



AHMEDABAD UNIVERSITY

# Extranatural Inflation Redux

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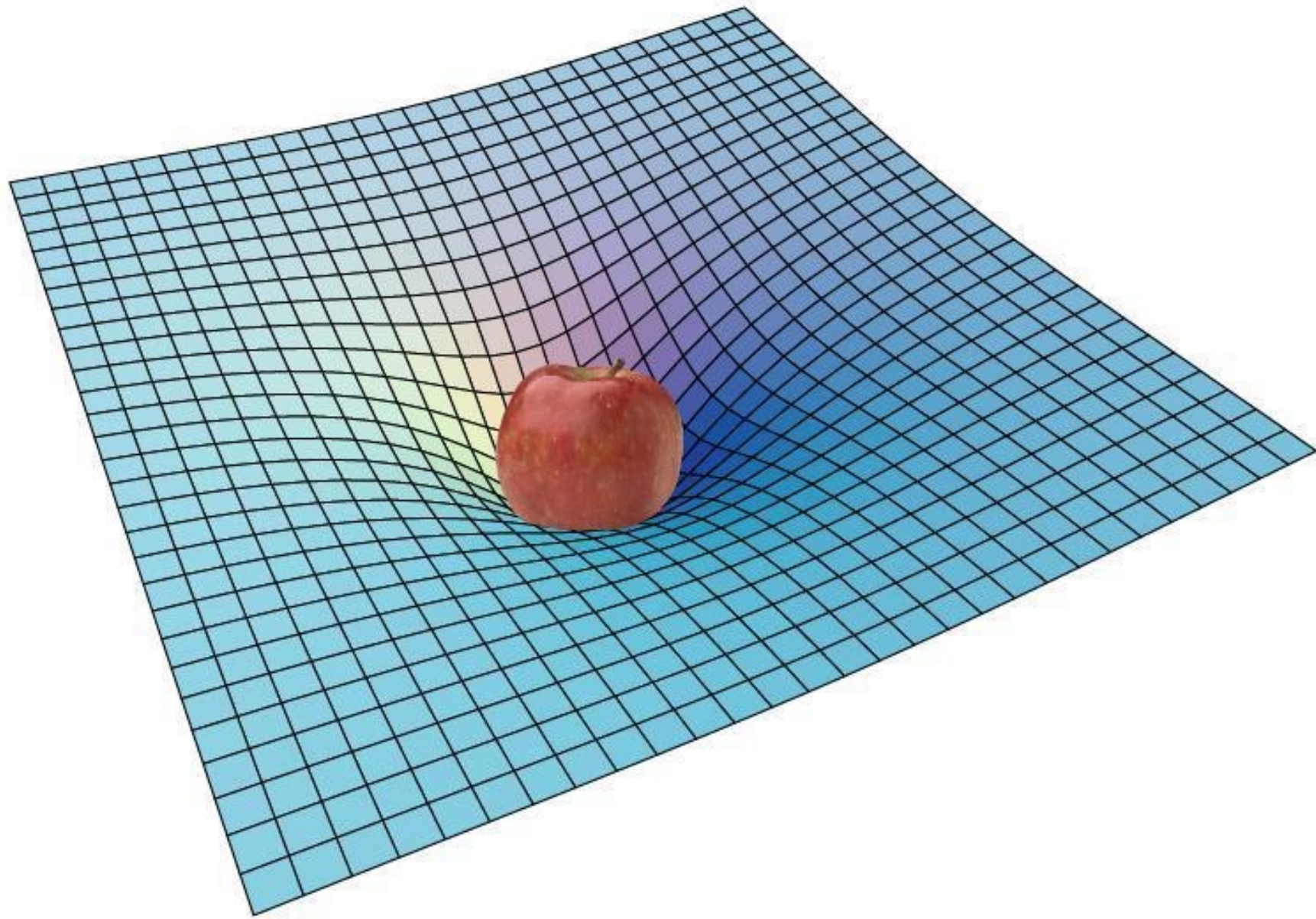
PHYSICAL REVIEW D 96, 083529 (2017),  
arXiv:1705.11071

In collaboration with:

Mansi Dhuria (IIT-B, Mumbai)  
Jayanti Prasad (IUCAA, Pune)

