

Light BSM Particles from Stars

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Introduction Myself



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- ▶ **Particle Phenomenology & Cosmology:**

Cosmological & Astrophysical aspects of light particles

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Outline

01 Preliminary

- Current status of New Light Bosons
- Stages of Stellar Evolution
- Production & Absorption rates
- Particle Dispersion in Media

02 Low-M Stellar Evolution

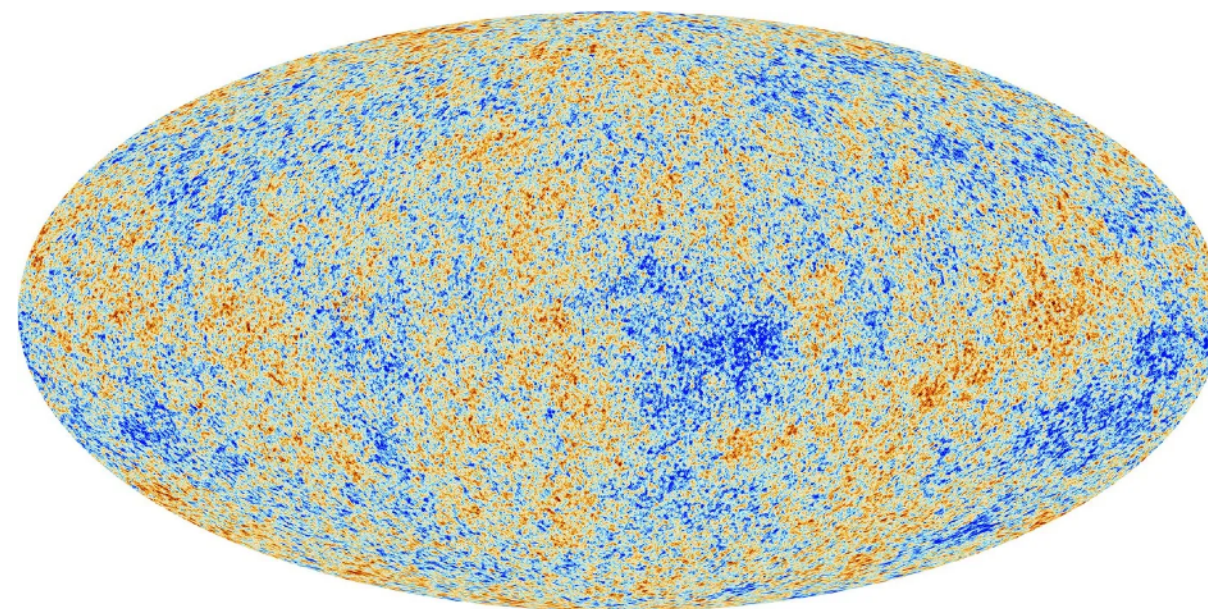
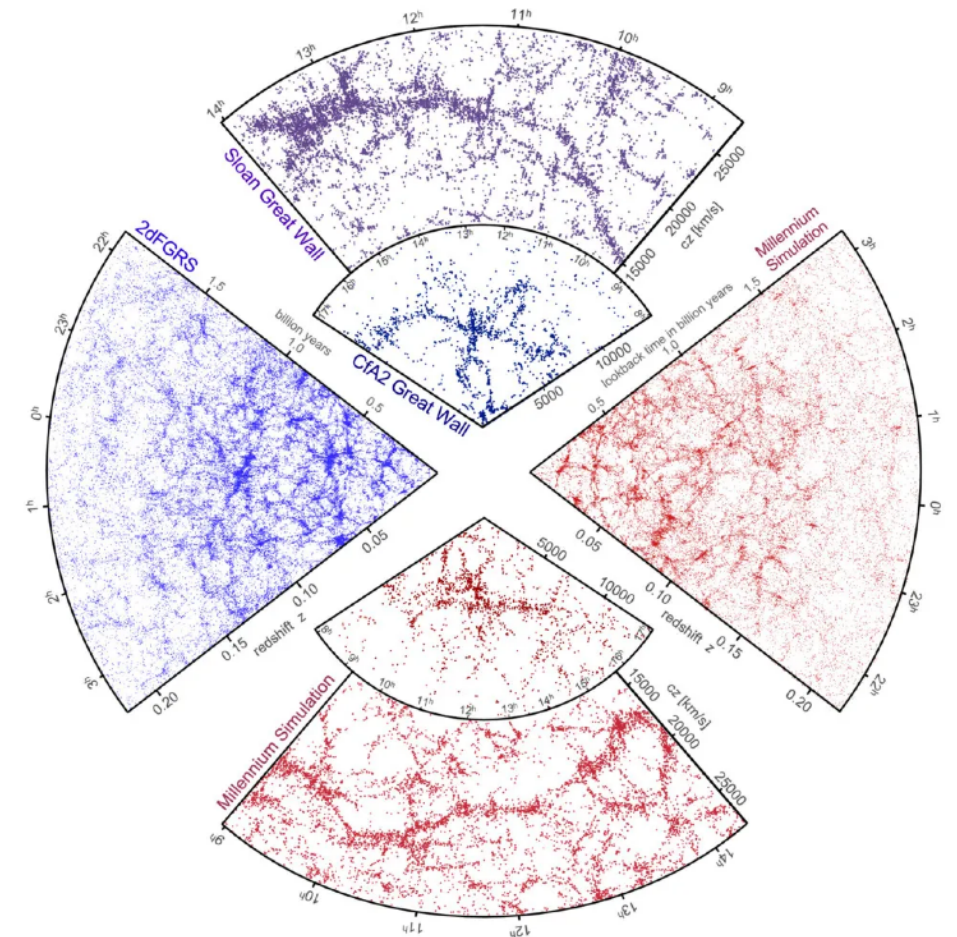
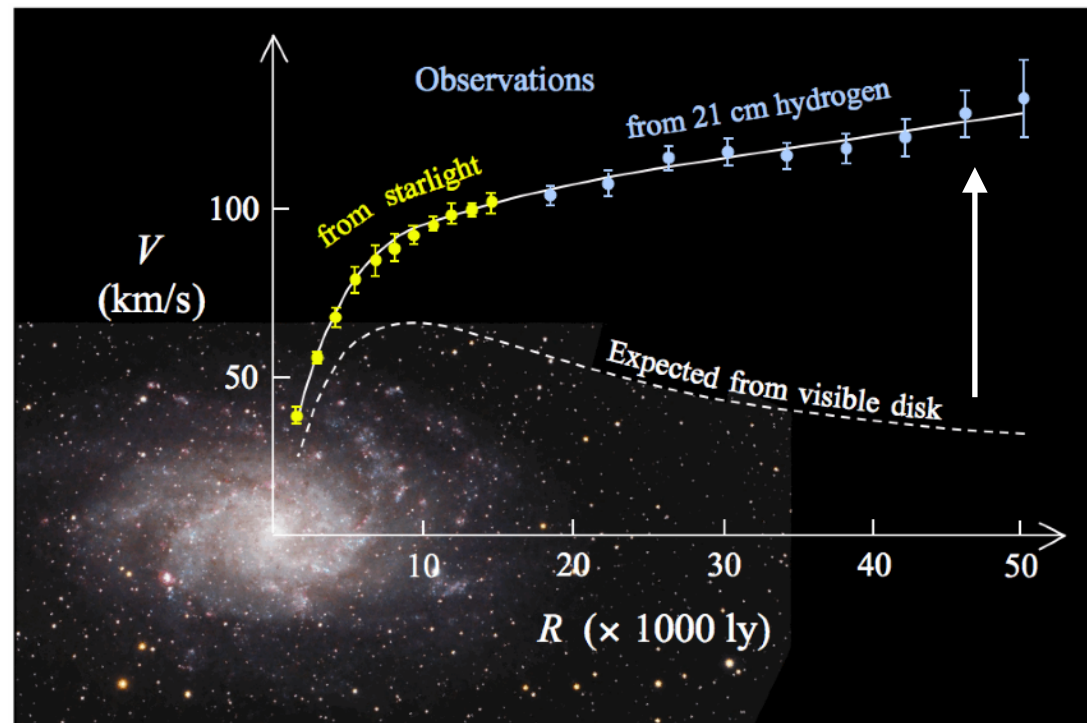
● Stellar Cooling Argument

- Sun (Main Sequence) - solar ν
- Red Giants - luminosity @ tip
- Horizontal Branches - lifetime

