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# Charge-changing reaction study via the cross section measurements of $^{18}\text{O}$ on carbon and lead at around 370 MeV/nucleon

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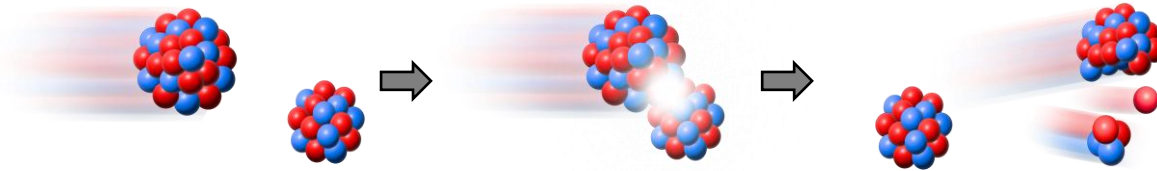
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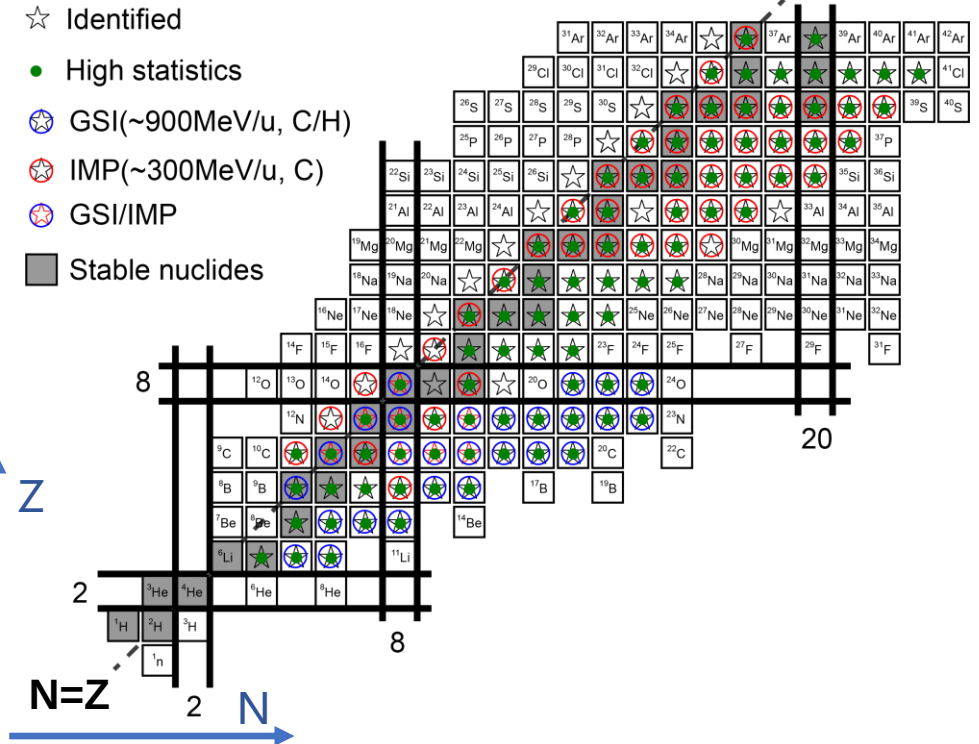
# Charge changing cross section



## ➤ Charge changing cross section (CCCS) :

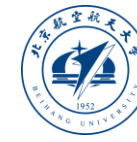
The total probability of removing **at least one proton** from the projectile nucleus in the collision with the target nucleus.

- To extract charge radii
- Studying nuclear reaction mechanism
- Studying mirror nuclei/nuclear matter



## High precision CCCS measurements

- Facilities: HIRFL/GSI/RIKEN/RCNP
- Nuclear region: p and sd shell
- Target: H/C target
- Energy: <1 GeV/nucleon



## Nuclear dissociation

- Direct charged removal
- Charged particle evaporation (CPE)  
on C target : **5-20%**  
on H target : **20-50%**

J.W. Zhao, B.H.Sun and I. Tanihata *et al.*, PLB 847 (2023) 138269.