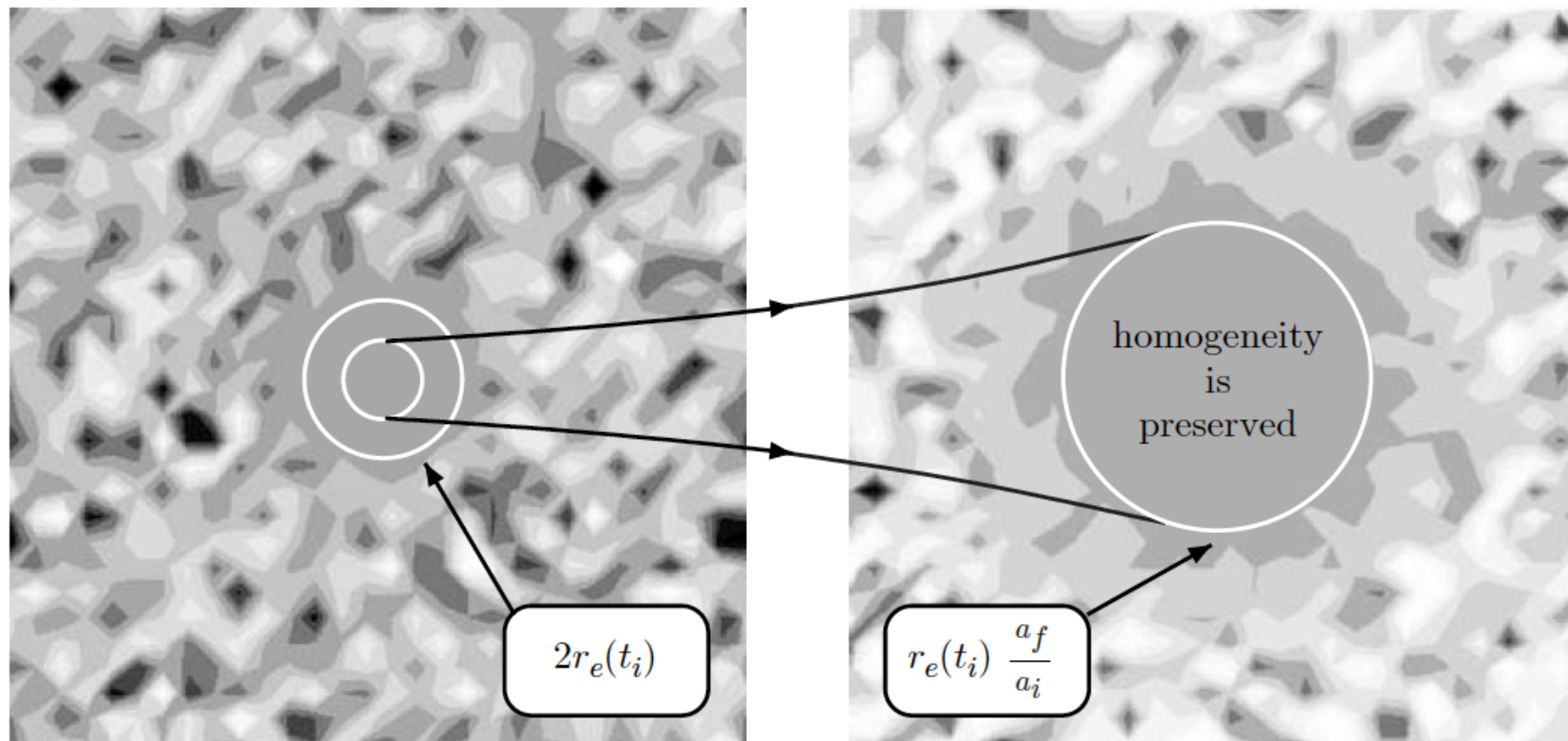


# Why this geometry?

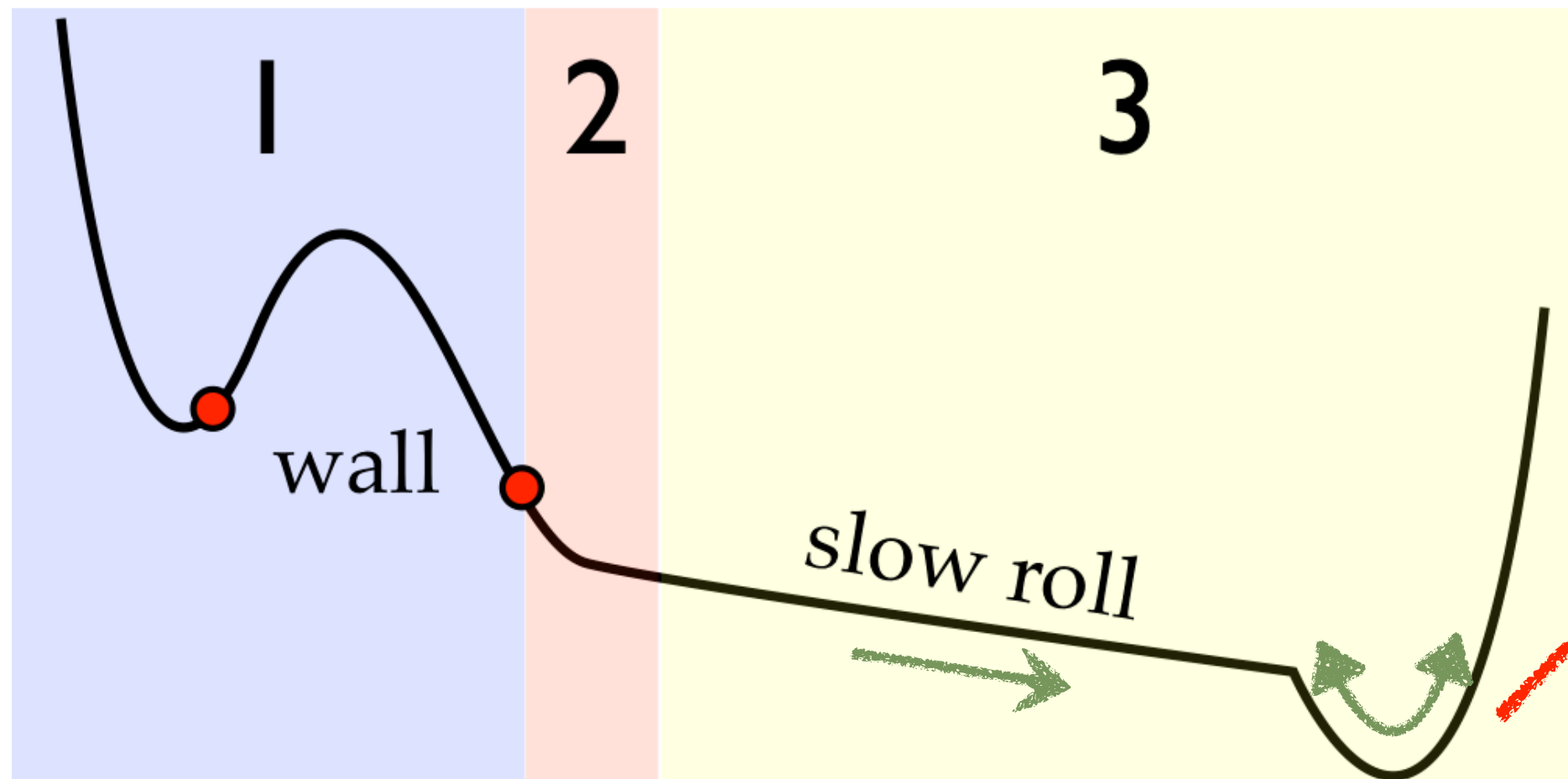


Why do we find ourselves in a spatially flat FRW  
(homogeneous and isotropic) spacetime?