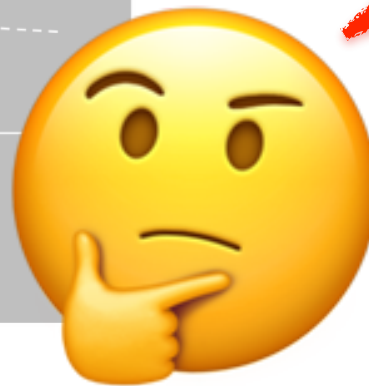
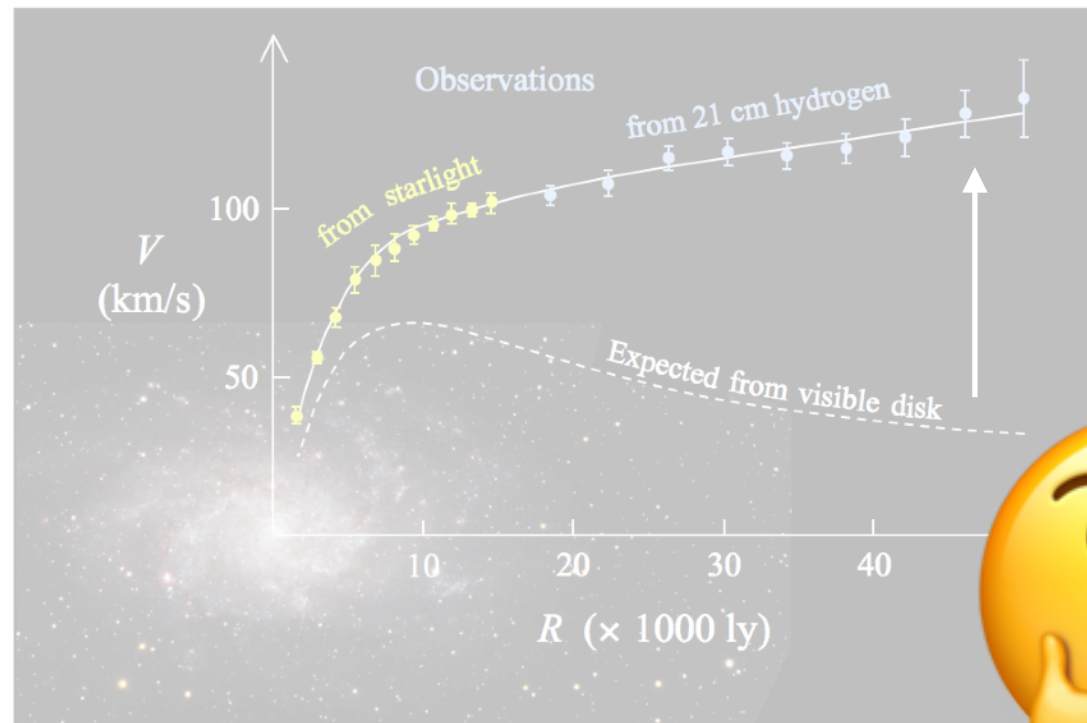
03 Supernova & Neutron Stars

- Core-Collapse of massive stars
- SN1987A Observations
 - Duration of ν signals & No prompt γ -ray
- Phenomena associated with SN
- ν -driven explosion

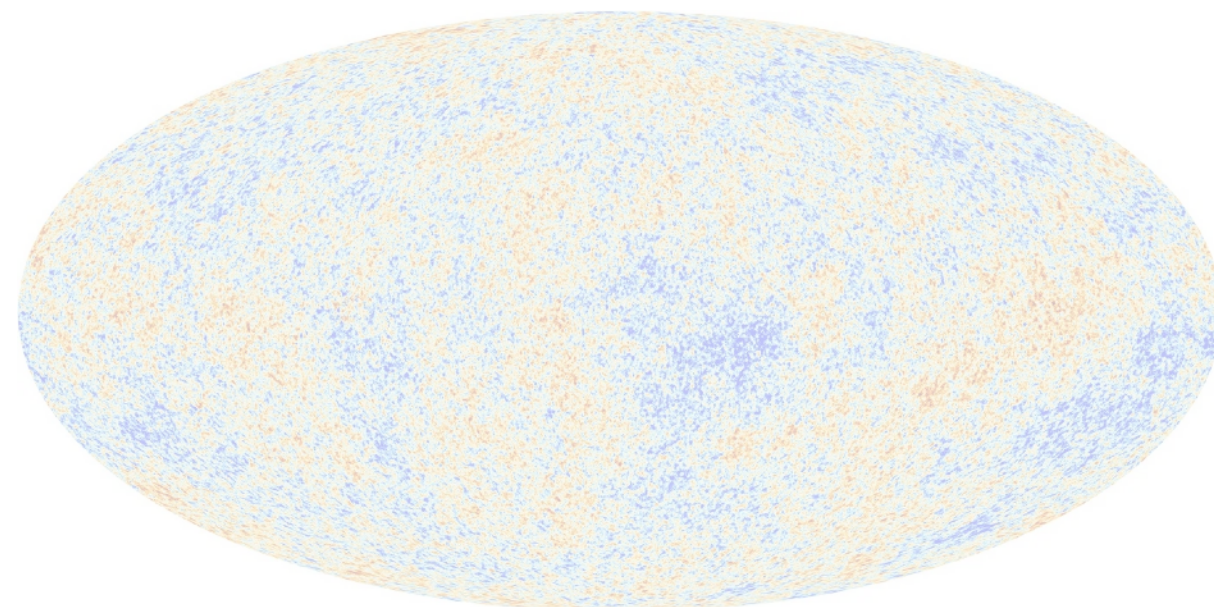
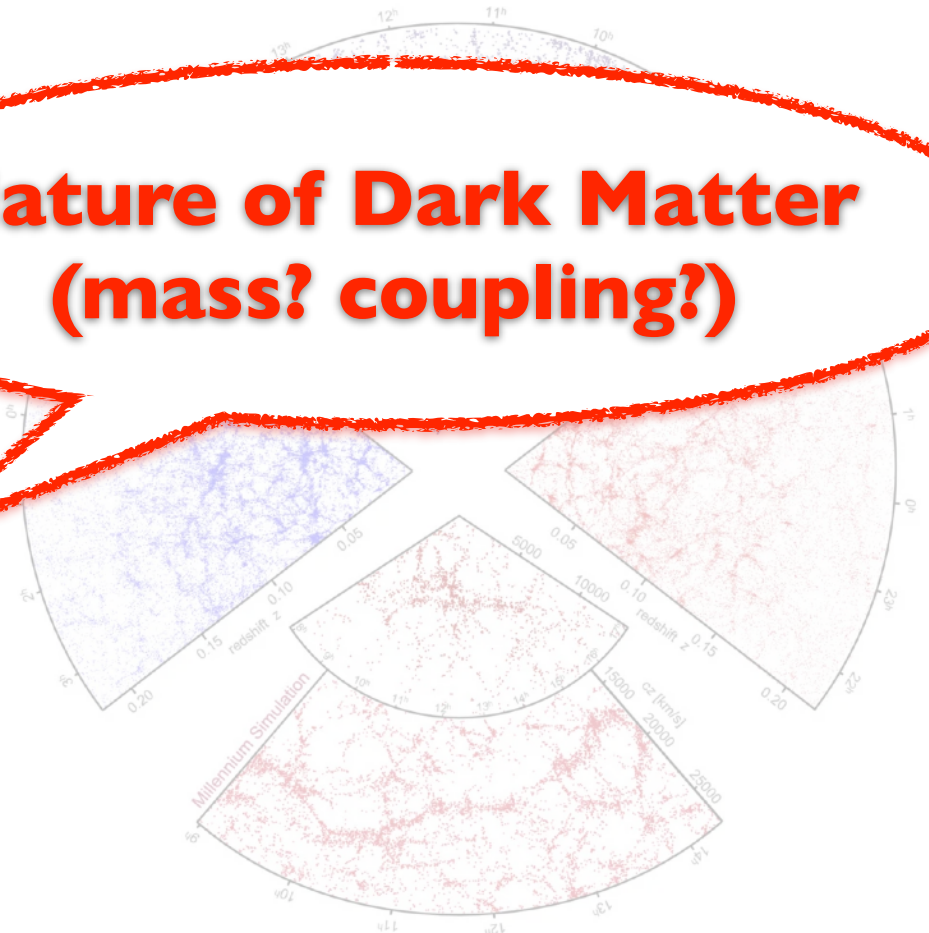
Evidences of Dark Matter



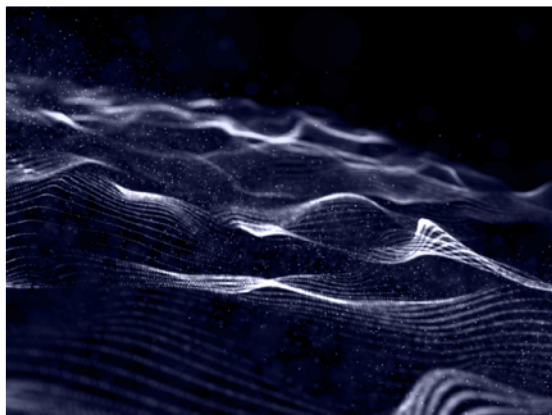
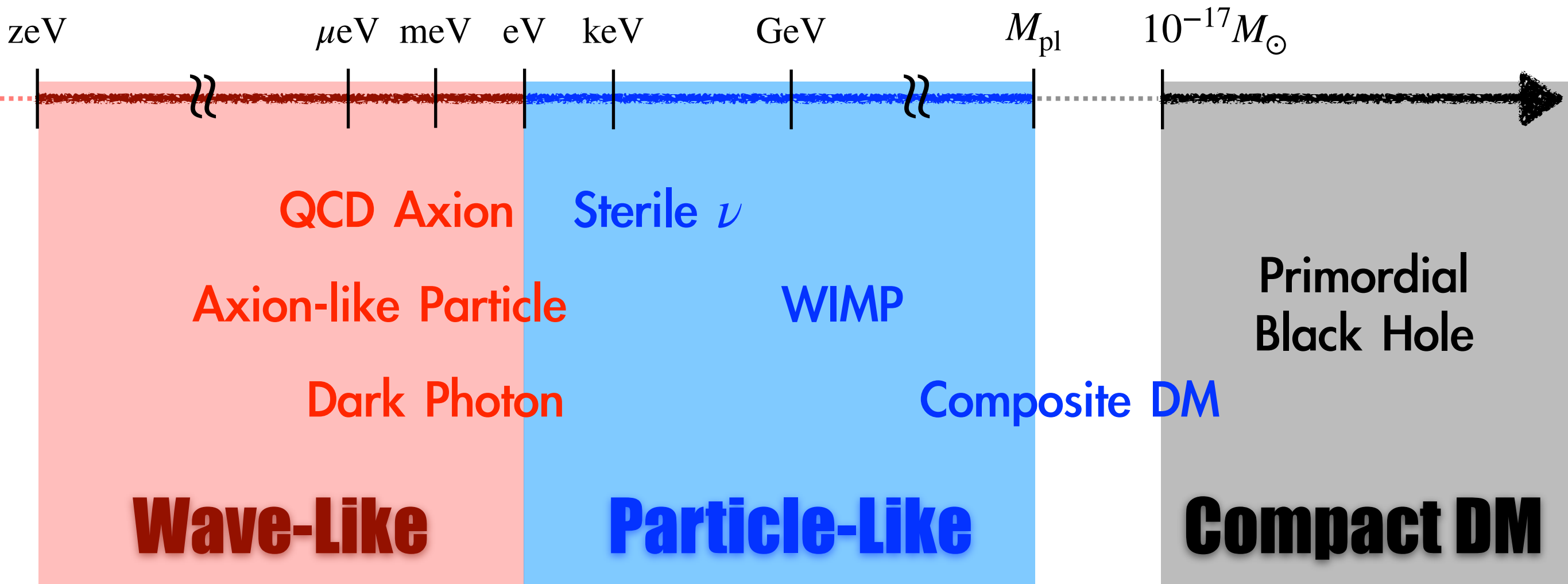
Evidences of Dark Matter