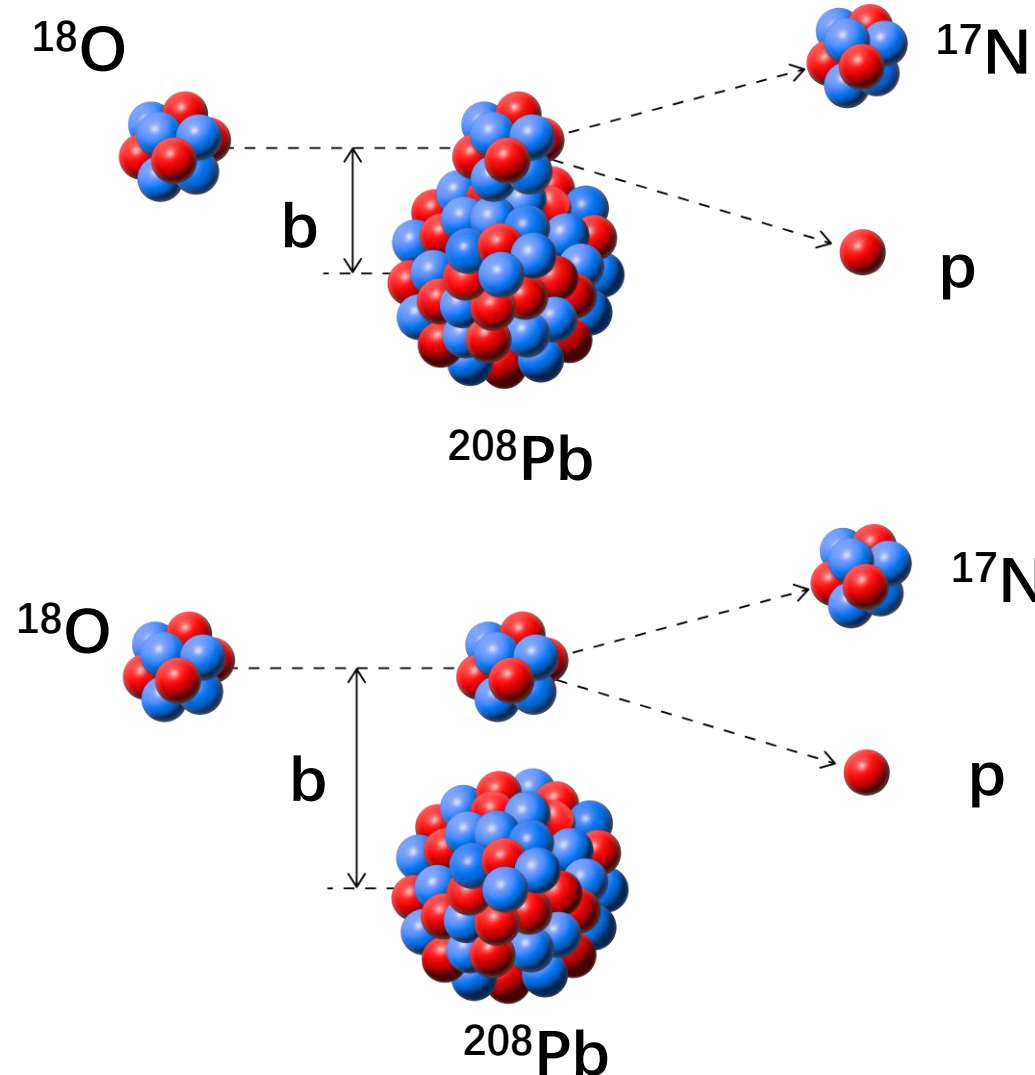
J. C. Zhang, B.H.Sun and I. Tanihata, *et al.*, .Sci. Bull. 69 (2024) 1647-1652.

M. Tanaka, M. Takechi and A. Homma *et al.*, Phys. Rev. C 106 (2022) 014617.

## Electromagnetic dissociation

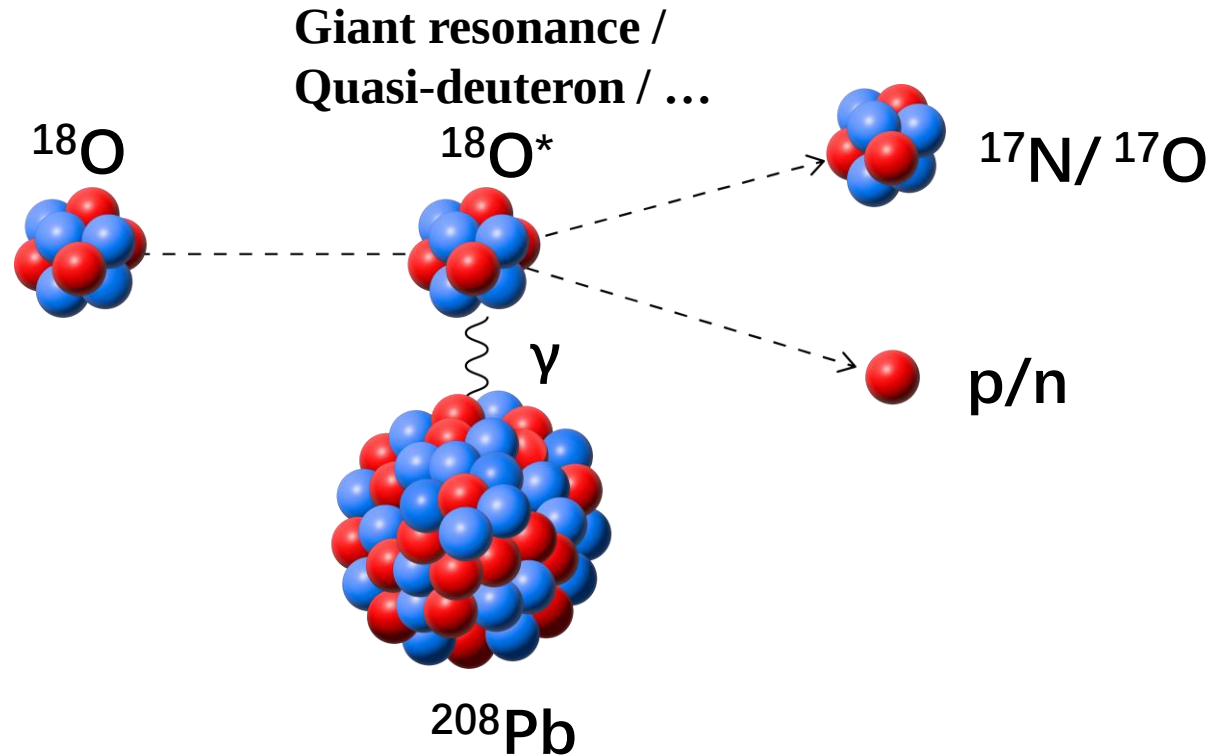


On heavy target : considered or not?





