

# Broadband 21 cm cosmological signal from dark matter spin-flip interactions

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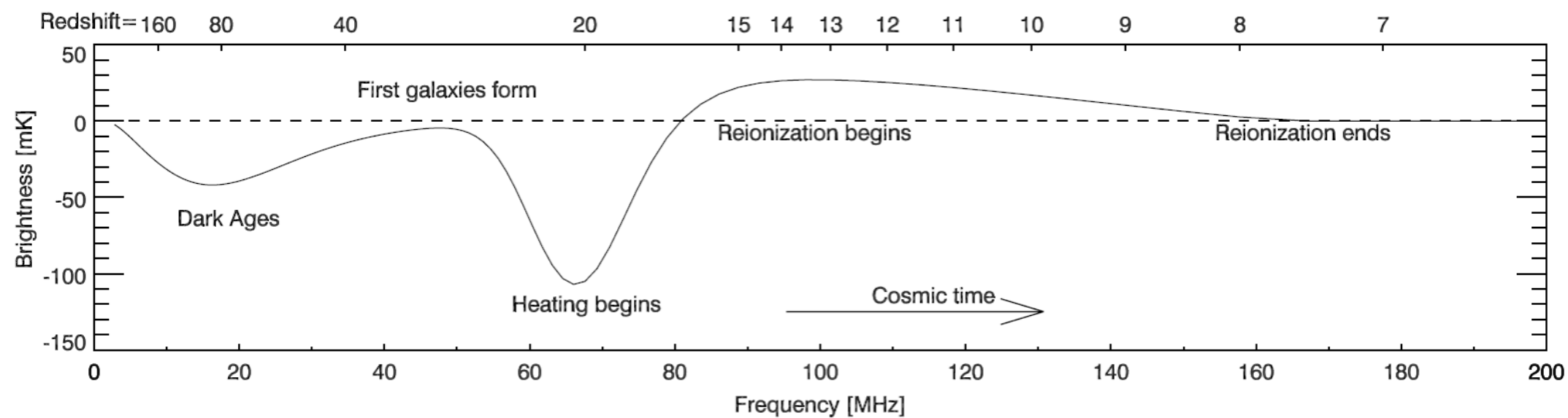
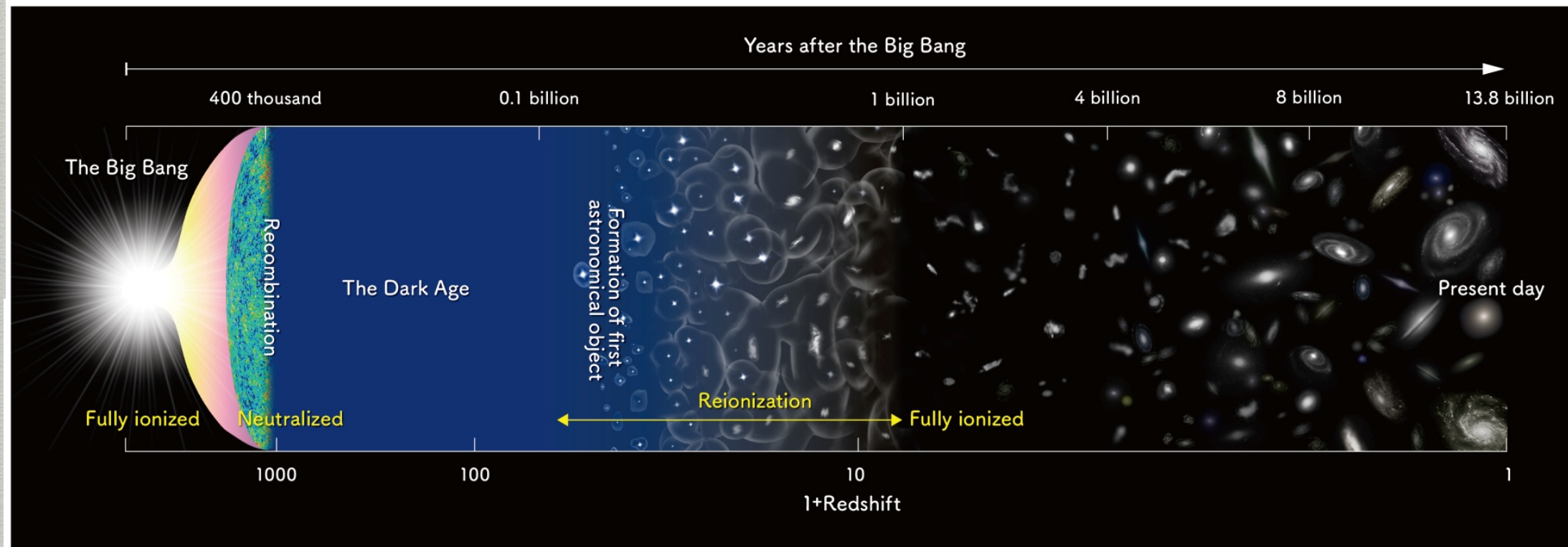
Based on: arXiv:2103.06303 [astro-ph.CO]

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26<sup>th</sup> International Symposium on Particles, Strings & Cosmology |



# 21 cm signal in standard cosmology

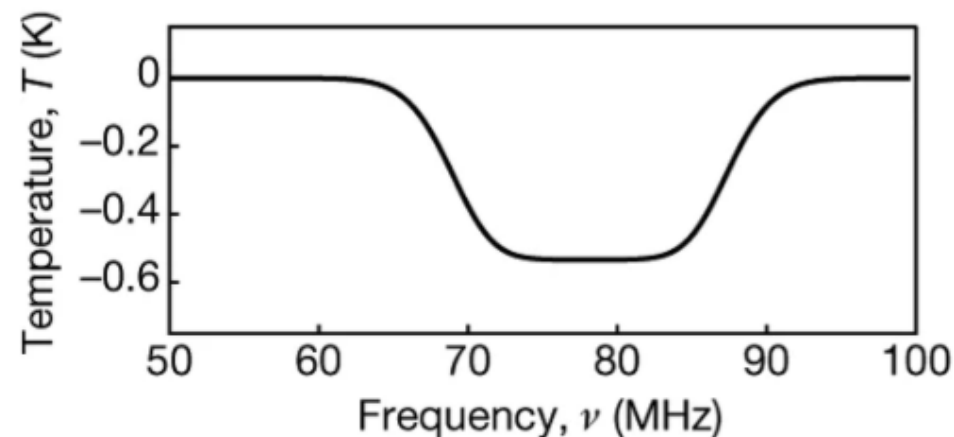


Pritchard and Loeb 2012



# An absorption profile centred at 78 megahertz in the sky-averaged spectrum

Judd D. Bowman<sup>1</sup>, Alan E. E. Rogers<sup>2</sup>, Raul A. Monsalve<sup>1,3,4</sup>, Thomas J. Mozdzen<sup>1</sup> & Nivedita Mahesh<sup>1</sup>



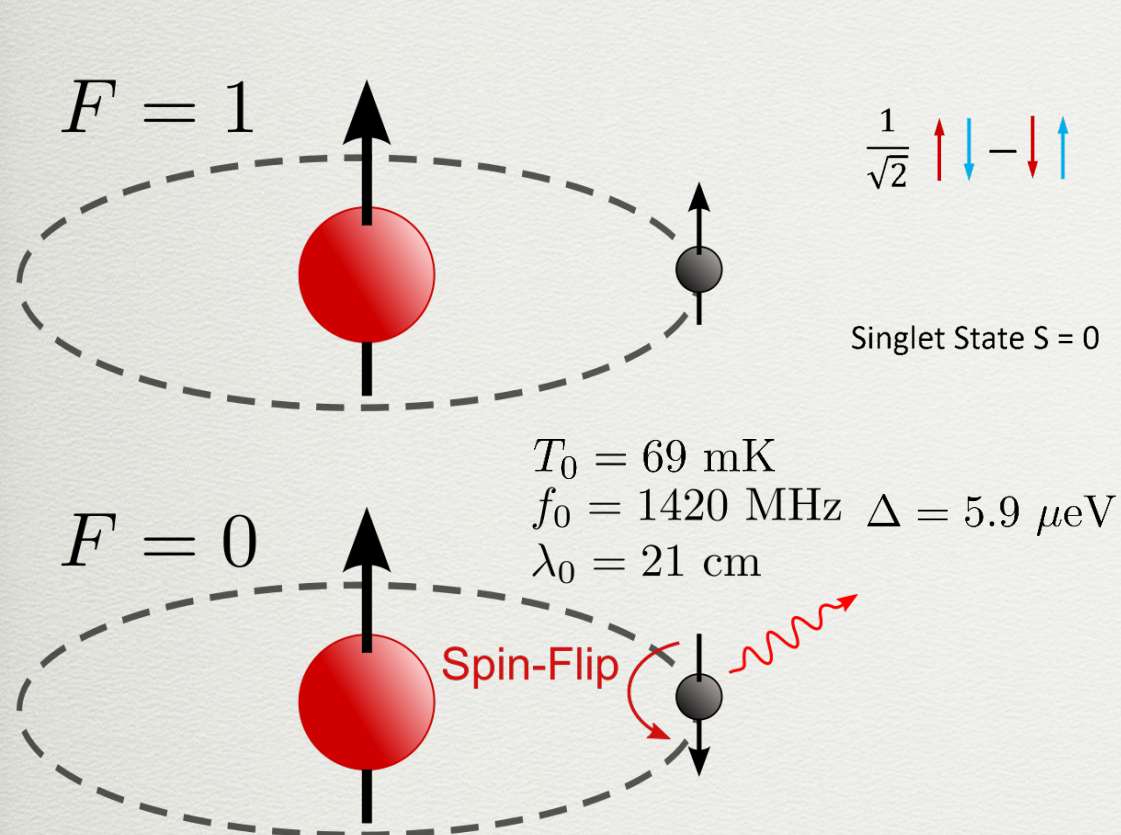
→ EDGES experiment

**Goal of the work:** Look for BSM models that can explain the predicted 21 cm signal and also could be tested in future experiments.

**Dark matter spin flip model**



# Spin temperature of neutral hydrogen and Differential Brightness temperature



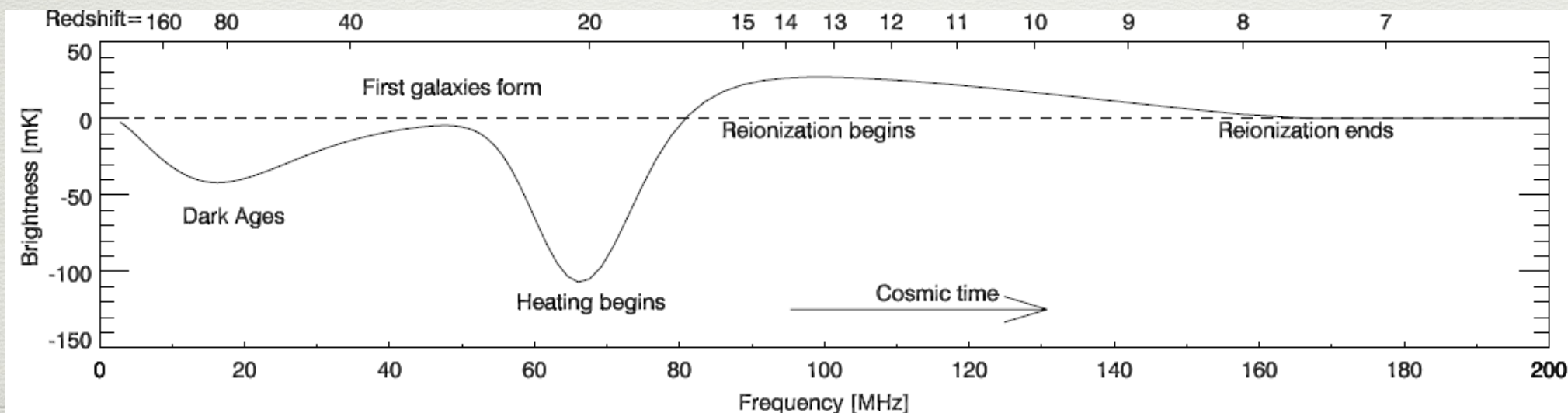
$$\frac{n_1}{n_0} = 3e^{-\frac{\Delta}{T_s}}$$