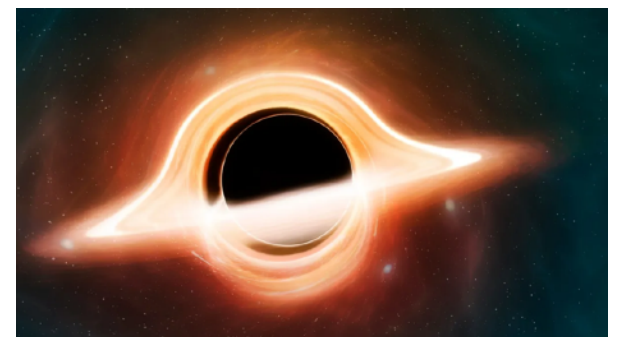
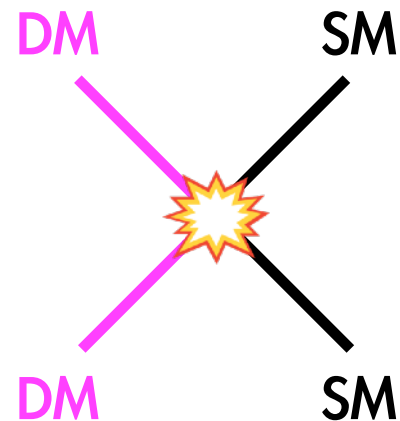
**Nature of Dark Matter
(mass? coupling?)**



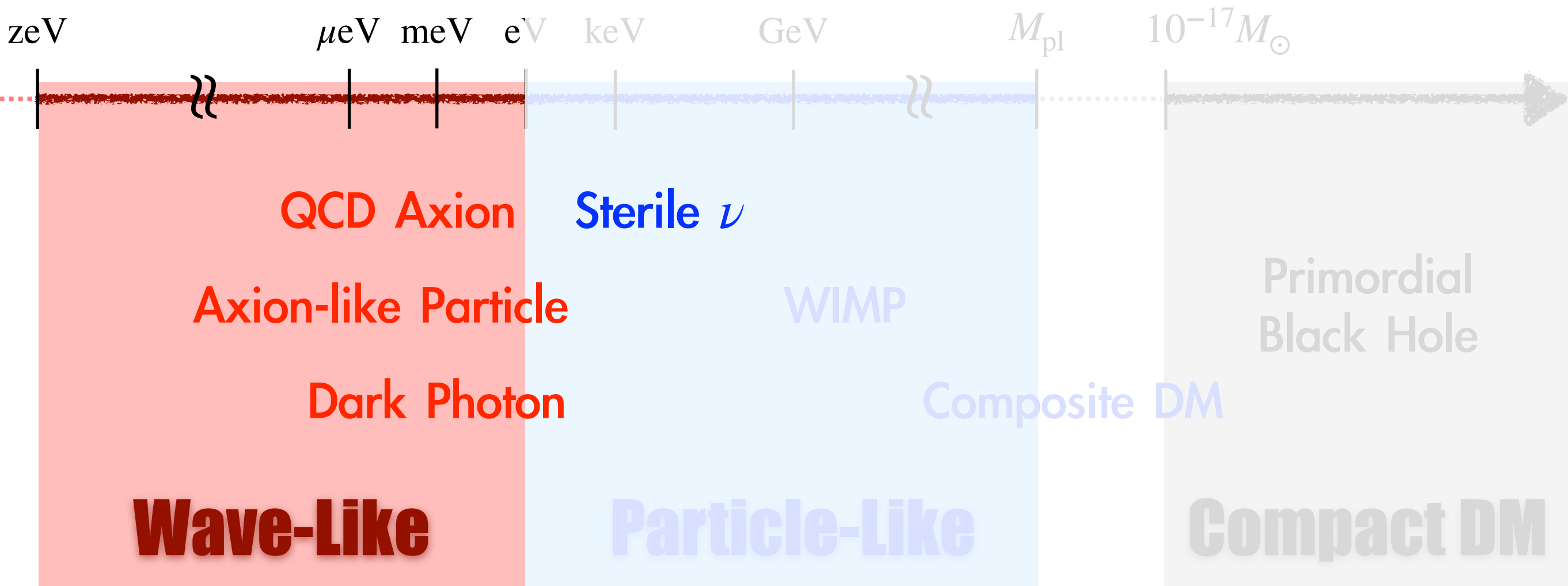
Dark Matter Candidates



[Medium]



Dark Matter Candidates



Low-E frontier

- ✓ Intensity: ultra-high collision rate
- ✓ Cosmic: universe & astroparticle

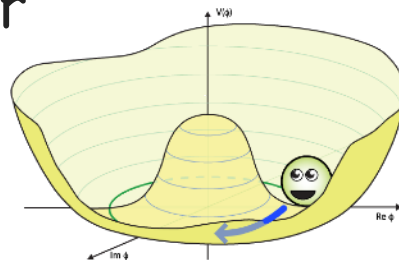
Feebly-interacting Particles (FIPs)
Weakly-interacting Slim Particles (WISPs)

Feebly-Interacting Light Bosons

- Ubiquitous in several extensions of the Standard Model
- Can be a good dark matter candidate

Axion / Axion-Like Particle

- ✓ Spin-0 Pseudoscalar
- ✓ Strong CP problem



$$g_{a\gamma\gamma} \frac{a}{4f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

Dark Photon

- ✓ Spin-1 Vector
- ✓ $(g - 2)_\mu$, ...

$$\frac{\varepsilon}{2} F_{\mu\nu} X^{\mu\nu}$$

Axion

$$\bar{\theta} < \mathcal{O}(10^{-10})$$

- Solution for the strong CP problem
- Global Peccei-Quinn symmetry anomalous to the SM - **PQ fermions**

$$\Psi \rightarrow e^{i\alpha\gamma^5/2}\Psi \quad \Rightarrow \quad \frac{g_s^2}{32\pi^2}\alpha G_{\mu\nu}\tilde{G}^{\mu\nu}$$

- Spontaneous breaking of the PQ symmetry - **PQ scalar field**

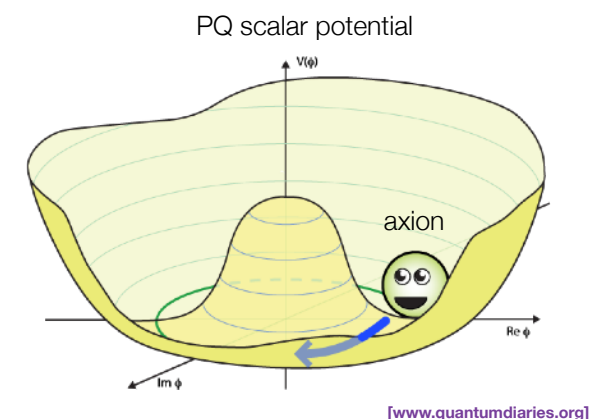
$$V_\phi = \lambda_\phi \left(|\phi|^2 - f_a^2/2 \right) \quad \Rightarrow \quad \phi \rightarrow \left(f_a/\sqrt{2} \right) e^{ia/f_a}$$

- NG boson a , the so-called ‘*axion*’

$$\mathcal{L}_{\text{PQ}} \supset -y_\Psi \phi \bar{\Psi}_L \Psi_R + \text{h.c.}$$

$$\bar{\theta} \rightarrow \bar{\theta} + a/f_a$$

- With the minimum of $V_{\bar{\theta}}$ at $\bar{\theta} + a/f_a = 0$,



“The strong CP problem is solved dynamically”

Axion Models

PQ scalar

☞ axion (axial degree)

KSVZ

DFSZ

[J.E. Kim, 1979] [M.A. Shifman, A.I. Vainshtein and V.I. Zakharov, 1980]

[M. Dine, W. Fischler and M. Srednicki, 1980] [A.R. Zhitnitsky, 1980]

Fermion extension of SM

e.g., heavy PQ colored fermion

Scalar extension of SM

e.g., multi Higgs doublets

- Goldstone boson nature ☞ axion mass and coupling $\propto f_a^{-1}$

$$\text{Axion mass} \simeq 5.7 \text{ meV} \left(\frac{10^9 \text{ GeV}}{f_a} \right) \quad \text{Coupling to SM} \propto \frac{v_{\text{EW}}}{f_a} \sim \frac{100 \text{ GeV}}{f_a}$$