# Cosmic inflation

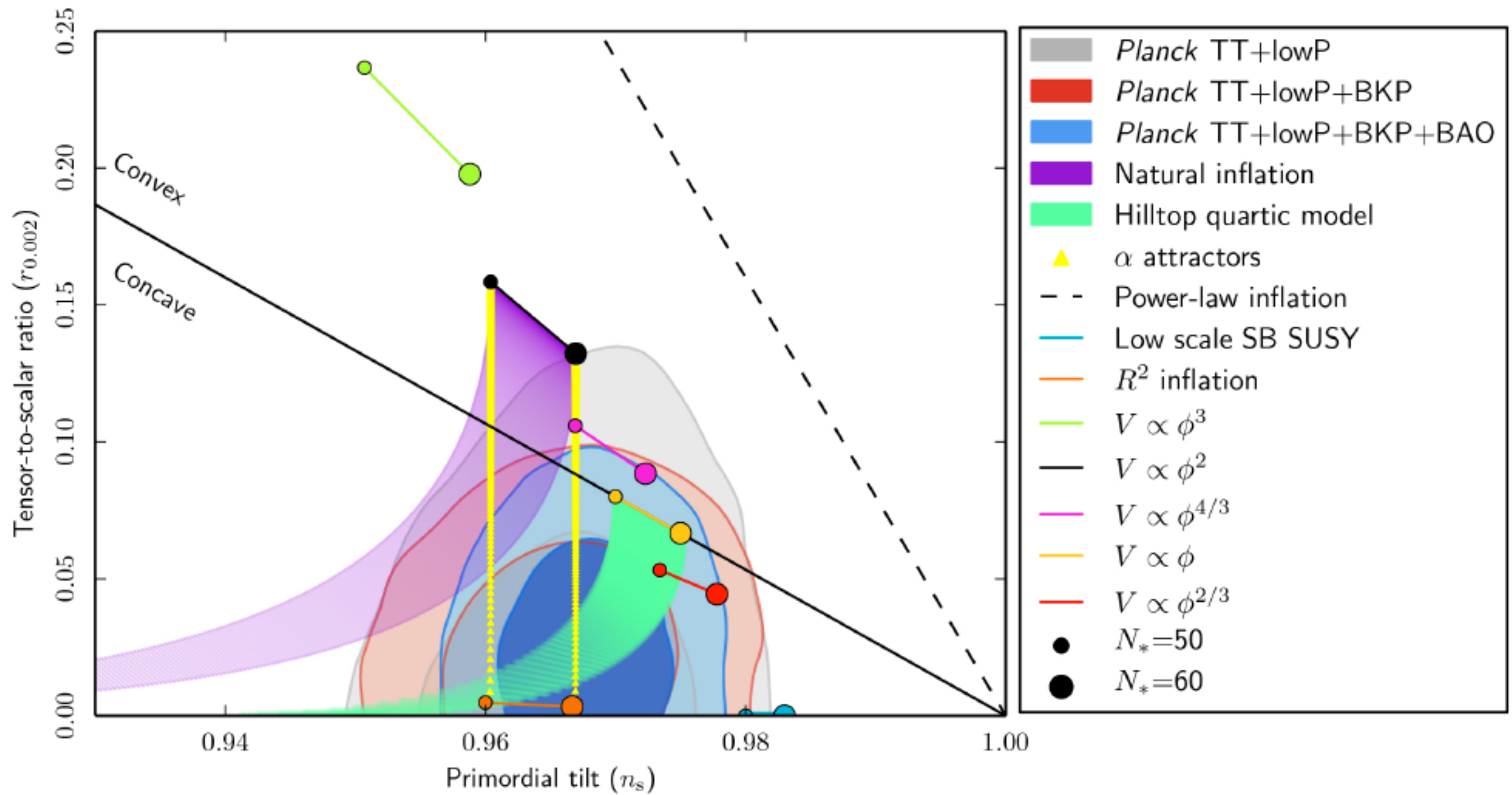


Additionally:  
mostly Adiabatic,  
mostly Gaussian,  
perturbations with  
nearly scale invariant  
power spectrum.



Hot  
Big Bang!

# Large field inflation





# UV sensitivity...

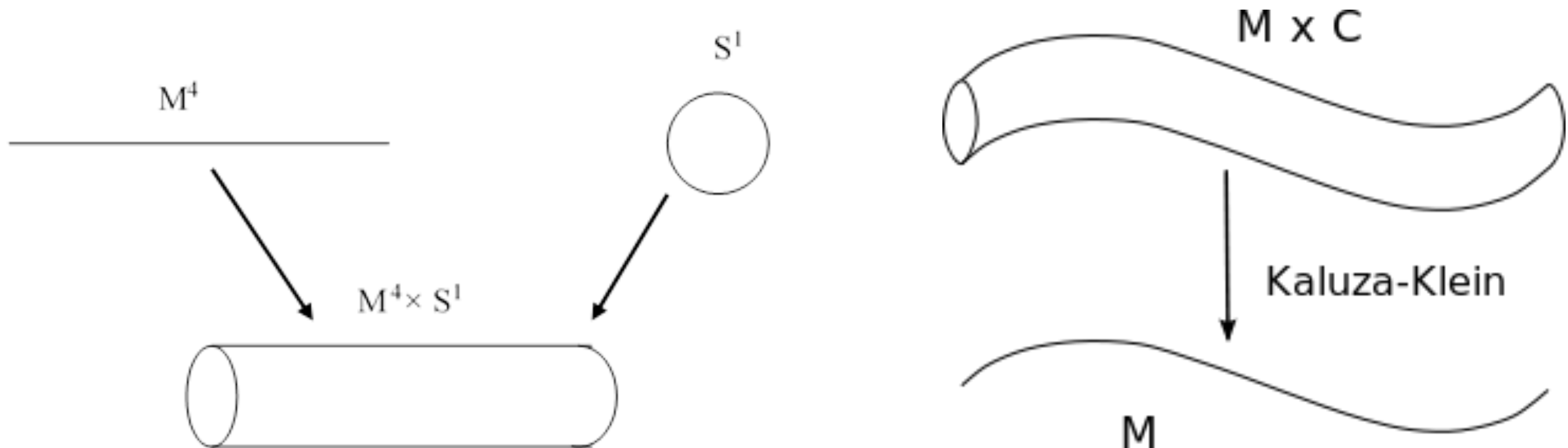
$$\begin{aligned} & (+4290) \\ & + \\ & (-4673218943712894637281978923) \\ & + \\ & (+47583920542) \\ & + \\ & (+7458392157829013278190547825) \\ & + \\ & (-321) \\ & + \\ & \dots \text{(UNKNOWN, BUT LARGE CONTRIBUTIONS)} \\ & = \\ & \text{ORDER (1) NUMBER!} \end{aligned}$$

**...possible but extremely peculiar!**

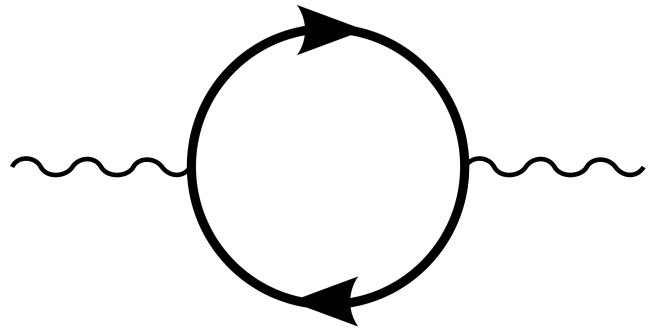
E.g. vacuum energy, Higgs mass, flatness of inflaton potential.

# Extranatural Inflation...

- Resolves UV sensitivity (at the level of QFT),
- Makes use of gauge symmetry (and not global symmetry) and extra dimensions,
- Inflaton candidate is 4D scalar.