$T_s$  parameter that describes the relative population of singlet and triplet states

$$\delta T_b > 0 \quad \text{net emission if } T_s > T_{\text{CMB}},$$

$$\delta T_b < 0 \quad \text{net absorption if } T_s < T_{\text{CMB}}$$

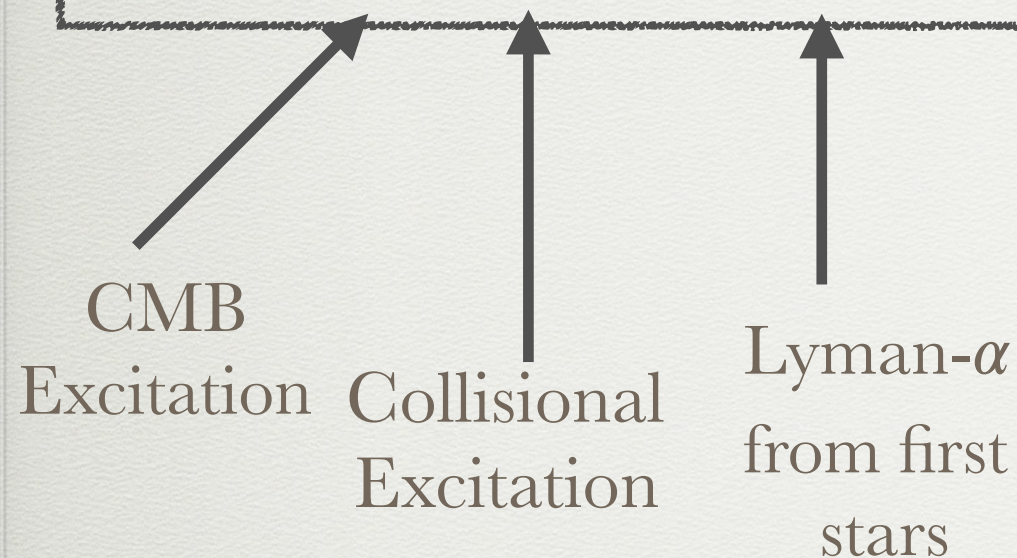
$$\delta T_b(z) \propto I_\nu^{\text{measured}} - I_\nu^{\text{CMB}} \propto x_{\text{HI}}(z) \left( \frac{T_s(z) - T_{\text{CMB}}(z)}{T_s(z)} \right) \text{ mK}$$





# Determininating $T_s$

$$n_0(B_{01} + C_{01} + P_{01}) = n_1(A_{10} + B_{10} + C_{10} + P_{10})$$


  
CMB Excitation    Collisional Excitation    Lyman- $\alpha$  from first stars

$$\begin{aligned} \frac{n_1}{n_0} &= 3e^{-\frac{\Delta}{T_s}} \simeq 3 \left( 1 - \frac{\Delta}{T_s} \right) \\ \frac{C_{01}}{C_{10}} &= 3e^{-\frac{\Delta}{T_K}} \simeq 3 \left( 1 - \frac{\Delta}{T_K} \right) \\ \frac{P_{01}}{P_{10}} &= 3e^{-\frac{\Delta}{T_c}} \simeq 3 \left( 1 - \frac{\Delta}{T_c} \right) \end{aligned}$$

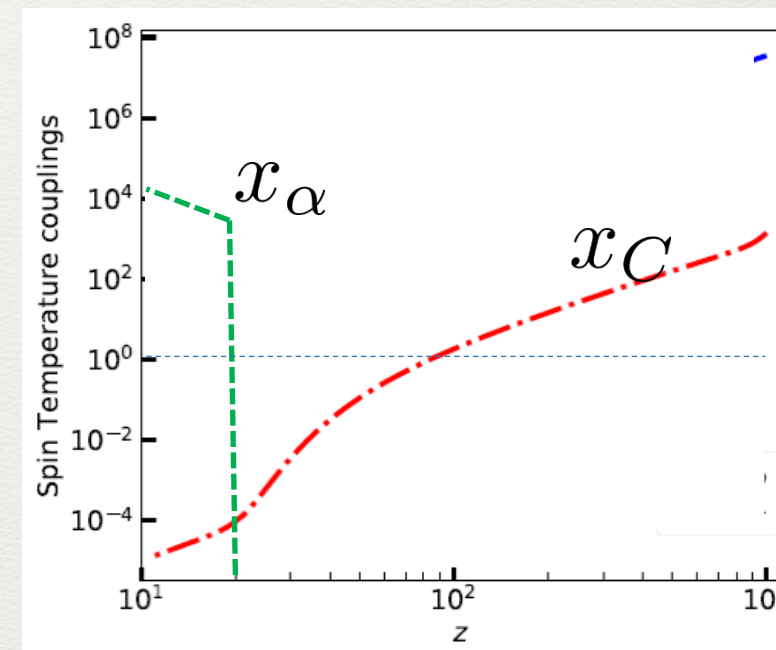
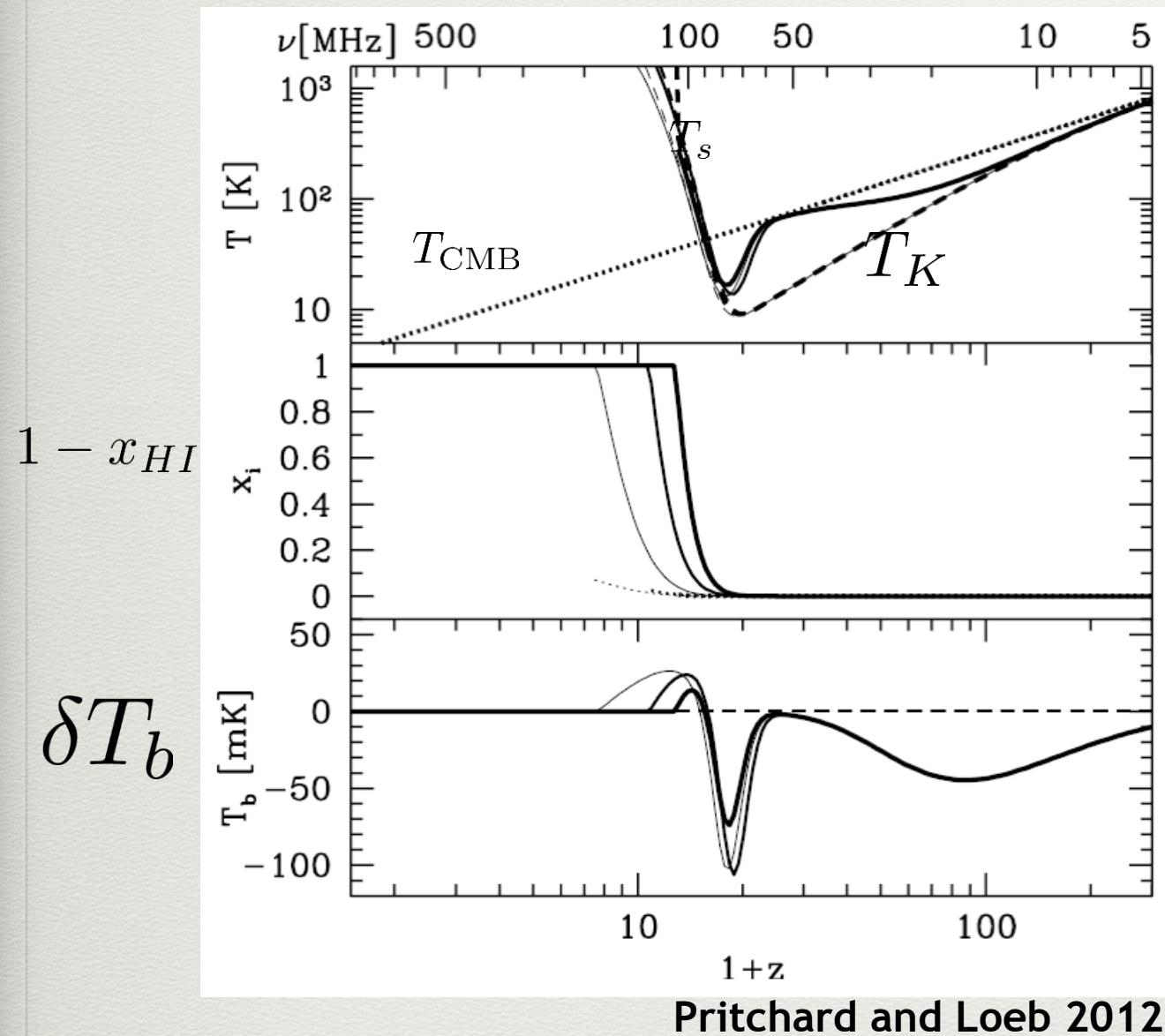
$$T_s^{-1} = \frac{T_{\text{CMB}}^{-1} + x_C T_K^{-1} + x_\alpha T_c^{-1}}{1 + x_C + x_\alpha}$$

$$x_C = \frac{C_{10}}{B_{10}} \longrightarrow \text{Collisional coupling}$$

$$x_\alpha = \frac{P_{10}}{B_{10}} \longrightarrow \text{Lyman-}\alpha \text{ coupling}$$



# Evolution of the spin temperature





# Dark matter spin-flip interaction model

$$\mathcal{L} = ig_\chi \bar{\chi} \gamma^\mu \gamma^5 \chi V_\mu + ig_e \bar{e} \gamma^\mu \gamma^5 e V_\mu$$

5 parameters:  $\alpha_\chi, \alpha_e, m_\chi, f, m_V$

$$\chi + H_0 \rightleftharpoons \chi + H_1$$

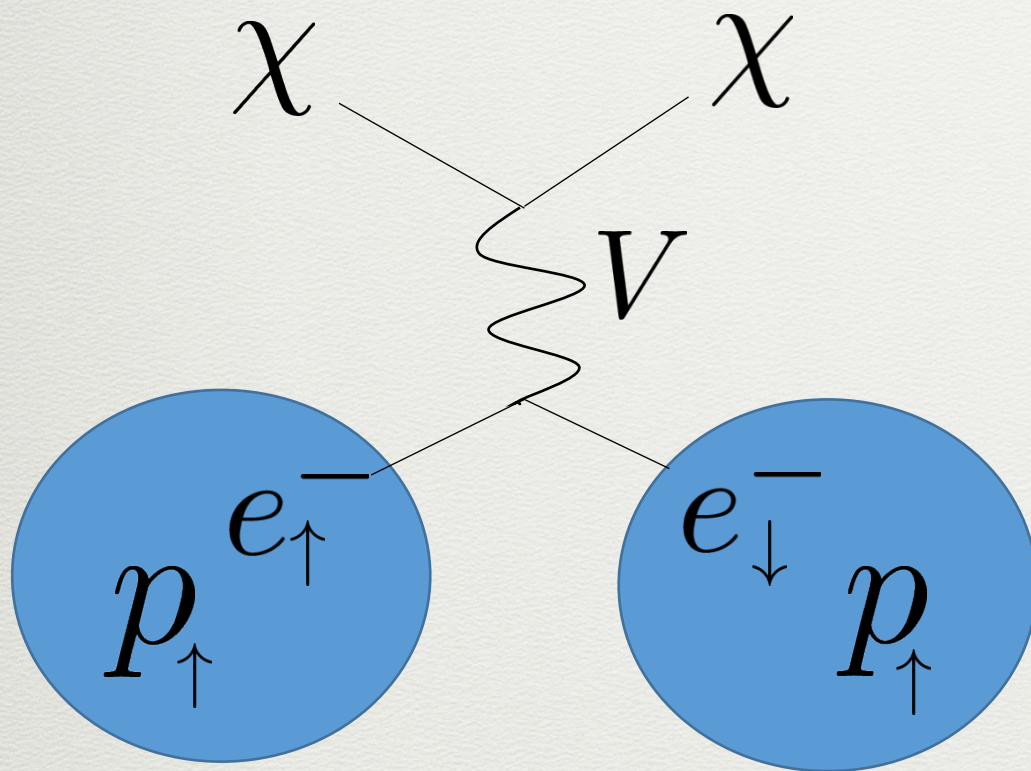
Two distinct effects:

1. Direct change of spin temperature

$$D_{01} \quad D_{10}$$

2. Energy transfer between the dark matter and gas

$$\Gamma_H \quad \Gamma_\chi$$





# Forward scattering and spin-flip cross-section

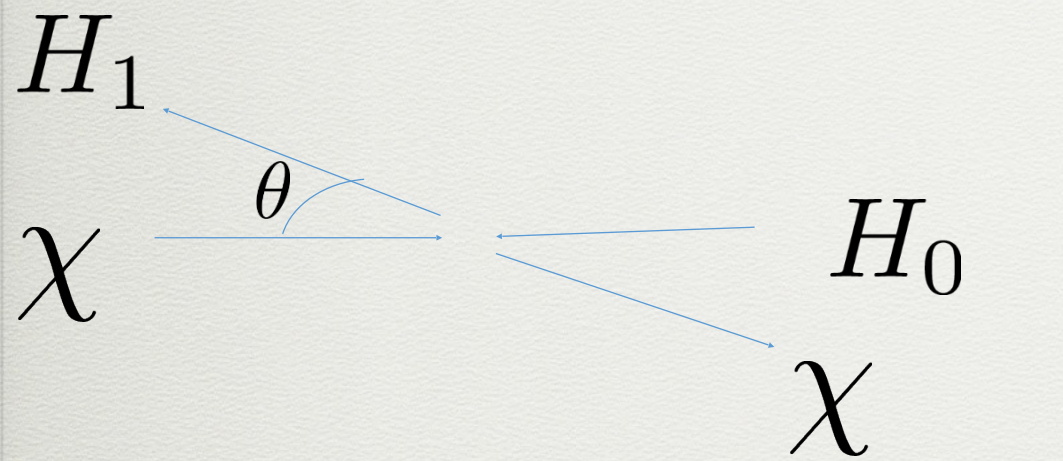
$$V(r) = \frac{g_\chi g_e}{r} e^{-m_V r} (\vec{S}_e \cdot \vec{S}_\chi)$$

Elastic, massless mediator

$$\frac{d\sigma}{d\Omega} \propto \frac{\alpha_e \alpha_\chi}{\mu^2 v^4 \sin^4 \frac{\theta}{2}}$$

Singularity cut-off by mediator mass or threshold momentum

$$m_V \ll p_{\text{th}} = \sqrt{2\Delta\mu} \quad m_V \ll \frac{p_{\text{th}}^2}{\sqrt{2\mu T_{\text{eff}}}} \propto \Delta \sqrt{\frac{\mu}{T_{\text{eff}}}}$$



$$\langle v^2 \rangle = \langle v_H^2 \rangle + \langle v_\chi^2 \rangle \quad \mu = \frac{m_H m_\chi}{m_H + m_\chi}$$

$$T_{\text{eff}} = \mu \left( \frac{T_K}{m_H} + \frac{T_\chi}{m_\chi} \right)$$

$$\sigma = 4\pi \frac{\alpha_e \alpha_\chi}{\Delta^2}$$

$$D_{10} \propto n_\chi \langle \sigma v \rangle$$

$$\frac{d\bar{\sigma}}{d\Omega} \propto \frac{\alpha_e \alpha_\chi}{\mu^2 v^4 \sin^4 \frac{\theta}{2}} (1 - \cos \theta)$$

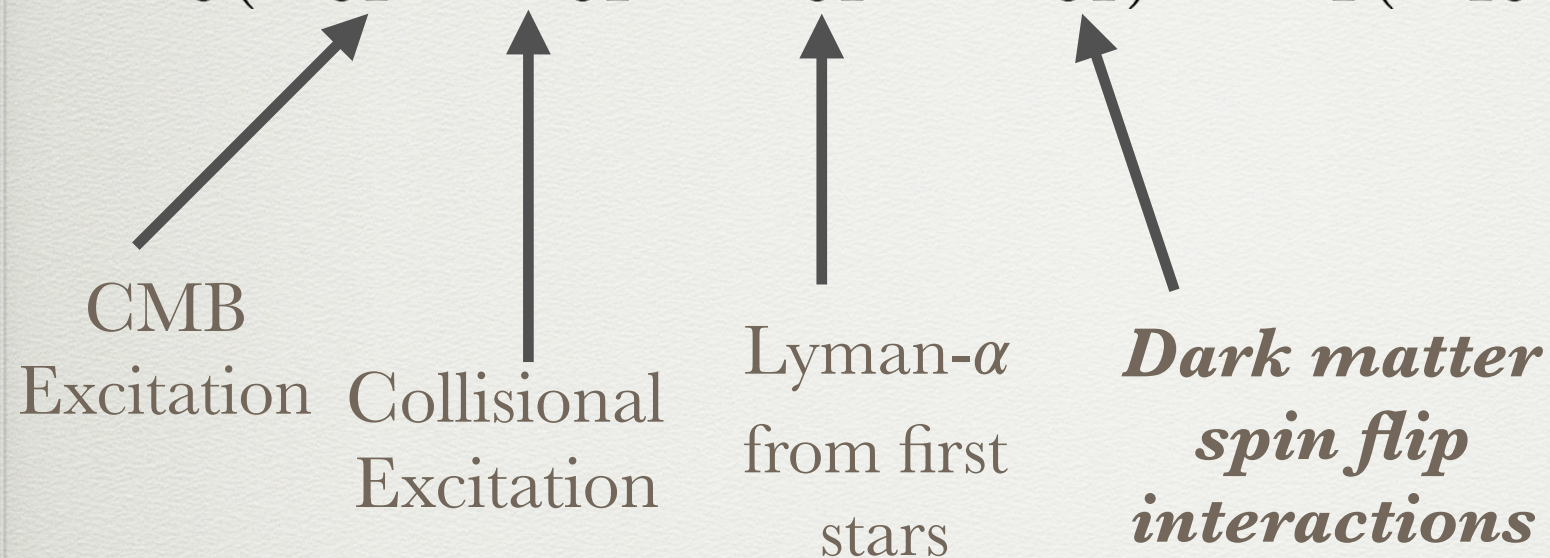
$$\bar{\sigma} = 4\pi \frac{\alpha_e \alpha_\chi}{\Delta^2} \times \frac{\Delta}{T_{\text{eff}}}$$

$$\Gamma_H \propto n_\chi \langle \bar{\sigma} v \rangle$$



# Modified rate balance and spin-temperature

$$n_0(B_{01} + C_{01} + P_{01} + D_{01}) = n_1(A_{10} + B_{10} + C_{10} + P_{10} + D_{10})$$



$$\begin{aligned} \frac{n_1}{n_0} &= 3e^{-\frac{\Delta}{T_s}} \simeq 3 \left( 1 - \frac{\Delta}{T_s} \right) \\ \frac{C_{01}}{C_{10}} &= 3e^{-\frac{\Delta}{T_K}} \simeq 3 \left( 1 - \frac{\Delta}{T_K} \right) \\ \frac{P_{01}}{P_{10}} &= 3e^{-\frac{\Delta}{T_c}} \simeq 3 \left( 1 - \frac{\Delta}{T_c} \right) \\ \frac{D_{01}}{D_{10}} &= 3e^{-\Delta/T_{\text{eff}}} \simeq 3 \left( 1 - \frac{\Delta}{T_{\text{eff}}} \right) \end{aligned}$$

$$T_s^{-1} = \frac{T_{\text{CMB}}^{-1} + x_C T_K^{-1} + x_\alpha T_c^{-1} + x_D T_{\text{eff}}^{-1}}{1 + x_C + x_\alpha + x_D}$$

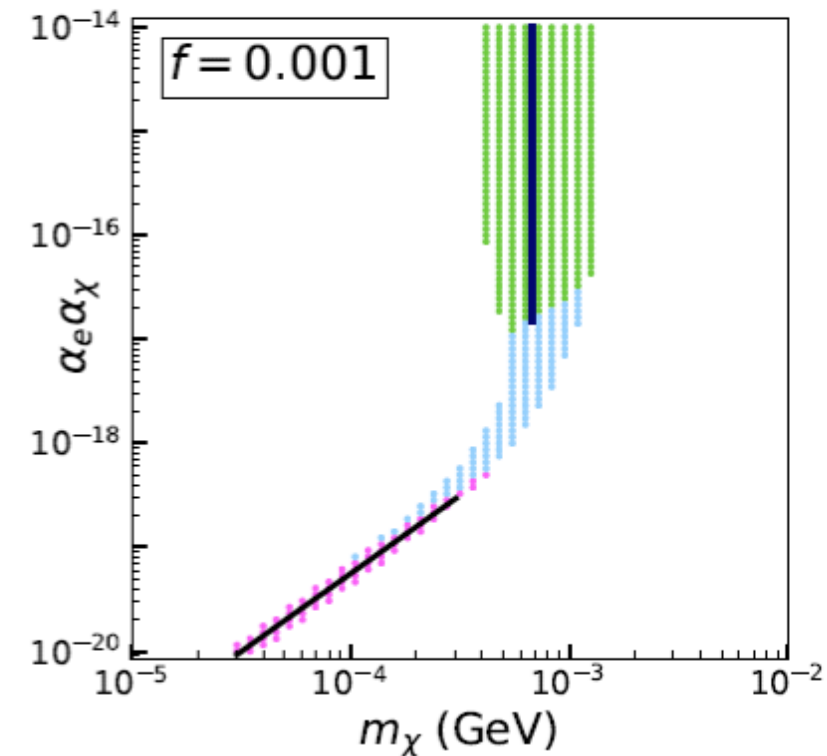
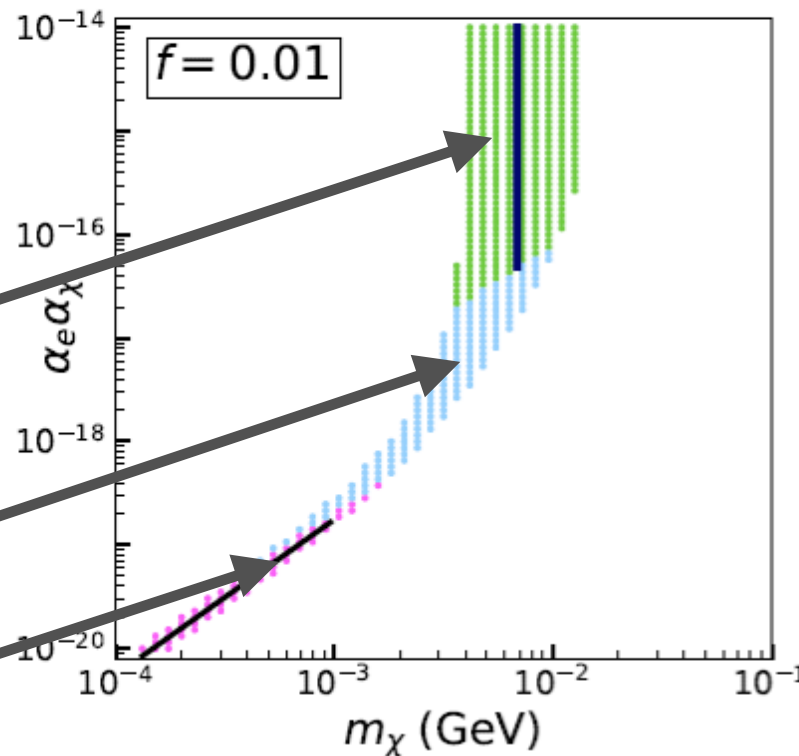
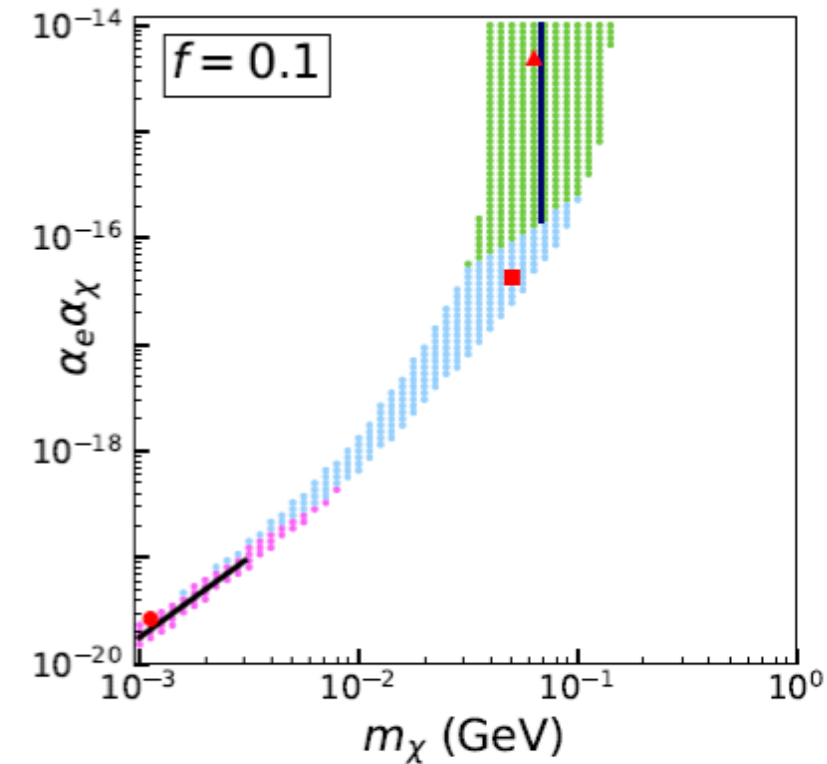
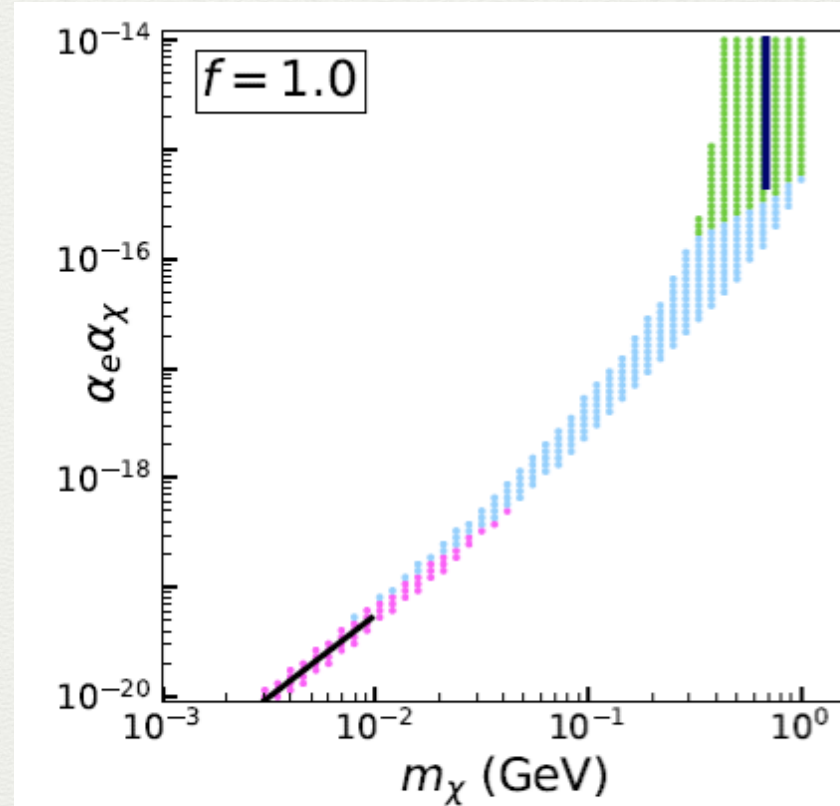
$$\begin{aligned} x_C &= \frac{C_{10}}{B_{10}} \\ x_\alpha &= \frac{P_{10}}{B_{10}} \end{aligned}$$

