

Analyzing light sterile ν at DUNE: Roles of beam tune, neutral current, near detector

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Work done in collaboration with M.Bishai, P. Mehta, S. Parveen (2406.xxxx)

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Plan of the talk

- Motivation
- Effect of sterile neutrino on probability
- Beams and different analysis configurations
- Results: Statistical analysis
- Summary

Unresolved issues

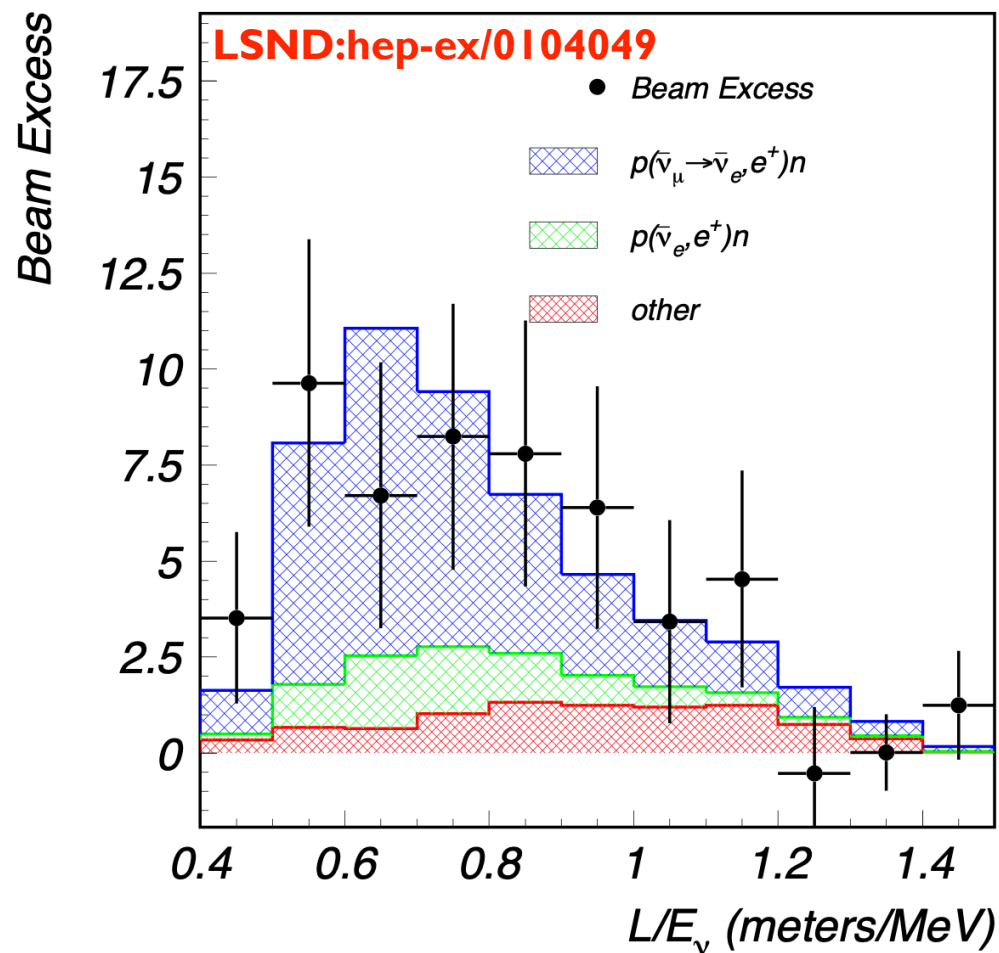
Table: de Salas, Forero, Gariazzo, Martinez-Mirave, Mena, Ternes, Tortola, Valle: 2006.11237

Oscillation parameter	Best fit value	3σ range
$\theta_{12}/^\circ$	34.3	[31.4, 37.4]
$\theta_{23}/^\circ$	48.8	[41.6, 51.3]
$\theta_{13}/^\circ$	8.6	[8.2, 8.9]
δ_{13}/π	-0.8	$[-1, 0] \cup [0.8, 1]$
$\Delta m_{21}^2/10^{-5} \text{ eV}^2$	7.5	[6.9, 8.1]
$\Delta m_{31}^2/10^{-3} \text{ eV}^2$	2.6	[2.5, 2.7]

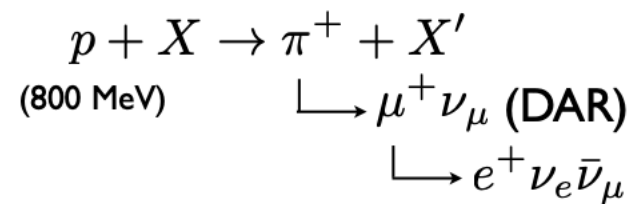
- Origin of ν mass?
- Ordering of ν masses?
- Matter-antimatter asymmetry? ($\delta \neq 0, \pi$)?
- $\theta_{23} < \pi/4$ or $> \pi/4$?
- Nonstandard ν interaction (NSI)?
- Sterile ν ?
- Lorentz Invariance Violation?
- ν from astrophysical sources

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Hints for new physics?



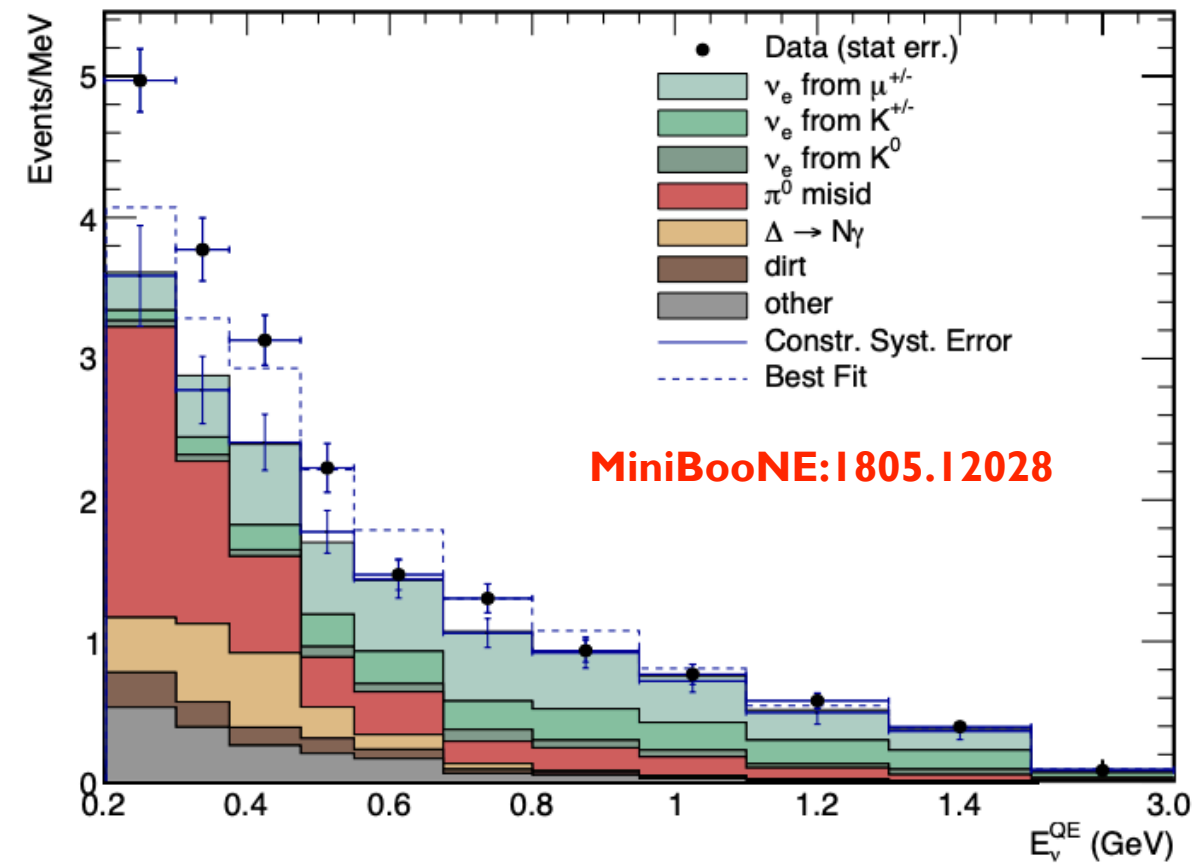
VERY intense proton beam



Detection signature:

IBD ($\bar{\nu}_e p \rightarrow e^+ n$)

LSND detected more $\bar{\nu}_e$
than expected: 87.9 ± 23.2 events
(**3.8 σ excess**)



Measures $\nu_\mu \rightarrow \nu_e$ osc.