- Axion mass independent of f_a (but still light), if there is an explicit breaking of PQ symmetry

“Axion-like particles”

Effective Axion Couplings

- In the non-linearly realized PQ-symmetry basis
i.e., invariant under the shift $a \rightarrow a + \text{constant}$

$$\frac{g_{a\gamma}}{4} a F_{\mu\nu} \tilde{F}^{\mu\nu} = -g_{a\gamma} a \vec{E} \cdot \vec{B}$$

$$\underbrace{\frac{\partial_\mu a}{2f_a} \left(\sum_\psi c_\psi \bar{\psi} \gamma^\mu \psi + \sum_\phi c_\phi \phi^\dagger i \overleftrightarrow{\partial}_\mu \phi \right)}_{\equiv J_{\text{PQ}}^\mu} + \frac{a}{f_a} \sum_V c_V \frac{g_V^2}{32\pi^2} F_V^{\mu\nu} \tilde{F}_{V\mu\nu}$$

- Can be converted into the linearly-realized basis through the axionic rotation,
which relies on the conservation of PQ-current (i.e., $\partial_\mu J_{\text{PQ}}^\mu$)

➡ Effective operators with non-vanishing PQ-charge contribute to axion physics

Gauged U(1) Extension of the SM

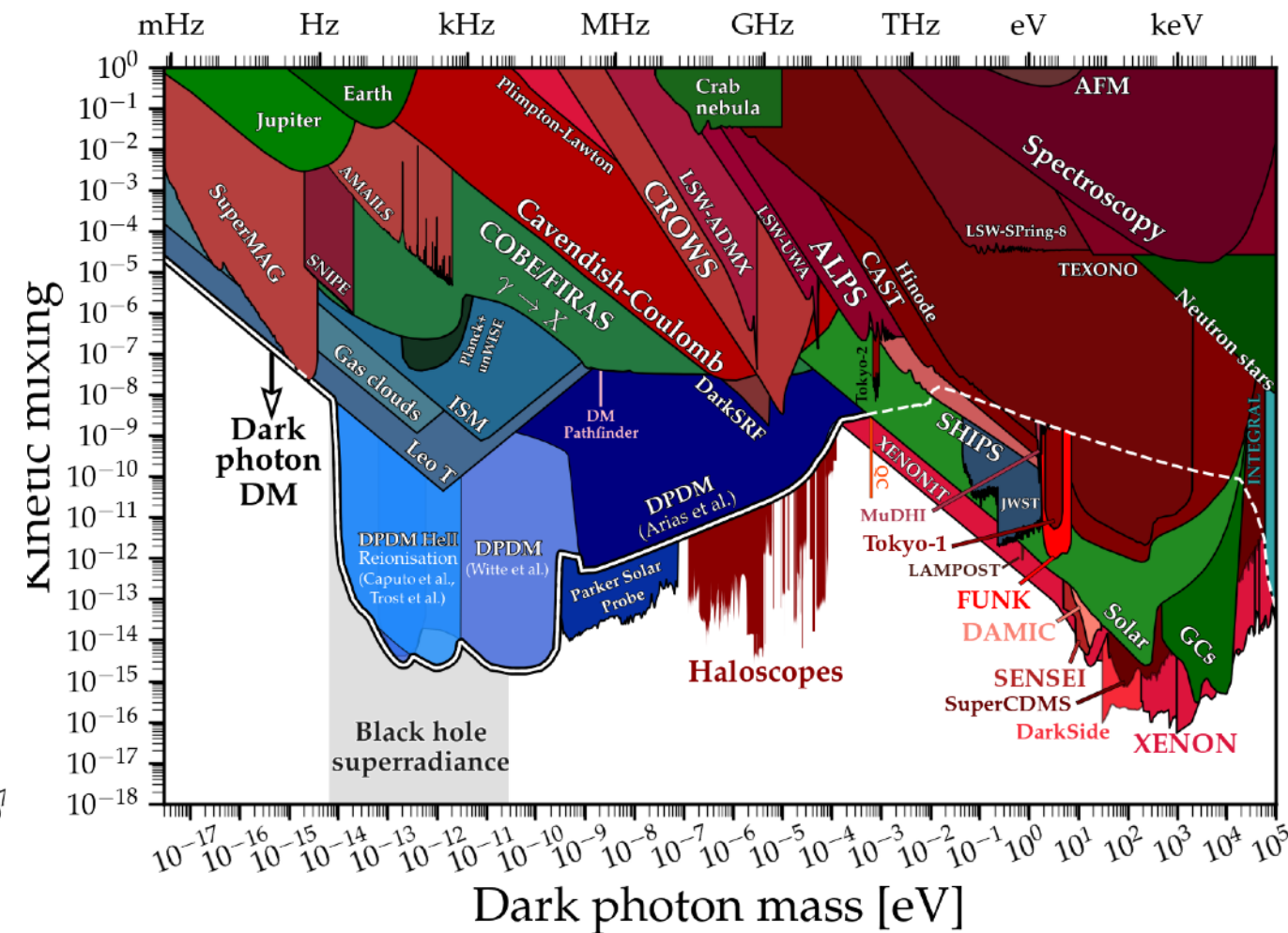
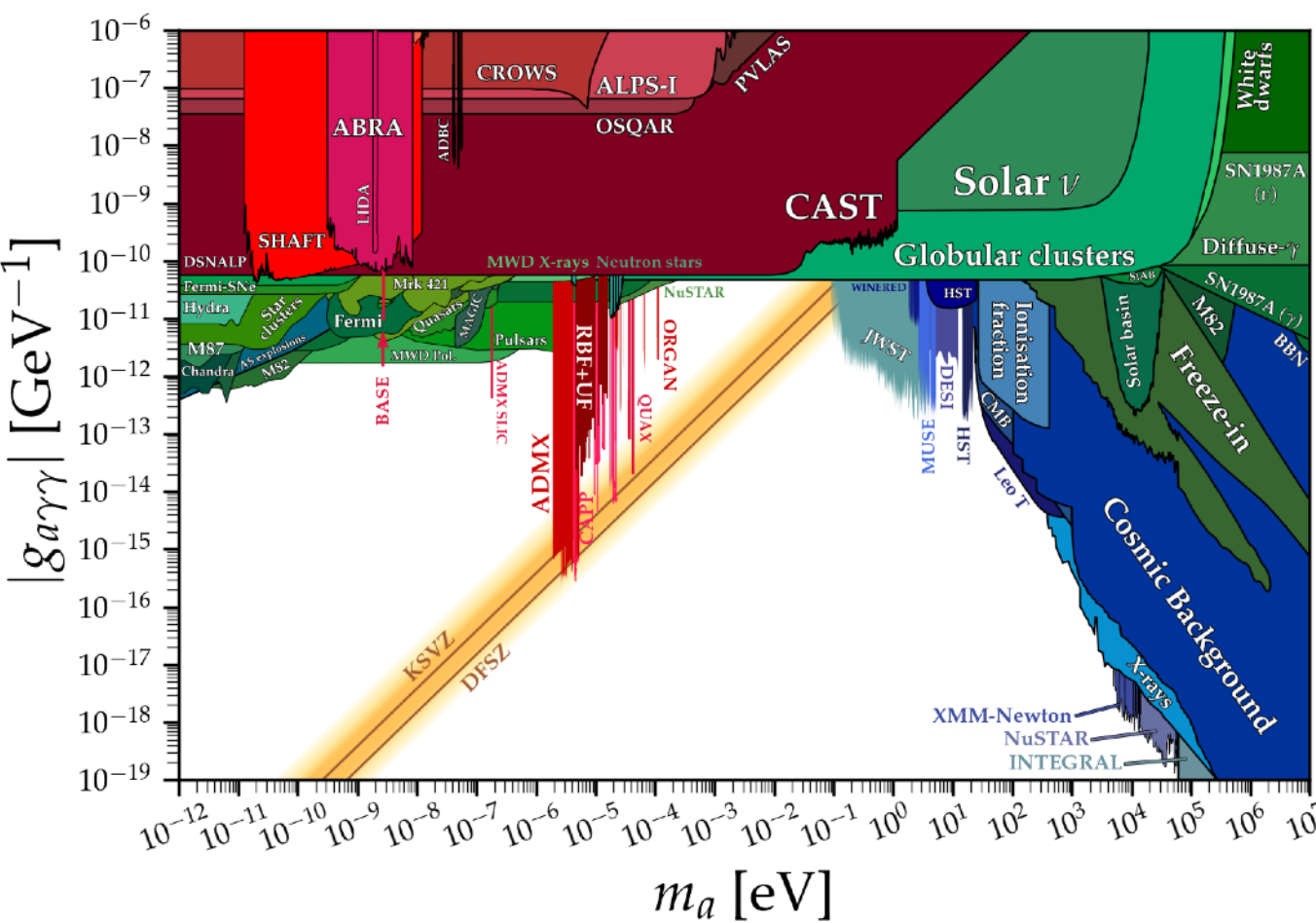
- General interactions of **dark gauge bosons** (γ' or A'_μ) to SM particles
 - U(1) charge assignment $\mathcal{L}_{\gamma'-\psi} = g_\psi A'_\mu \bar{\psi} \Gamma^\mu \psi$ $\Gamma^\mu = [\gamma^\mu, \gamma^\mu \gamma^5, \dots]$
 - Kinetic mixing $\mathcal{L}_{\gamma'-\gamma} = \frac{\varepsilon}{2} F_{\mu\nu} F'^{\mu\nu}$ $\Rightarrow g_\psi = e\varepsilon q_\psi$ & $\Gamma^\mu = \gamma^\mu$ in vacuum
- Anomaly-free Abelian symmetries
 - flavor universal: $B - L, \dots$
 - flavor dependent: $L_e - L_\mu, L_e - L_\tau, L_\mu - L_\tau, \dots$
 - only kinetic mixing: dark photon