## Weizsacker-William (WW) approximation



E. Fermi, Z. Phys. 29 (1924) 315.

C.F. Weizsacker, Z. Phys. 88 (1934) 612.

J.D. Jackson, Classical Electrodynamics (Wiley, New York, 1975).

C. A. Bertulani and G. Baur, Phys. Rep. 163 (1988) 299-408.

### ◆ Virtual photons of target :

$$N_{\pi l}(\omega) = Z_1^2 \alpha \frac{l[(2l+1)!!]^2}{(2\pi)^3(l+1)} \sum_m |G_{\pi lm}(\frac{c}{v})|^2 g_m(\xi), \xi = \frac{\omega R}{\gamma v}$$

$$N_{E1}(\omega) = \frac{2}{\pi} Z_1^2 \alpha (\frac{c}{v})^2 [\xi K_0 K_1 - \frac{v^2 \xi^2}{2c^2} (K_1^2 - K_0^2)], \omega = \frac{E_\gamma}{\hbar}$$

$$N_{M1}(\omega) = \frac{2}{\pi} Z_1^2 \alpha [\xi K_0 K_1 - \frac{\xi^2}{2} (K_1^2 - K_0^2)] \dots$$

### ◆ Photonuclear cross section of projectile:

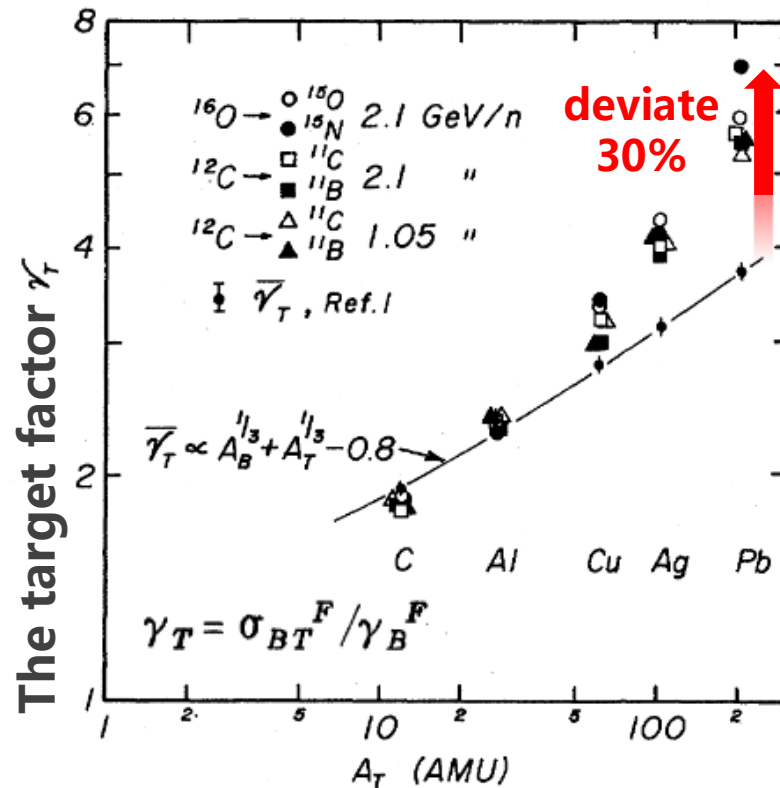
$(\gamma, p)/(\gamma, n)/(\gamma, \text{abs})\dots$

### ◆ EMD cross section of projectile:

$$\sigma_{\text{cc}}^{\text{EM}} = \int N(E_\gamma) \sigma_\gamma(E_\gamma) dE_\gamma$$