# Extranatural Inflation...



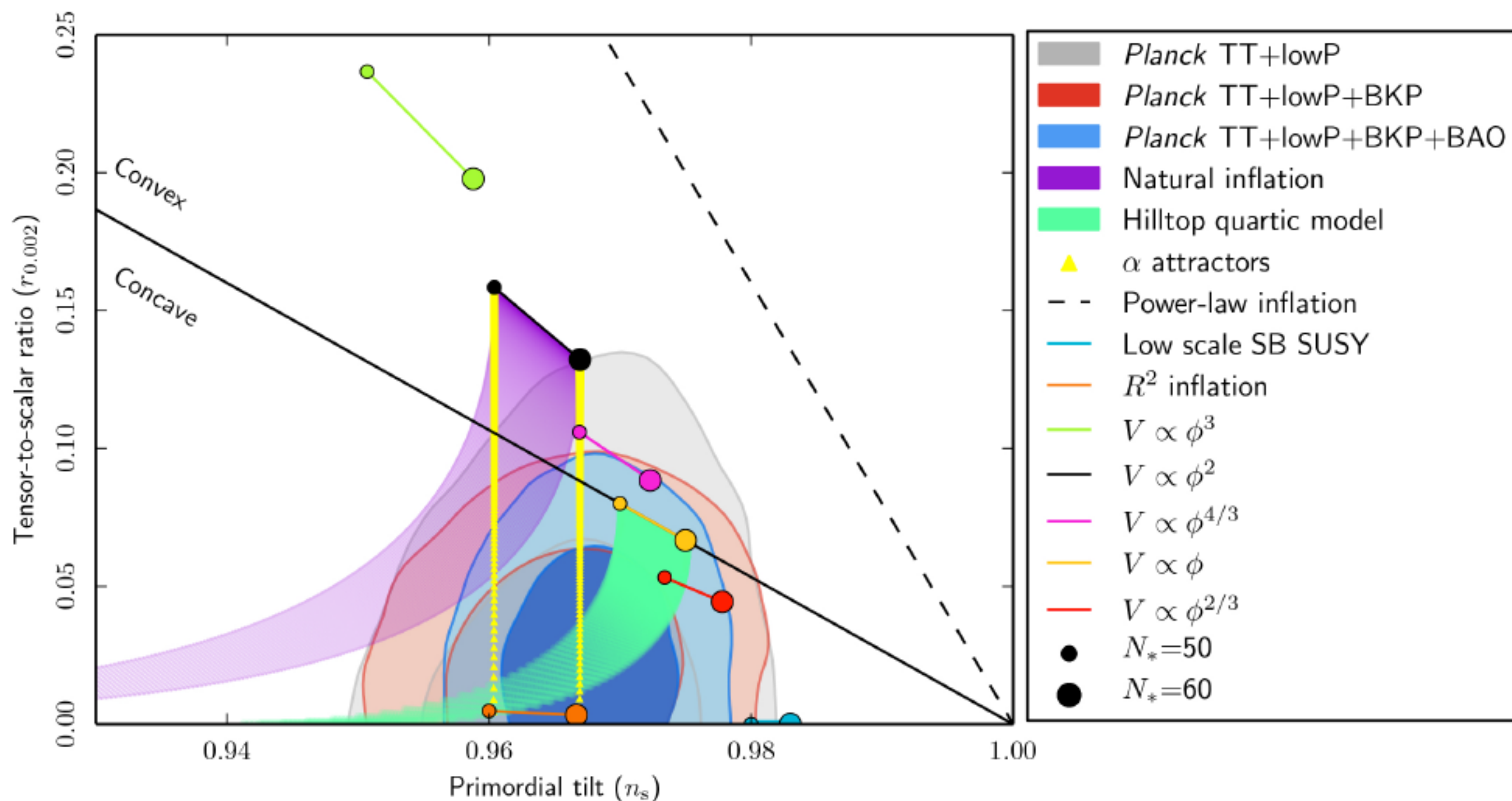
$$V(\theta) = \pm \frac{3}{64\pi^6 R^4} \sum_{n=1}^{\infty} \frac{\cos(nQ_a\theta)}{n^5} .$$

Noteworthy...

- No potential at tree level,
- Potential generated because of
  - loop corrections (bulk matter),
  - compactification of the 5th dimension,
- field dependent part of the potential is UV finite!
- the potential is “protected” from unknown heavy physics.

N. Arkani-Hamed, H. C. Cheng, P. Creminelli, and L. Randall, “*Extra Natural Inflation*”, Phys. Rev. Lett. 90, 221302 (2003).

$$f = \frac{1}{2\pi R g_4} \quad \begin{array}{l} g_4 \ll 1 \\ f > M_p \end{array} \quad \begin{array}{l} \Rightarrow \\ \Rightarrow \end{array} \quad \begin{array}{l} f > M_p , \\ \Delta\phi > M_p . \end{array}$$





# Extranatural Inflation Redux

Can we use CMB observations to constrain light bulk matter?

$$V(\phi) = \frac{3}{64\pi^6 R^4} \left\{ \sum_{n=1}^{\infty} \frac{1}{n^5} \cos\left(\frac{n\phi}{f}\right) + \mathcal{N} \sum_{n=1}^{\infty} \frac{1}{n^5} \cos\left(\frac{nQ\phi}{f}\right) + C \right\}.$$