Event excess: 381.2 ± 85.2 (4.5 σ)

Current bound on sterile neutrinos

$$U^{(3+1)} = O(\theta_{34}, \delta_{34})O(\theta_{24}, \delta_{24})O(\theta_{14}) \underbrace{O(\theta_{23})O(\theta_{13}, \delta_{13})O(\theta_{12})}_{U_{\text{PMNS}}}$$

$$P_{\alpha\beta} \approx P_{\alpha\beta}^{3+0} + |U_{\alpha 4}|^2 |U_{\beta 4}|^2 \sin^2 \Delta_{41} \quad (\alpha \neq \beta)$$

$$P_{\alpha\alpha} \approx P_{\alpha\alpha}^{3+0} - |U_{\alpha 4}|^2 (1 - |U_{\alpha 4}|^2) \sin^2 \Delta_{41}$$

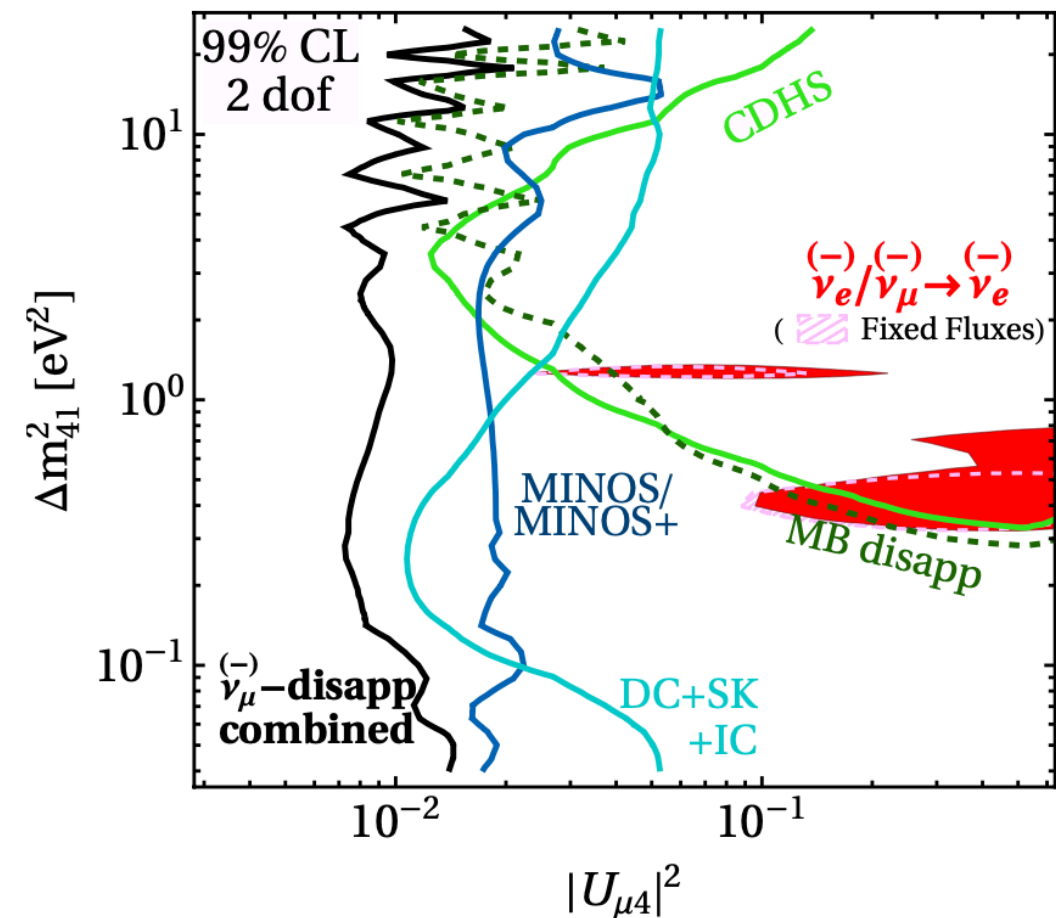
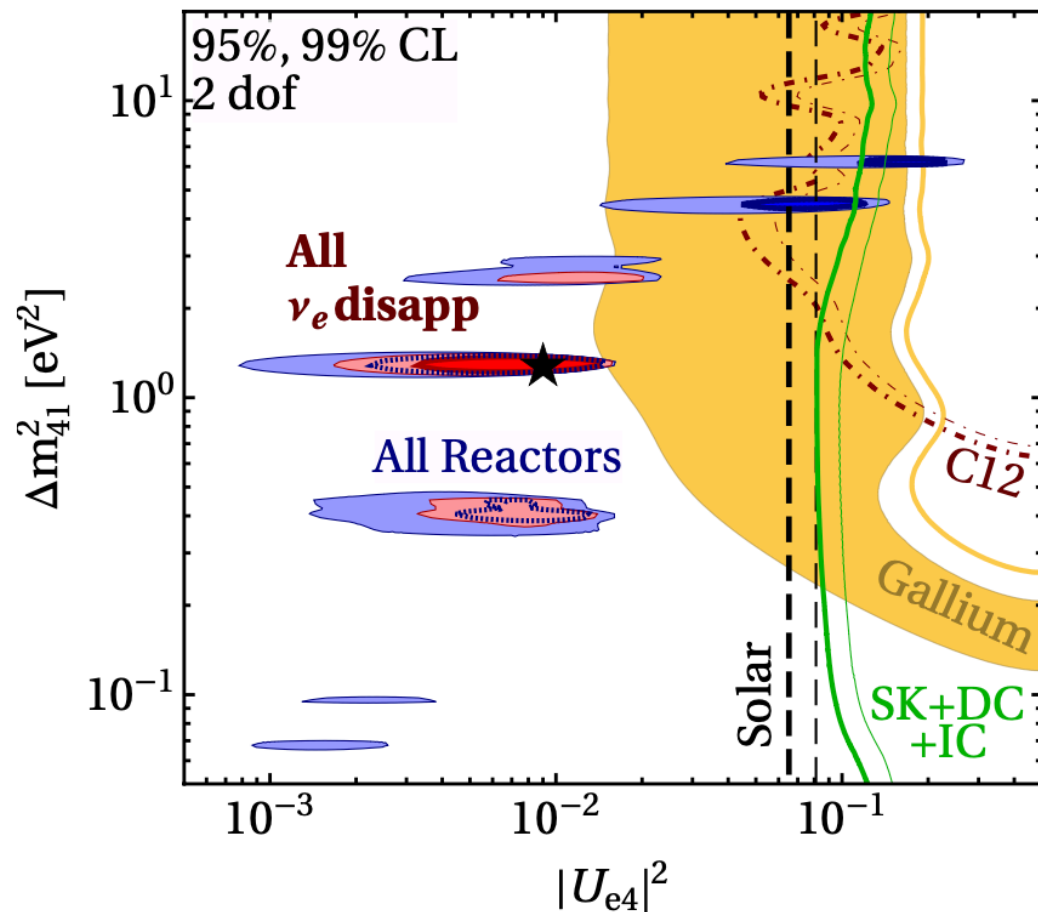
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$$P_{\alpha\beta} \approx P_{\alpha\beta}^{3+0} + |U_{\alpha 4}|^2 |U_{\beta 4}|^2 \sin^2 \Delta_{41} \quad (\alpha \neq \beta)$$

$$P_{\alpha\alpha} \approx P_{\alpha\alpha}^{3+0} - |U_{\alpha 4}|^2 (1 - |U_{\alpha 4}|^2) \sin^2 \Delta_{41}$$

Dentler, Cabezudo, Kopp, Machado, Maltoni, Soler, Schwetz (2018)



$$\sin^2 \theta_{14} \lesssim 0.01, \sin^2 \theta_{24} \lesssim 0.008, \sin^2 \theta_{34} \lesssim 0.12$$