$$T_{\text{eff}} = \mu \left( \frac{T_K}{m_H} + \frac{T_\chi}{m_\chi} \right) \quad \mu = \frac{m_H m_\chi}{m_H + m_\chi}$$



# Parameter space of the model

- We get a strong broadband absorption signal
  - Strong:  $T_{\text{eff}} \ll T_{\text{cmb}}$
  - Broadband:  $x_D \gg 1$
- Benchmark parameter space gives rise to a benchmark value of  $\delta T_b(z = 17) = -500 \text{ mK}$



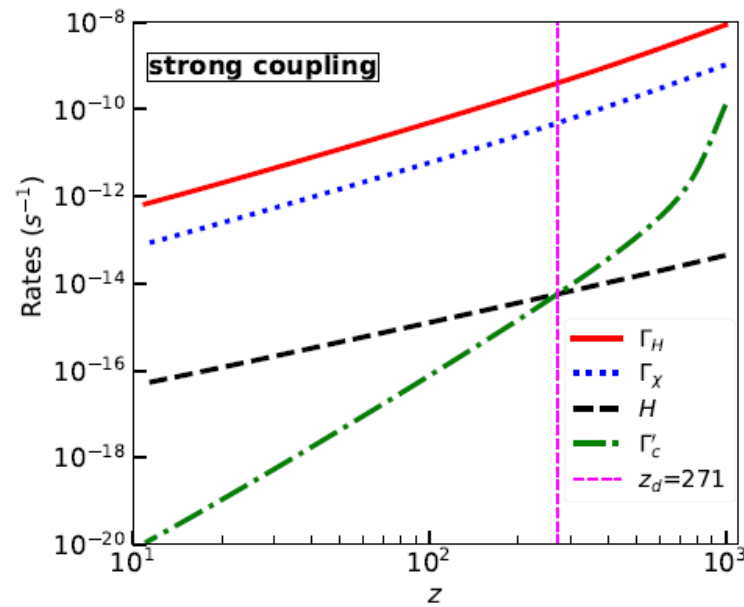
Strong coupling

Intermediate coupling

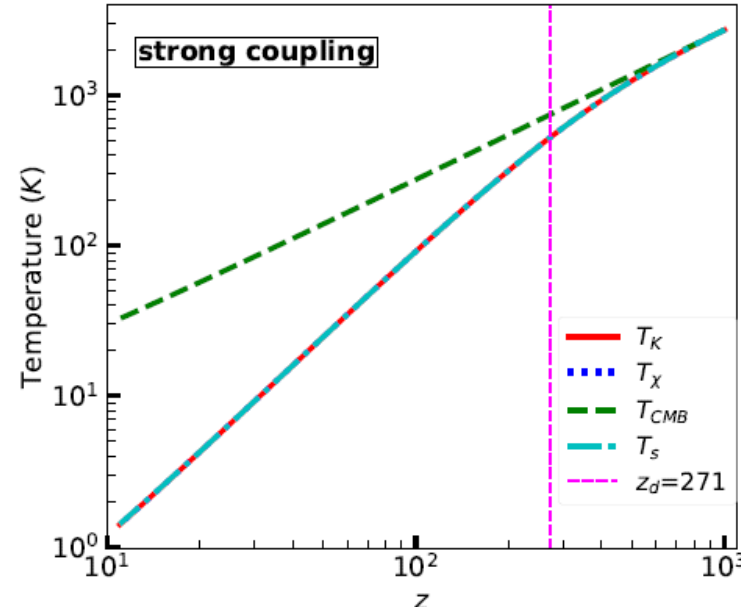
Weak coupling



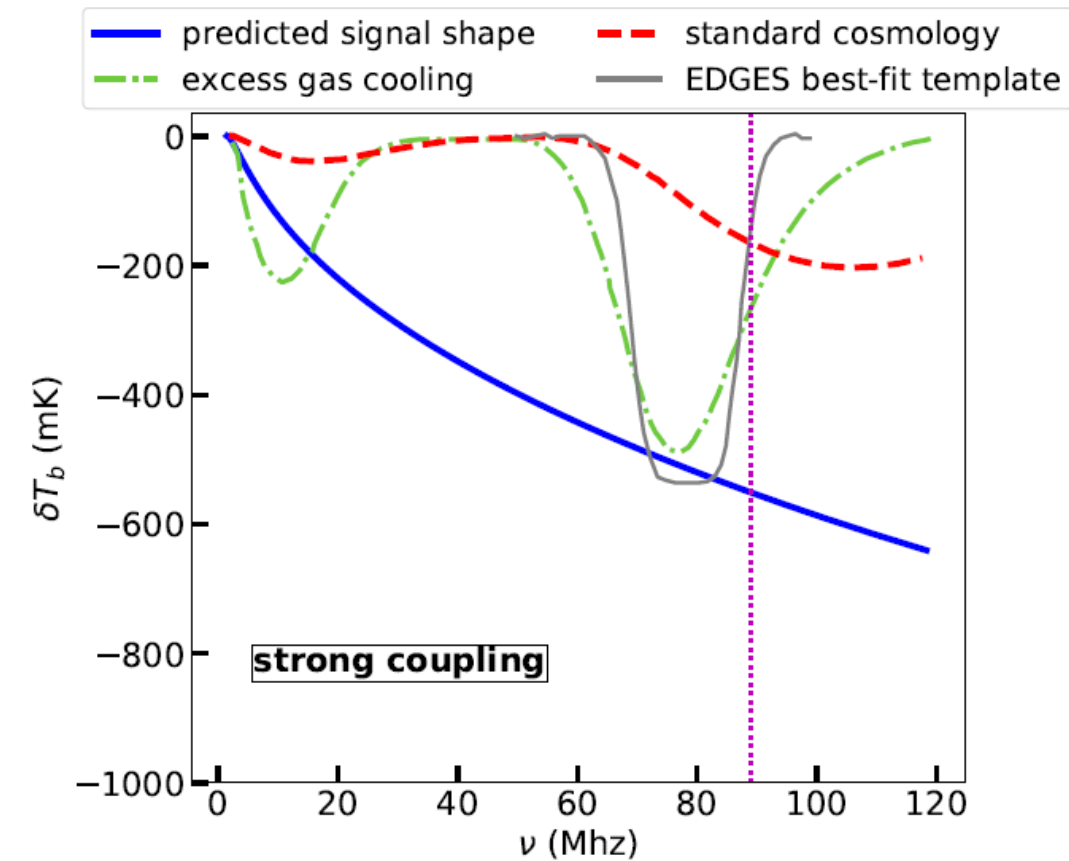
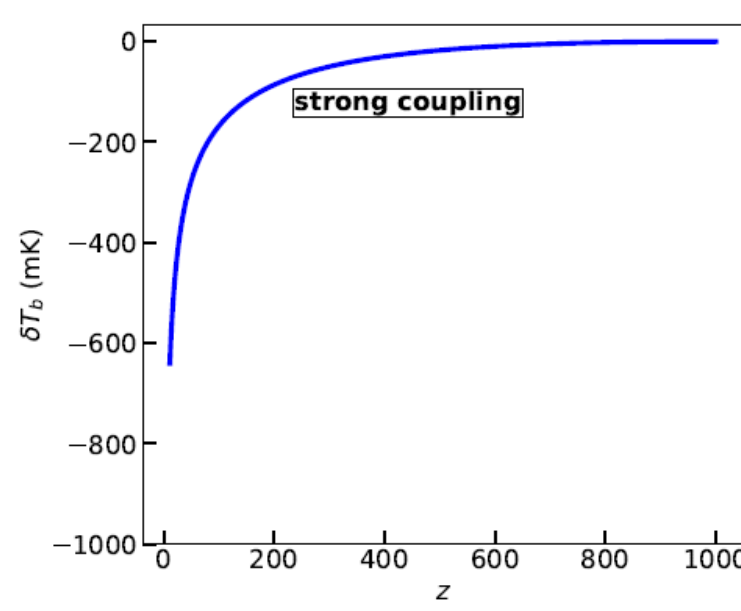
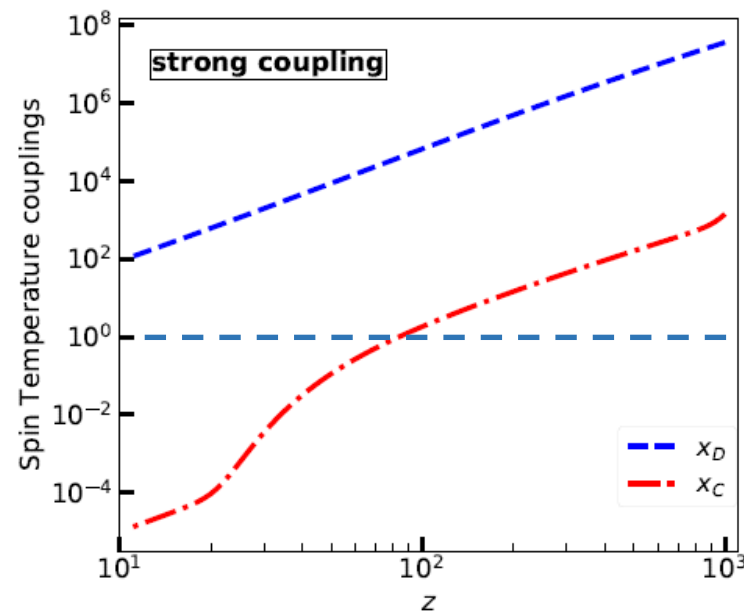
# Strong coupling benchmark



(a)