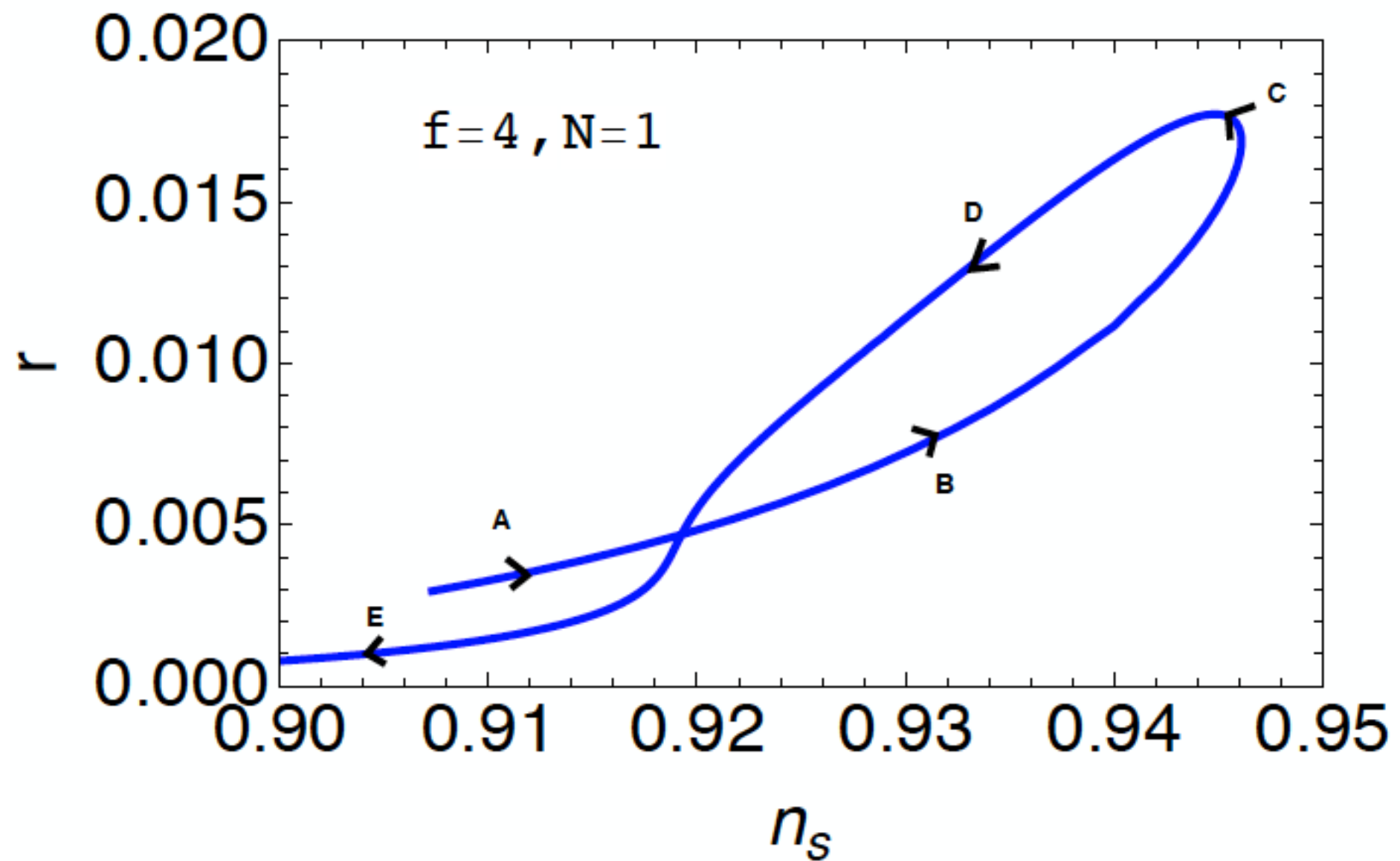
$$\mathcal{N}, R, f, Q$$

$$f = \frac{1}{2\pi R g_4}$$

Mansi Dhuria, Gaurav Goswami and Jayanti Prasad, “*Extra Natural Inflation Redux*”, Phys. Rev. D 96, 083529 (2017), arXiv:1705.11071.

# Extranatural Inflation Redux

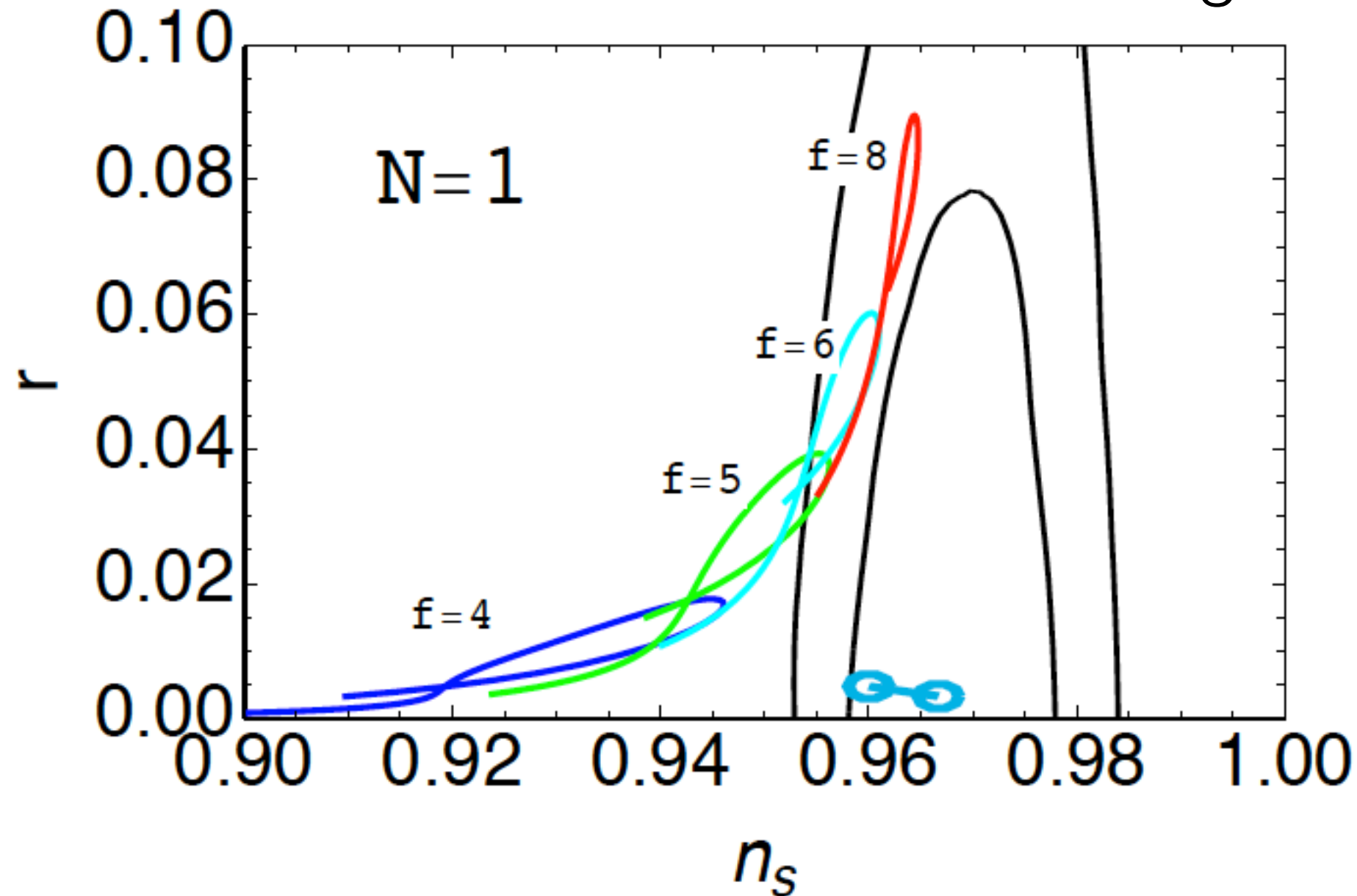
Can we use CMB observations to constrain light bulk matter?





# Extranatural Inflation Redux

Can we use CMB observations to constrain light bulk matter?