Current bound on sterile neutrinos

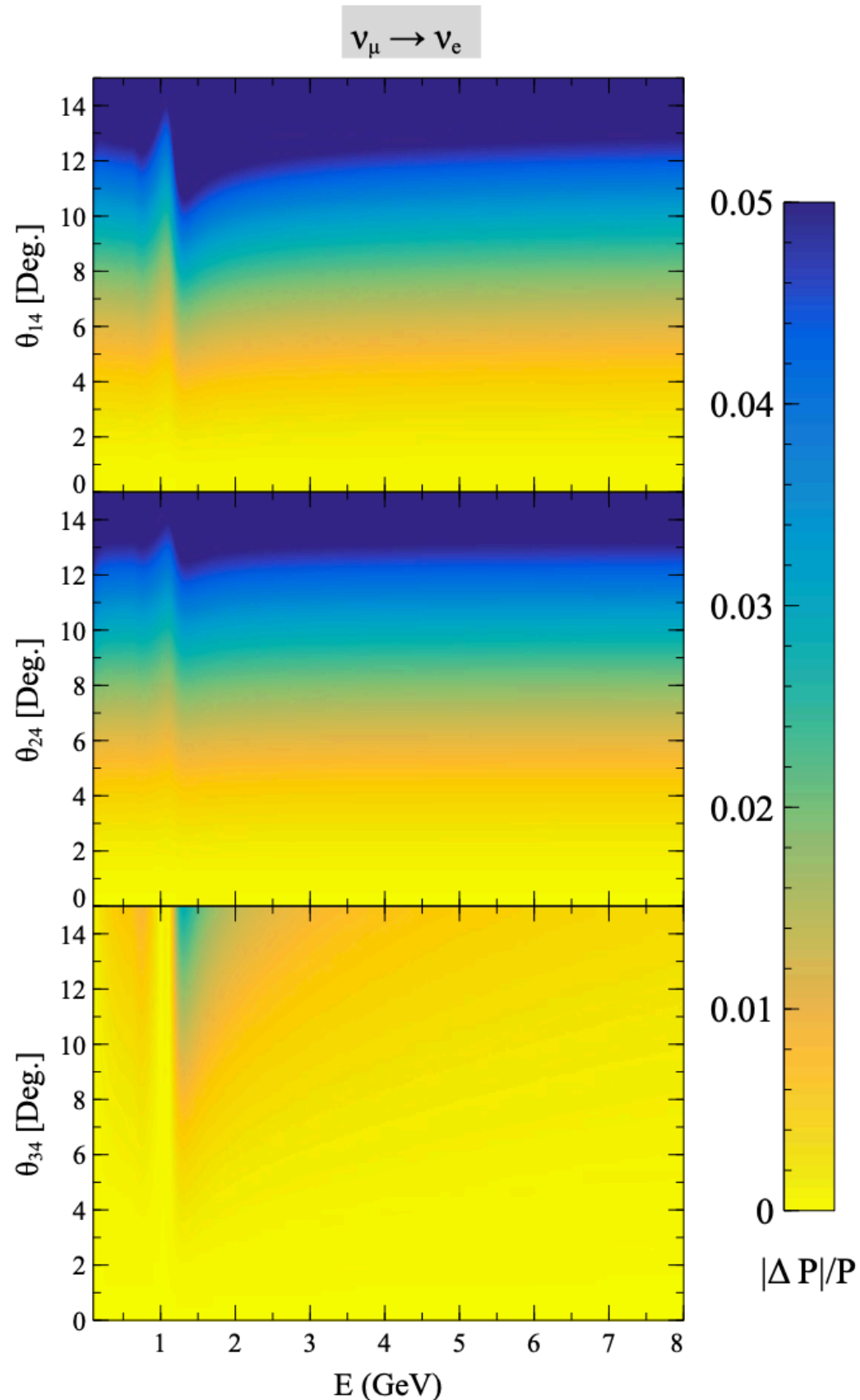
$$\sin^2 \theta_{14} \lesssim 0.01, \sin^2 \theta_{24} \lesssim 0.008, \sin^2 \theta_{34} \lesssim 0.12$$

We want to see whether DUNE is capable of improving these limits

First, we need to have some idea about how active-sterile mixing angles impact the probabilities for different channels

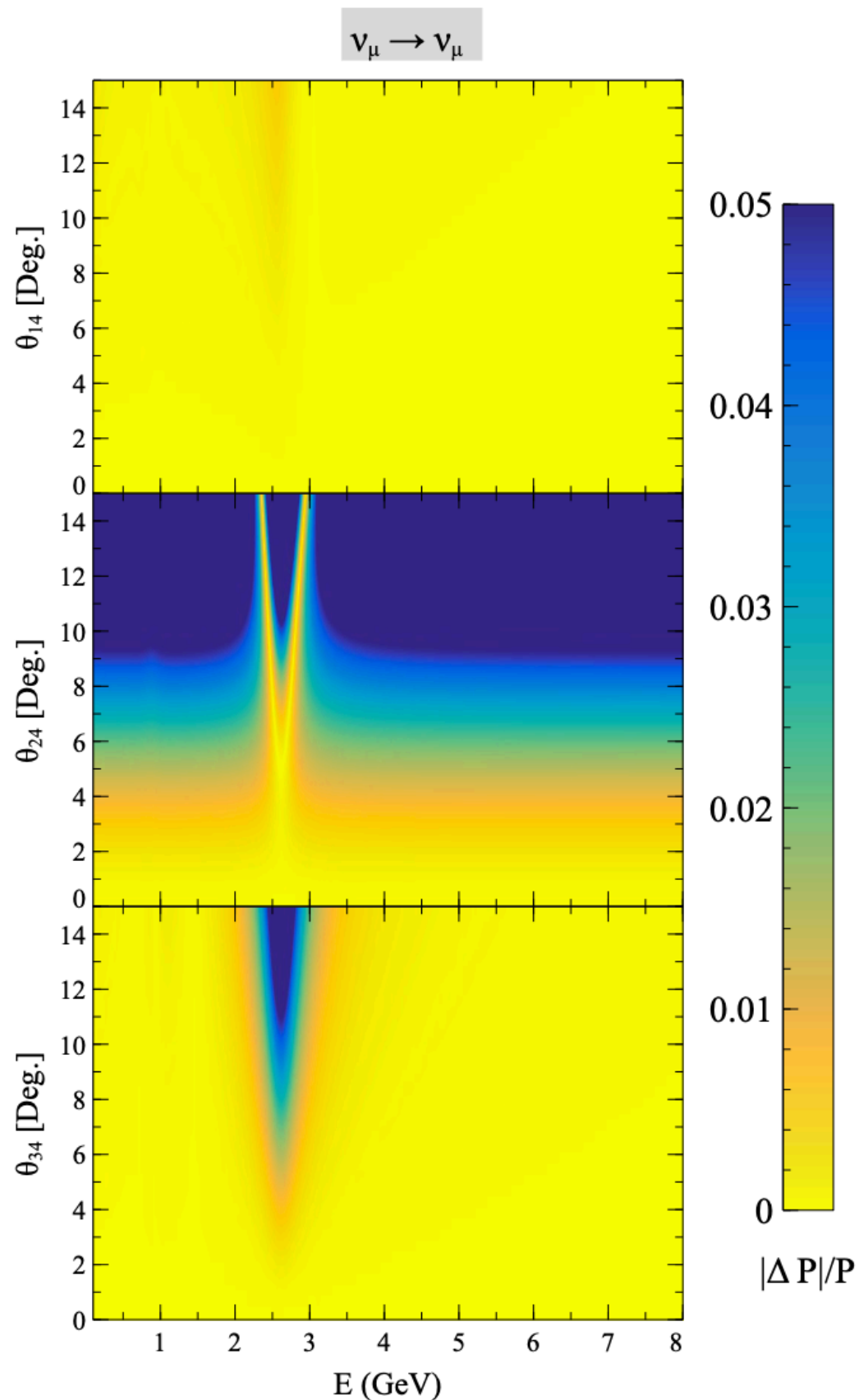
A relevant quantity is $\Delta P_{\alpha\beta} = P_{\alpha\beta}^{3+1} - P_{\alpha\beta}^{3+0}$

Variation of $P_{\mu e}$



- Heatplots for $\frac{|\Delta P|}{P} = \frac{|P^{3+1} - P^{3+0}|}{P^{3+0}}$
- Monotonically increasing with θ_{14} and θ_{24}
- $\frac{\Delta P}{P}(\theta_{14}) \simeq \sin^2 \theta_{14}$
- $\frac{\Delta P}{P}(\theta_{24}) \simeq \sin^2 \theta_{24}$
- Very small dependence on θ_{34} at leading order
- Mild kink at 1 GeV due to matter effect