Current Status

Experimental

Astrophysical

Cosmological



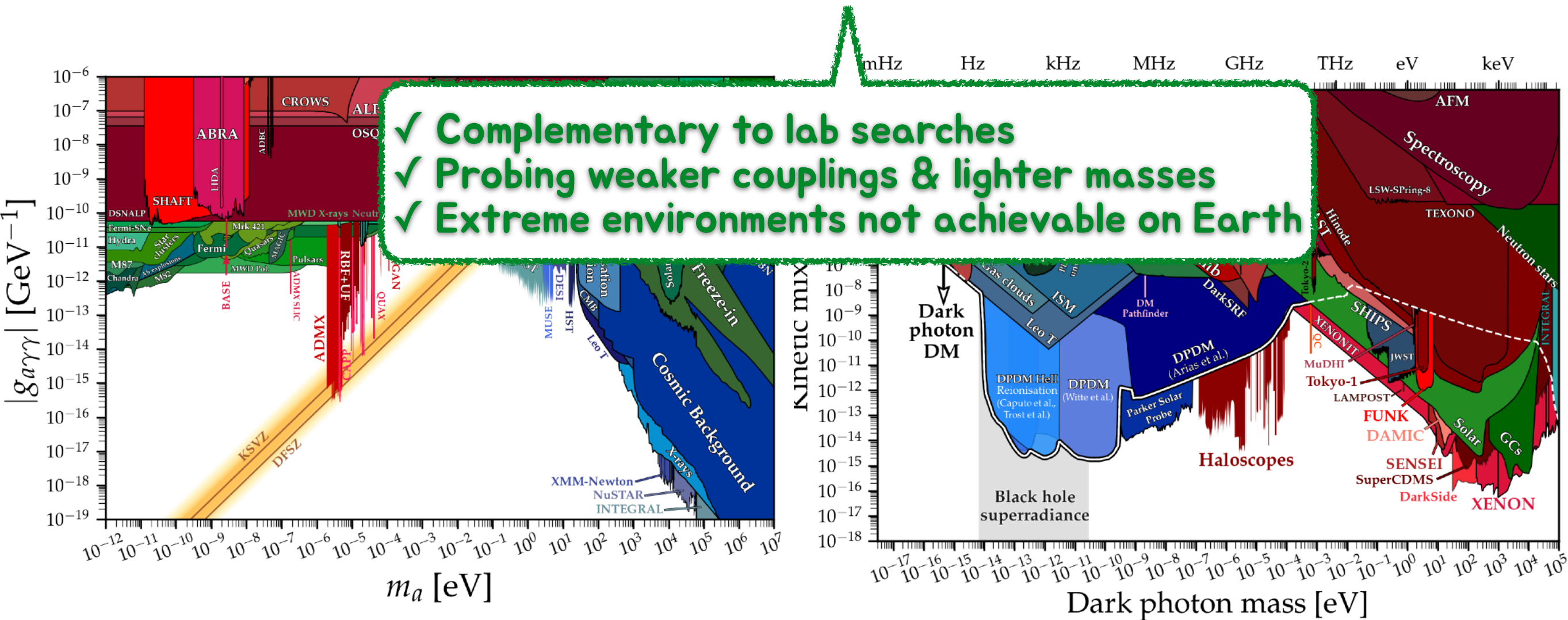
<https://cajohare.github.io/AxionLimits/>

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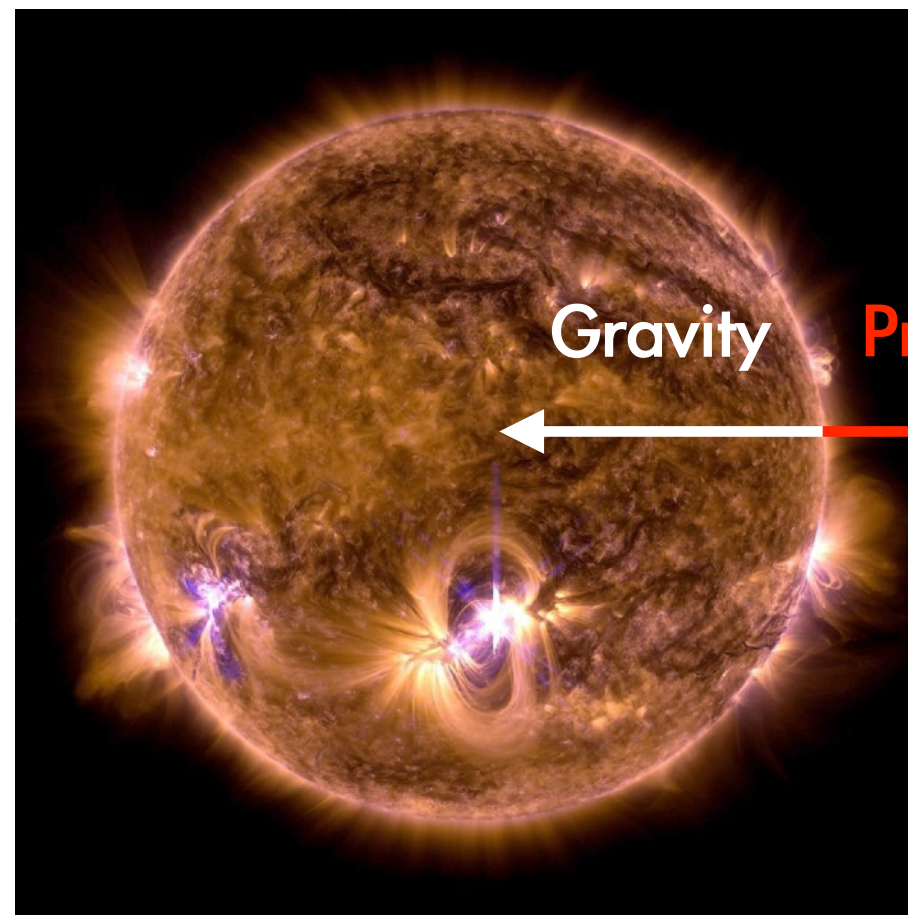
Stars

“ Star

From Wikipedia, the free encyclopedia

This article is about the astronomical object. For other uses, see [Star \(disambiguation\)](#).

A **star** is an [astronomical object](#) consisting of a luminous [spheroid](#) of [plasma](#) held together by its own [gravity](#). ”

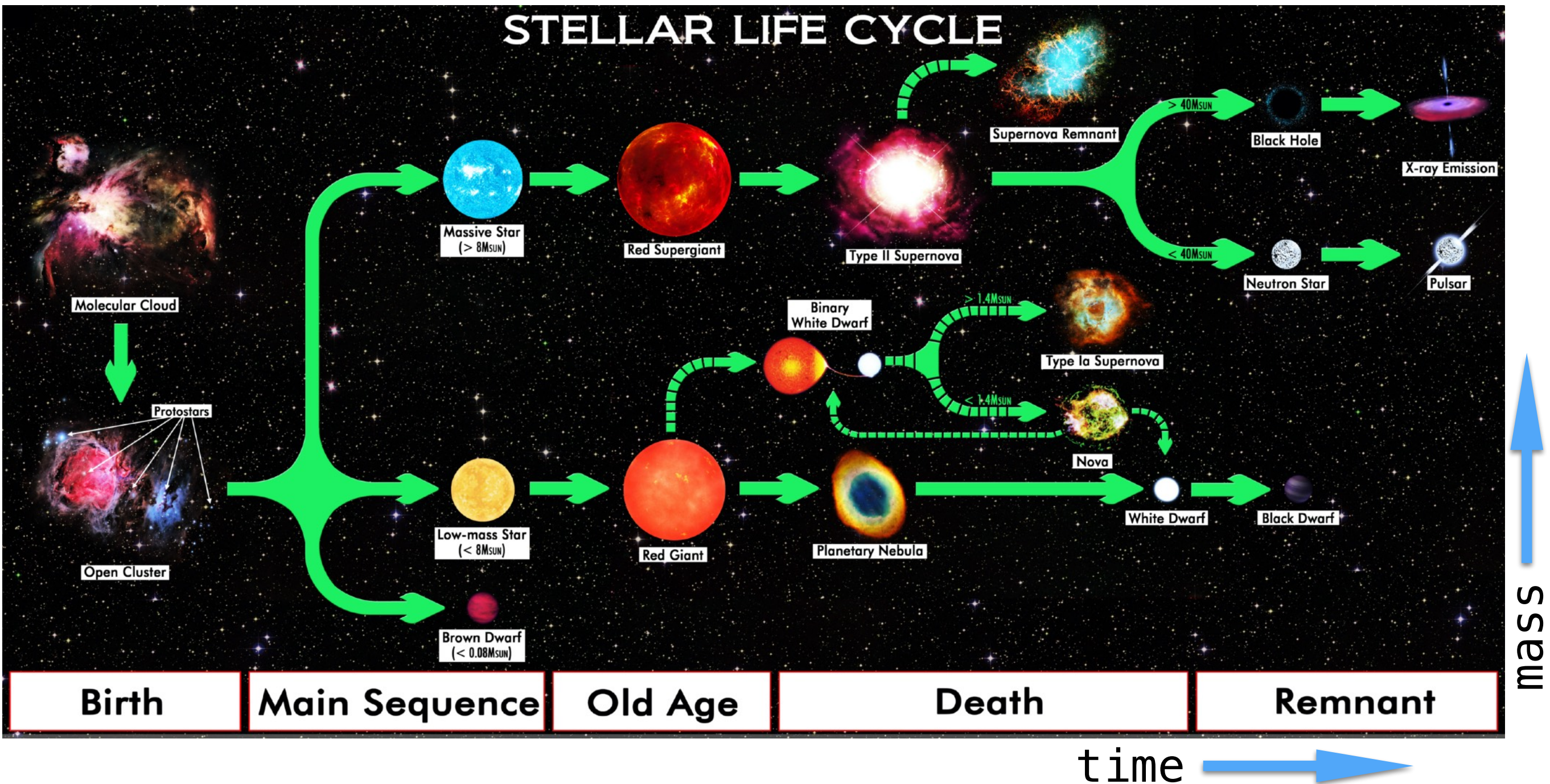


Pressure (thermal? degeneracy?)