# The development of EMD experiments



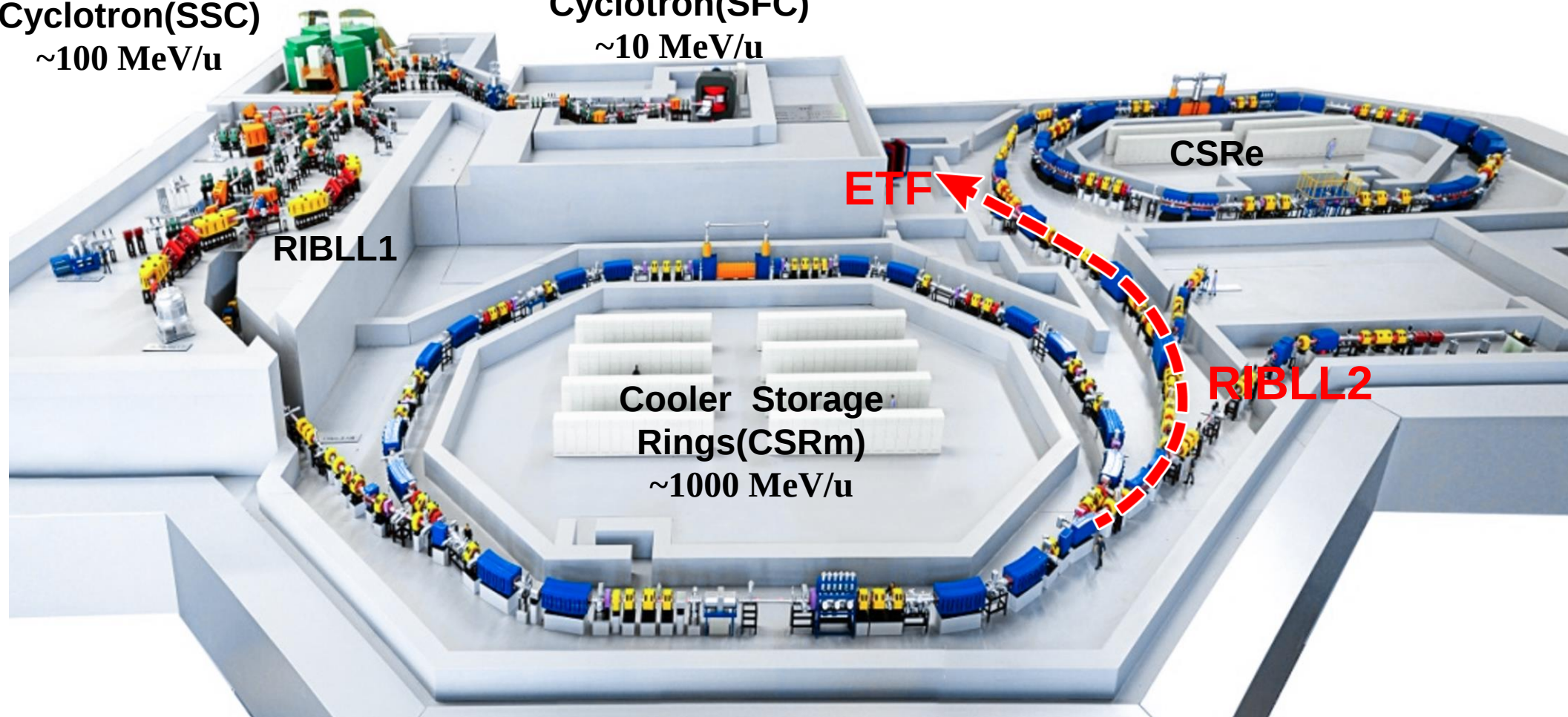
- As the **projectile/target mass number and incident energy increase**, **EMD becomes larger**.
- Significant deviations of  $\gamma_T$  from  $\overline{\gamma_T}$ , up to 30% on Pb target.
- These researches are above 1GeV/nucleon, while the EMD account for CCCSs **below 1GeV/nucleon is uncertain!**

H. H. Heckman *et al.*, Phys. Rev. Lett. 37 (1976) 56-59.

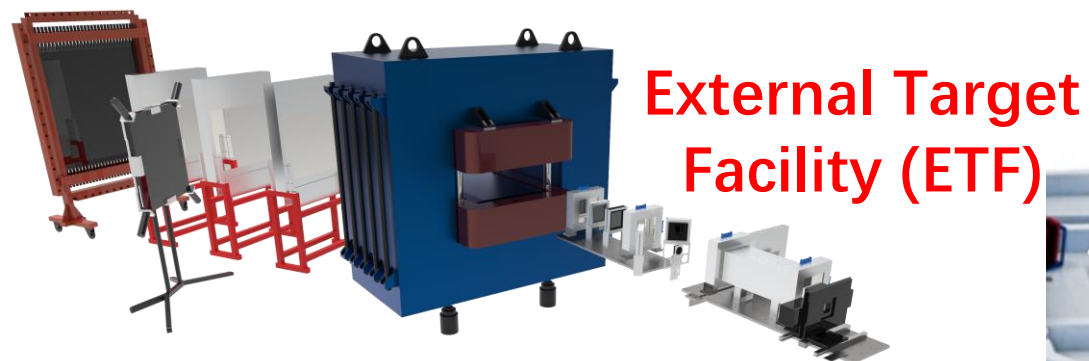


Separated Sector  
Cyclotron(SSC)  
~100 MeV/u

Sector Focusing  
Cyclotron(SFC)  
~10 MeV/u



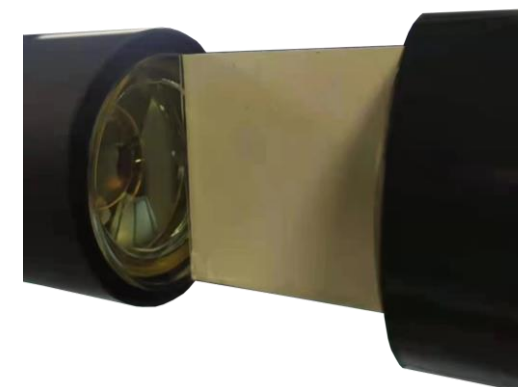
- ✓ Ions range: from hydrogen to uranium
- ✓ Beam energy: 2.8 GeV for protons, 1GeV/nucleon for heavy ions