Variation of $P_{\mu\mu}$



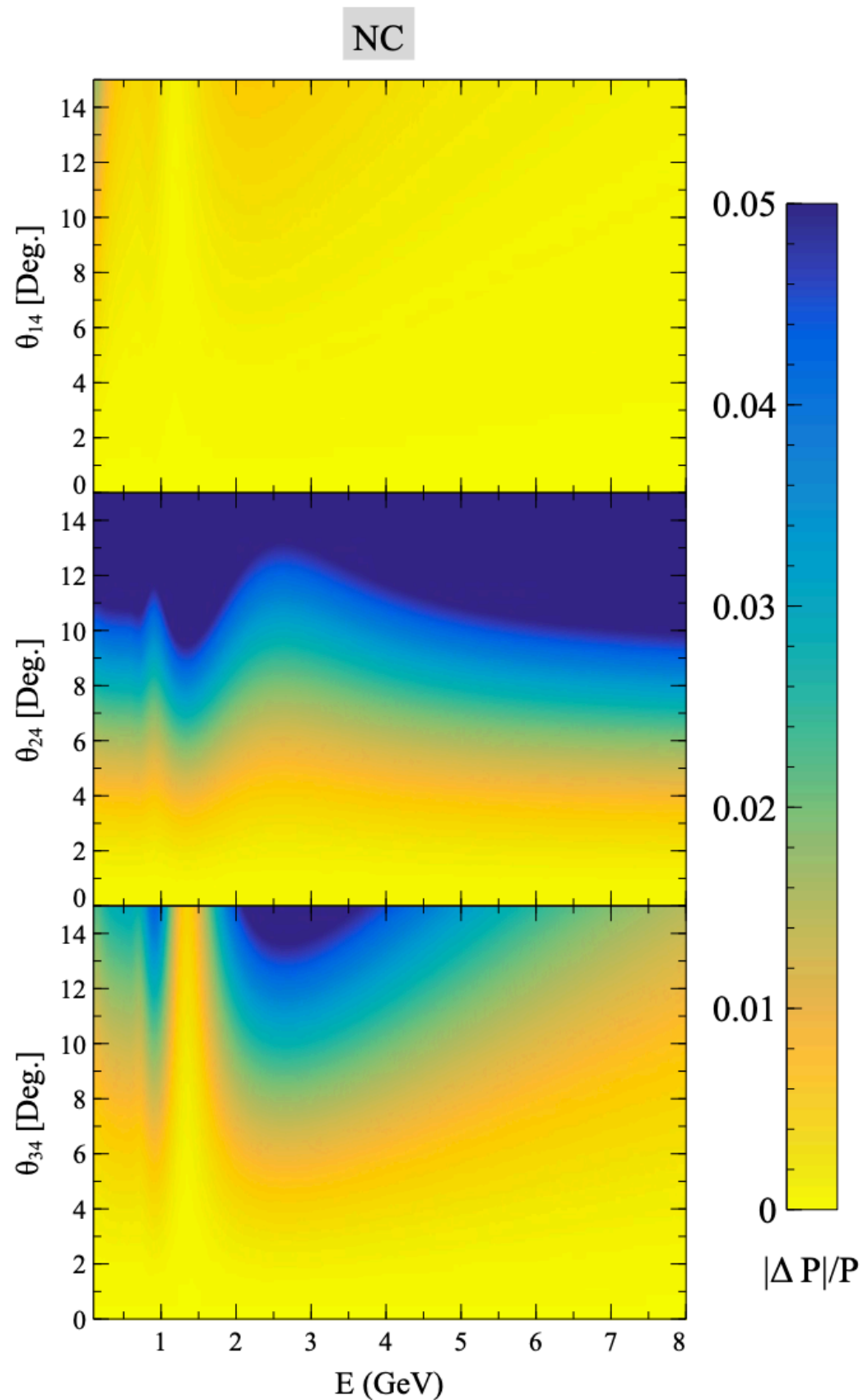
- Practically no dependence on θ_{14} for $P_{\mu\mu}$

- $\frac{\Delta P}{P}(\theta_{24})$

$$\simeq \frac{2 \sin^2 \theta_{24} - \cos^2 \theta_{13} \sin^2 \theta_{24} \left[1 - \sin^2 \theta_{13} - \sin^2 \theta_{24} \right] \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)}{1 - \left(\cos^2 \theta_{13} + \frac{1}{4} \sin^2 2\theta_{13} \right) \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)} + (\text{matter effects})$$

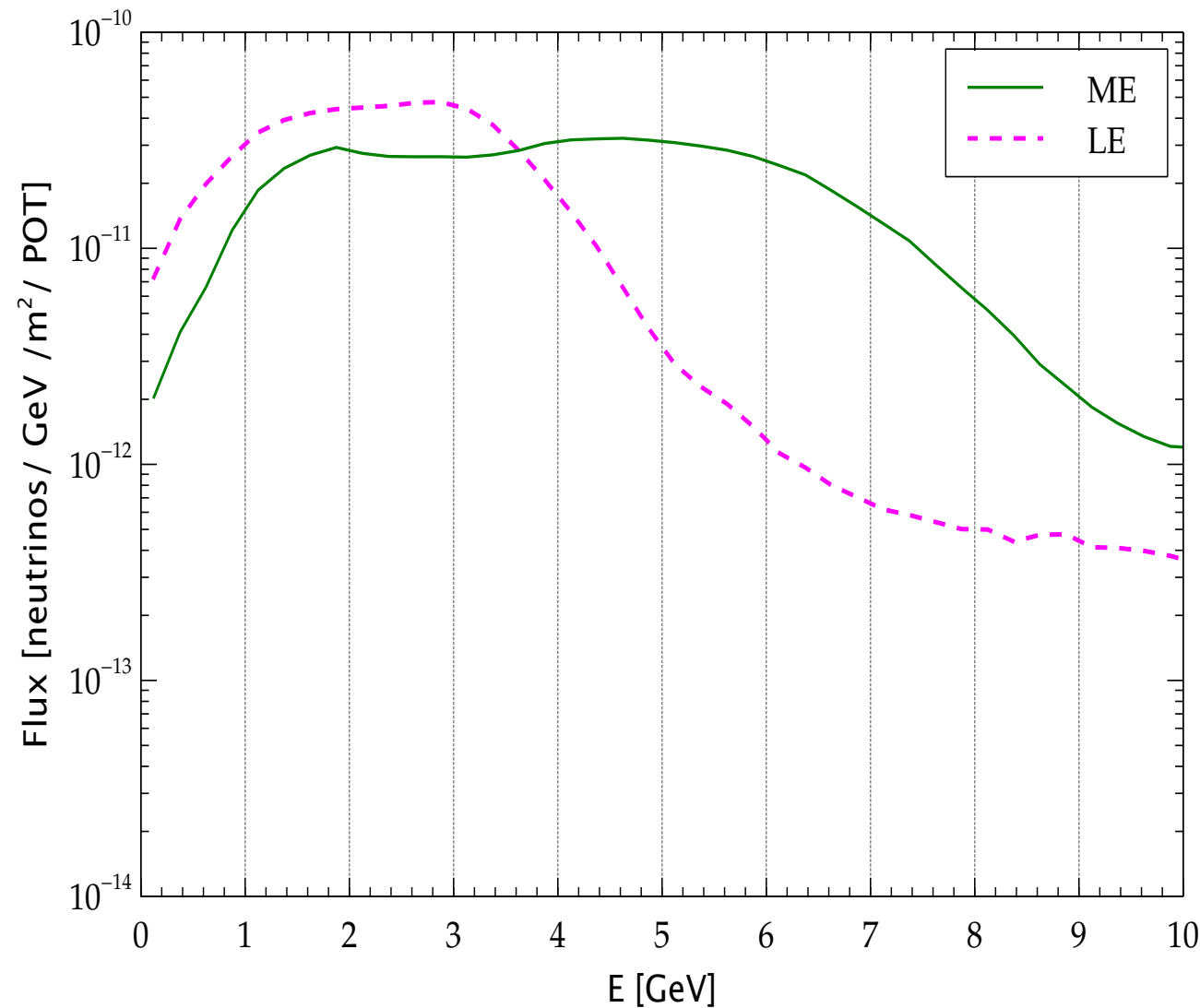
- θ_{34} increases $|\Delta P_{\mu\mu}|$ only around the oscillation maxima