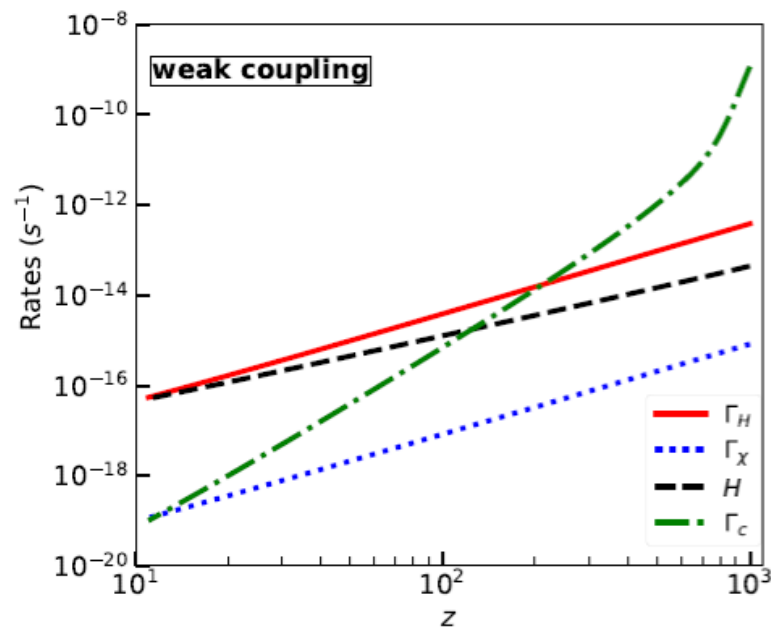


(b)

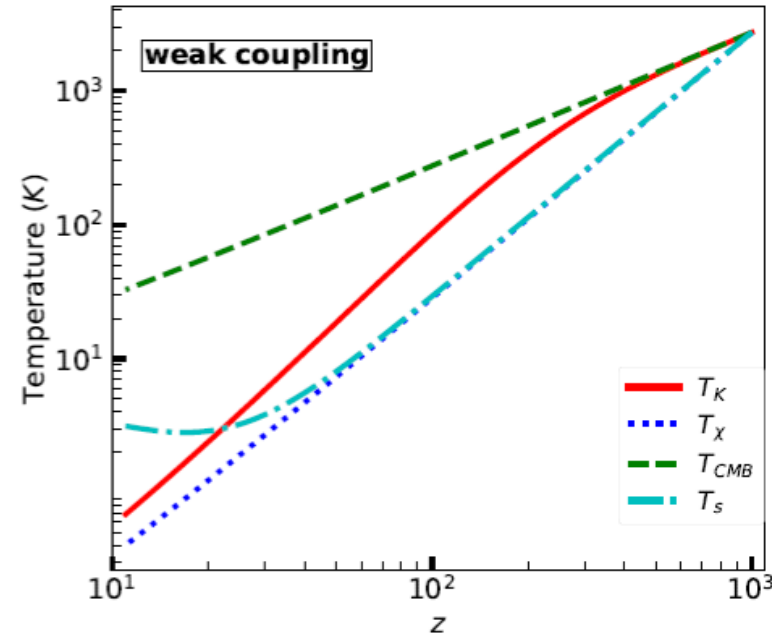




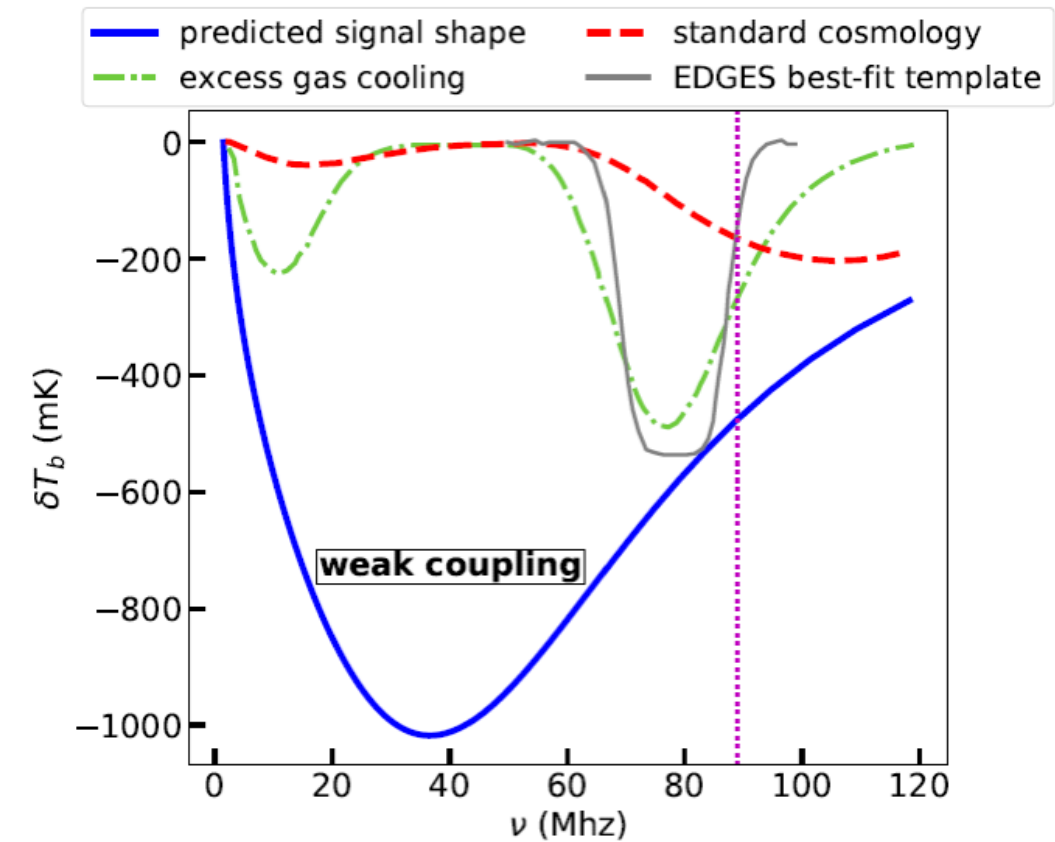
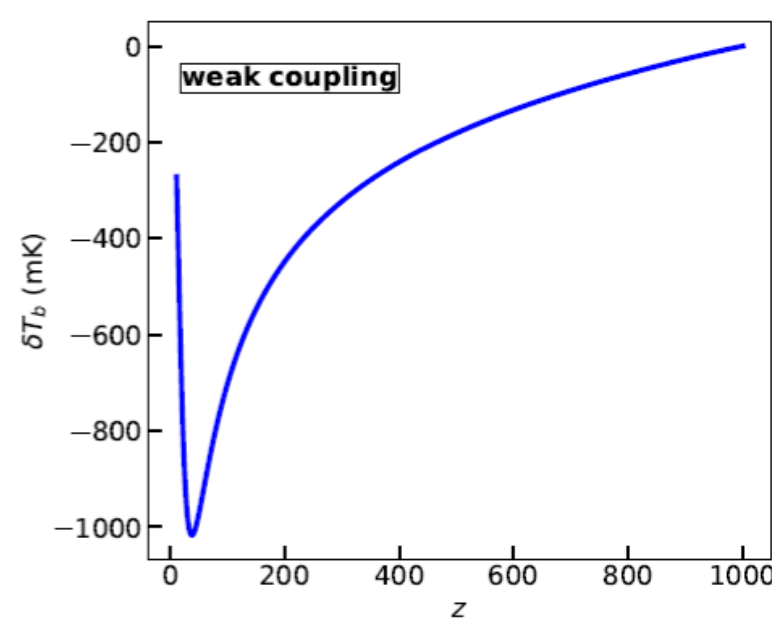
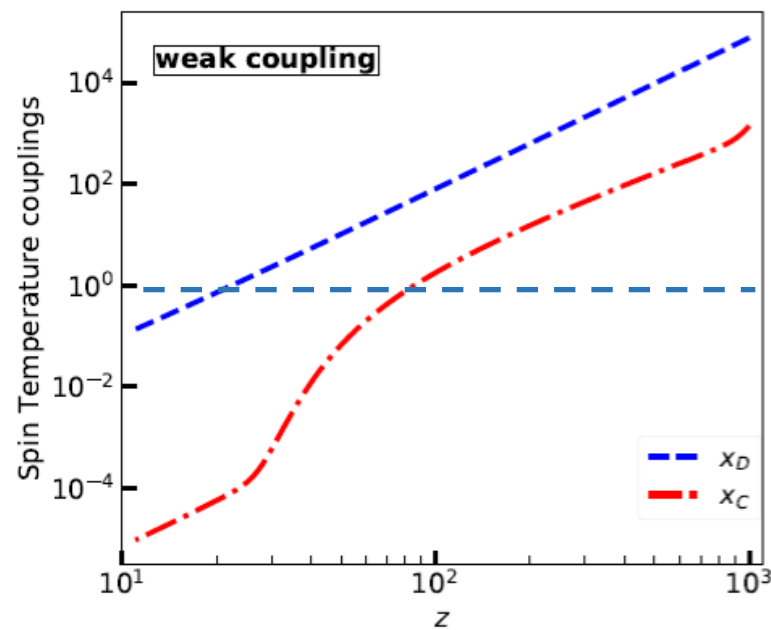
# Weak coupling benchmark



(a)

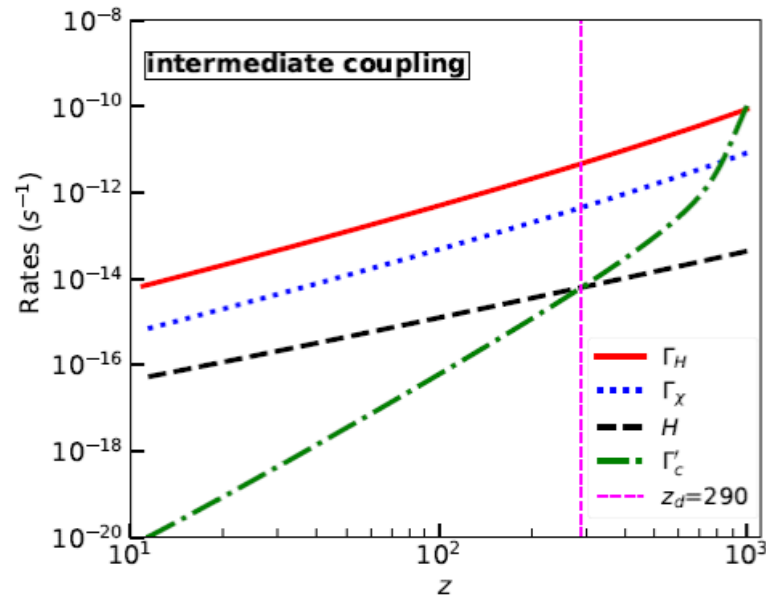


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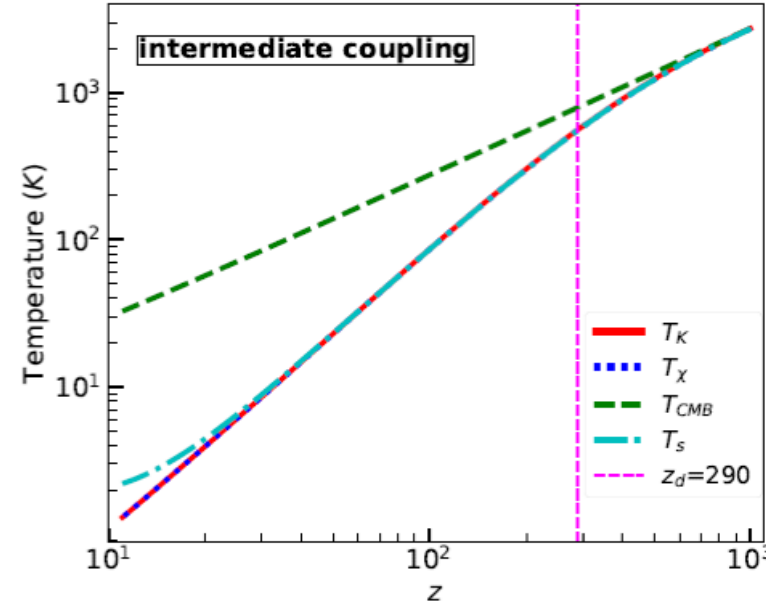