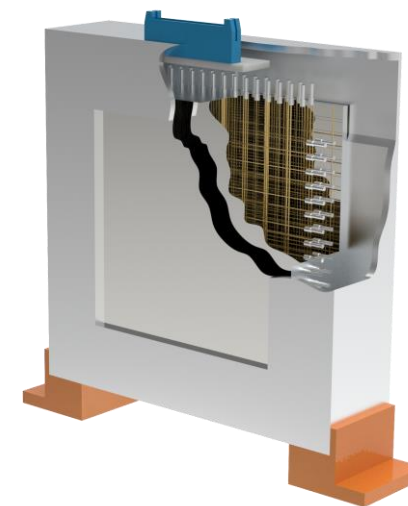
Multi-Sample Ionization Chambers



Silicon



Plastic Scintillator



Multi-Wire Drift Chamber



# Experiment and Data analysis

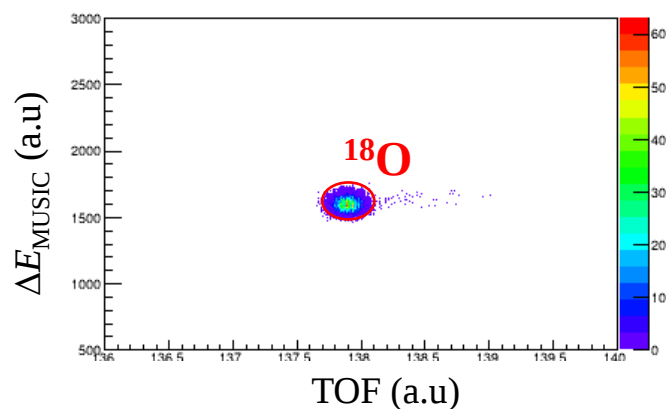
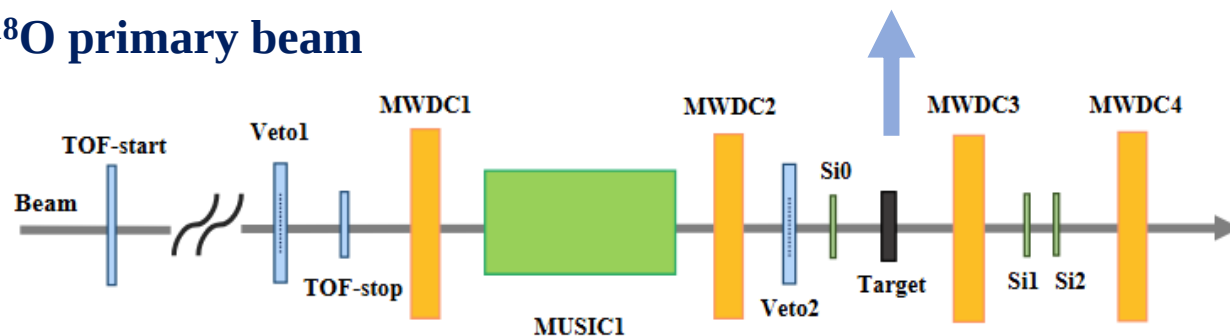


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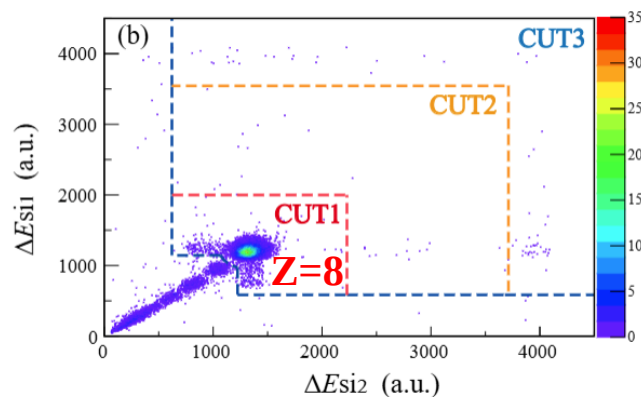
370 MeV/nucleon

$^{18}\text{O}$  primary beam

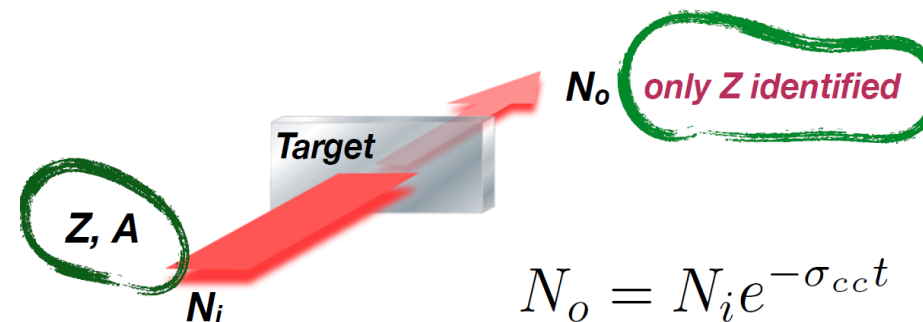
- 2.767 (2) g/cm<sup>2</sup> C target
- 3.797 (3) g/cm<sup>2</sup> Pb target