+ Energy conservation & transfer

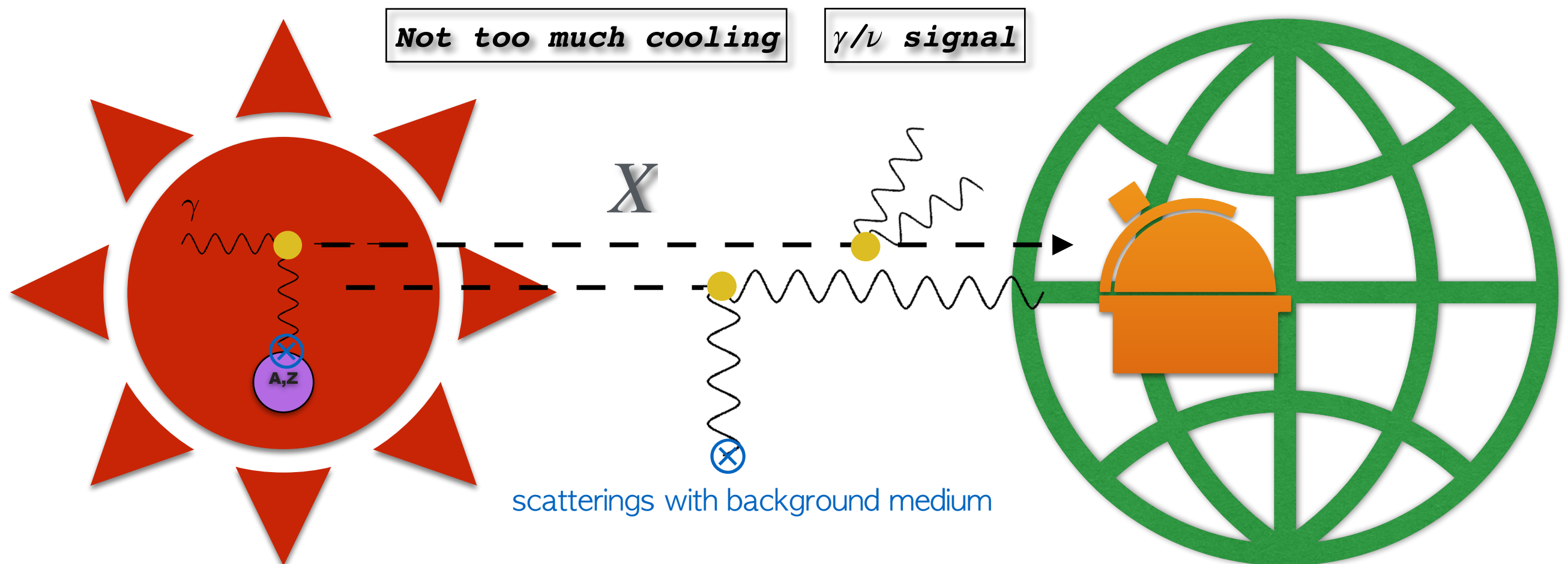
Stellar Evolution

[image from Wikipedia]



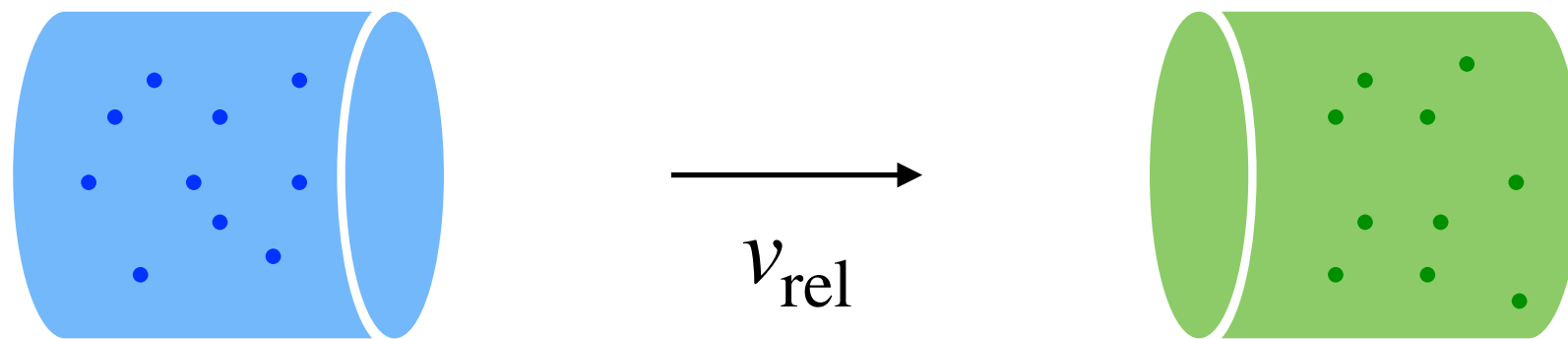
Astrophysical Searching Scheme

- Stars as ***laboratories*** to probe light bosons in extreme circumstances
 - ✓ Detection opportunity (e.g., ν spectrum from Sun or Supernovae)
 - ✓ Backreaction on stellar properties



Production & Absorption

Cross Section



$$\sigma \equiv \frac{N_{\text{event}}}{(n_A l_A)(n_B l_B) S}$$

- ✓ n_i : # density of i particles
- ✓ l_i : length of the i bunch
- ✓ S : common area

Event Rate per Volume

$$\frac{dn_{\text{event}}}{dt} = \frac{N_{\text{event}}}{Vt} = n_A n_B \sigma v$$

$$\sigma v = \frac{1}{2E_A} \frac{1}{2E_B} \underbrace{\left(\prod_f \int \frac{d^3 \vec{p}_f}{(2\pi)^3 2E_f} \right)}_{\text{Phase space integral}} \overset{\substack{\text{Scattering amplitude} \\ \nearrow}}{|\mathcal{M}|^2} \underbrace{(2\pi)^4 \delta^{(4)} \left(p_A + p_B - \sum_f p_f \right)}_{\text{Energy-momentum conservation}}$$

Production Rate

● Production from $i_1 + i_2 \rightarrow \sum_i f_i + X$

Differential production rate

$$\Gamma_{\text{prod}} = \frac{1}{2\omega} \left(\prod_i \int \frac{d^3 \vec{p}_i}{(2\pi)^3 2E_i} f_i \right) \left(\prod_f \int \frac{d^3 \vec{p}_f}{(2\pi)^3 2E_f} (1 \pm f_f) \right) \\ \times |\mathcal{M}|^2 (2\pi)^4 \delta^{(4)} \left(p_1 + p_2 - \sum_f p_f - k \right)$$

● Quantum statistical factor for the final states $(1 \pm f_f)$

✓ Boson (+): $a^+ |n\rangle = \sqrt{1+n} |n+1\rangle$ & $a |n\rangle = \sqrt{n} |n-1\rangle$

✓ Fermion (-): probability for a state to be occupied

$$|\psi\rangle = \sqrt{1-f} |0\rangle + \sqrt{f} |1\rangle$$

Absorption Rate

● Absorption from $\sum_i f_i + X \rightarrow i_1 + i_2$ (i.e., inverse production)

$$\Gamma_{\text{abs}} = \frac{1}{2\omega} \left(\prod_i \int \frac{d^3 \vec{p}_i}{(2\pi)^3 2E_i} (1 \pm f_i) \right) \left(\prod_f \int \frac{d^3 \vec{p}_f}{(2\pi)^3 2E_f} f_f \right) \\ \times |\mathcal{M}|^2 (2\pi)^4 \delta^{(4)} \left(p_1 + p_2 - \sum_f p_f - k \right)$$

● Boltzmann equation

$$\frac{df_X}{dt} = \Gamma_{\text{prod}} (1 \pm f_X) - \Gamma_{\text{abs}} f_X$$

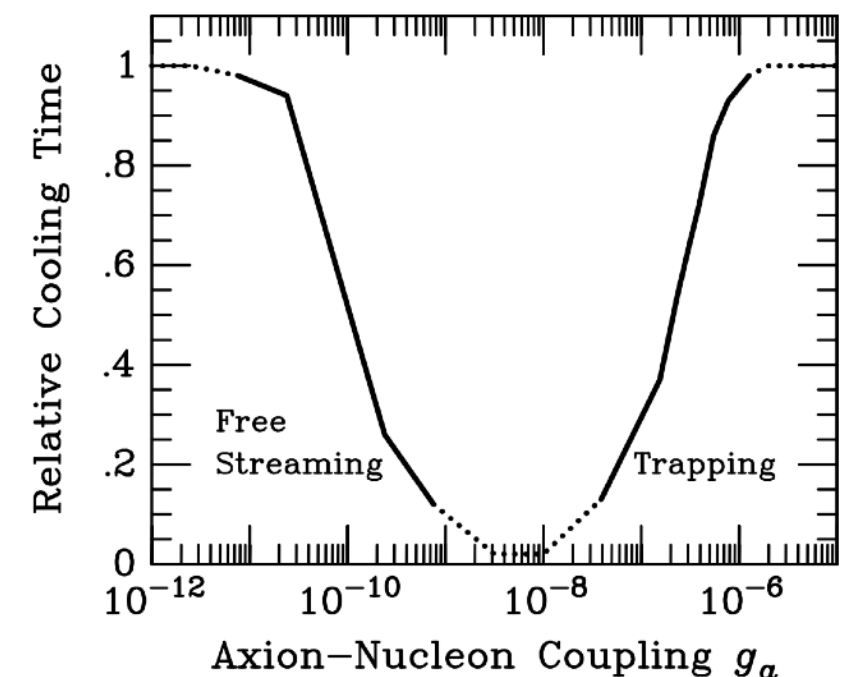
✓ Trap ($df_X/dt = 0$) & Equilibrium $\Rightarrow \Gamma_{\text{abs}} = \Gamma_{\text{prod}} e^{\omega/T}$ (i.e., detailed balance)