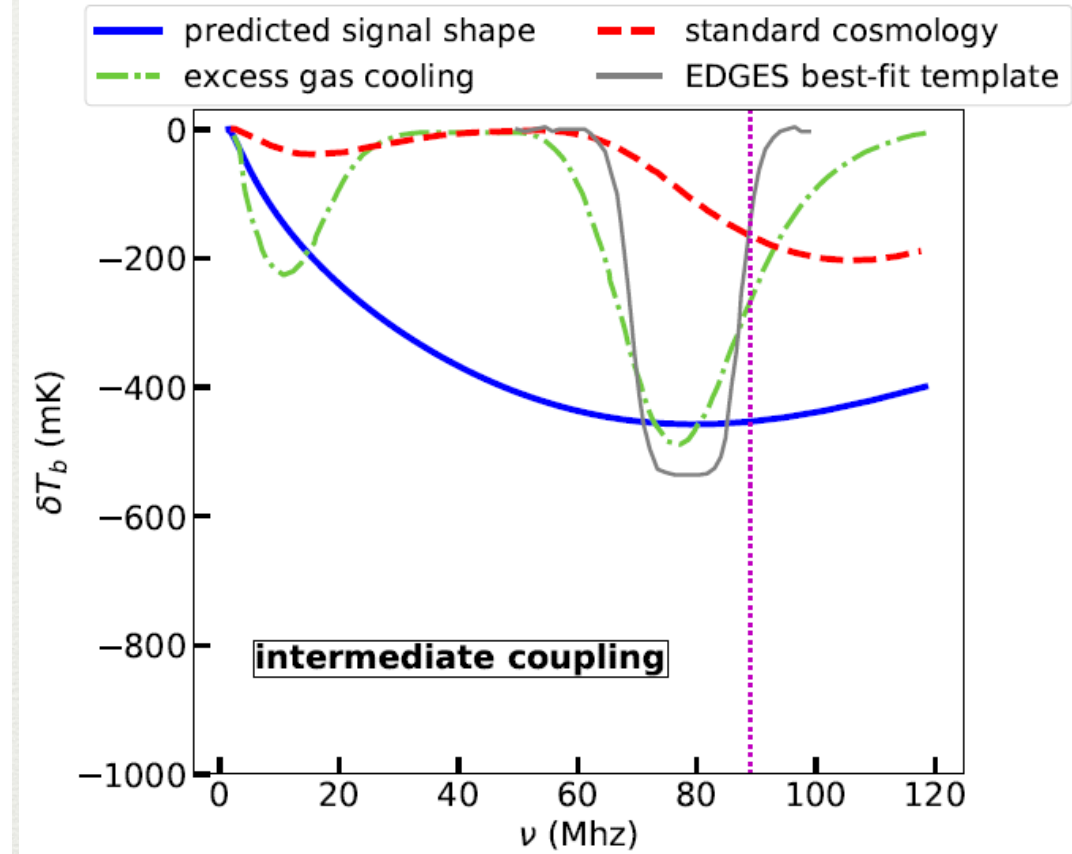
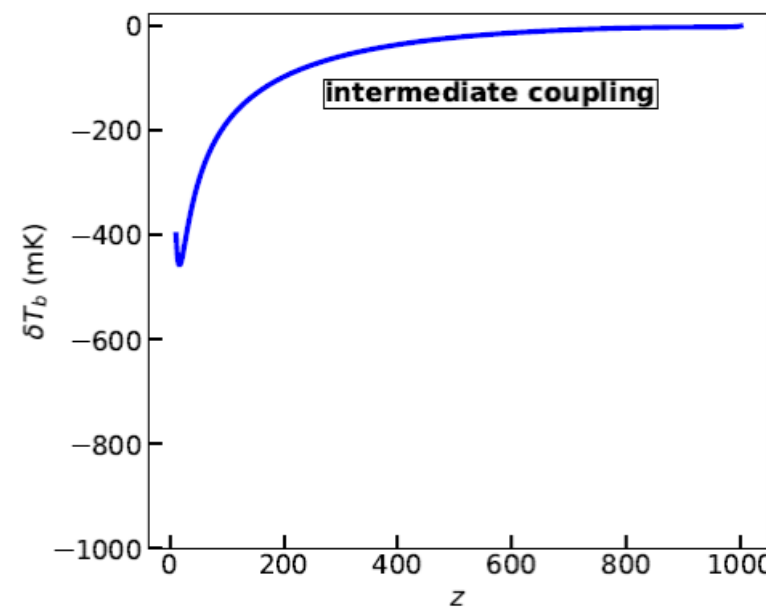
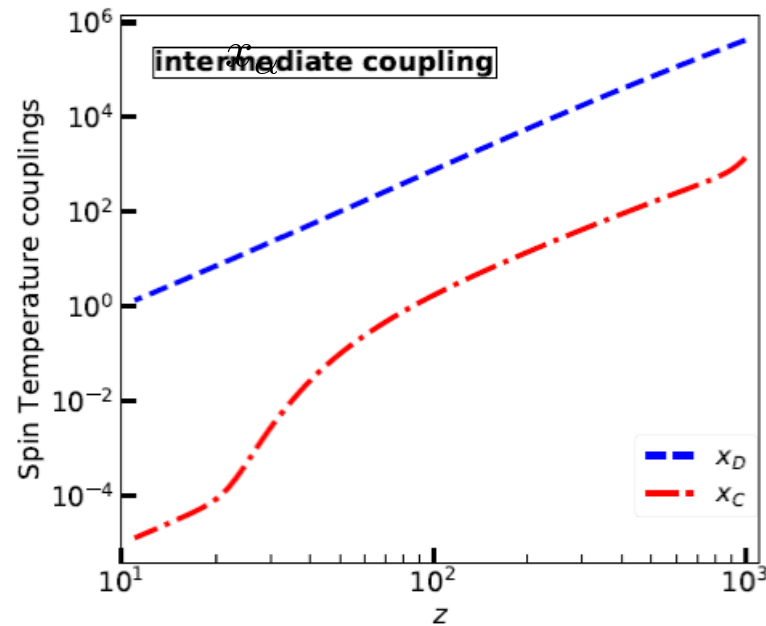
# Intermediate coupling benchmark



(a)



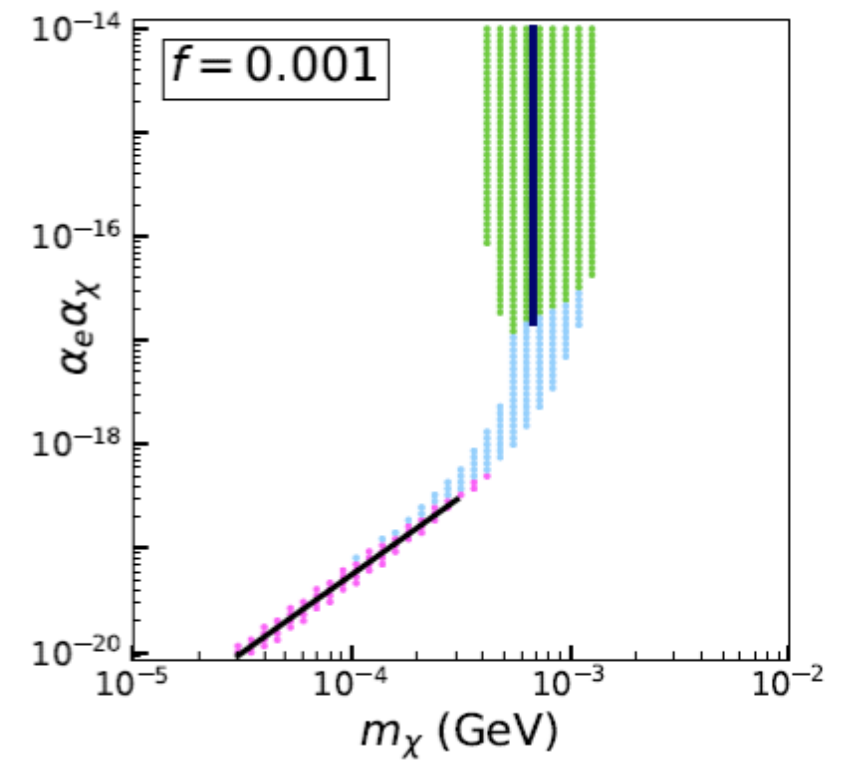
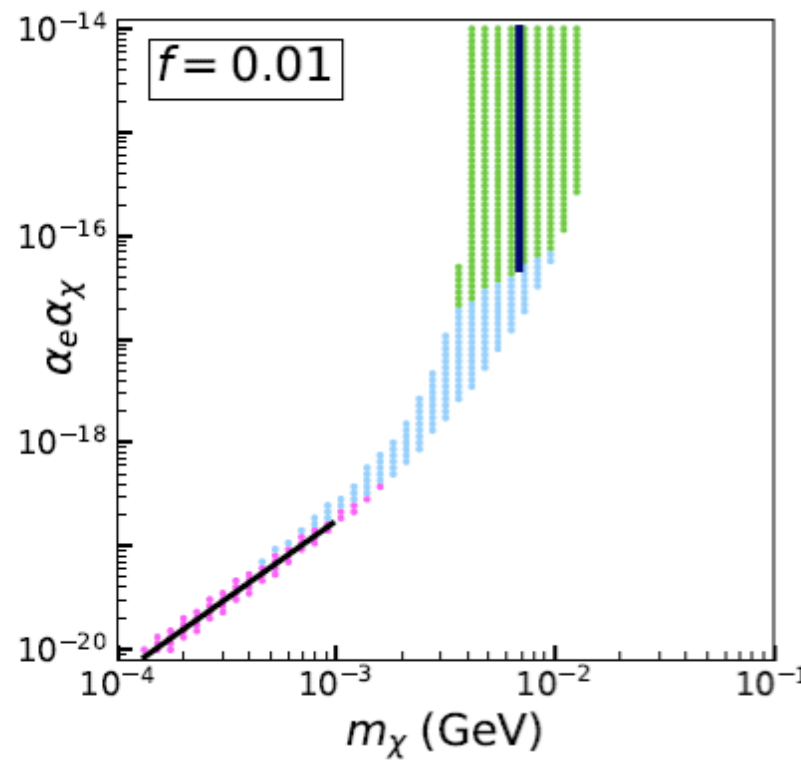
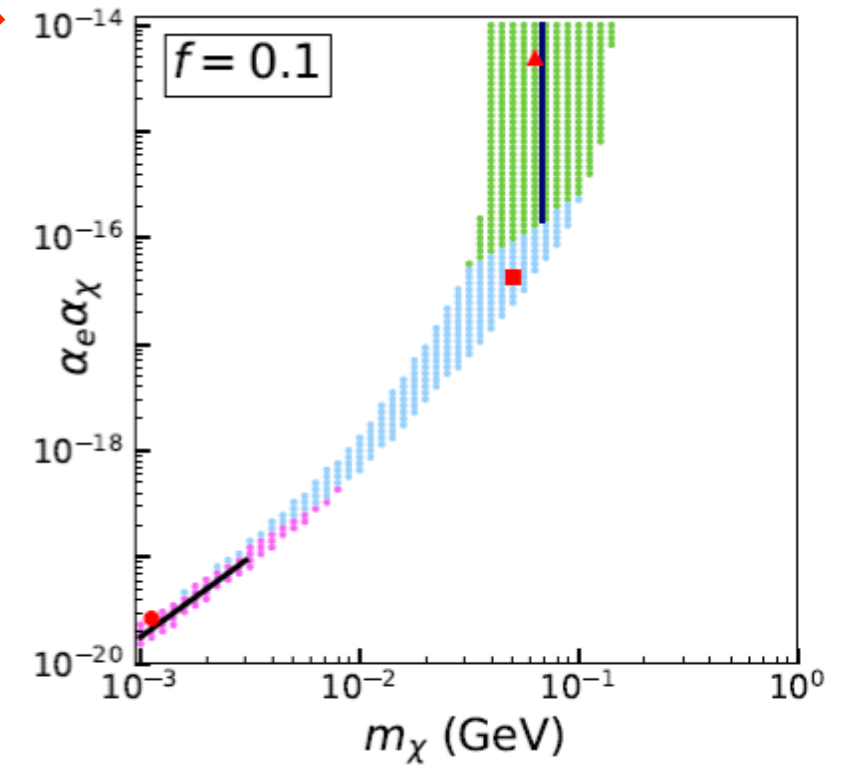
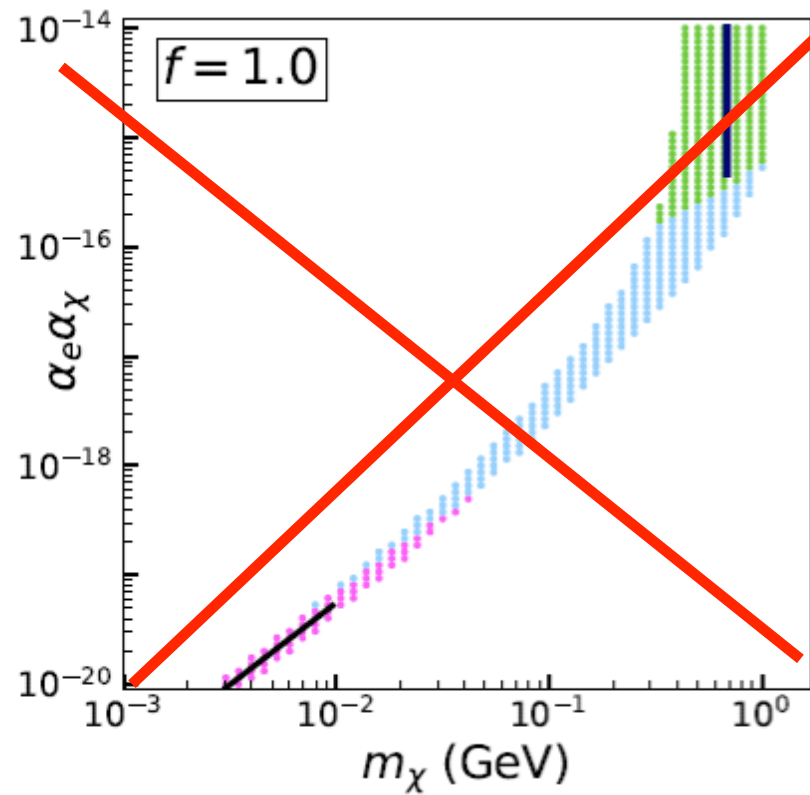
(b)