Clear PID before target



Z identification after target



$$N_o = N_i e^{-\sigma_{cc} t}$$

➤ Incident particle :  $B\rho - TOF - \Delta E$

➤ Outgoing particle :  $\Delta E$

$$B\rho = \frac{mv}{q} \propto \frac{A}{Z} \beta, \quad \beta = \frac{L}{TOF \cdot c}, \quad \Delta E \propto \frac{Z^2}{\beta^2}$$

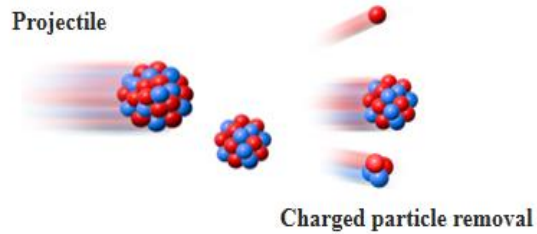
➤ Transmission method:

$$\sigma_{cc}^{\text{exp}} = \frac{1}{t} \ln \left( \frac{\gamma^0}{\gamma} \right) = \frac{1}{t} \ln \left( \frac{N_{out}^0 / N_{in}^0}{N_{out} / N_{in}} \right)$$

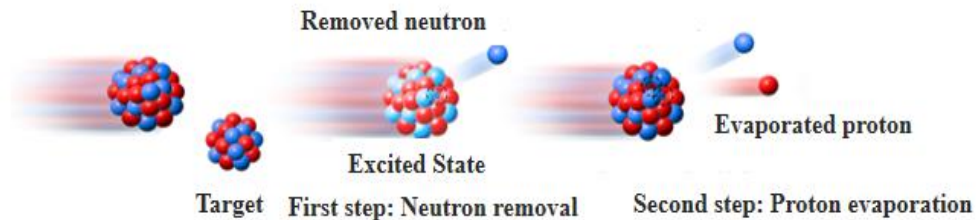


$$\sigma_{cc}^{\text{exp}} \approx \sigma_{cc}^{\text{direct}} + \sigma_{cc}^{\text{evap}} + \sigma_{cc}^{\text{EM}}$$

➤ Direct ( $\sigma_{cc}^{\text{direct}}$ )



➤ Evaporation ( $\sigma_{cc}^{\text{evap}}$ )



## Glauber model (Zero-range)

$$\sigma_{cc}^{\text{direct}} = 2\pi \int b [1 - T^P(b)] db$$

$$T^P(b) = \exp[-(\sigma_{pp}(E)\rho_p^T\rho_p^P + \sigma_{np}(E)\rho_n^T\rho_p^P)]$$

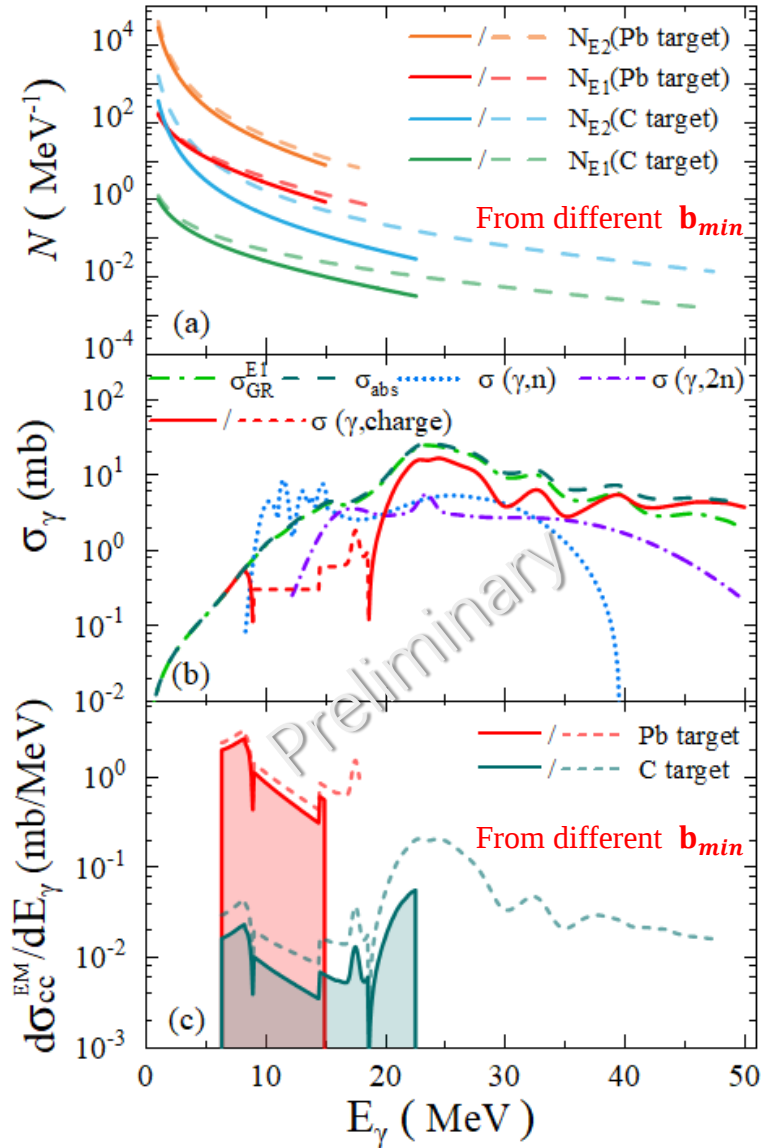
$$\sigma_{cc}^{\text{evap}} = \sum_i \sigma_{-in} \cdot P_i^{\text{evap}}$$

