \right)^3 \simeq 0.01 \left( \frac{\Omega_{\text{warm}} h^2}{0.12} \right) \left( \frac{\text{keV}}{m_{\text{WDM}}} \right)$

The early decoupling (before the electroweak phase transition) is **NOT ENOUGH** to reproduce the assumed temperature  $\frac{g_{*,\text{WDM}}}{g_{*,\nu}} \simeq 0.1$

The conventional warm dark matter is **COLDER** than yours.

↔ The lower bound in your warm dark matter mass is **LARGER**.

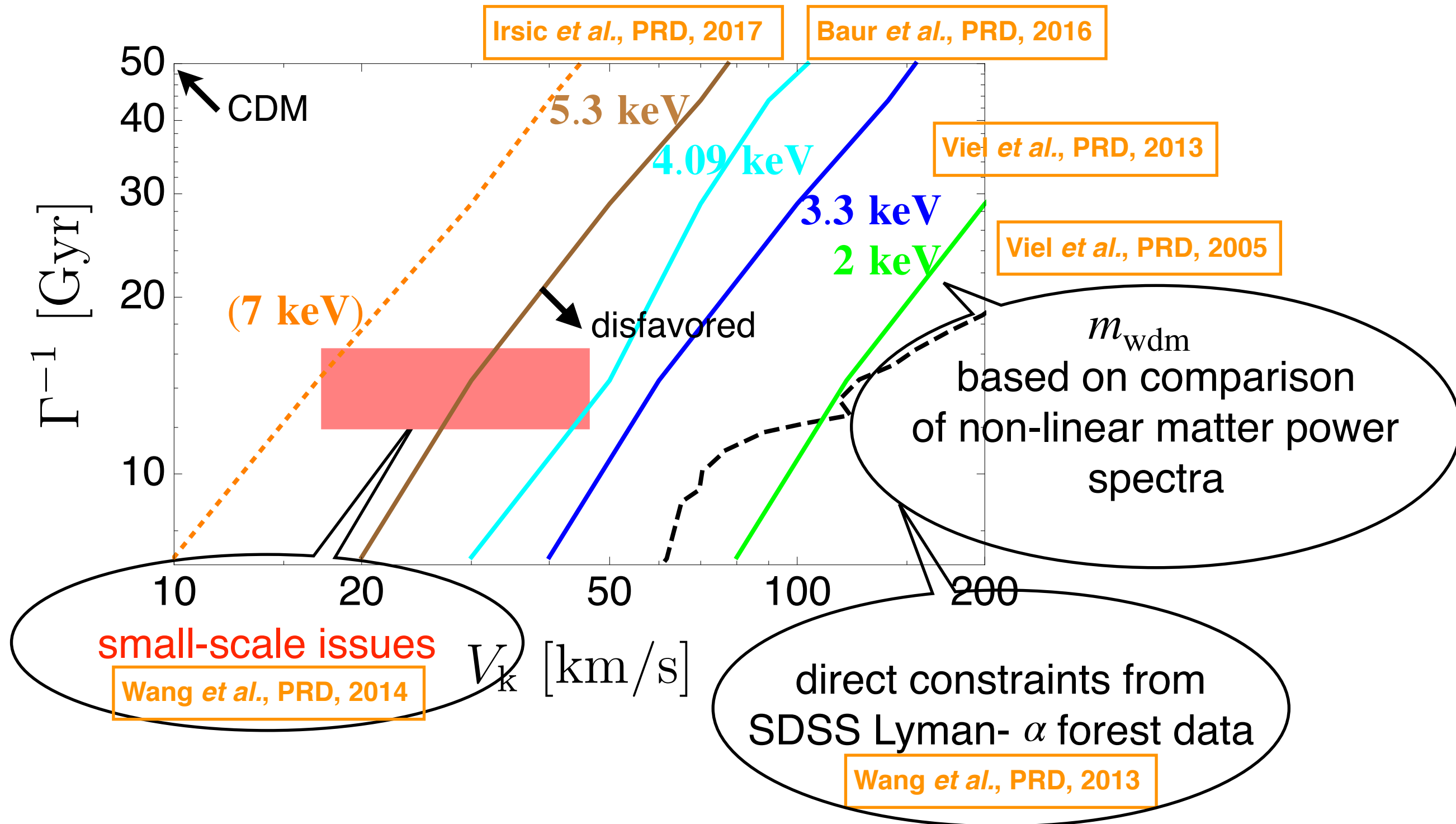
# missing satellite problem in MDM models



ratio of warm component to the whole DM mass density

Let us take two benchmark lines corresponding to smaller and larger MW masses

# Lyman- $\alpha$ forest test (continued)



Non-linear matter power spectra

- fitting function for WDM

Inoue et al., MNRAS, 2015

- semi-analytic model for late-decaying dark matter

Cheng et al., JCAP, 2015



# Parameter space