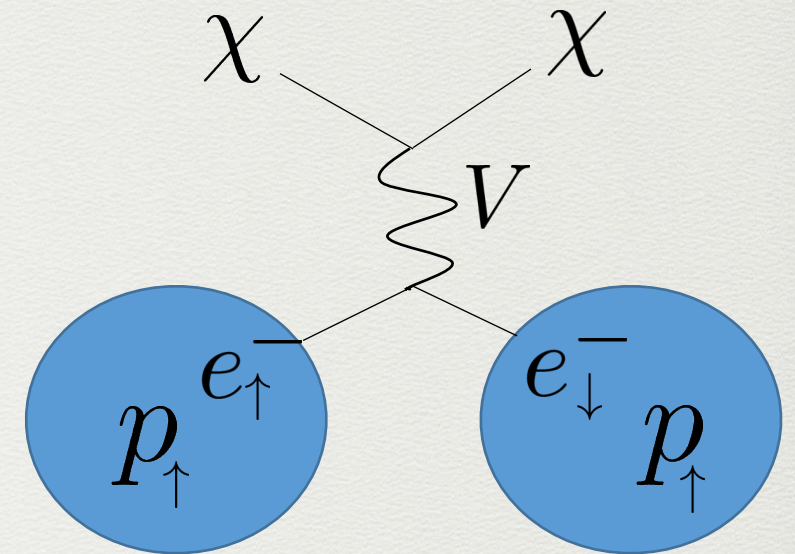
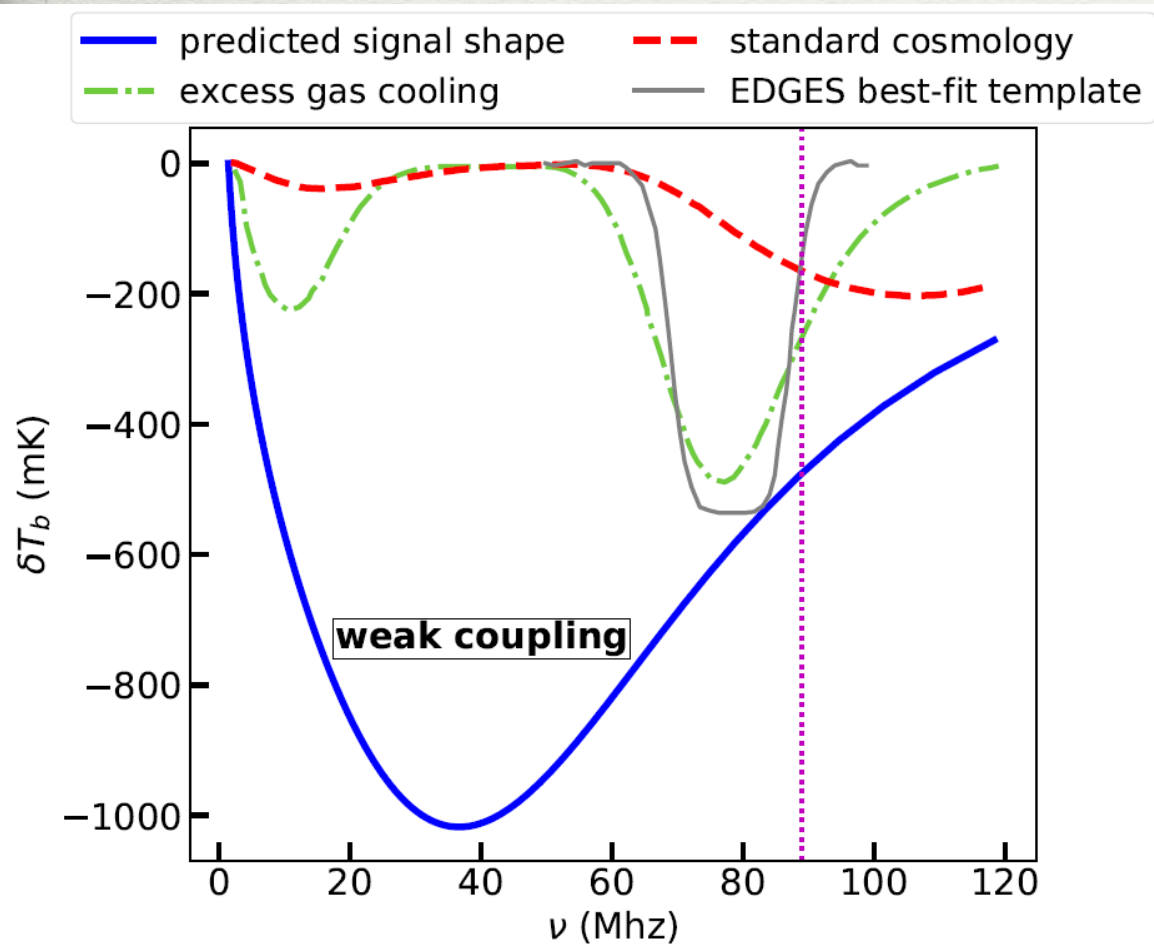
# Constraints:

- Light mediator
  - Short range forces mm-nm scale
  - *Collider searches*
  - *Stellar cooling*  $\Delta N_{\text{eff}}$
  - Extra-radiation species
- Cosmological constraints
  - **Kinetic decoupling**
  - Self-interaction
  - Freeze-out





# Key Results



- New testable prediction  
Single, strong, broadband global 21 cm signal-unlike anything predicted in standard cosmology or excess cooling models!
- Independent probes of the gas temperature in weak and intermediate coupling scenarios

## Standard cosmology/excess cooling models

Two distinct band-limited absorption features

Localized near 20 MHz ( $z \sim 70$ ), 90 MHz ( $z \sim 15$ )

Weak or strong

Spin temperature traces gas temperature

## Dark matter spin flip model

Single broadband absorption feature

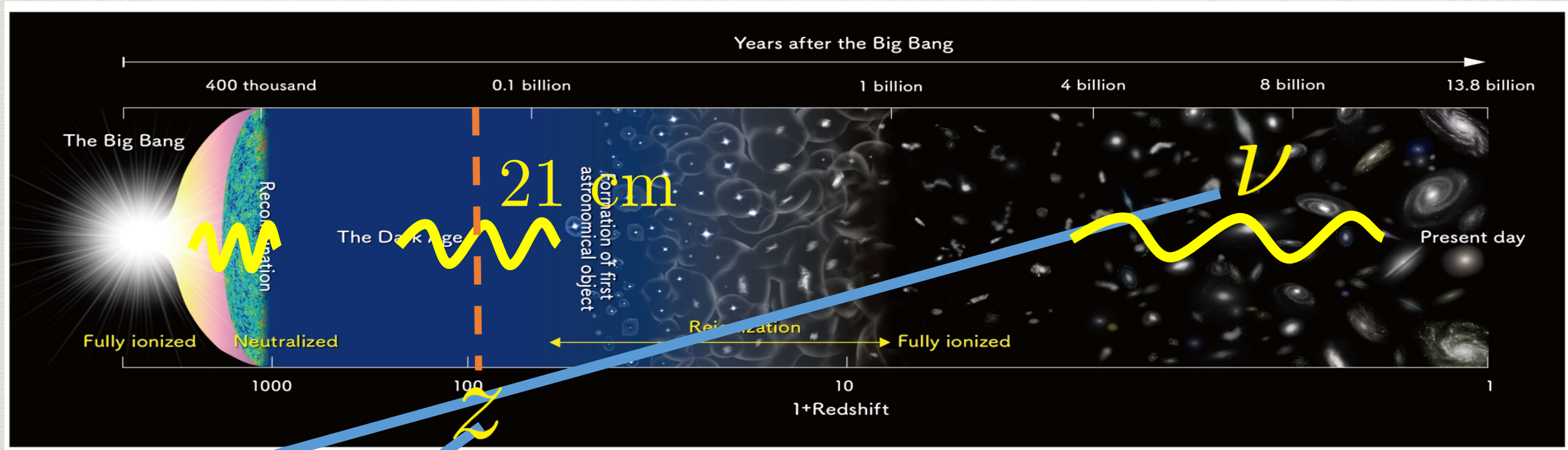
From 1.4 MHz ( $z \sim 1000$ ) - 90 MHz ( $z \sim 15$ )