$$\sum_i \sigma_{-in} = \sigma_R - \sigma_{cc} \rightarrow \text{normalized by Glauber model}$$

$$P_i^{\text{evap}} = \int_{S+V_b}^{\infty} \rho(E) \cdot \omega_e(E) dE$$

Gaimard-Schmidt (GS) Gemini+ +

J.W. Zhao, B.H.Sun and I. Tanihata *et al.*, Phys.Lett. B 847 (2023) 138269.



$$\sigma_{cc}^{exp} \approx \sigma_{cc}^{direct} + \sigma_{cc}^{evap} + \sigma_{cc}^{EM}$$

$$\sigma_{cc}^{EM} = \int_{S_{charge}}^{E_\gamma^{max}} N(E_\gamma) \sigma(\gamma, charge) dE_\gamma, \quad E_\gamma^{max} = \frac{\gamma\beta\hbar c}{b_{min}}$$

$$\sigma(\gamma, charge) \approx \sigma_{abs} - \sigma(\gamma, 1n) - \sigma(\gamma, 2n) \quad \sigma(\gamma, 1n) \quad \sigma(\gamma, 2n) : \text{experimental data}$$

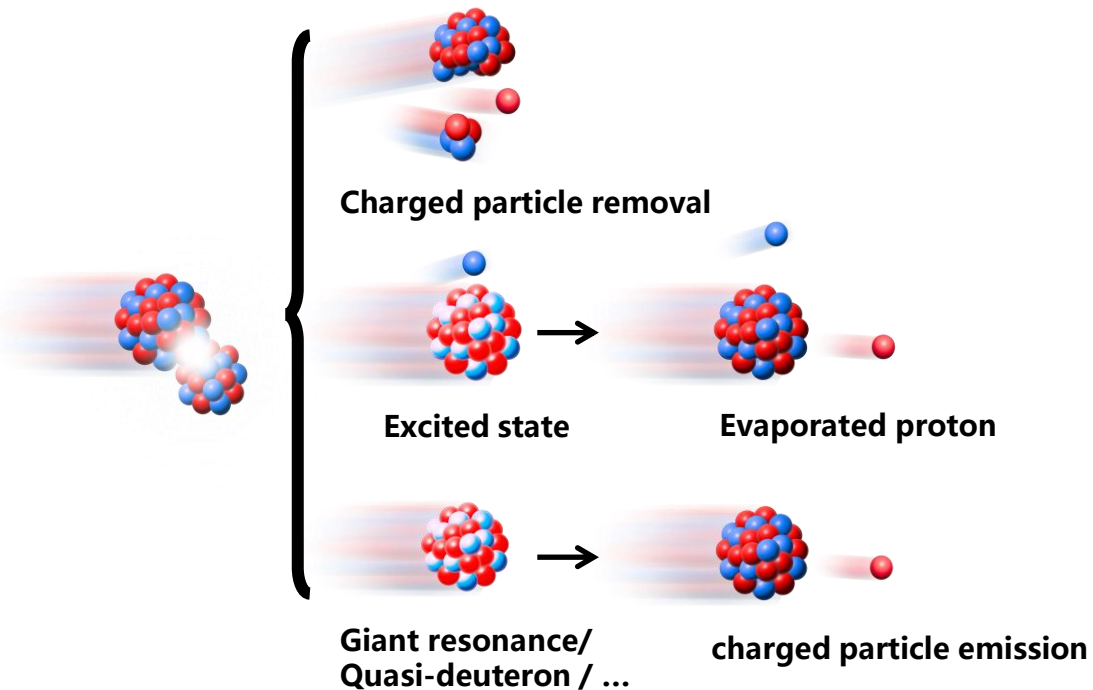
$$\sigma_{abs} = \sigma_{GR}^{E1} + \sigma_{GR}^{E2} + \sigma_{QD} \quad \sigma_{GR}^{E1(E2)} : \text{giant resonance with E1(E2)} \quad \sigma_{QD} : \text{quasi-deuteron}$$

Quasiparticle random-phase approximation (QRPA) → Chadwick's model

- The dominant transitions in the EM process are E1 and E2.
- On the same target,  $N_{E2}(E_\gamma) \approx 10^2 * N_{E1}(E_\gamma)$ .
- The  $N_{E1(E2)}^{Pb}(E_\gamma)$  on Pb target  $\approx 10^2 * N_{E1(E2)}^C(E_\gamma)$  on C target.
- The  $\sigma_{GR}^{E1}$  represents the major fraction of  $\sigma_{abs}$ .
- Throughout the process, E1 transition is dominant.
- The shadowed areas represent total  $\sigma_{cc}^{EM}$  on C and Pb.