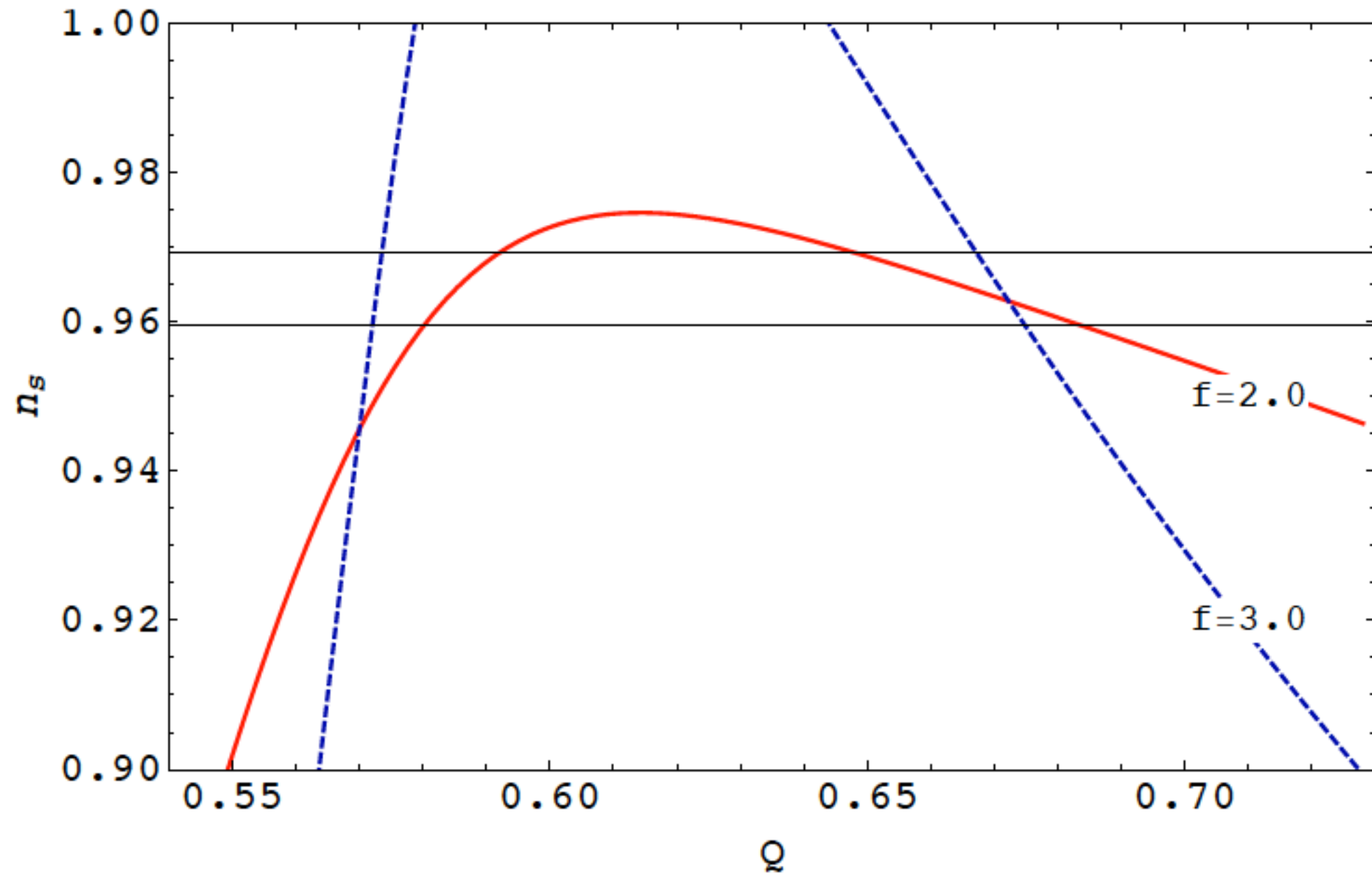


$N=1$  DOESN'T WORK!

Mansi Dhuria, Gaurav Goswami and Jayanti Prasad, “*Extra Natural Inflation Redux*”, Phys. Rev. D 96, 083529 (2017), arXiv:1705.11071.

# Extranatural Inflation Redux

Can we use CMB observations to constrain light bulk matter?