Variation of P_{NC}



- $P_{\text{NC}} = P_{\mu e} + P_{\mu\mu} + P_{\mu\tau} = 1 - P_{\mu s}$
- Practically no dependence on θ_{14} for P_{NC}
- $\frac{\Delta P}{P}(\theta_{24}) \simeq \frac{1}{2} \sin^2 2\theta_{24} - \frac{1}{4} \cos^2 \theta_{13} \sin^2 2\theta_{24} \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)$
+ (matter effects)
- $\frac{\Delta P}{P}(\theta_{34}) \simeq \cos^4 \theta_{13} \sin^2 \theta_{34} \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)$

Analysis configurations

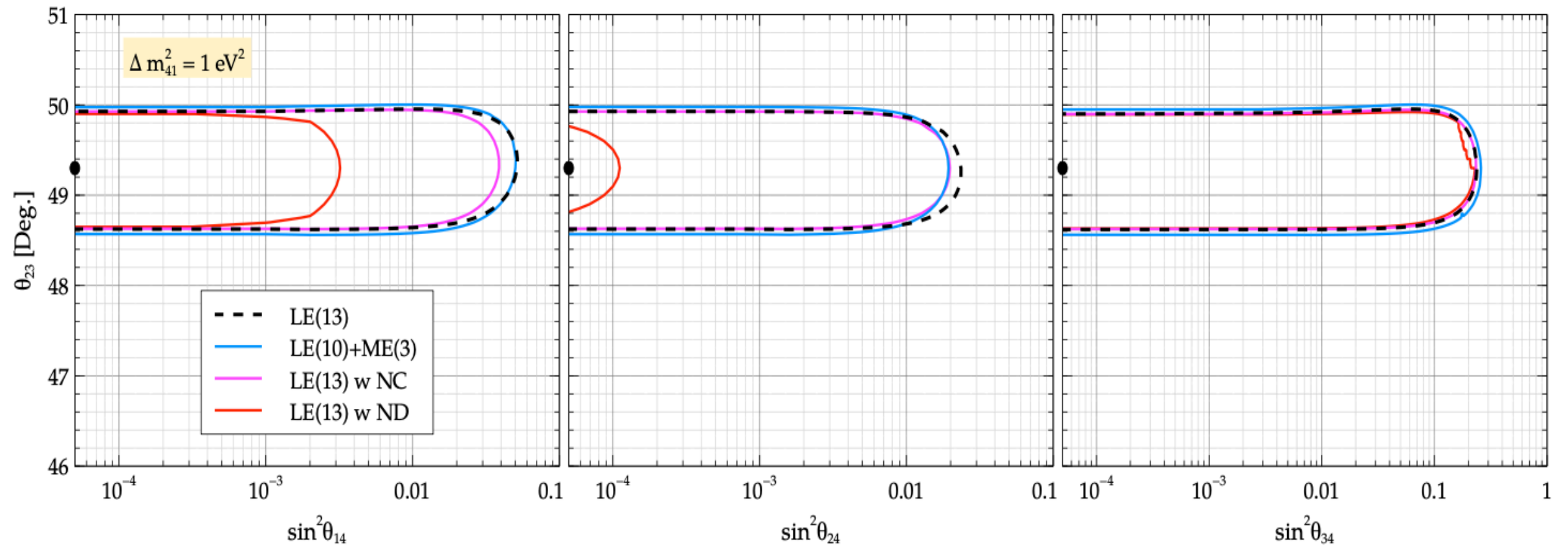


- 13 yrs. runtime, low energy (LE) beam, FD, CC
- 10 yrs. LE + 3 yrs. ME beam, FD, CC
- 13 yrs. LE, FD, CC + NC
- 13 yrs. LE, FD + ND

Simulation and analysis using GLoBES: $\Delta\chi^2 \sim \sum \frac{(N_{\text{fit}}^{3+1} - N_{\text{data}}^{3+0})^2}{N_{\text{data}}^{3+0}} + \text{prior} + \text{systematics}$

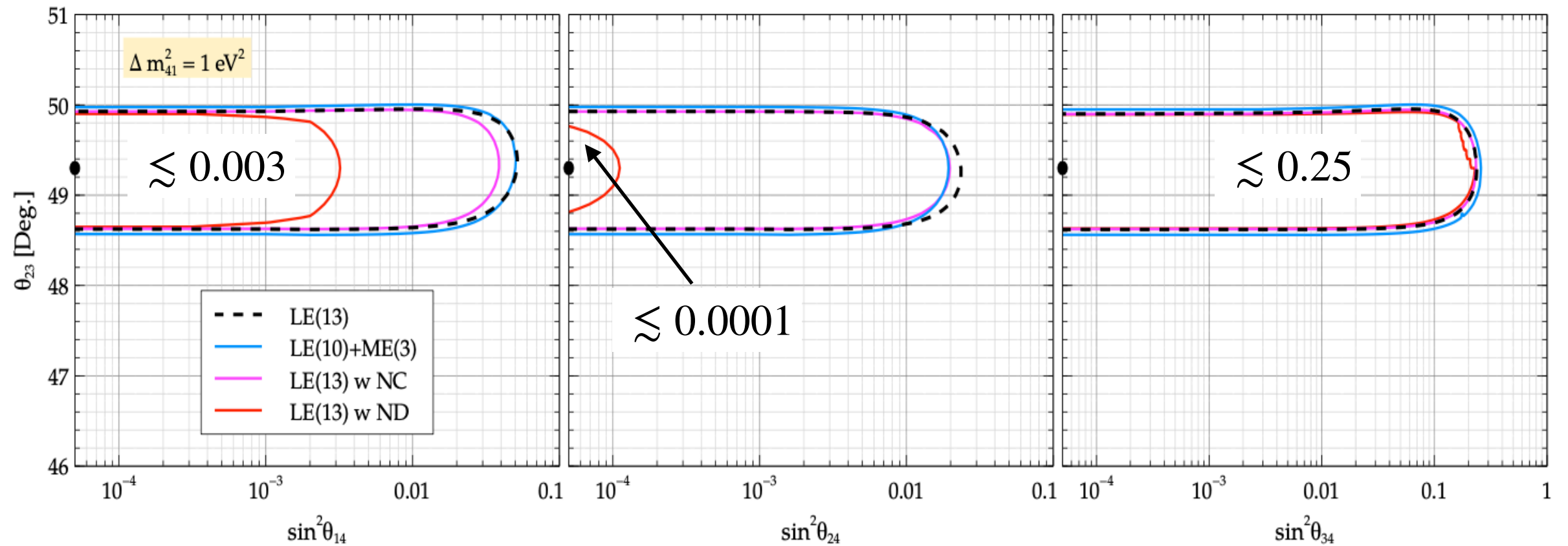
$\sum \rightarrow \text{energy and channels}$