✓ Actual absorption rate in medium: $\Gamma_{\text{abs}} \mp \Gamma_{\text{prod}} = (1 \pm e^{-\omega/T}) \Gamma_{\text{abs}}$

Effective Luminosity

$$L_X = \int dV \frac{d^3 \vec{k}}{(2\pi)^3} \Gamma_{\text{prod}} \omega e^{-\tau}$$

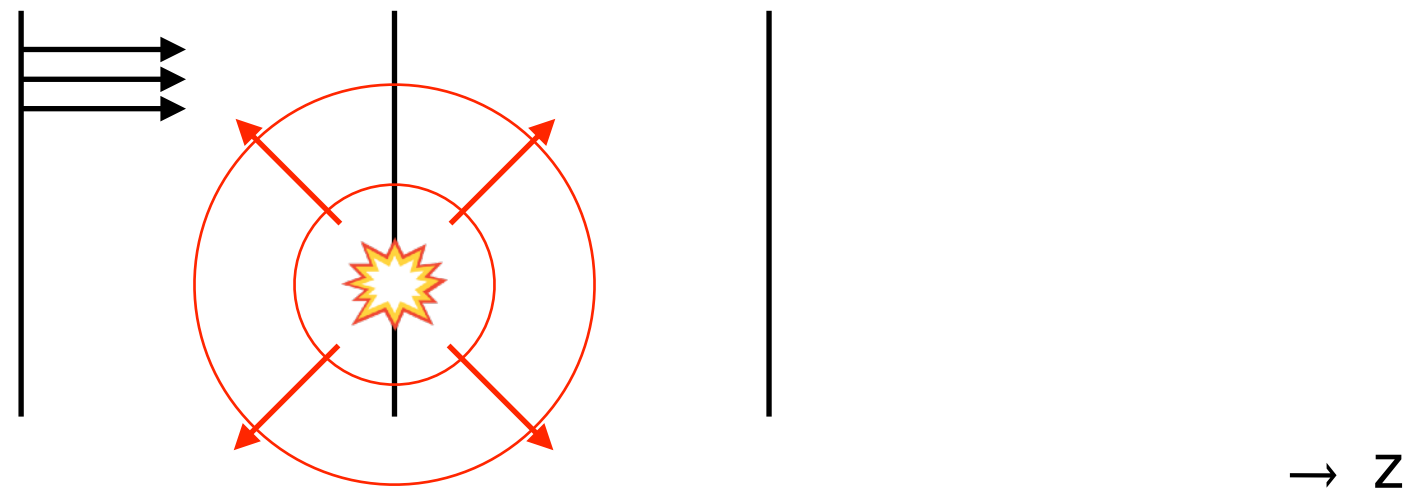
- ✓ Optical depth $\tau = \int d\vec{l} \Gamma_{\text{abs}} \mp \Gamma_{\text{prod}}$ along the line of sight $\vec{l}$
- ✓ $\tau \ll 1$: free-streaming (volume emission)
- ✓ $\tau \gg 1$: trapping (surface emission)



[Raffelt]

Particle Dispersion In Media

Wave Form with a Scatterer



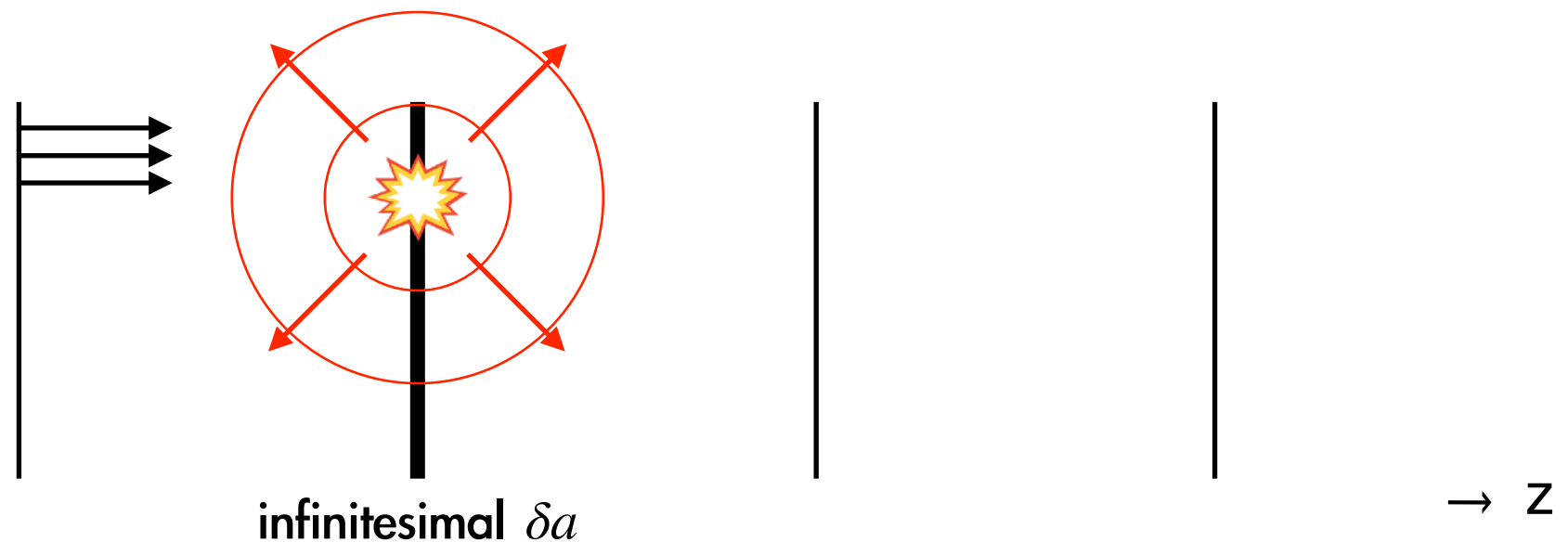
$$\Phi(r, t) \propto e^{-i\omega t} \left(e^{ikz} + f(\omega, \theta) \frac{e^{ikr}}{r} \right)$$

Original wave

Scattered wave

$$\sqrt{\frac{d\sigma}{d\Omega}} = f(\omega, \theta)$$

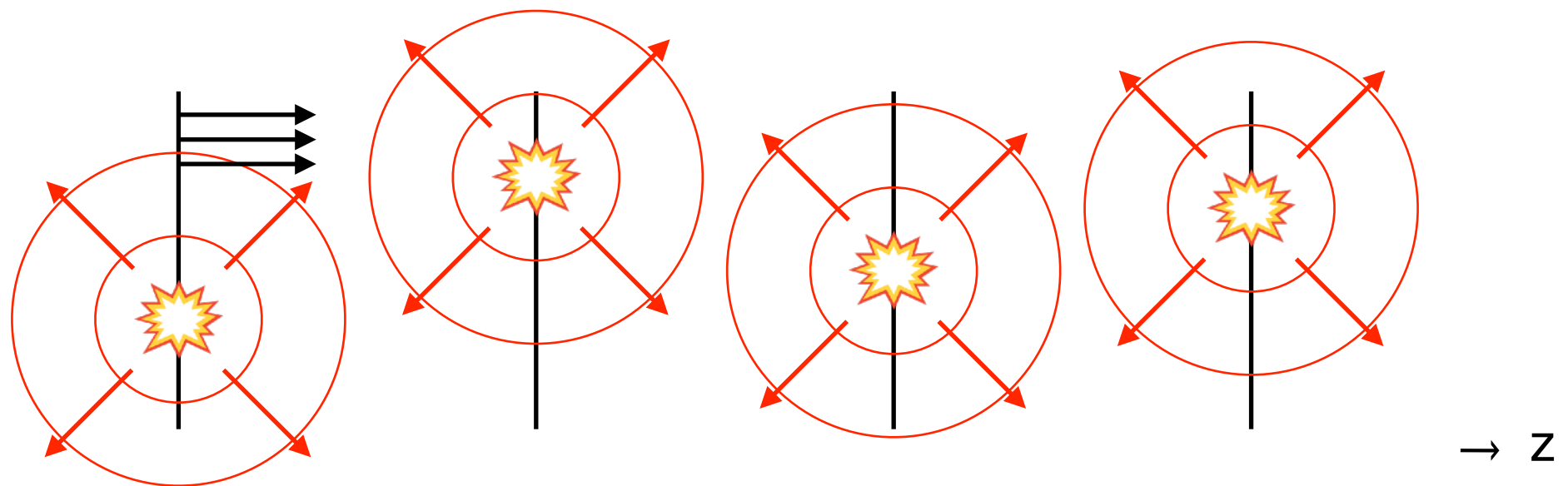
Forward Scattering



$$\Phi(z) \propto e^{ikz} \left(1 + n\delta a \int_0^\infty \frac{e^{ik\sqrt{\rho^2 + z^2}}}{\sqrt{\rho^2 + z^2}} f(\omega, \theta) 2\pi\rho d\rho \right)$$

$$\sim e^{i\omega z} \left(1 + \frac{2\pi n\delta a}{\omega} f(\omega, 0) \right) \quad \checkmark \text{ Coherent sum of forward scatterings}$$