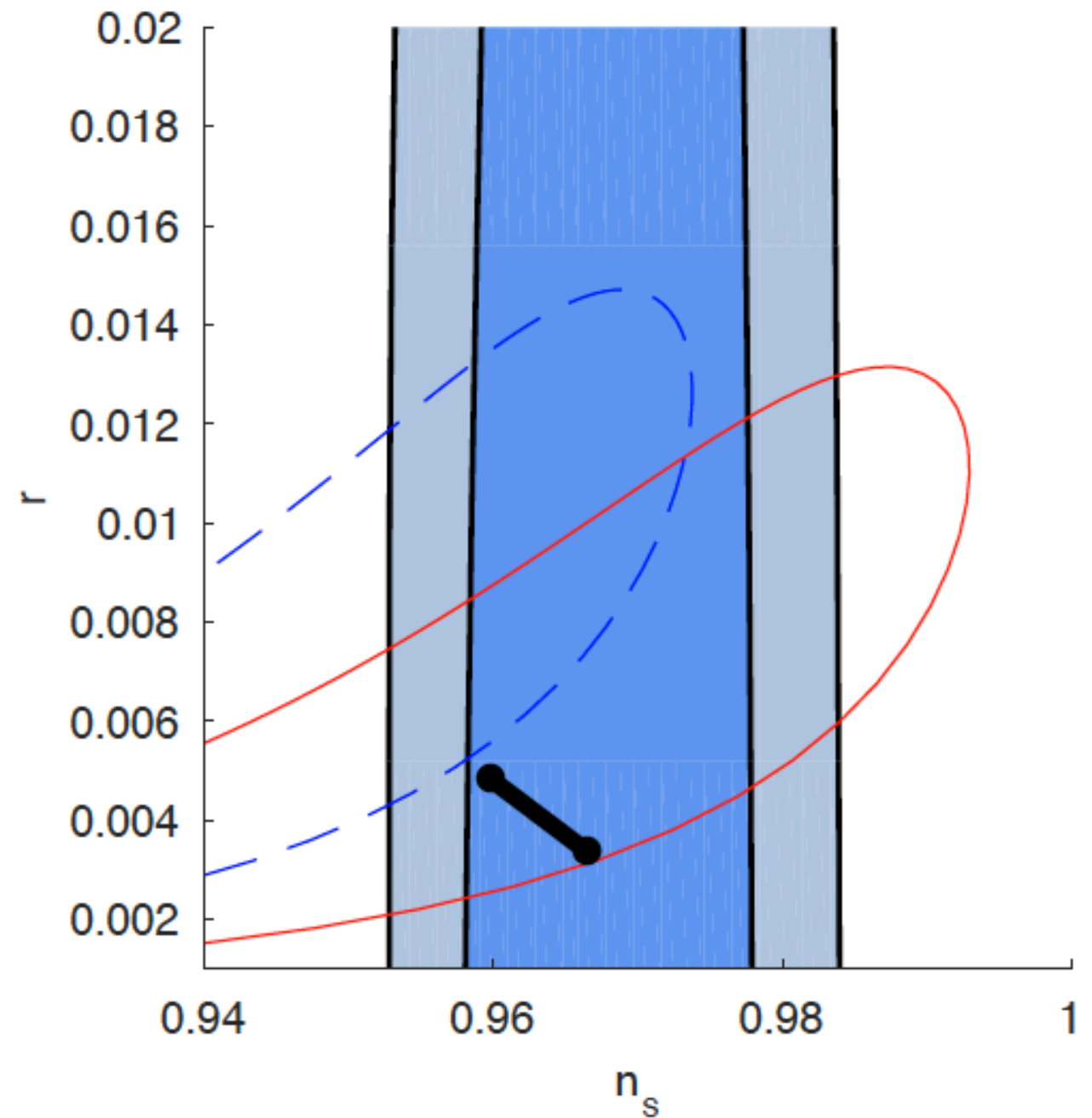
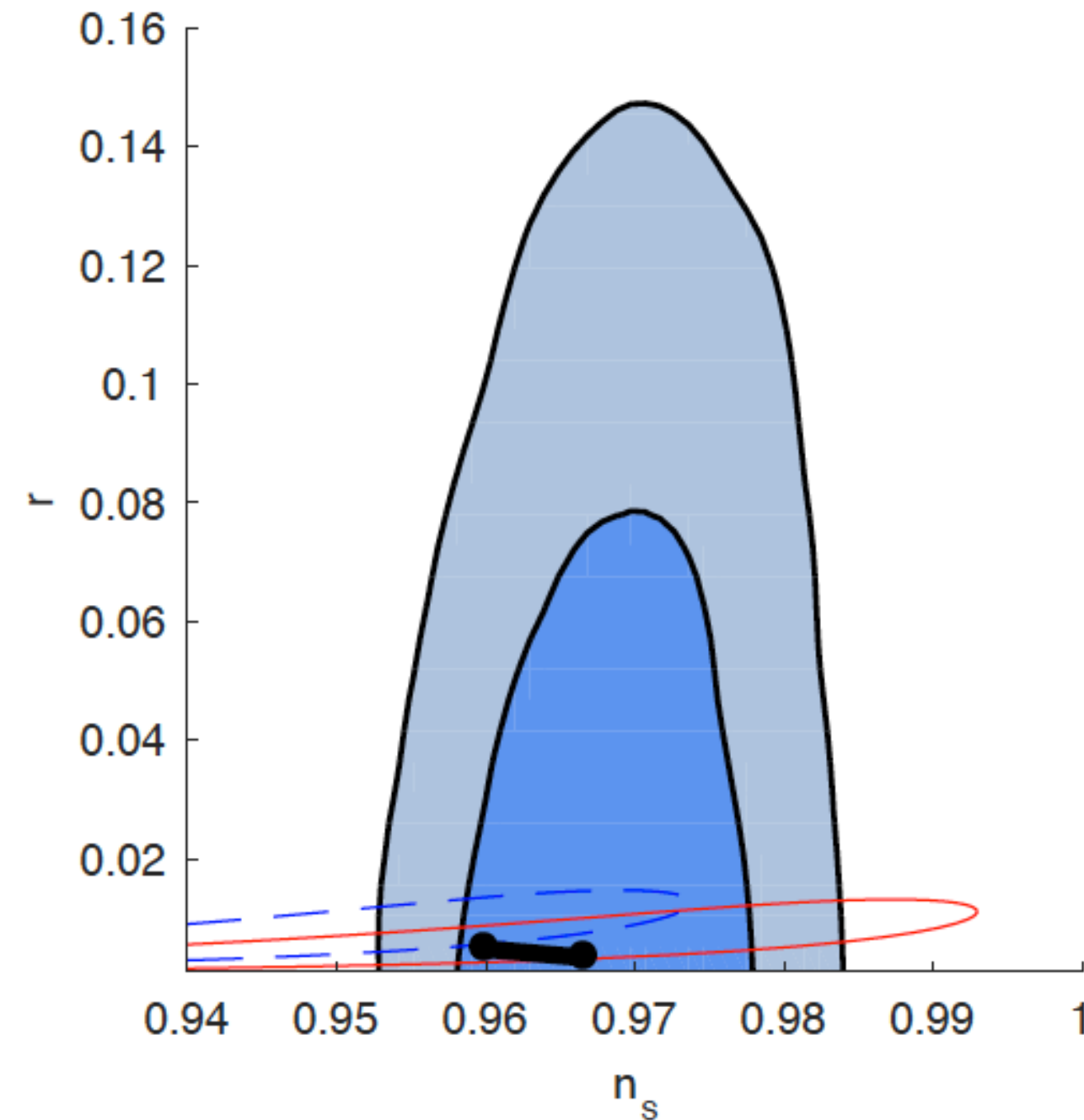


Mansi Dhuria, Gaurav Goswami and Jayanti Prasad, “*Extra Natural Inflation Redux*”, Phys. Rev. D 96, 083529 (2017), arXiv:1705.11071.



# Extranatural Inflation Redux

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Mansi Dhuria, Gaurav Goswami and Jayanti Prasad, “*Extra Natural Inflation Redux*”, Phys. Rev. D 96, 083529 (2017), arXiv:1705.11071.