Excluded regions in $(\theta_{23} - \sin^2 \theta_{i4})$ space



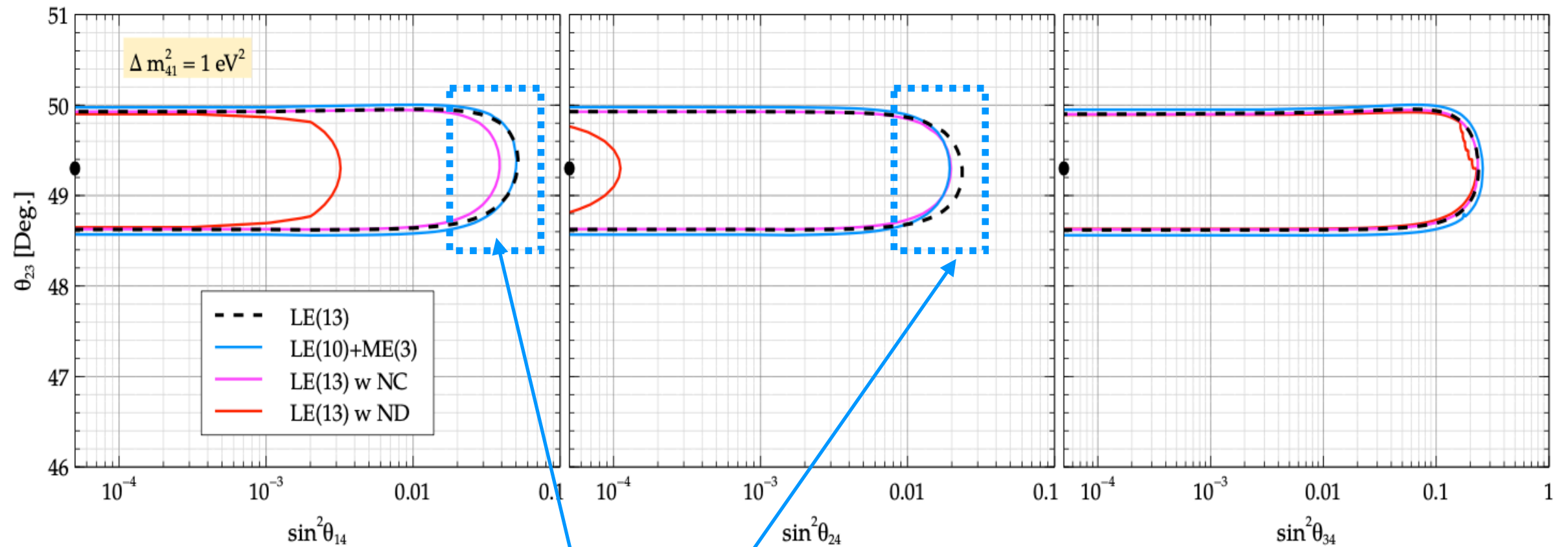
- Regions outside the contours are excluded at 90 % C.L.
- Constraints on $\sin^2 \theta_{14}$ & $\sin^2 \theta_{24}$ are much stronger than $\sin^2 \theta_{34}$ while $\sin^2 \theta_{24}$ is constrained better than $\sin^2 \theta_{14}$

Excluded regions in $(\theta_{23} - \sin^2 \theta_{i4})$ space



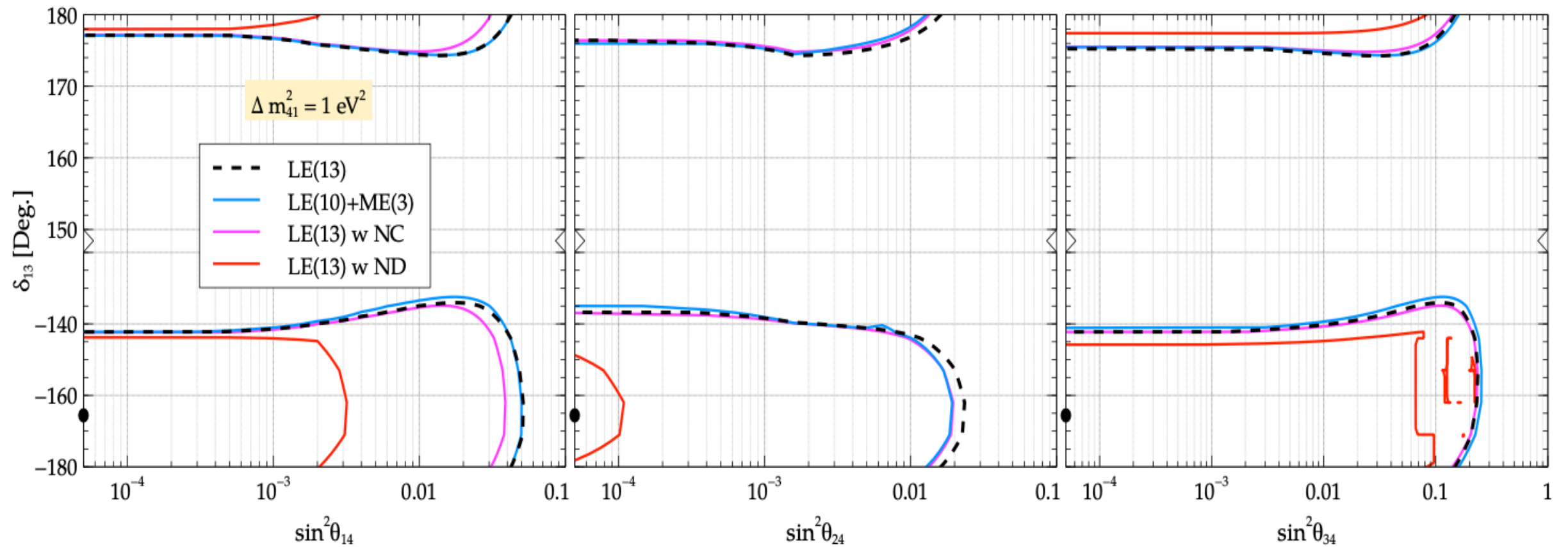
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Excluded regions in $(\theta_{23} - \sin^2 \theta_{i4})$ space



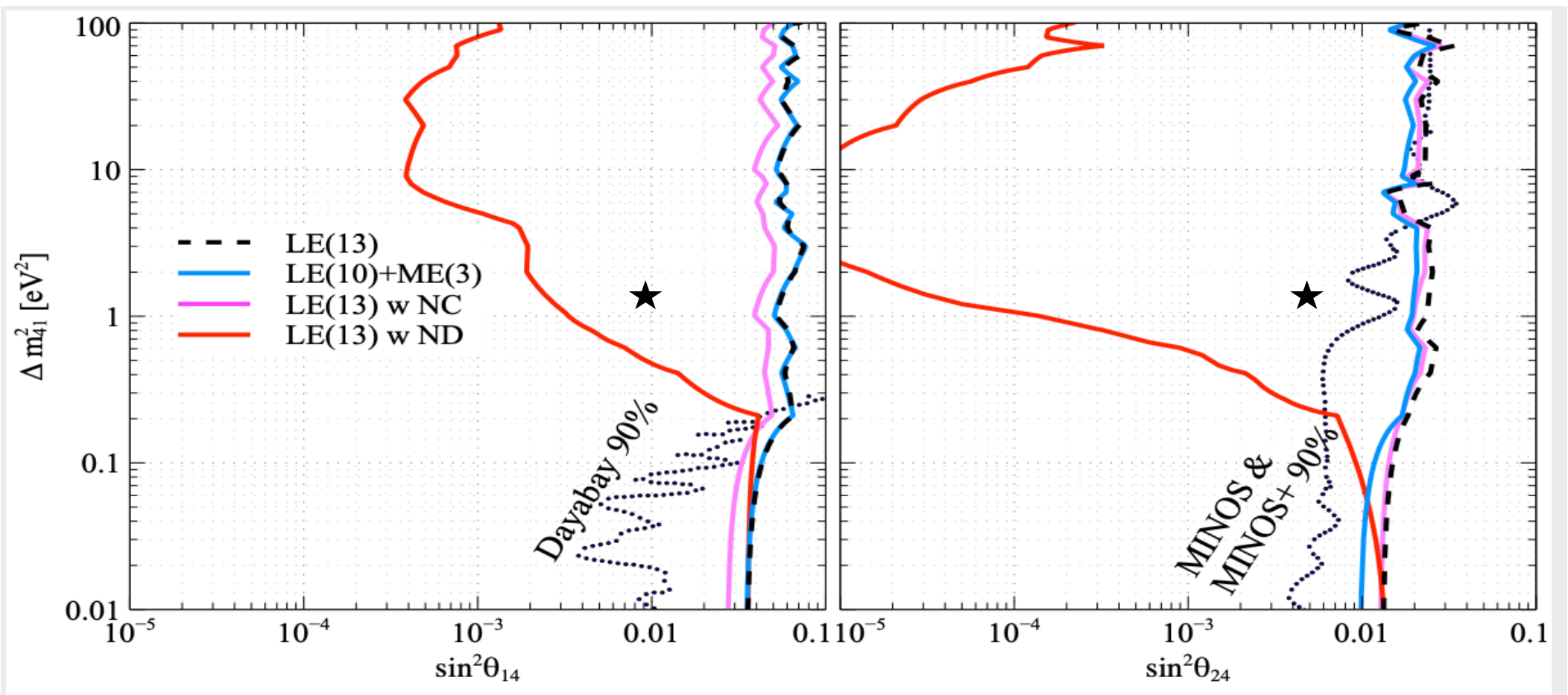
- Regions outside the contours are excluded at 90 % C.L.
- Use of higher energy beams improves the constraints on $\sin^2 \theta_{24}$ very slightly, but has no impact on $\sin^2 \theta_{14}$
 - Since $\Delta P_{\mu\mu}$ increases with θ_{24} but not impacted by θ_{14}