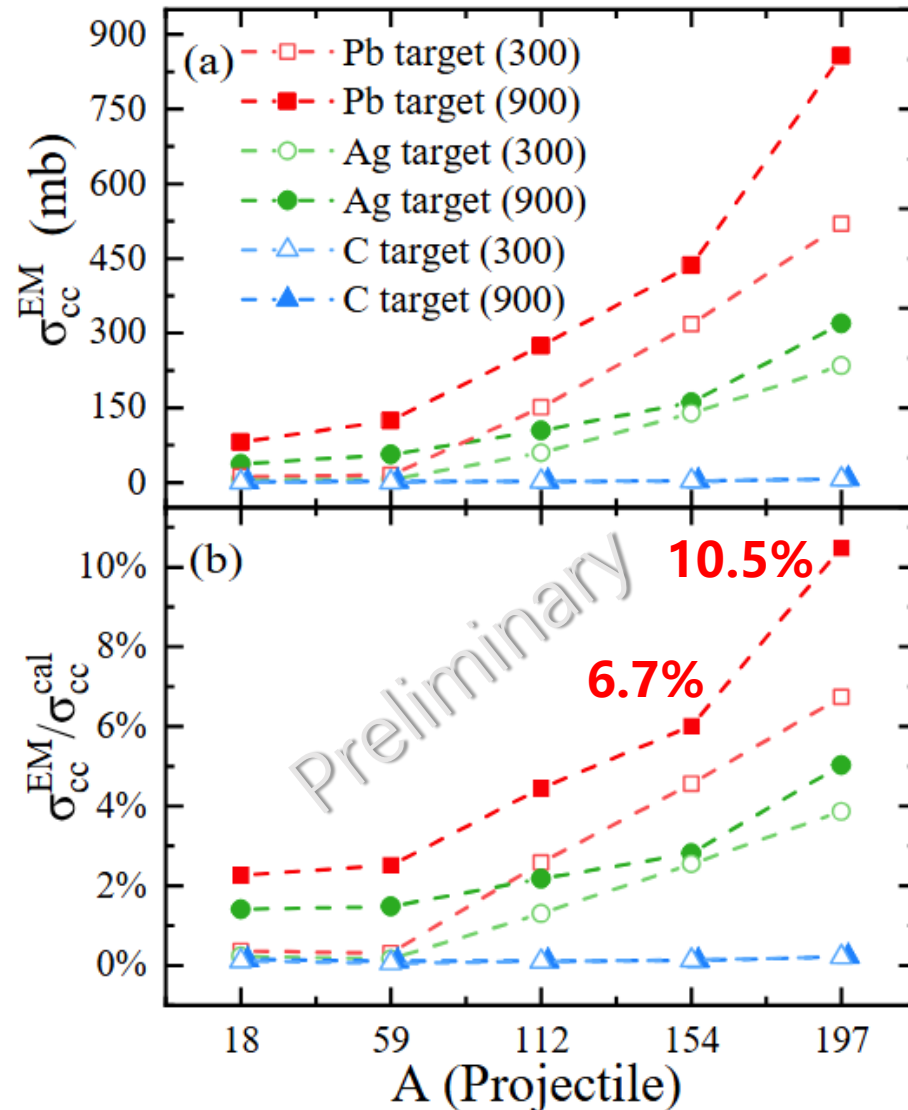
| P+T                            | E(MeV/nucleon) | $\sigma_{cc}^{direct}$ (mb) | $\sigma_{cc}^{evap}$ (mb) | $\sigma_{cc}^{EM}$ (mb) | $\sigma_{cc}^{cal}$ (mb) | $\sigma_{cc}^{exp}$ (mb) |
|--------------------------------|----------------|-----------------------------|---------------------------|-------------------------|--------------------------|--------------------------|
| $^{18}\text{O} + \text{natC}$  | 372            | 764                         | 106                       | 0.2(19)                 | 870.2                    | 863(21)                  |
| $^{18}\text{O} + \text{natPb}$ | 378            | 3169                        | 169                       | 9.2(49)                 | 3347.2                   | 3386(137)                |



- Considering these three components, the experimental data is **reproduced**.
- The CPE contributes **12.3%** and **5%** to CCCS of  $^{18}\text{O}$  on C and Pb target, respectively.
- The proportion of EMD in CCCS is less than **1%**.
- These imply that **Pb target** may be more suitable to **extract charge radii**.



# EMD estimation of heavier nuclei



- The EMD cross section grows larger with increasing energy and projectile/target mass number.
- For **various projectiles** on **C** target, the EMD remains **below 1%**.
- In the case of  $^{197}\text{Au}$  of CCCS on **Pb** target at 300 and 900 MeV/nucleon, the EMD is **6.7%** and **10.5%**, respectively.



## ◆ Summary

- CPE contributes **12.3%** (C target) and **5%** (Pb target) to CCCS of  $^{18}\text{O}$  at around 370 MeV/nucleon.
- EM proportion is **less than 1%** in CCCS of different projectiles on C targets **at 1 GeV/nucleon**.
- In the case of  $^{197}\text{Au}$  of CCCS on **Pb** target at 300 and 900 MeV/nucleon, the EMD is **6.7%** and **10.5%**, respectively.

## ◆ Outlook

- Improve experimental precision to further refine model.
- Attempt to measure CPE or EMD to verify the correctness of the conjecture.



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# Thanks!

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