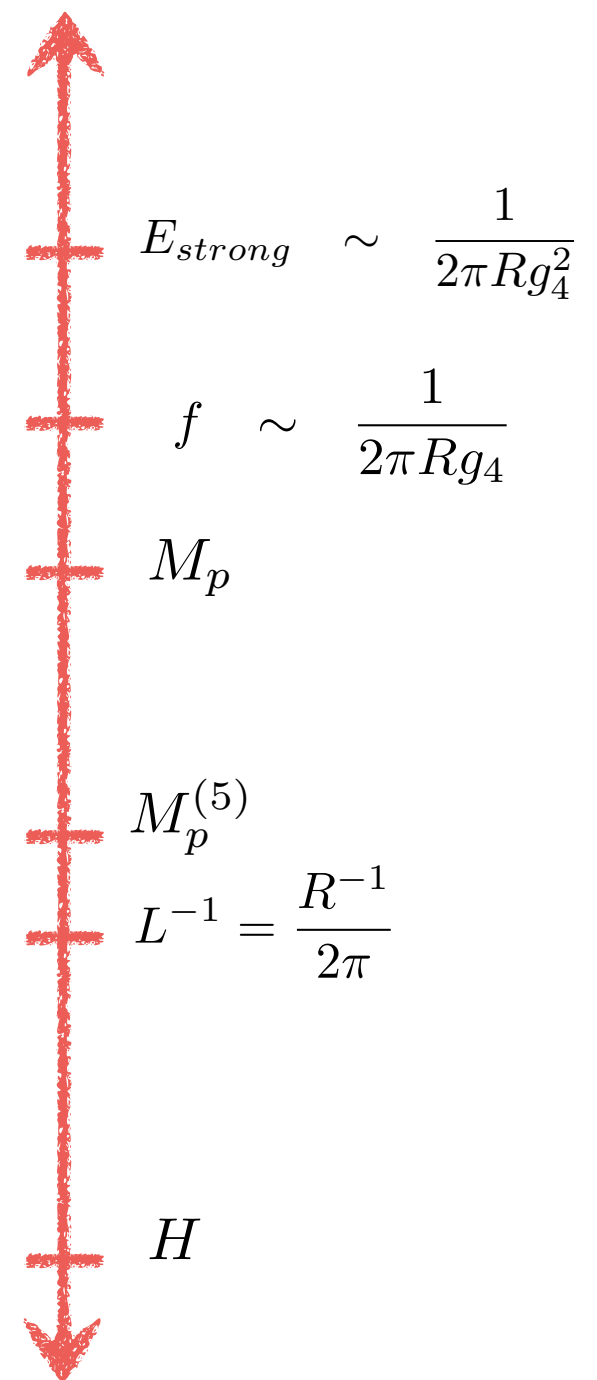
# Extranatural Inflation Redux

Can we use CMB observations  
to constrain light bulk matter?

Yes!

$$\mathcal{N} = 2, \quad R = 29M_{\text{Pl}}, \quad Q = 0.58, \quad f = 2.5M_{\text{Pl}}.$$

$$g_4 = 0.0022$$



Mansi Dhuria, Gaurav Goswami and Jayanti Prasad, “*Extra Natural Inflation Redux*”, Phys. Rev. D 96, 083529 (2017), arXiv:1705.11071.



# A protected potential?

- (1) Uncharged heavy particles: no effect on potential,
- (2) Charged heavy particles:  $\sim \exp(-RM)$ ,
- (3) no dangerous higher-dimension operator can be generated in a local higher-dimensional theory,
- (4) Non-local effects are exponentially suppressed.

$$V(\theta) = \pm \frac{3}{64\pi^6 R^4} \left[ \sum_{n=1}^{\infty} c_n e^{-2\pi R n m_a} \text{Re}(e^{inQ_a\theta}) \right],$$

N. Arkani-Hamed, H. C. Cheng, P. Creminelli, and L. Randall, “*Extra Natural Inflation*”, Phys. Rev. Lett. 90, 221302 (2003).

# A protected potential?

Natural inflation

The potential of a PNCB generated by gauge instantons...

$$S_{\text{gauge}} = \frac{8\pi^2}{g^2} \implies V \sim \cos \theta$$

The effect of gravitational instantons (Giddings Strominger)...

$$S_{\text{gravity}} = \frac{nM_p}{f} \implies \delta V \sim e^{-S_{\text{gravity}}}$$

# A protected potential?

How much is the effect of gravitational instantons?



The answer depends on the dirty details of compactification!

Arthur Hebecker, Patrick Mangat, Stefan Theisen, Lukas T. Witkowski,  
“*Can Gravitational Instantons Really Constrain Axion Inflation?*”, JHEP  
1702 (2017) 097, arXiv:1607.06814.

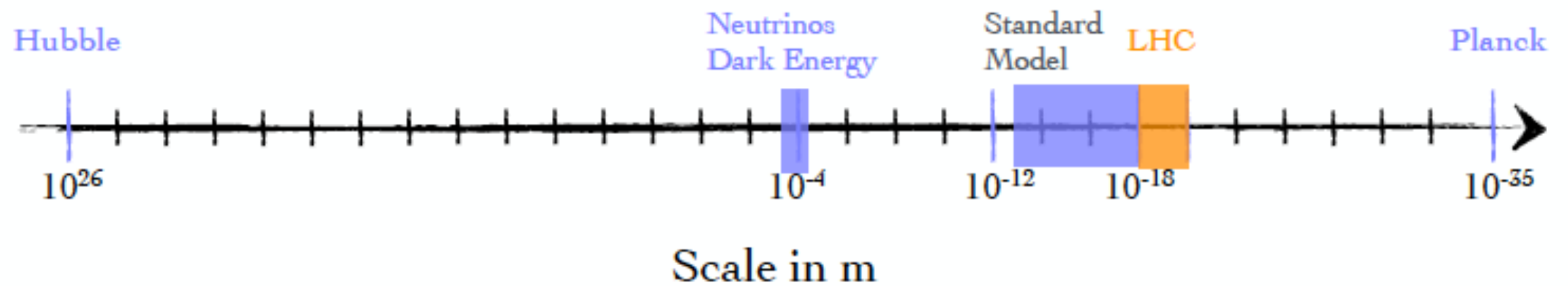
# Issues...

- Recent literature on Weak Gravity Conjecture...
  - Is UV sensitivity really resolved? (gravitational instantons etc),
  - Can this be UV completed?
    - look for the compactifications which give
      - Small value of gauge coupling,
      - fermions with the right properties.
    - Study realistic compactifications of string theory
      - stabilise all moduli,
- obtain correct particle physics, obtain correct cosmology.



**Thank You**

# The natural world at various length scales...





# From microphysics...

A typical microscopic theory is specified by...

- \* Gauge group,
- \* Representation of fermions,
- \* Representation of scalars, and,
- \* the scalar potential.



# The “Standard Model” of Cosmology

At early enough times ( $T \sim \text{few MeV}$ )

(1) Gravity: General Relativity

(2) To leading order: spacetime geometry is spatially flat FRW metric (space-like hypersurfaces: homogeneous, isotropic and flat),

(3) Matter

- ✦ Dark Matter: cold, collisionless
- ✦ cosmological constant (with a very tiny value:  $\ell_{\text{Pl}}^2 \Lambda \approx 3 \times 10^{-122}$ ),
- ✦ SM particles: photons, neutrinos (and anti-neutrinos), electrons (and positrons), protons and neutrons

(4) Initially,

- baryon to photon ratio is  $\mathcal{O}(10^{-9})$
- asymmetry in neutral leptons negligible
- asymmetry in charged leptons s.t. the net electric charge is zero.

(5) At sub-leading order: scalar metric perturbations:

- adiabatic,
- Gaussian
- nearly scale-invariant (tilted red)



# Vacuum energy?