Excluded regions in $(\delta_{13} - \sin^2 \theta_{i4})$ space



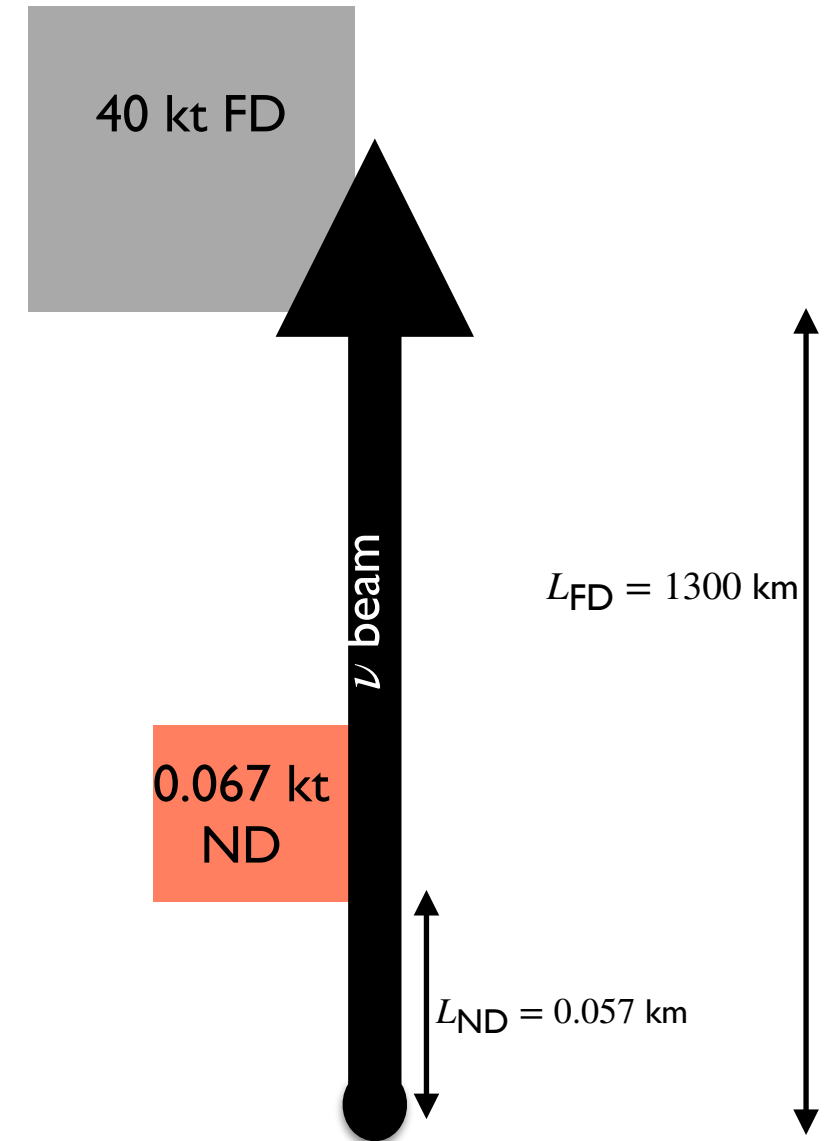
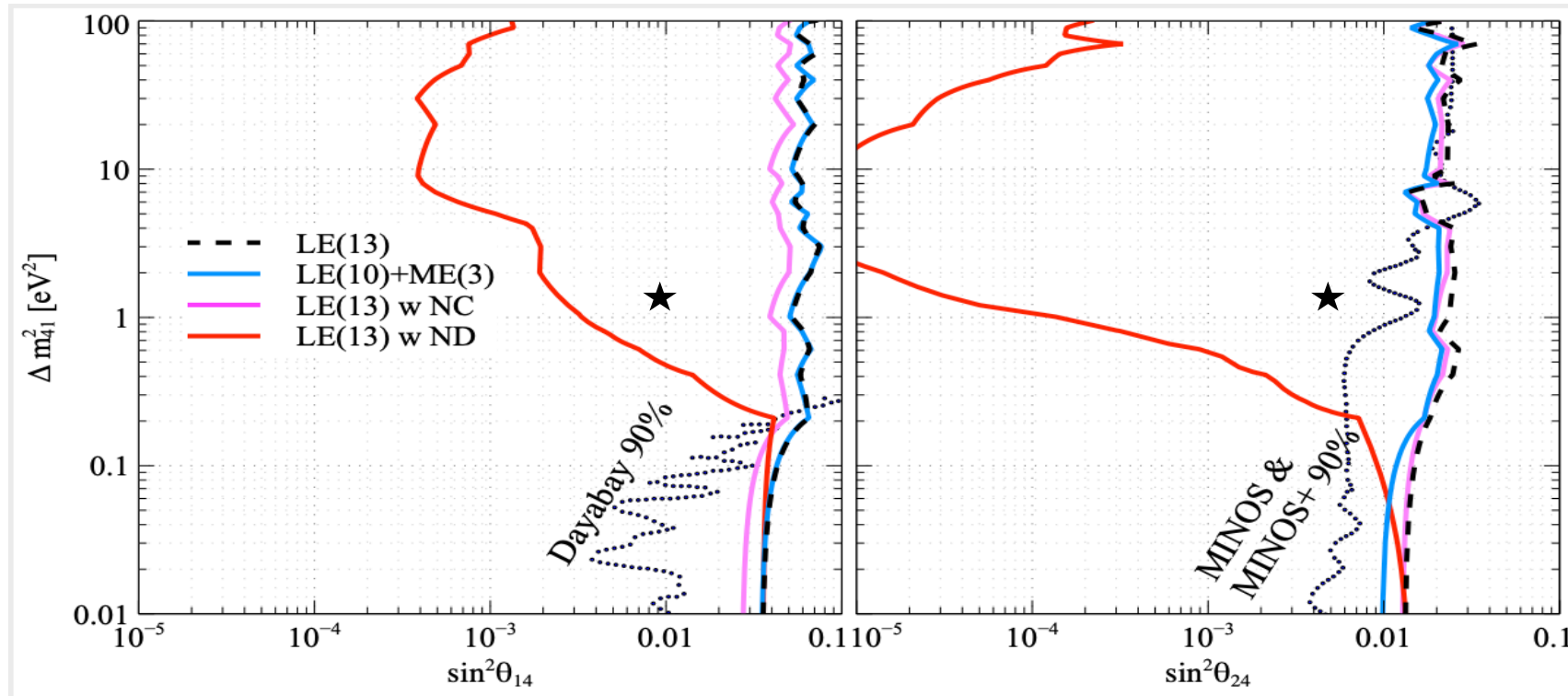
- Regions outside the contours are excluded at 90 % C.L.
- Constraints on $\sin^2 \theta_{14}$ & $\sin^2 \theta_{24}$ are much stringent than $\sin^2 \theta_{34}$ while $\sin^2 \theta_{24}$ is constrained better than $\sin^2 \theta_{14}$

Excluded regions in $(\Delta m_{41}^2 - \sin^2 \theta_{i4})$ space



- Regions to the right of the contours are excluded at 90 % C.L.
- ND has no impact for $\Delta m_{41}^2 \lesssim 0.03 \text{ eV}^2$
ND offers the most improvement for $\Delta m_{41}^2 \gtrsim 1 \text{ eV}^2$
- *A Caveat: This is an optimistic analysis ignoring the shape-related systematic uncertainties at ND.*
ND sensitivity is expected to slightly with a more sophisticated covariance-matrix- $\Delta\chi^2$ like analysis. Needs modification of GLoBES

Excluded regions in $(\Delta m_{41}^2 - \sin^2 \theta_{i4})$ space



- Rough comparative estimation of FD and ND:

$$\text{FD} \sim \sin^2 \left(1.27 * \frac{\Delta m_{31}^2 [\text{eV}^2] L_{\text{FD}} [\text{km}]}{E [\text{GeV}]} \right) \sim 1 \text{ for } E \sim 2 - 3 \text{ GeV}$$

$$\text{ND} \sim \frac{M_{\text{ND}}}{M_{\text{FD}}} \left(\frac{L_{\text{FD}}}{L_{\text{ND}}} \right)^2 \sin^2 \left(1.27 \frac{\Delta m_{41}^2 [\text{eV}^2] L_{\text{ND}} [\text{km}]}{E [\text{GeV}]} \right) \sim 8.7 \times 10^3 \sin^2 \left(0.6 \frac{\Delta m_{41}^2}{E} \right)$$

