

Cosmological Dynamics of D-Blonic and DBI Scalar Field and Coincidence Problem of Dark Energy

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Cosmological dynamics of D-Blonic

D-Blonic (C. Burrage and J. Khoury, 2014)

The D-Blonic is one of the screening mechanisms which arises from DBI-like Lagrangian.

DBI-like action (ϕ couples conformally to matter)

$$S = \int d^4x \sqrt{-g} \left[+\Lambda^4 \sqrt{1 - \Lambda^{-4} (\partial\phi)^2} + \frac{g\phi}{M_{Pl}} T_m \right]$$

DBI action

$$S = \int d^4x \sqrt{-g} \left[-f(\phi)^{-1} \sqrt{1 + f(\phi) (\partial\phi)^2} + f(\phi)^{-1} - V(\phi) \right]$$

\therefore Signs have been flipped \Rightarrow necessary for screening mechanism

D-Blonic screening

EOM of D-Blonic scalar field is

$$\nabla_{\mu} \left(\frac{\nabla^{\mu} \phi}{\sqrt{1 - \Lambda^{-4} (\partial\phi)^2}} \right) = -\frac{g}{M_{Pl}} T_m.$$

This consists of linear regime and non-linear regime. \Rightarrow similar to the Vainshtein mechanism.

Far from the source $r \gg r_*$,

$$\phi'(r) \simeq \Lambda^2 \left(\frac{r_*}{r} \right)^2 \rightarrow \propto \frac{1}{r^2}$$

$\therefore F_{\phi}/F_N \simeq 2g^2$ Unscreened!

Close to the source $r \ll r_*$,

$$\phi'(r) \simeq \Lambda^2 \rightarrow \text{constant}$$

$$\therefore F_{\phi}/F_N \simeq 2g^2 \left(\frac{r}{r_*} \right)^2 \ll 1$$

We will find cosmological dynamics of the D-Blonic (also DBI) scalar field.

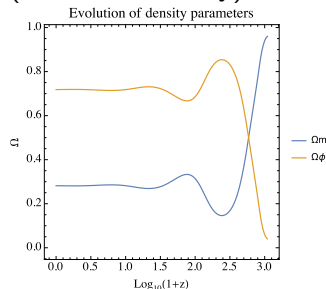
Necessary to the model

- Coupling to matter \Rightarrow solves coincidence problem
- Screening for fifth force \Rightarrow satisfies solar system constraints

Results

We found

- 1 the scalar field (dark energy) dominated solution the same as in DBI theory and coupled quintessence model.
- 2 a new scaling solution which is **stable** even though the coupling constant is **small** (in D-Blonic only).



- 3 However, ϕ MDE is still difficult to realise.