Forward Scattering & Refraction



$$\lim_{j \rightarrow \infty} \left[1 + \frac{2\pi n}{\omega} \frac{z}{j} f(\omega, 0) \right]^j = e^{i(2\pi n/\omega) f(\omega, 0) z}$$

$$\Phi(t, z) \propto e^{-i\omega t} e^{iz \left(\omega + \frac{2\pi n}{\omega} f(\omega, 0) \right)}$$

$$\checkmark \quad n_{\text{refr}} = 1 + \frac{2\pi}{\omega^2} n f(\omega, 0)$$

Photon Dispersion in non-rel medium

● Thompson scattering

$$f(\omega, 0) = \sqrt{\frac{d\sigma}{d\Omega}} = \sqrt{\left(\frac{\alpha}{m_e}\right)^2 |\epsilon \cdot \epsilon'|^2} = \frac{\alpha}{m_e}$$

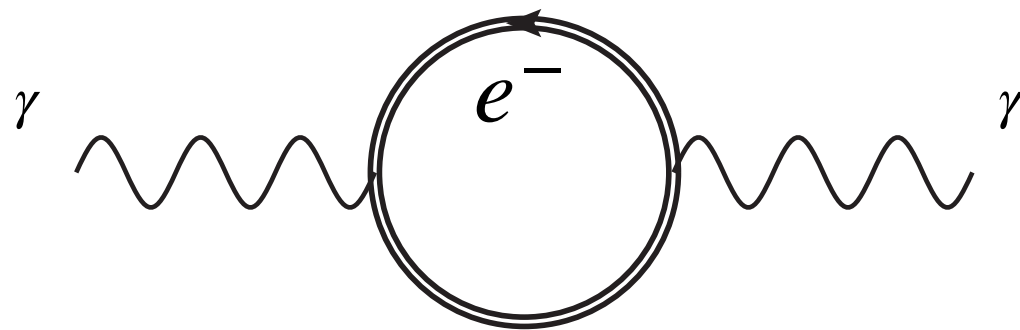
=1 forward scattering

$$e^{-i\omega t} e^{iz \left(k + \frac{1}{2k} \frac{4\pi\alpha n_e}{m_e} \right)}$$

$$\checkmark \quad \omega^2 - \left(k + \frac{1}{2k} \frac{4\pi\alpha n_e}{m_e} \right)^2 = 0 \quad \Rightarrow \quad \omega^2 - k^2 \approx \frac{4\pi\alpha n_e}{m_e}$$

Plasma frequency

Photon Dispersion



$$\mathcal{L}_{\text{medium}} = \frac{1}{2} A_{\mu} \Pi^{\mu\nu} A_{\nu}$$

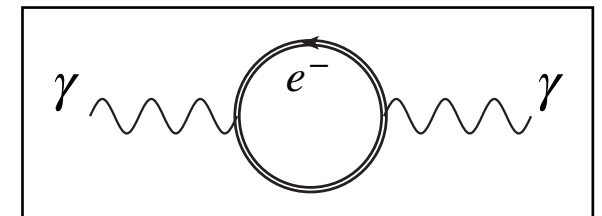
Polarization tensor

$$\checkmark \quad \Pi^{\mu\nu} = \left\langle J_{\text{EM}}^{\mu} J_{\text{EM}}^{\nu} \right\rangle = \sum_{i=\text{T,L}} \pi_i \left(-\epsilon_i^{\mu} \epsilon_i^{*\nu} \right)$$

$$= 16\pi\alpha \int \frac{d^3\vec{p}}{(2\pi)^3 2E_p} f_e \frac{(P \cdot K)^2 g^{\mu\nu} + K^2 P^{\mu} P^{\nu} - P \cdot K (K^{\mu} P^{\nu} + K^{\nu} P^{\mu})}{(P \cdot K)^2 - (K^2)^2/4}$$

Polarization Tensor $\pi_{T,L}$

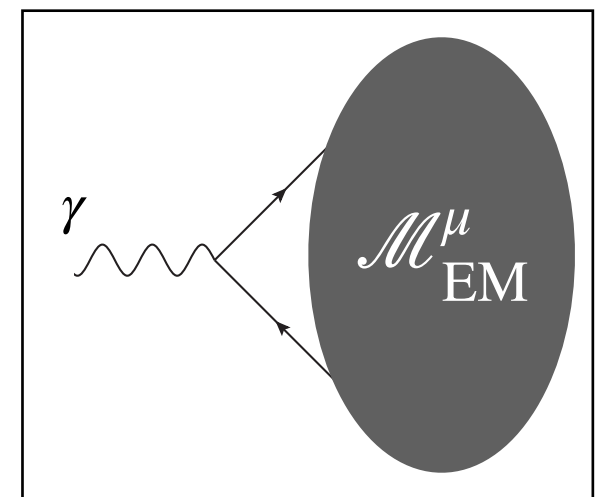
- Real part: photon refractive index (i.e., effective photon mass)
 - from coherent forward scatterings
 - parametrized by plasma frequency $\omega_{pl} \propto \sqrt{n_e}$
 - in Lorentz gauge $\partial_\mu A^\mu = 0$



$$\text{Re}[\pi_T] = \frac{1}{2} (\text{tr} [\Pi] - \pi_L) \sim \omega_{pl}^2$$

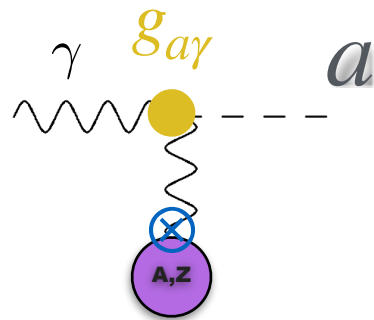
$$\text{Re}[\pi_L] = (1 - \omega^2/k^2) \Pi^{00} \sim \frac{\omega^2 - k^2}{\omega^2} \omega_{pl}^2$$

- Imaginary part: photon absorption width
 - detailed balance $\Rightarrow \text{Im} \pi_{T,L} = -\omega (e^{\omega/T} - 1) \Gamma_{\gamma_{T,L}}^P$
 - $\text{Im} \pi_{T,L} \ll \text{Re} \pi_{T,L}$ in typical



Screening Effects

- Regulate IR divergence of scatterings involving long-range interactions



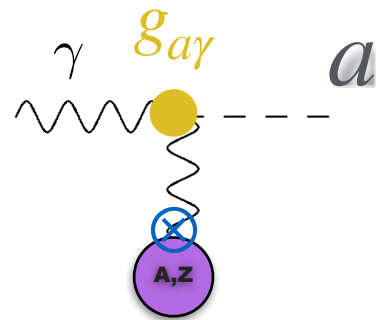
“Primakoff” process

- In the static limit for background

$$\begin{aligned} (k^2 + \pi_L(0,k)) \Phi(k) &= \rho_k \\ (k^2 + \pi_T(0,k)) \vec{A}(k) &= \vec{J}_k \end{aligned}$$

Screening Effects

- Regulate IR divergence of scatterings involving long-range interactions



“Primakoff” process

- In the static limit for background

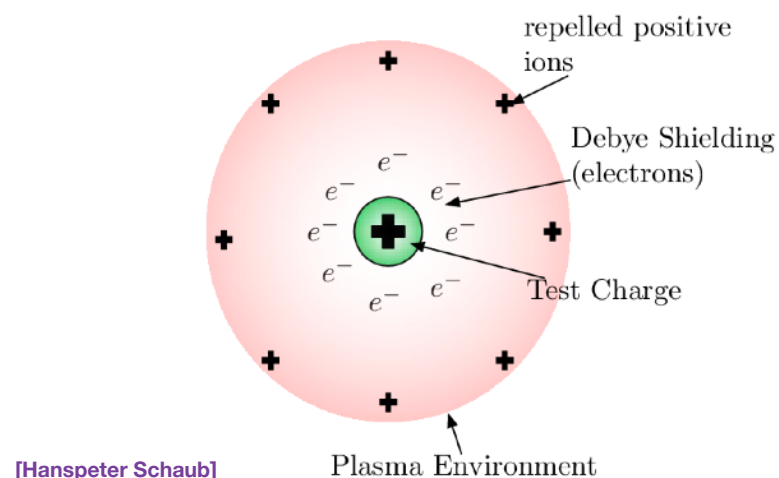
✓ No screening for magnetic field

$$\begin{aligned} (k^2 + \pi_L(0, k)) \Phi(k) &= \rho_k \\ (k^2 + \pi_T(0, k)) \vec{A}(k) &= \vec{J}_k \end{aligned}$$

Screening Effects

$$(k^2 + \pi_L(0, k)) \Phi(k) = \rho_k$$

- Rearrangement of electric charges



$$\checkmark \Phi \propto \frac{1}{r} e^{-\kappa_s r} \quad \equiv \kappa_s^2$$

- Classical limit:

$$\kappa_s^2 = \kappa_D^2 = \frac{4\pi\alpha n}{T}$$

Debye screening

- ✓ Independent of mass
- ✓ Including all ions

- Degenerate limit:

$$\kappa_s^2 = \kappa_{\text{TF}}^2 = \frac{4\alpha}{\pi} E_F p_F$$

Thomas-Fermi