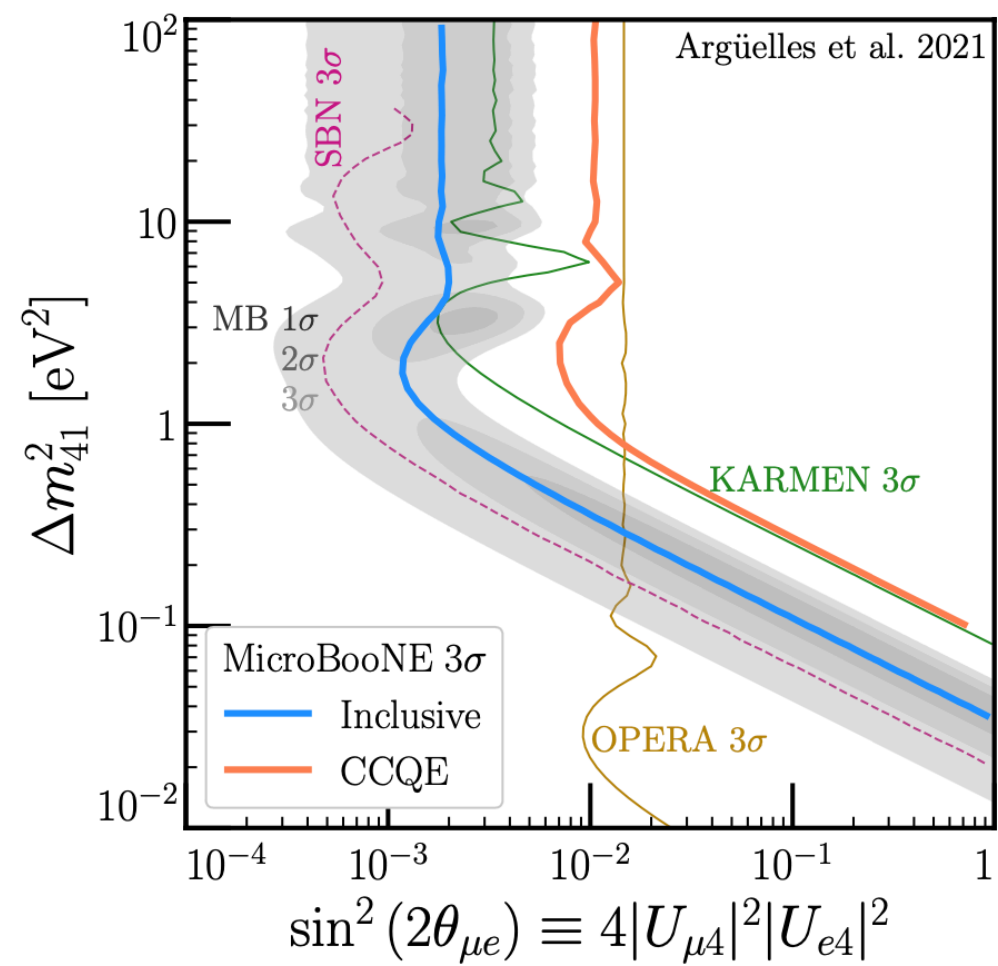
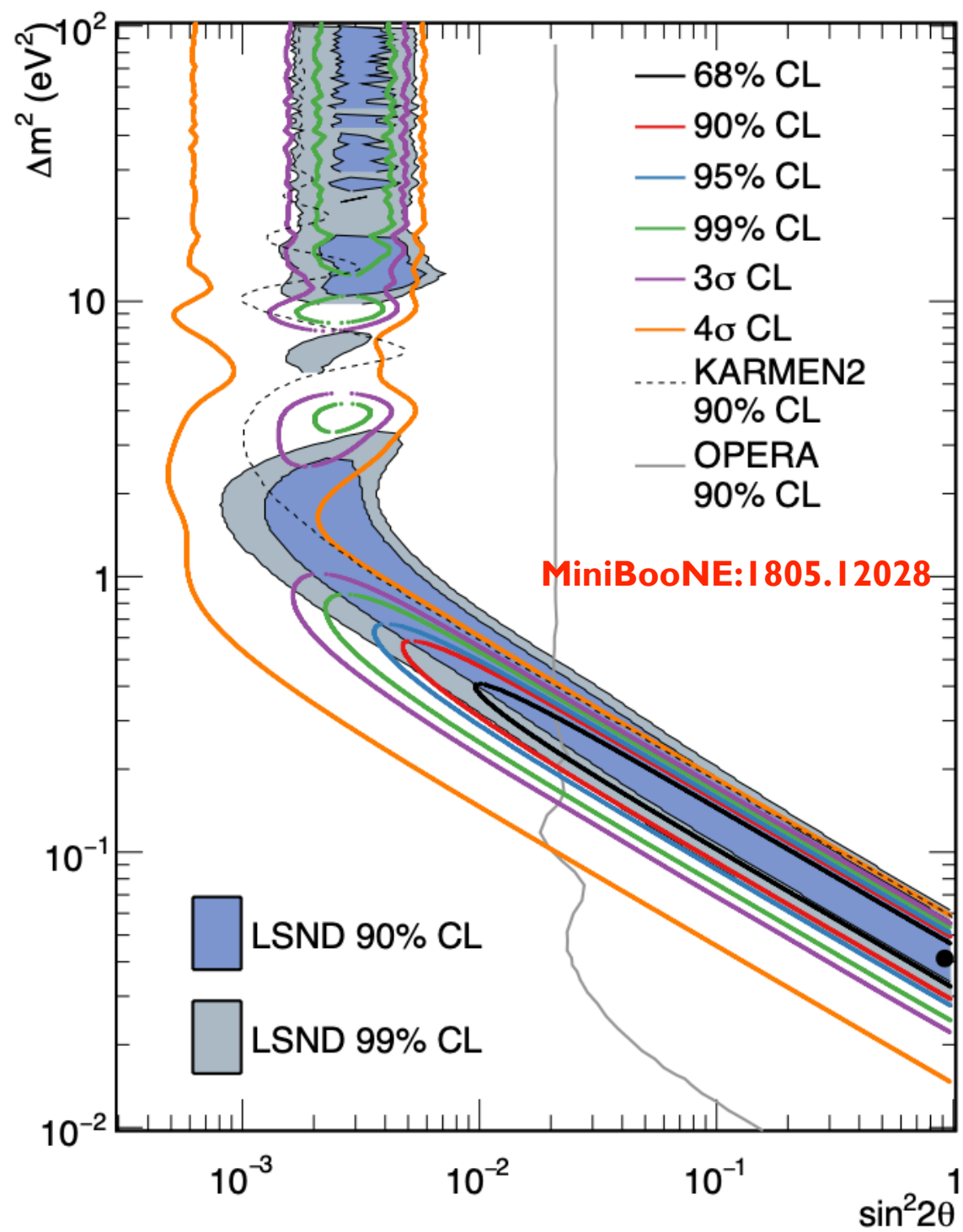
- $\text{ND} \lesssim \text{FD}/10 \implies \Delta m_{41}^2 \lesssim 0.01 E \lesssim (0.02 - 0.03) \text{ eV}^2 \text{ for } E = 2 - 3 \text{ GeV}$
- ND is max when $\Delta m_{41}^2 \sim 2.7 E \sim 6 - 8 \text{ GeV}$

Summary

- $\sin^2 \theta_{14}$ and $\sin^2 \theta_{24}$ can be constrained much better than $\sin^2 \theta_{34}$ (by more than one order of magnitude) at DUNE
- Constraints on $\sin^2 \theta_{24}$ are stronger than $\sin^2 \theta_{14}$
- Higher energy beam tunes improve the sensitivity slightly for $\sin^2 \theta_{24}$
- NC offers slight improvement for both θ_{14}, θ_{24}
- Addition of ND offers the most stringent constraints on active-sterile mixing angles

Thank You!

Backup



Backup