Strong

Spin temperature not necessarily track gas temperature



# Back up



$$\nu = 1420 / (1 + z) \text{ MHz}$$

$$I_\nu = 2k_B T \frac{\nu^2}{c^2}$$

Blackbody  
expectation

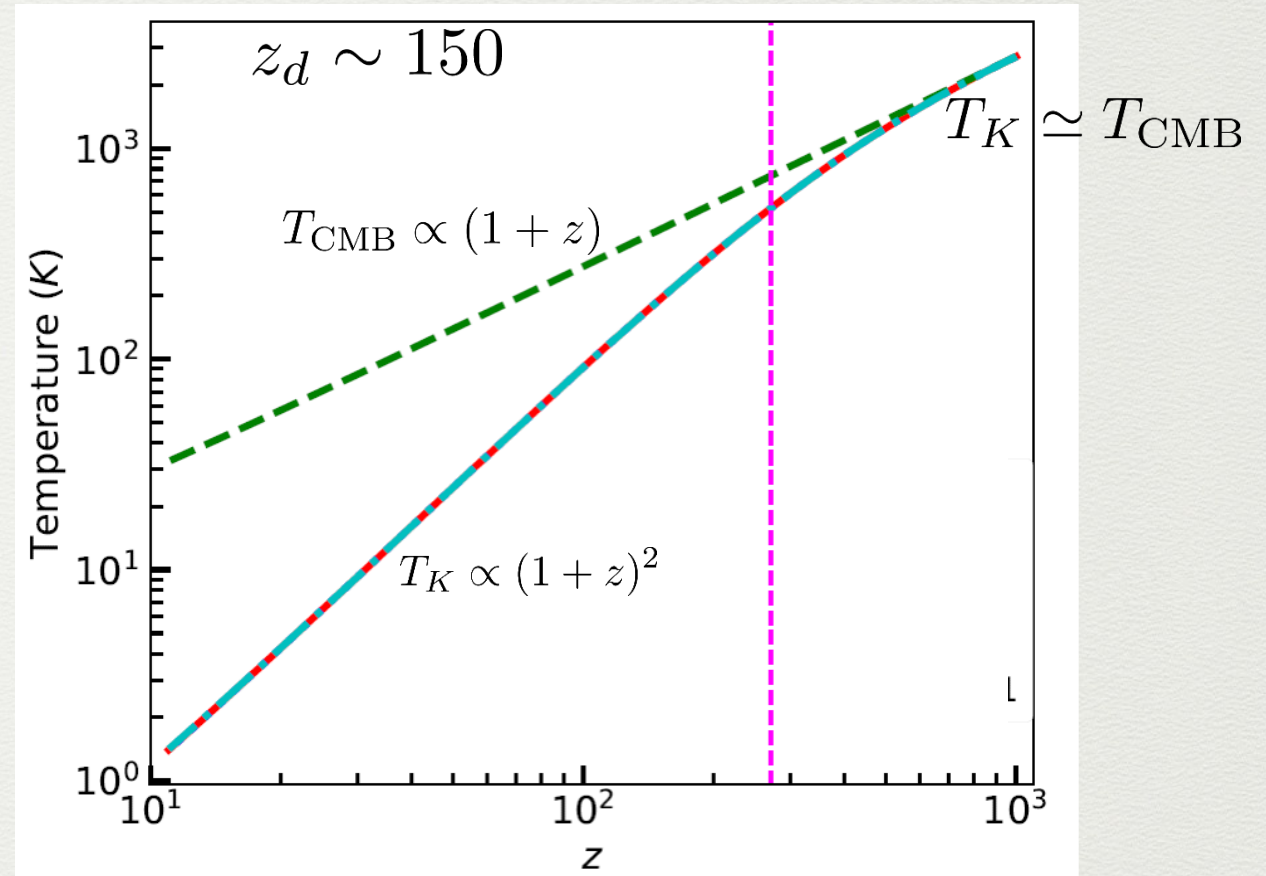
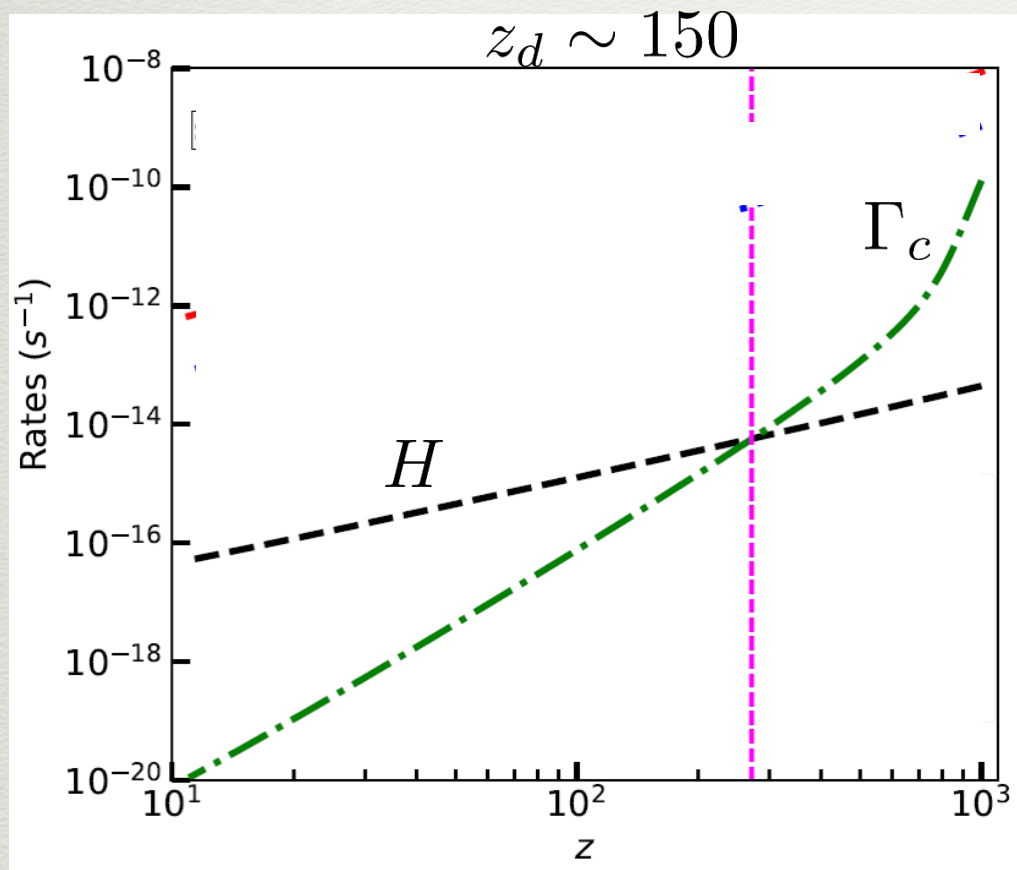
$$T_b \equiv \frac{c^2}{2k_B \nu^2} I_\nu$$

$$\delta T_b \propto I_\nu^{\text{measured}} - I_\nu^{\text{CMB}}$$

measure of net absorption or emission  
at different redshifts



# Evolution of the gas kinetic temperature



Compton scattering rate

$$\frac{dT_K}{d \log(1+z)} = +2T_K - \frac{\Gamma_c}{H}(T_{\text{CMB}} - T_K)$$

In standard cosmology

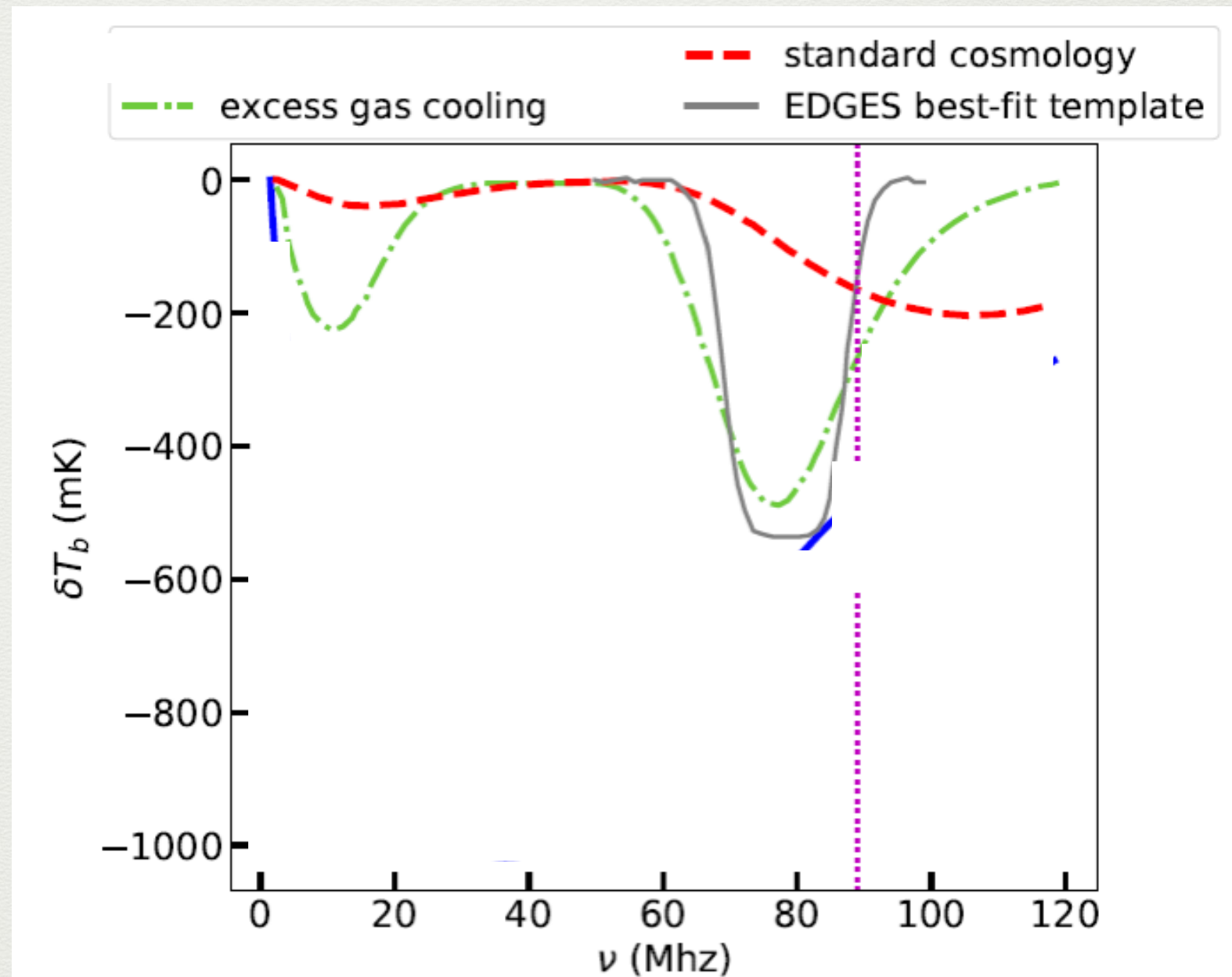
$$T_K(z = 17) \sim 6.8 \text{ K}$$

$$T_s^{\text{EDGES}}(z = 17) \sim 3.3 \text{ K}$$

$$\begin{aligned} \Gamma_c &= \frac{8a_r\sigma_T}{3m_e c} T_{\text{CMB}}^4(z) \frac{x_e(z)}{(1 + 0.08 + x_e(z))} \\ &= 7.4 \times 10^{-20} \left( \frac{1+z}{1+10} \right)^4 \times \frac{x_e(z)}{2 \times 10^{-4}} \frac{1.08}{(1 + 0.08 + x_e(z))} s^{-1} \end{aligned}$$



# Excess gas cooling models

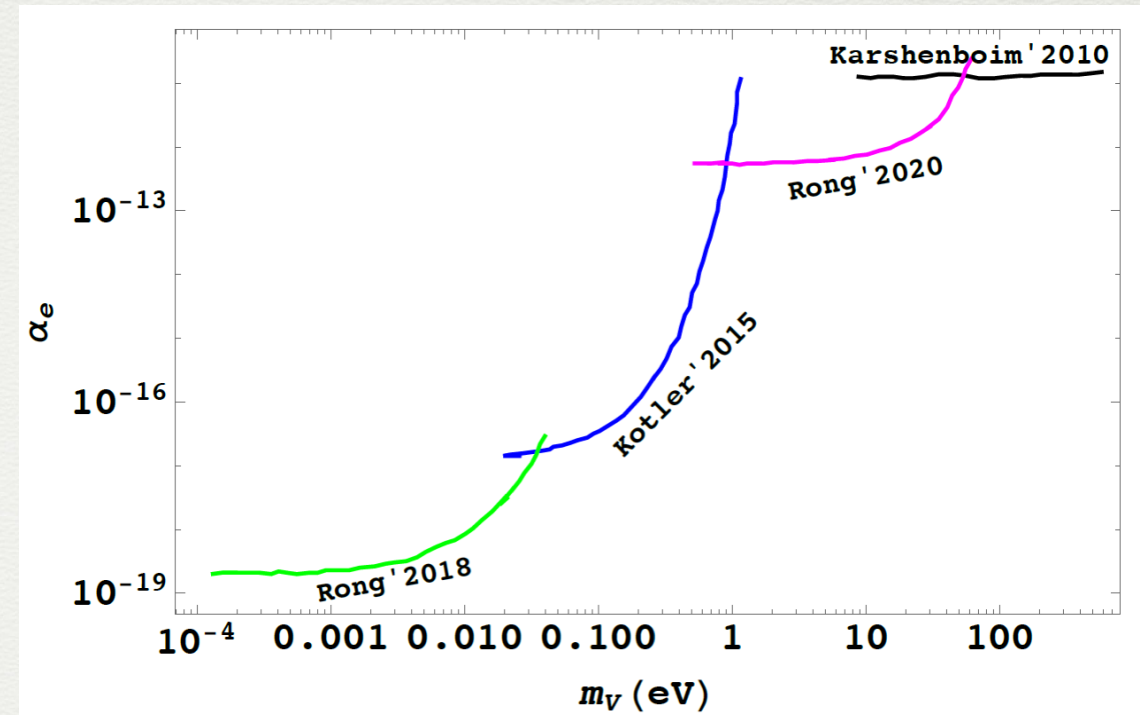


Barkana 2018,  
Munoz and Loeb 2018,  
Berlin, Hooper, Krnjaic, McDermott 2018,  
Barkana, Outmezguine, Redigolo, Volansky, 2018  
Kovetz et al 2018, ...



# Constraints:

- Light mediator
  - Short range forces mm-nm scale
  - *Collider searches*
  - *Stellar cooling*
  - Extra-radiation species  $\Delta N_{\text{eff}}$
- Cosmological constraints
  - Kinetic decoupling
  - Self-interaction
  - Freeze-out



$$0.1 \text{ eV} \sqrt{\frac{\alpha_\chi \alpha_e}{10^{-18}}} \left( \frac{\mu}{0.1 \text{ GeV}} \right) \lesssim m_V \lesssim 2.3 \text{ eV} \sqrt{\left( \frac{1000 \text{ K}}{T_{\text{eff}}} \right)} \left( \frac{\mu}{0.1 \text{ GeV}} \right)$$